

## Assignment - I

### DC Circuit

1. Define following Terms.

a. Node

A point where two or more than two elements are joined together is called a node.

b. Branch

An element or a number of elements connected b/w two nodes constitutes a branch.

c. Loop

A closed path for the flow of current is called a loop.

d. Mesh

A loop that does not contain any other loops within it is called a mesh.

e. Active Elements

An independent source which can deliver or absorb energy continuously is called an active element.

### f. Passive element

Passive component which are consumed the energy or store the energy are known as Passive component.

Parameters like resistance, inductance and capacitance are called passive elements.

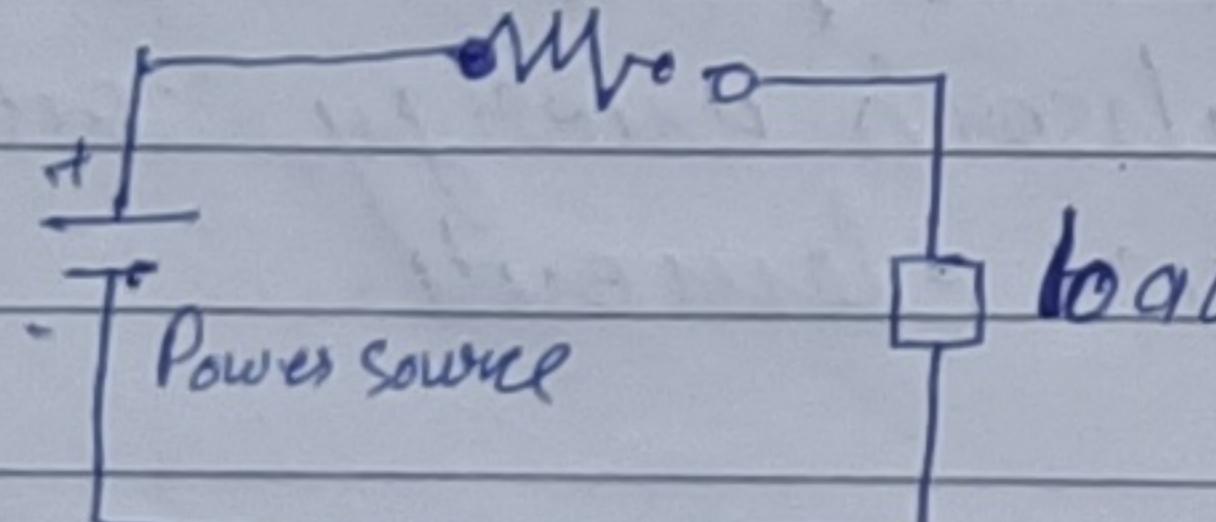
### g. Junction point

Junction is a point at which three and more elements joined together is known as Junction point.

### 2. Explain concept of open circuit in series.

Ans:

A circuit in which the continuity is broken due to which the electric current can not flow is known as the open circuit. In an open circuit the current flowing is zero.

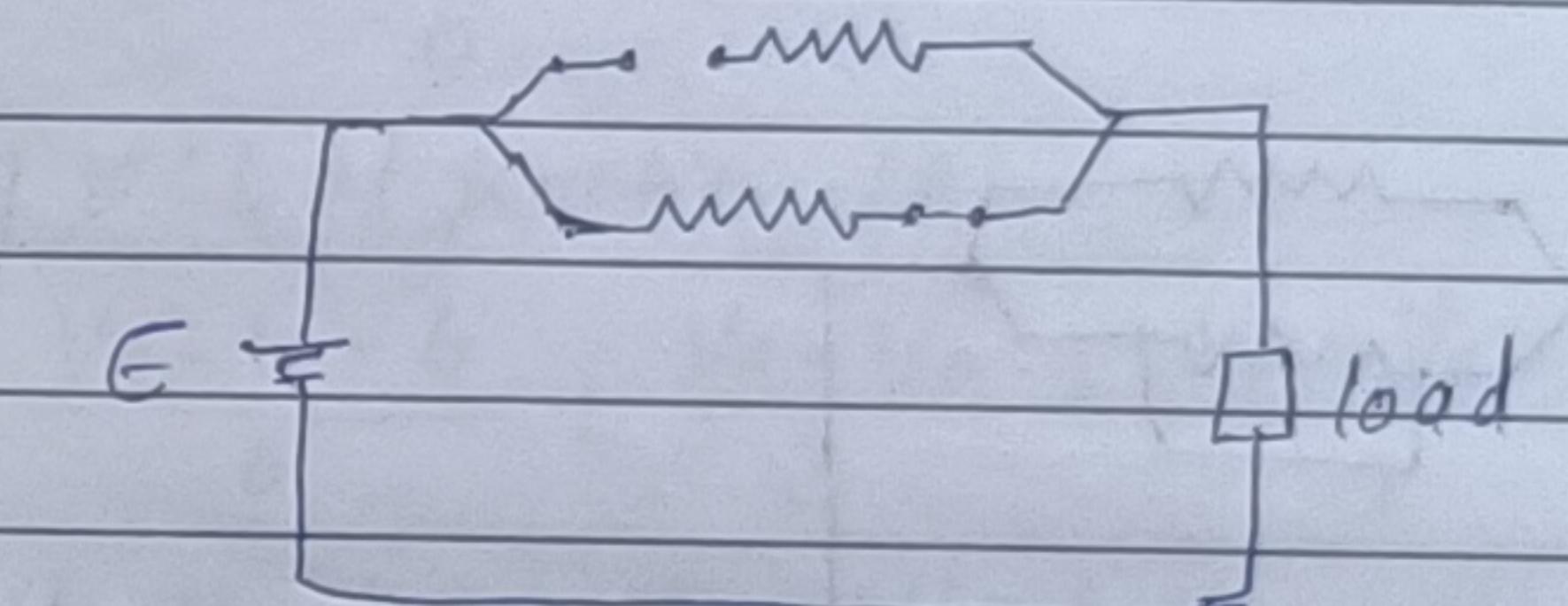


Open circuit

### 3. Explain concept of open circuit in parallel.

Ans:

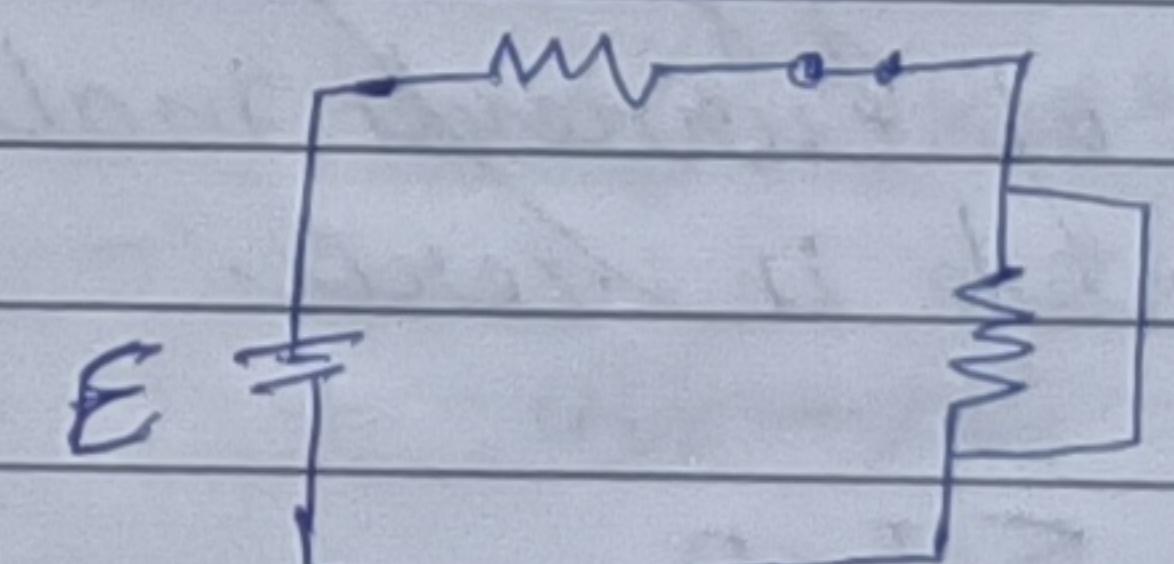
A parallel circuit has more than one path for current to flow. If one of the paths is opened, current will continue to flow as long as a complete path is provided by one or more of the remaining paths.



### 4. Explain concept of short circuit in series.

Ans:

A short in a series circuit causes the current to increase above its normal value. A short circuit means the voltage source gets directly connected to ground giving current a path.

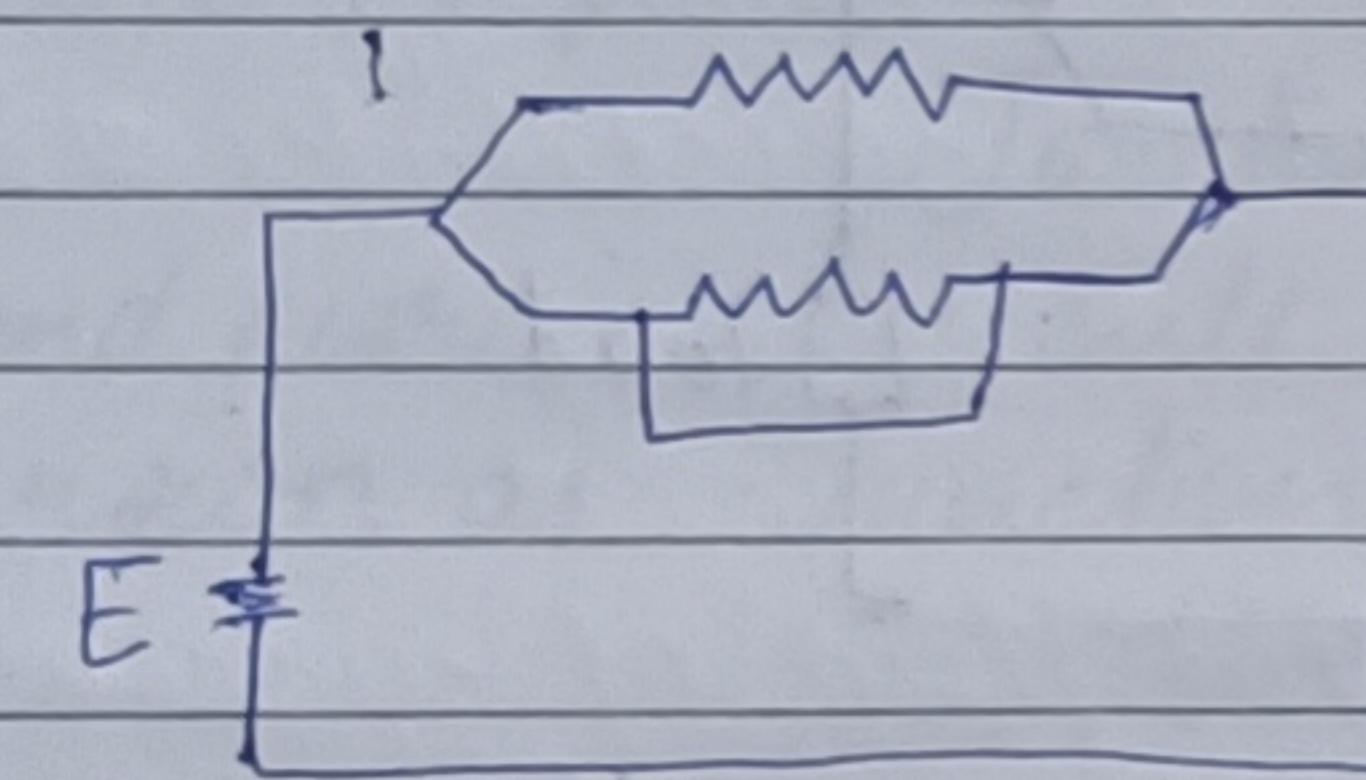


Short circuit in series.

5. Explain concept of short circuit in parallel.

Ans:

As in a series circuit, if a branch in a parallel circuit develops a short extremely high currents may flow through the short circuit. The voltage across all branches of a parallel circuit will be zero with a short circuit.



Since no timer took by former writing

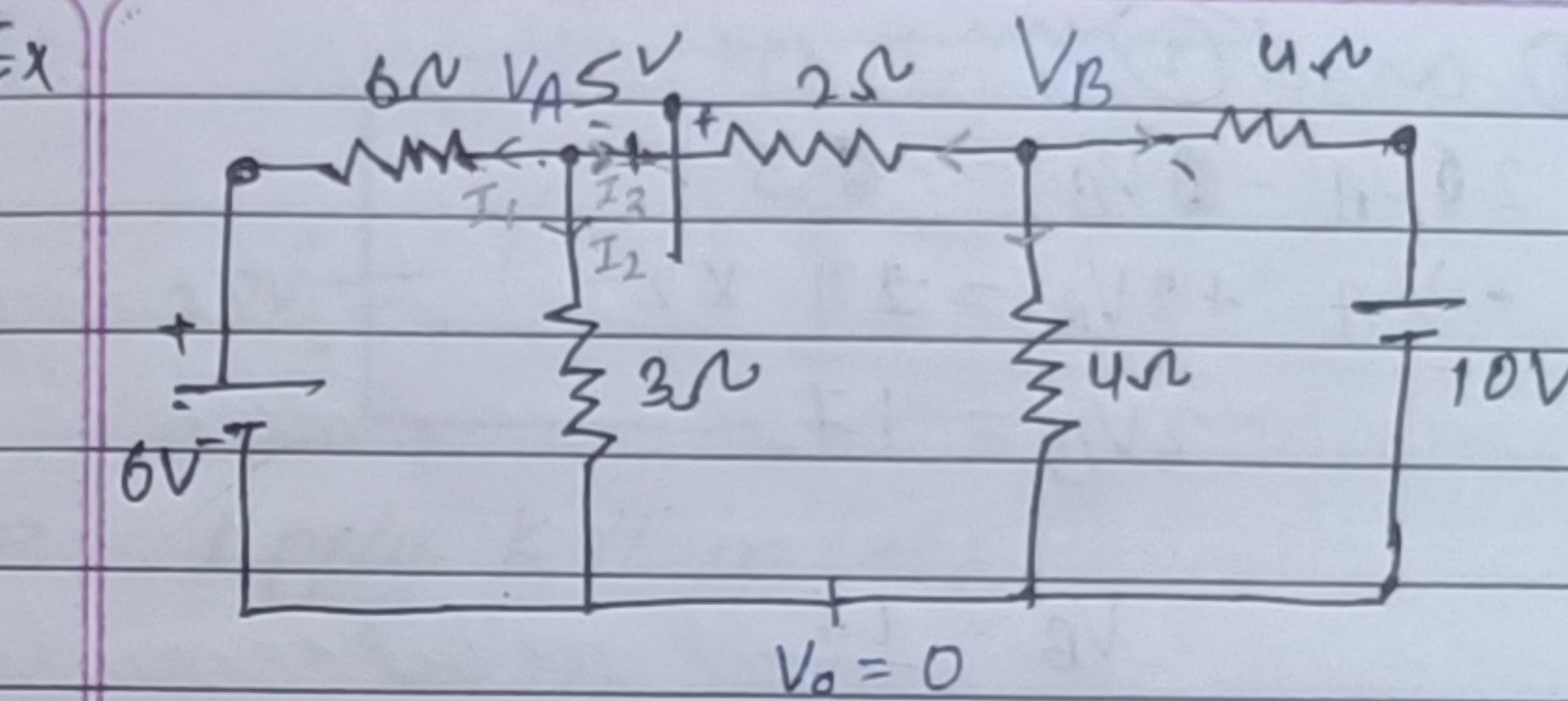
6. Explain Kirchhoff's current law with explanation

Ans:

KCL states that the sum of the current flowing towards a node is equal to the sum of current flowing away from that node, the algebraic sum of currents in all the branches meeting at a node is zero.

$$\sum I = 0$$

Ex



Find the current in  
3 ohm resistor using  
KCL

$$I_1 = \frac{V_A - V_o - 6}{6}$$

Applying KCL at junction (A)

$$\frac{V_A - V_o - 6}{6} + \frac{V_A - V_o}{3} + \frac{V_A - V_B + 5}{2} = 0$$

$$\frac{V_A - V_o - 6 + 2V_A - 2V_o + 3V_A - 3V_B + 15}{6} = 0$$

$$6V_A - 3V_B = -9 \quad \textcircled{1}$$

Applying KCL at junction (B)

$$\frac{V_B - V_A - 5}{2} + \frac{V_B - V_o}{4} + \frac{V_B - V_o - 10}{4} = 0$$

$$\frac{2V_B - 2V_A - 10 + 2V_B - 2V_o + V_B - V_o - 10}{4} = 0$$

$$4V_B - 2V_A = 20$$

$$-V_A + 2V_B = 10 \quad \textcircled{2}$$

From eqn ① and ②

$$20V_A - 3V_B = -3$$

$$-V_A + 2V_B = 20 \times 2$$

$$3V_B = 17$$

$$V_B = \frac{17}{3}$$

$$V_B = 5.66 \text{ V}$$

$$V_A = 1.33 \text{ V}$$

Current through  $3\Omega R$

$$I_{(3\Omega)} = \frac{V_A - V_B}{3} = \frac{1.333}{3} = 0.444 \text{ Amp}$$

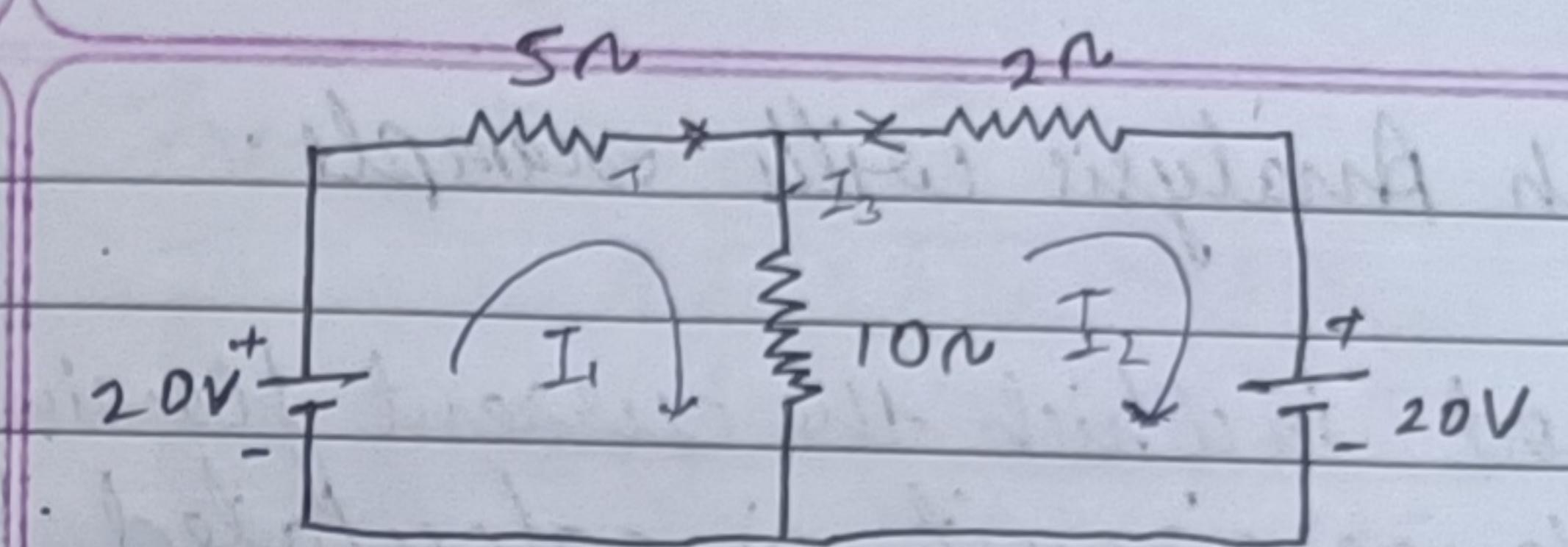
7. Explain Kirchhoff's voltage law with explanation.

Ans:

KVL is state that the algebraic sum of all the potential difference in a close loop is equal to zero.

$$\sum V = 0$$

Ex.



⇒ Apply KVL in Loop ①

$$-20 + 5I_1 + 10(I_1 - I_2) = 0$$

$$-20 + 5I_1 + 10I_1 - 10I_2 = 0$$

$$15I_1 - 10I_2 = 20 \quad \text{---} ①$$

Apply KVL in Loop ②

$$20 + 2(I_2) + 10(I_2 - I_1) = 0$$

$$20 + 2I_2 + 10I_2 - 10I_1 = 0$$

$$-10I_1 + 12I_2 = -20 \quad \text{---} ②$$

$$15I_1 - 10I_2 = 20 \times 2$$

~~$$-10I_1 + 12I_2 = -20 \times 3$$~~

~~$$16I_2 = -20$$~~

$$I_2 = -1.25 \text{ A}$$

$$I_1 = 0.5 \text{ A}$$

$$I_3 = I_1 - I_2$$

$$= 0.5 + 1.25$$

$$= 1.75 \text{ A}$$

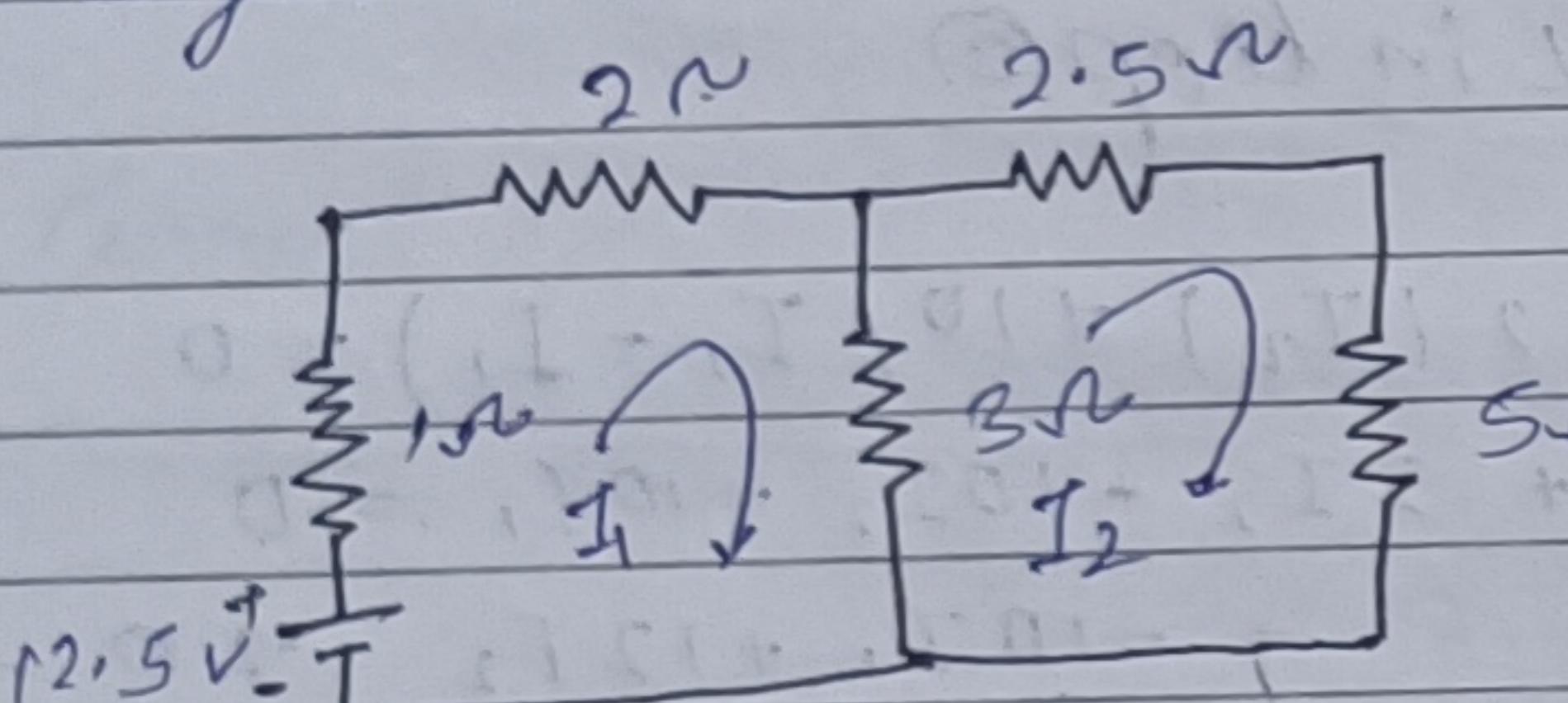
8. Explain Mesh Analysis with example.

Ans:

The method in which the current flowing through a planar circuit is calculated.

A planar circuit is defined as the circuits that are drawn on the plane surface in which there are no wires crossing each other. Therefore, a mesh analysis can also be known as loop analysis or mesh-current method.

Ex.



Apply KVL to mesh (loop) ①

$$12.5 - I_1 - 2I_1 - 3I_1 + 3I_2 = 0$$

$$12.5 - 6I_1 + 3I_2 = 0$$

$$-6I_1 + 3I_2 = 12.5 \quad \text{---} ①$$

Apply KVL to mesh loop ②

$$-3I_2 + 3I_1 - 2.5I_2 - 5I_2 = 0$$

$$3I_1 - 10.5I_2 = 0 \quad \text{---} ②$$

From eqn ① and ②

$$6I_1 - 3I_2 = 12.5$$

$$-3I_1 + 10.5I_2 = 0 \times 2$$

$$18I_2 = 12.5$$

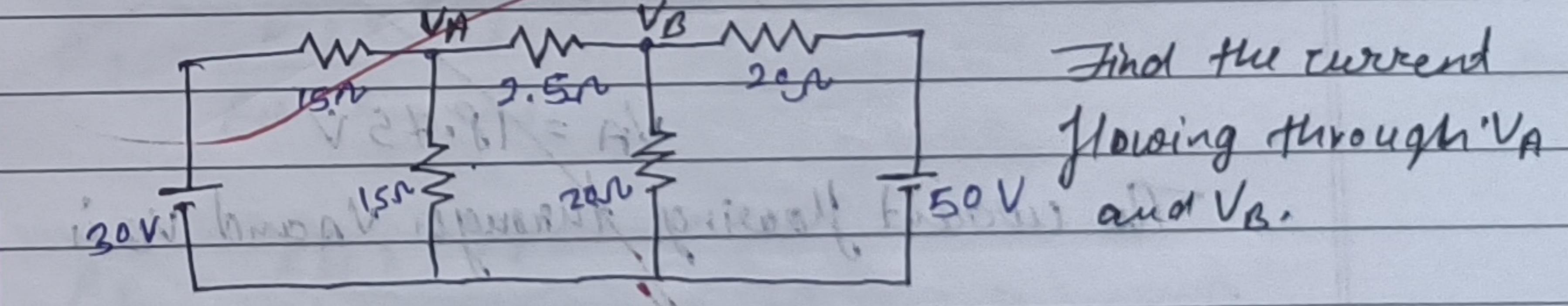
$$I_2 = 0.69 \text{ A}$$

$$I_1 = 2.03 \text{ A}$$

9. Explain concept Nodal Analysis with example.

Ans: It is defined as the mathematical method for calculating the voltage distribution b/w the circuit nodes. The common point where two or more elements are connected. The nodal analysis is based on Kirchhoff's current law (KCL) unlike Maxwell's mesh analysis which is based on Kirchhoff's voltage law.

Ex.



Find the current flowing through  $V_A$  and  $V_B$ .

Apply KCL to  $V_A$

$$\frac{V_A - 30}{15} + \frac{V_A}{15} + \frac{V_A - V_B}{2} = 0$$

$$\frac{V_A - 30 + V_A + 6V_A - 6V_B}{15} = 0$$

$$V_A - 30 + V_B + 6V_A - 6V_B = 0$$

$$8V_A - 6V_B = 30 - 0$$

Apply KCL in  $V_B$

$$\frac{V_B - A_B}{2.5} + \frac{V_B - 50}{20} + \frac{V_B}{20} = 0$$

$$8V_B - 8V_A + V_B - 50 + V_B = 0$$

$$8V_B - 8V_A + V_B - 50 + V_B = 0$$

From eqn ① and ②

$$8V_A - 6V_B = 30$$

$$8V_A + 10V_B = 50$$

$$4V_B = 80$$

$$V_B = 20 \text{ V}$$

$$V_A = 18.75 \text{ V}$$

The current flowing through  $V_A$  and  $V_B$  is

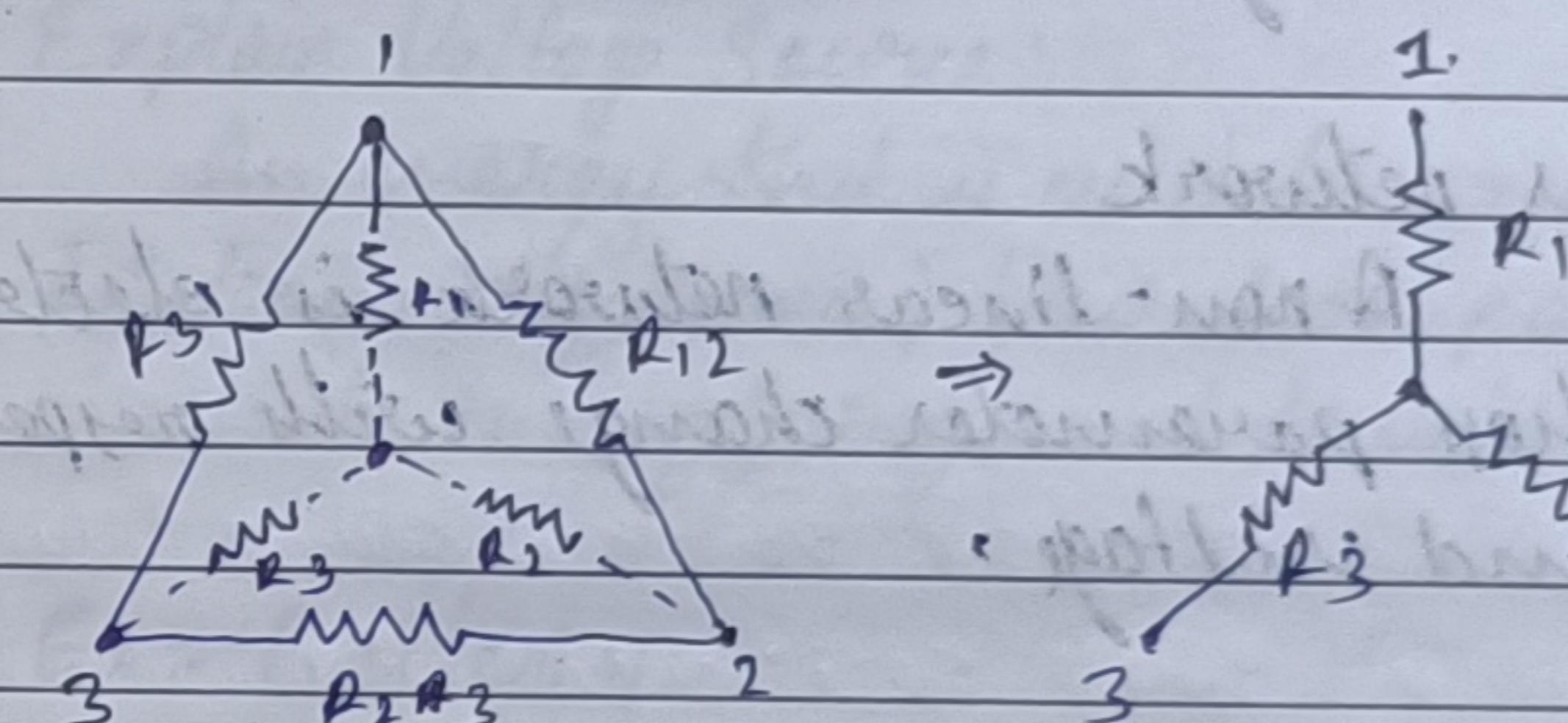
$$\frac{V_A - V_B}{2.5} = \frac{18.75 - 20}{2.5} = -0.5 \text{ A}$$

10.

Explain the delta to star transformation.

Sol:

To convert a delta network to an equivalent star network we need to derive a transformation formula for equating the various resistors to each other b/w the various terminals. Consider the circuit below



$$R_1 = \frac{R_{12} \times R_{31}}{R_{12} + R_{23} + R_{31}}$$

$$R_2 = \frac{R_{12} \times R_{23}}{R_{12} + R_{23} + R_{31}}$$

$$R_3 = \frac{R_{31} \times R_{23}}{R_{12} + R_{23} + R_{31}}$$

11. Define the following terms with notes

a. linear network

A linear network that has constant parameters such as resistance, Inductors and capacitors. These parameters do not change with change in voltage or current.

b. non-linear network

A non-linear network is electric circuit whose parameter change with respect to current and voltage.

c. Active network

The element which supplies energy to the circuit or network is known as active network. The example of active network are voltage source or current source.

d. Passive network

The element which receive energy from the circuit is known as passive network.

The example of Passive network are resistor, inductance, capacitor.

12. Explain current source.

Ans: The energy source that delivers a specified electric current to the circuit is referred to as a current source.

Ex:- constant speed motor driving a water pump.

13. Explain Voltage Source.

Ans: An energy that is used to create a voltage (Potential difference) b/w two points in an electric circuit is often referred to as a voltage circuit.

Ex:- Batteries

14. Write the statement of superposition theorem.

Ans: Superposition theorem states that in any linear, active (~~bilateral~~) network with component is the sum of the responses obtained from each source considered separately and their internal resistance is replaced by all other sources.

15. e Bilateral Network

Bilateral network is one in which the relation between current and voltage do not change in either direction in the network.

15. Write the statement of Norton's theorem.

Ans: In any linear active bilateral network consisting of some voltage source or current source and some resistance can be replaced by some current source ( $I_N$ ) in parallel with Norton resistance and in parallel with load resistance ( $R_N$ ).

16. Write the statement of Thevenin's theorem.

Ans: In any linear active bilateral network consisting of some voltage source or current source can be replaced by a single voltage source ( $V_{TH}$ ) and in series with single resistance ( $R_{TH}$ ).

17. Write the limitation of superposition theorem.

Ans: Superposition theorem is used to analyze the network where two or more sources exist.

It cannot be used to measure powers.

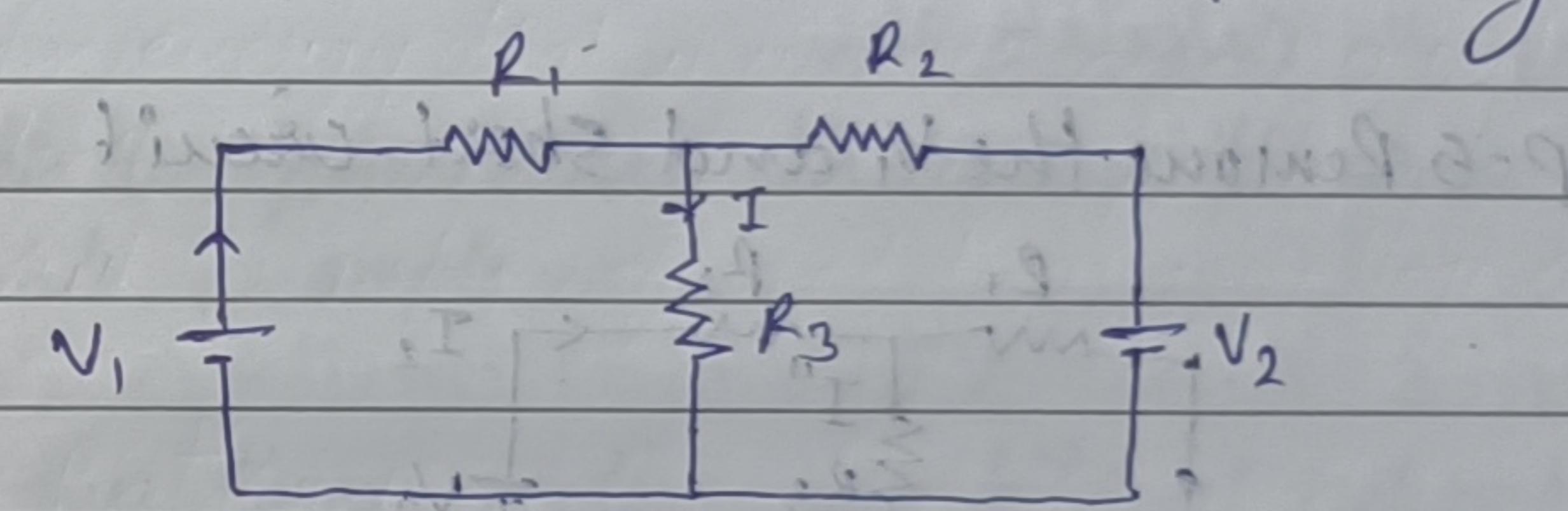
If it is not applicable to unbalanced bridge circuits.

• in the unbalance in one is short circuit load will be in open circuit has been measured.

18. Explain the procedure superposition theorem with suitable example.

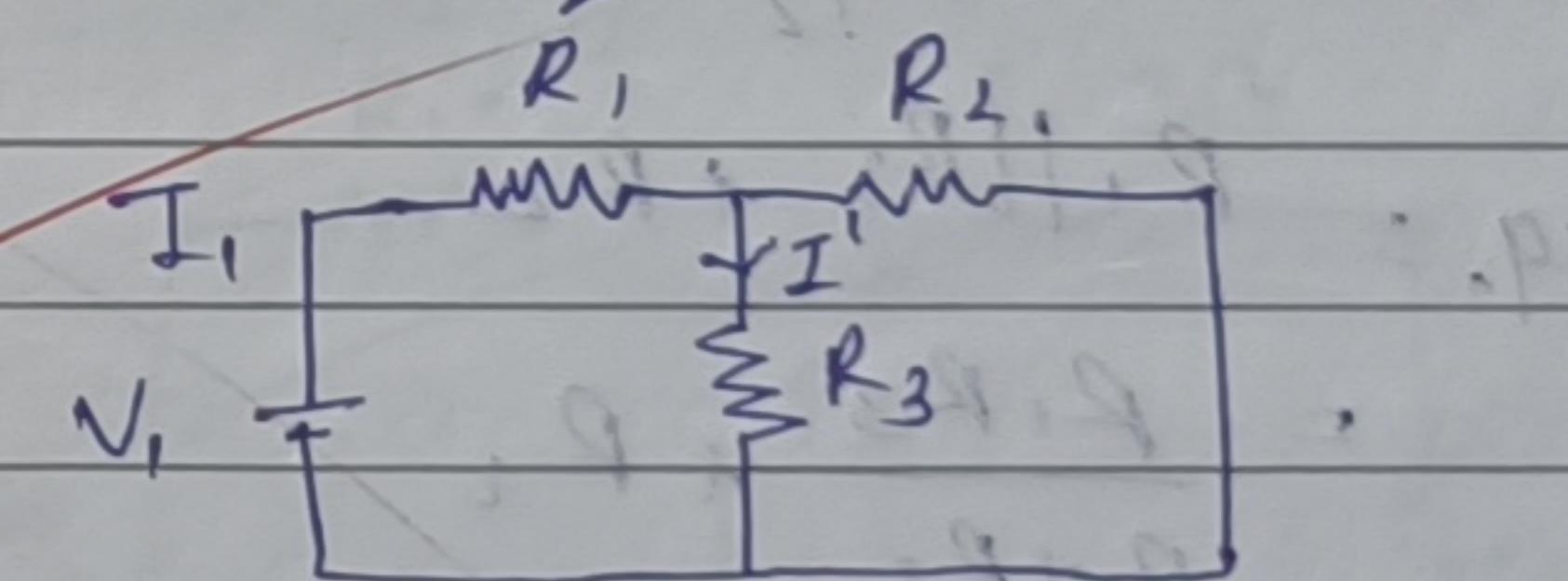
Ans:

The superposition theorem is used to analyze electrical circuits with multiple power sources. The theorem states that the response across any elements in the circuit is the sum of the responses obtained from each source considered separately.



Voltage source = Short

Step-1 Remove  $V_2$  and short circuit



Step-2 Calculate Req.

$$Req. = R_2 // R_3 + R_1$$

$$= \frac{R_2 R_3}{R_2 + R_3} + R_1$$

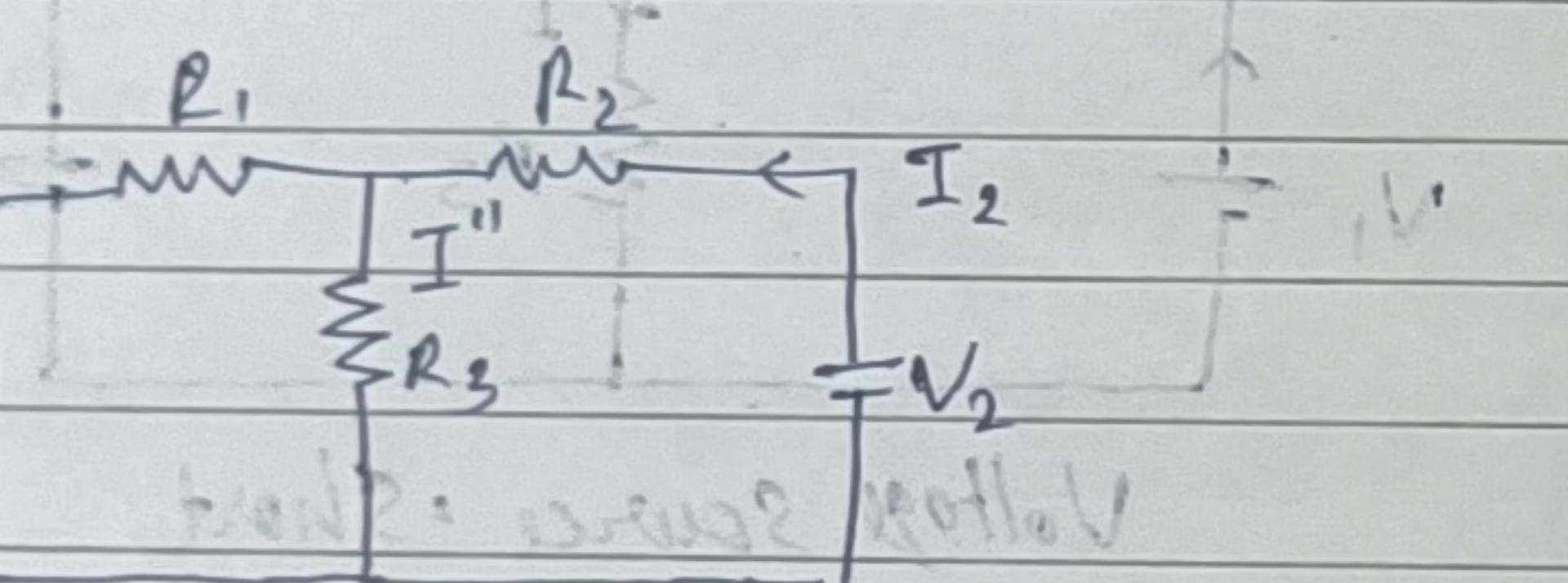
Step - 3 Calculate  $I_1$  (assuming all resistors are  $\infty$ )

$$I_1 = \frac{V_1}{R_{eq_1}}$$

Initial explanation of how to calculate resistive network  
normally  $I_1 = \frac{V_1}{R_{eq_1}}$

Step - 4 Calculate  $I'$  (assuming  $R_2$  &  $R_3$  are in parallel)  
with the help of KCL & KVL  
 $I' = I_1 R_2 / (R_2 + R_3)$   
it is current at  
junction between  $R_2$  &  $R_3$

Step - 5 Remove the  $V_1$  and short circuit



Step - 6 Calculate  $R_{eq_2}$

$$R_{eq_2} = \frac{R_1 R_3 + R_2}{R_1 + R_3}$$

Step - 7 Calculate  $I_2$

$$I_2 = \frac{V_2}{R_{eq_2}}$$

Step - 8 Calculate  $I''$  (assuming  $R_1$  &  $R_3$  are in parallel)

$$I'' = \frac{I_2 \times R_1}{R_1 + R_3}$$

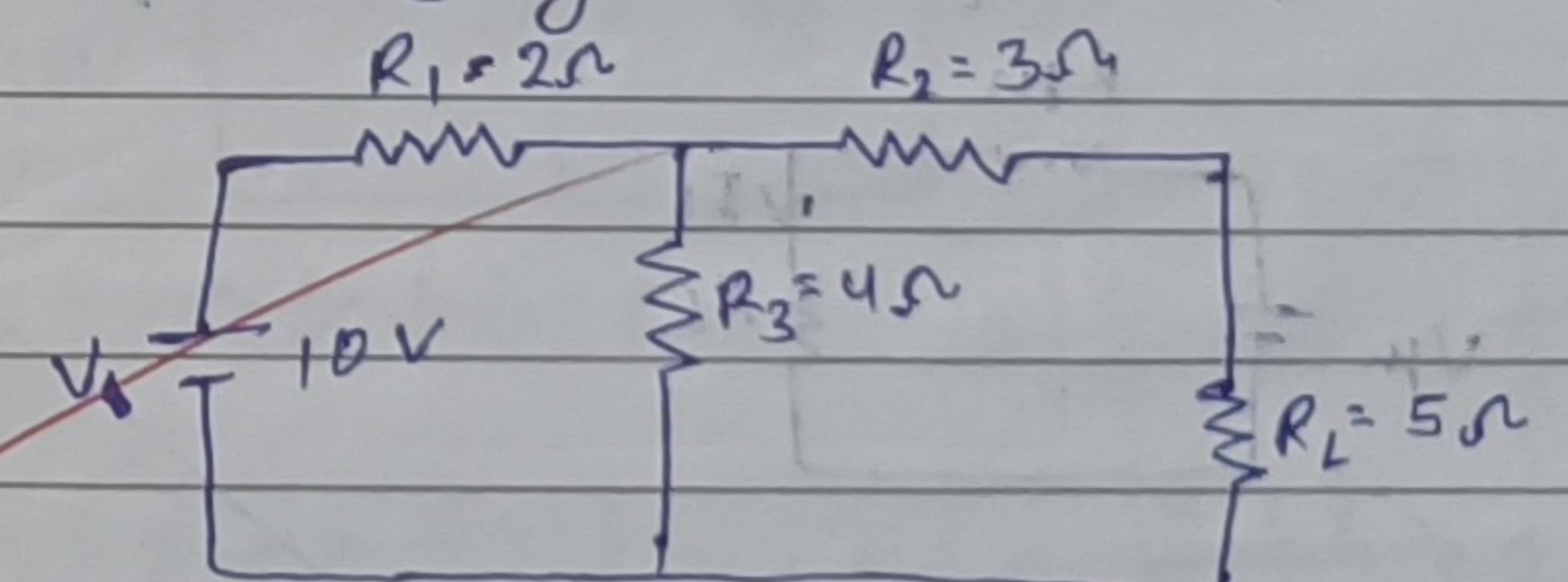
Step - 9 Total current

$$I = I' + I''$$

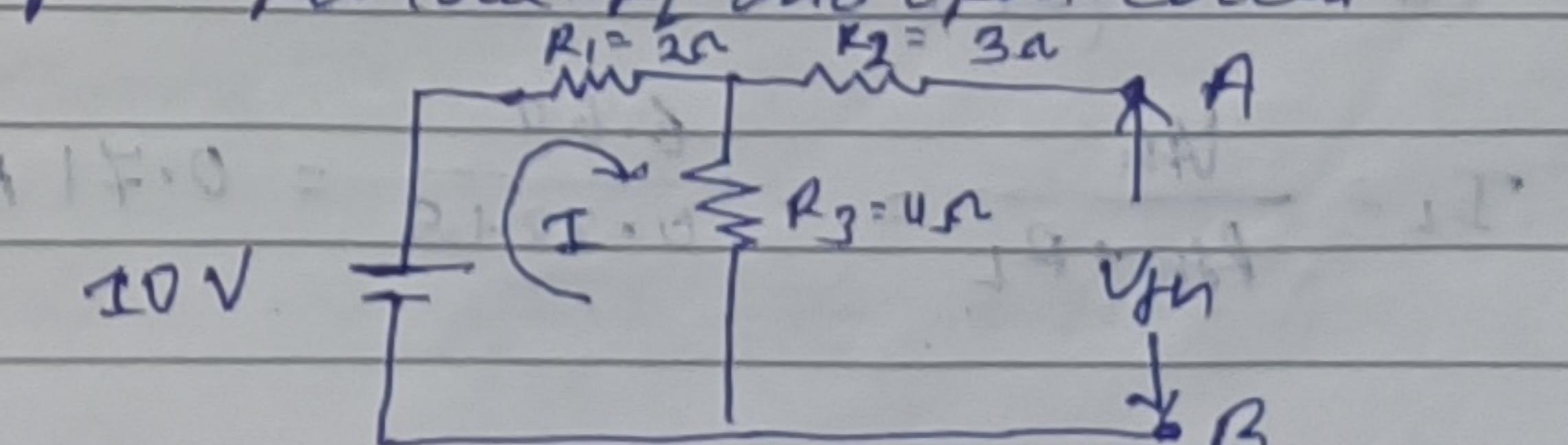
19. Explain the procedure theroenin's theorem with suitable example.

Soln:

In any linear active ~~key~~ bilateral network consisting some voltage source or current source can be replaced by a single voltage source ( $V_{th}$ ) and in series with a single resistance ( $R_{th}$ ).



Step - 1 Remove  $L_1$  and open circuit



Step - 2 Calculate  $R_{eq}$  (8.9.12)

$$R_{eq} = R_1 + R_3 = 2 + 4 = 6 \Omega$$

Step - 3 Calculate  $I$

$$I = \frac{V}{R_{eq}} = \frac{10}{6} = 1.666 A \quad (8.9.12)$$

$$I_1 + I_2 = I$$

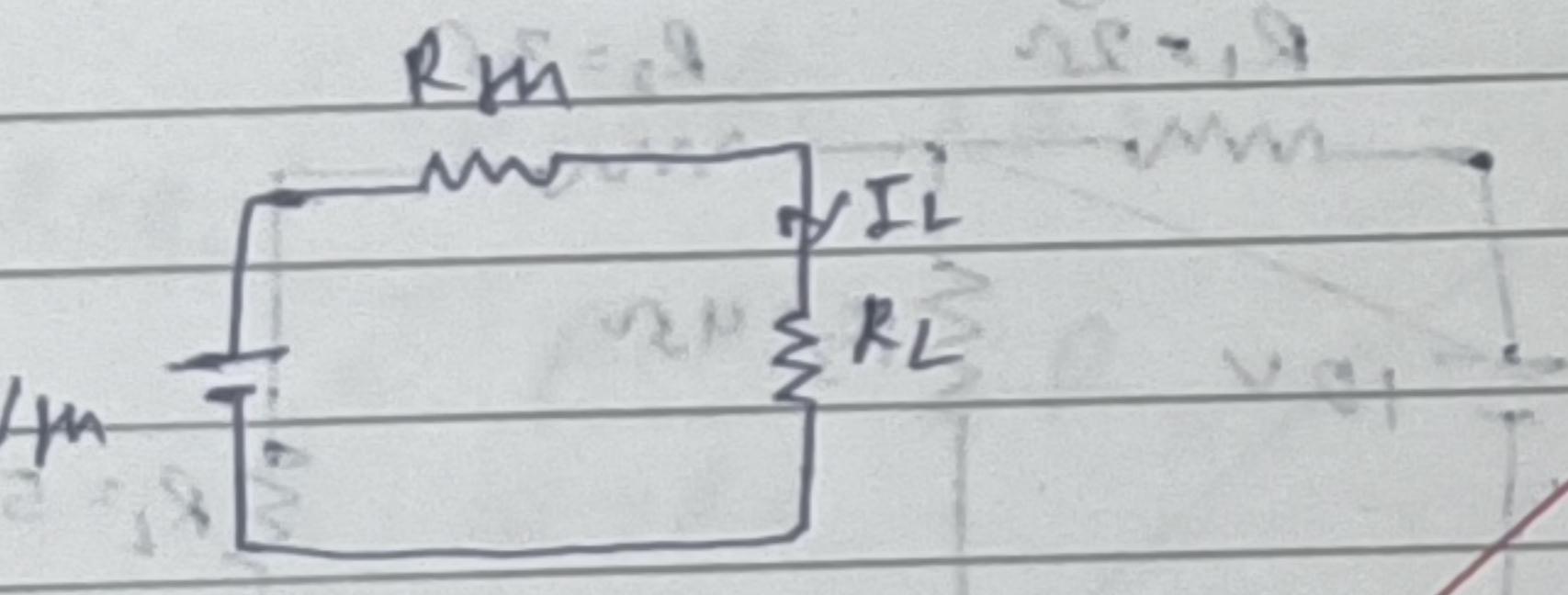
Step - 4 Calculate  $V_m$

$$V_m = I \times R_3 = 1.666 \times 4 = 6.64 V$$

Step - 5 Remove  $V$  and short circuit & calculate  $R_m$

$$R_m = \frac{R_1 R_3}{R_1 + R_3} + R_2 = \frac{2 \times 4}{2 + 4} + 3 = 4.33 \Omega$$

Step - 6 Draw Equivalent circuit



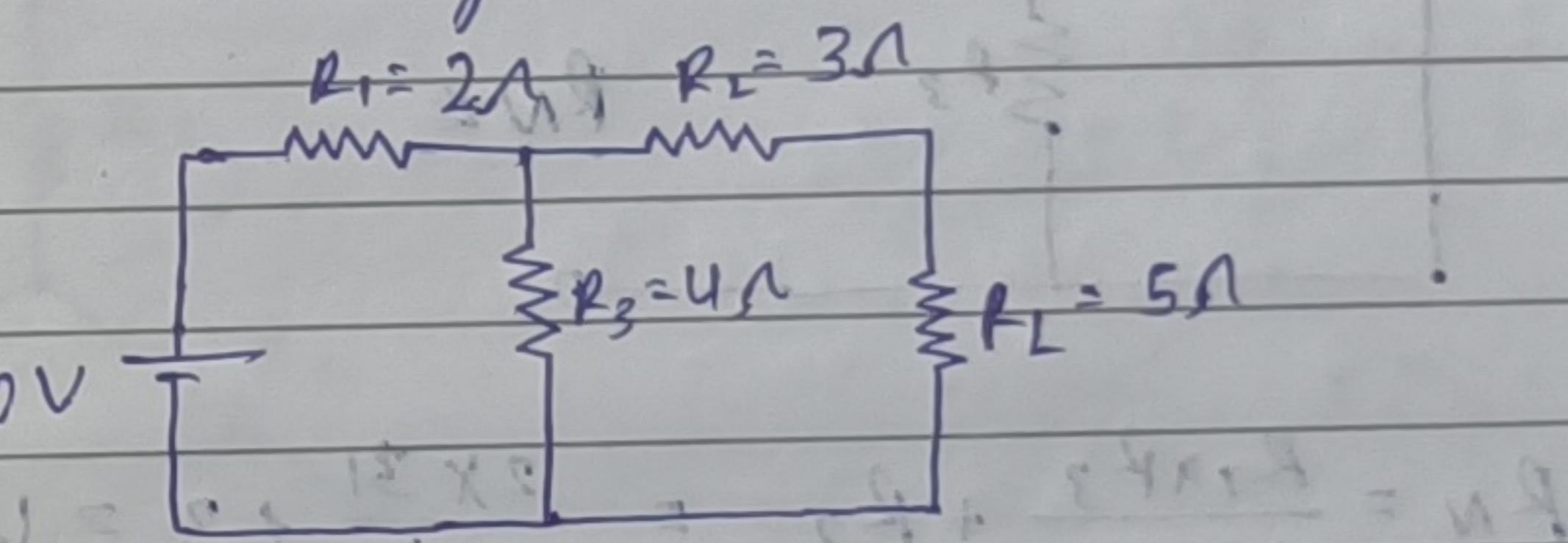
Step - 7 Calculate  $(I_L)$  load current

$$I_L = \frac{V_m}{R_m + R_L} = \frac{6.64}{4.33 + 5} = 0.71 A$$

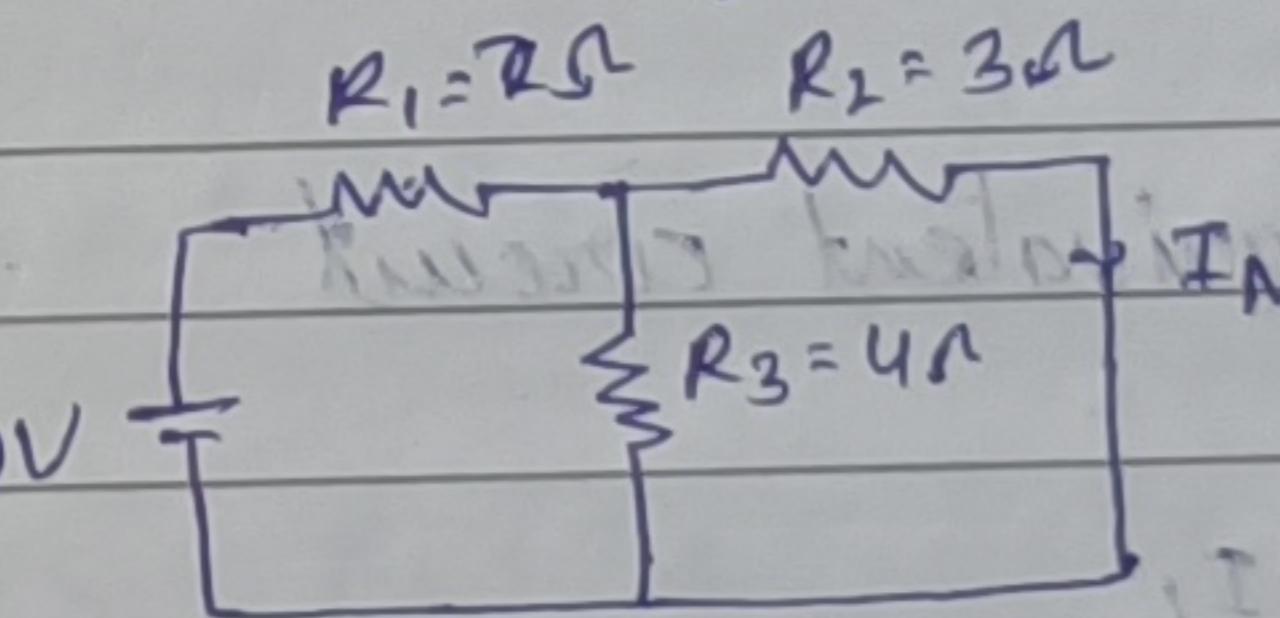
10. Explain the procedure Norton's theorem with suitable example.

~~Ans~~ Norton's theorem states that any linear circuit can be replaced by a single current source in parallel with a single resistance.

The procedure for solving a circuit using Norton's theorem is as follows:



Step - 1 Remove  $R_L$  and short circuit



Step - 2 calculate  $R_{eq}$

$$R_{eq} = \frac{R_2 \times R_3}{R_2 + R_3} + R_1 = \frac{3 \times 4}{3 + 4} + 2 = 3.71 \Omega$$

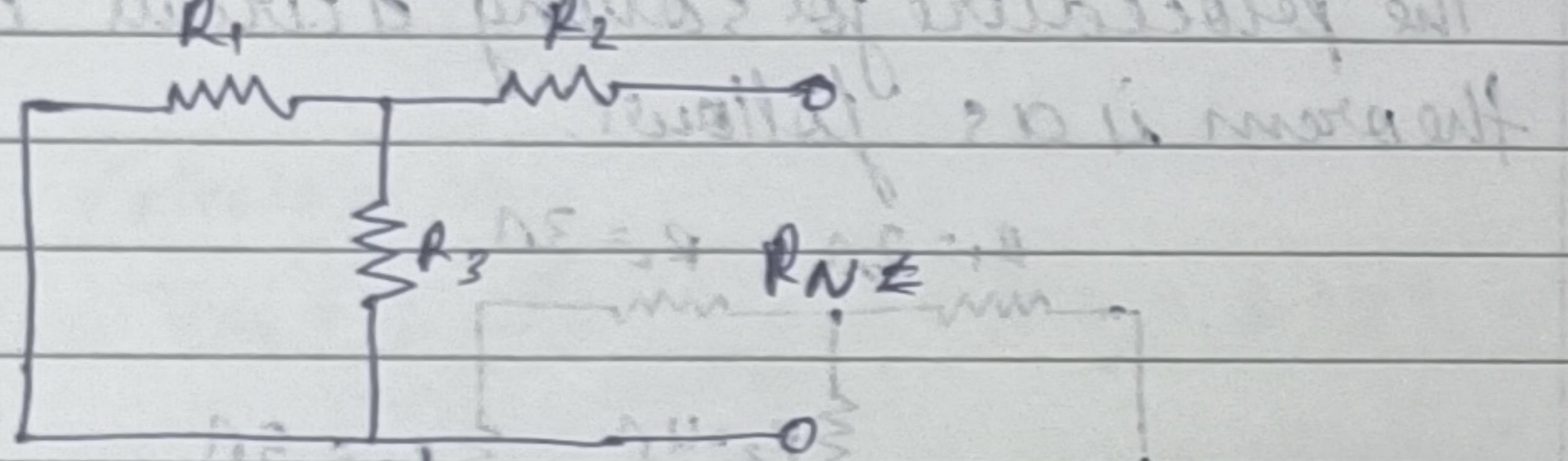
Step - 3 calculate  $I$

$$I = \frac{V}{R_{eq}} = \frac{10}{3.71} = 2.69 A$$

Step-4 Calculate the Norton's Current ( $I_{N}$ )

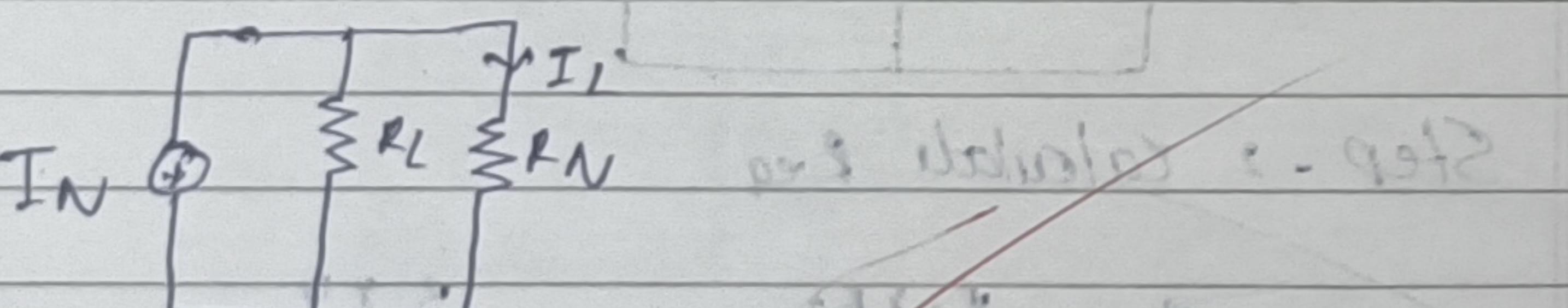
$$I_N = \frac{V_o}{R_1 + R_3} = \frac{2.69 \times 31}{3 + 4} = 1.53 \text{ A}$$

Step-5 Open current source, short circuit and calculate Norton's Resistance ( $R_N$ )



$$R_N = \frac{R_1 \times R_3}{R_1 + R_3} + R_2 = \frac{2 \times 31}{2 + 31} + 3 = 0.33 \Omega$$

Step-6 Draw Equivalent circuit



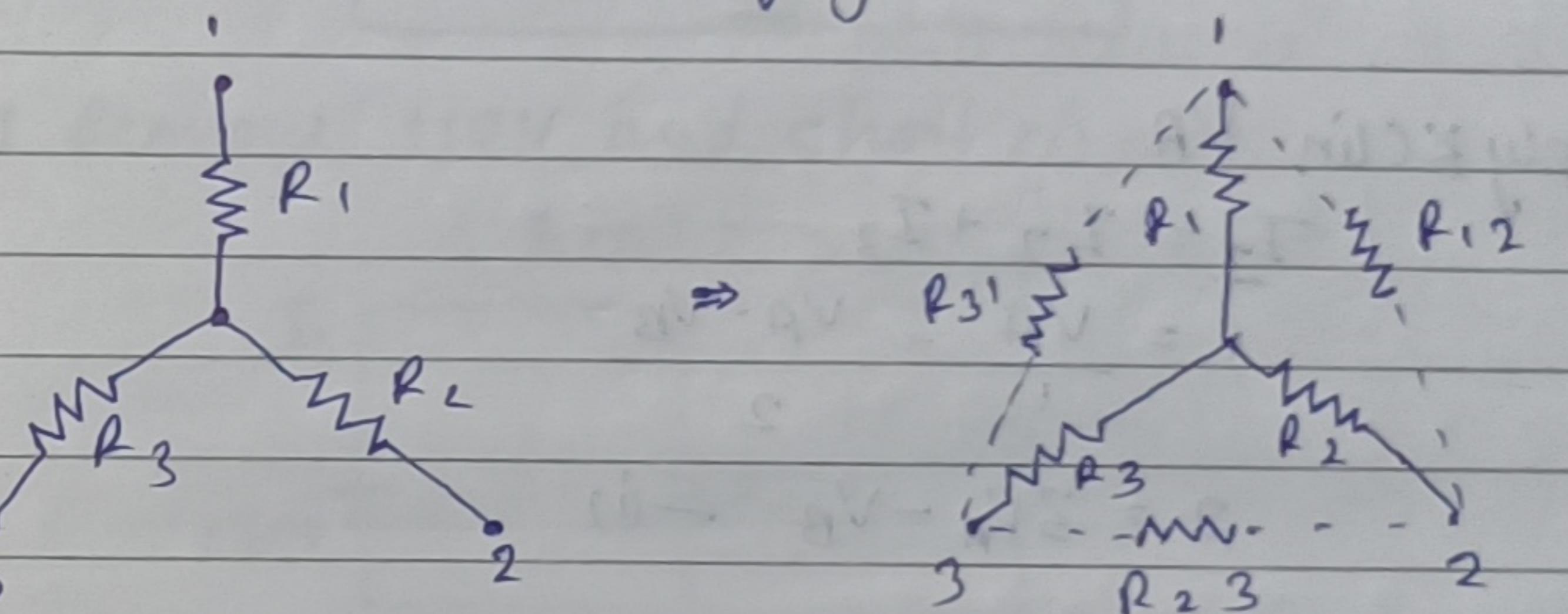
Step-7 Calculate Load Current ( $I_L$ )

$$I_L = \frac{I_N \times R_N}{R_N + R_L} = \frac{1.53 \times 0.33}{0.33 + 5} = 0.71 \text{ Amp.}$$

21. Explain the star to delta transformation.

Ans:

The value of the resistor on any one side of the delta is the sum of all the two-product combinations of resistor in the star network divided by the star resistor located directly opposite the delta resistor being found.

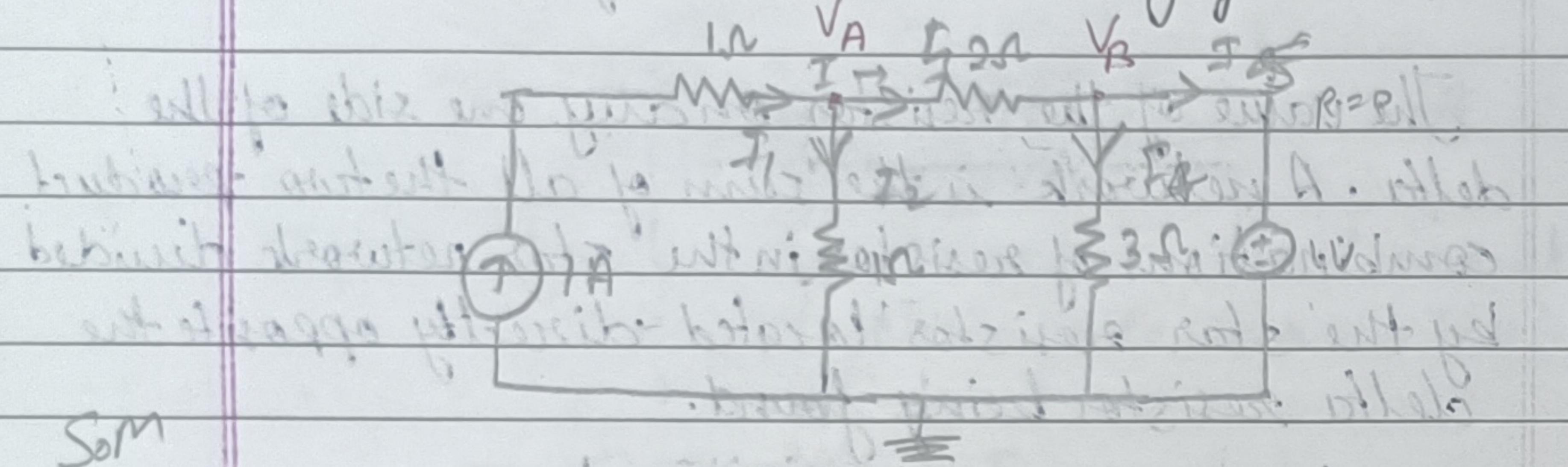


$$R_{12} = R_1 + R_2 + \frac{R_1 R_2}{R_3}$$

$$R_{23} = R_2 + R_3 + \frac{R_2 R_3}{R_1}$$

$$R_{31} = R_3 + R_1 + \frac{R_3 R_1}{R_2}$$

22. Find  $I$  in the circuit shown in figure 1.4.3



Soln

Apply KCL in  $V_A$

$$I_1 = I_2 + I_3 \quad (i)$$

$$I = \frac{V_A}{1} \quad V_A = V_B$$

$$-2 = 3V_A - V_B \quad (ii)$$

Apply KCL in  $V_B$

$$I_3 = I_{in} + I_S$$

$$\frac{V_A - V_B}{1} = \frac{V_B}{3} \rightarrow V_B = 1$$

$$3V_A - 5V_B = 0 \quad (iii)$$

From eqn (i) and (iii)

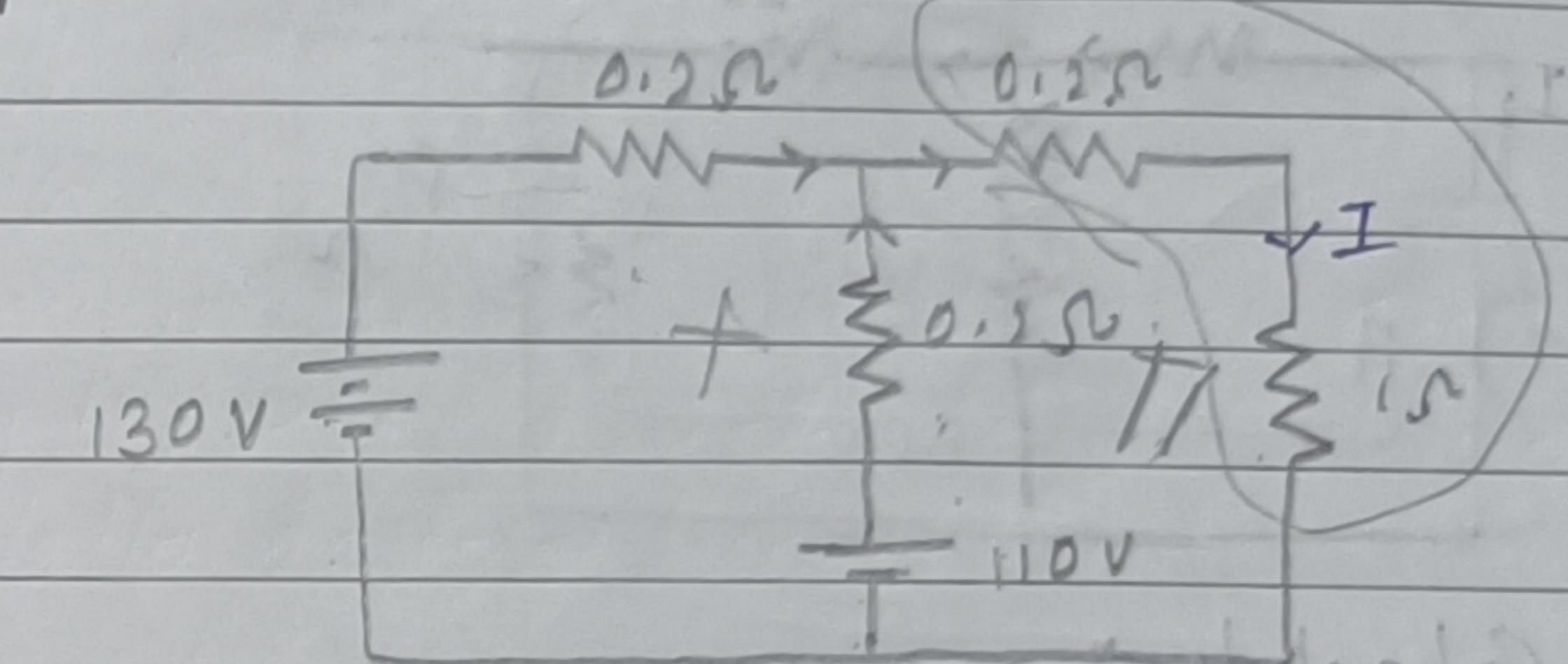
$$V_A = 0.83 \text{ V}; V_B = 0.5 \text{ V}$$

Current flowing in  $I$

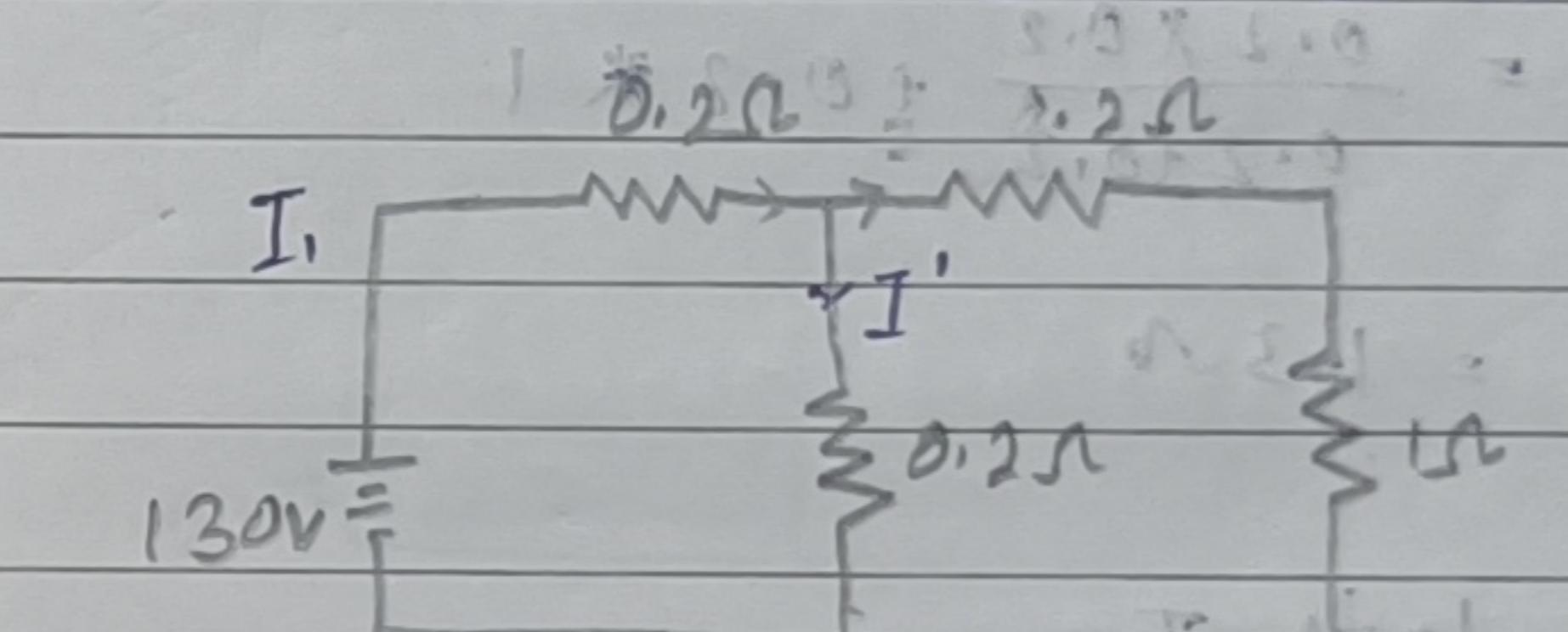
$$I = I_2 = \frac{V_A - V_B}{2} = \frac{0.83 - 0.5}{2} = 0.165 \text{ A}$$

23. Find current flowing through  $1\Omega$  resistor by using superposition theorem.

Soln



Step-1 Remove 110V and short circuit



Step-2 Calculate Req.

$$\text{Req.} = \frac{0.2 \times 0.2}{0.2 + 0.2} + 0.2 + 1$$

$$= 1.3 \Omega$$

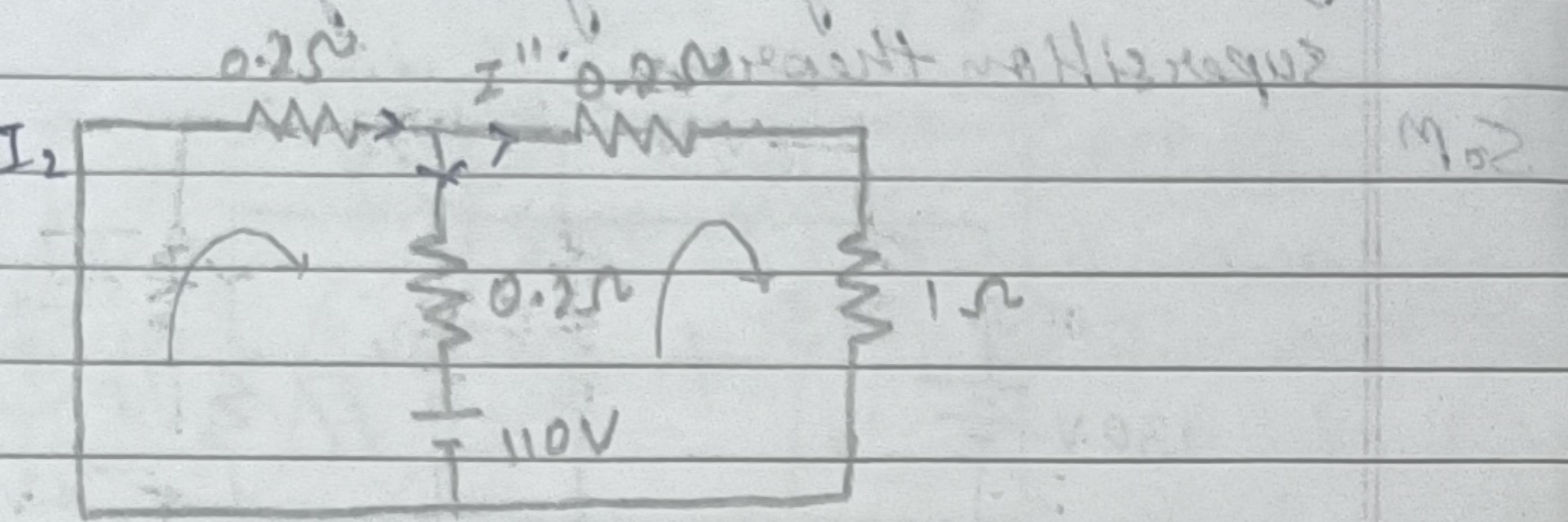
Step-3 calculate  $I_1$

$$I_1 = \frac{V}{\text{Req.}} = \frac{130}{1.3} = 100 \text{ A}$$

Step-4 calculate  $I'$

$$I' = \frac{I_1 \times 0.2}{0.2 + 0.2} = \frac{100 \times 0.2}{0.4} = \frac{20}{0.4} = 50 \text{ A}$$

Prin. Step-5. Removing the 130V and short circuit



Step-6 Calculate  $R_{eq}$

Since it has two volt sources I add them

$$R_{eq} = \frac{0.2 \times 0.2}{0.2 + 0.2} + 0.2 * 1$$

$$= 1.3\Omega$$

Step-7 Calculate  $I_2$

$$I_2 = \frac{V}{R_{eq}} = \frac{110}{1.3} = 84.62$$

Step-8 Calculate  $I''$

$$I'' = \frac{I_2 \times 0.2}{0.2 \times 0.2} = \frac{84.62 \times 0.2}{0.4} = 16.924$$

$$= 16.924$$

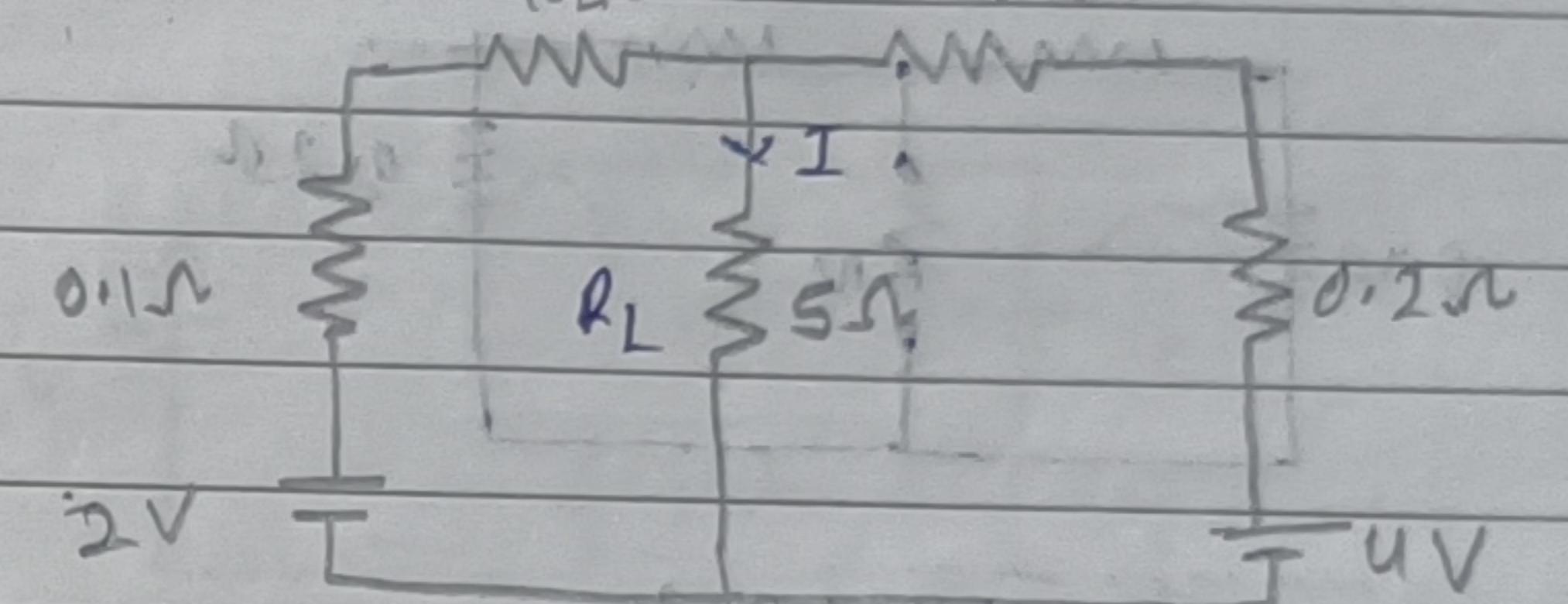
$$I = I_2 + I'' = 101.54$$

$$= 92.31 A$$

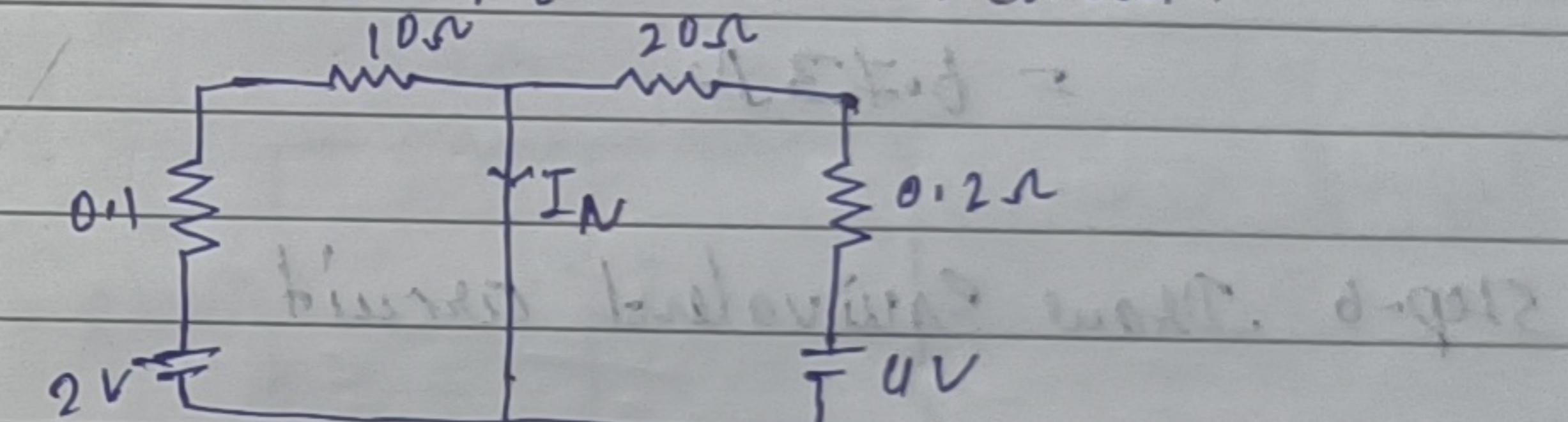
24.8

Find current flowing through  $5\Omega$  using Norton theorem.

SOM



Step-1 Remove  $R_L$  and Short circuit



Step-2 Calculate  $R_{eq}$

$$R_{eq} = 30.3\Omega$$

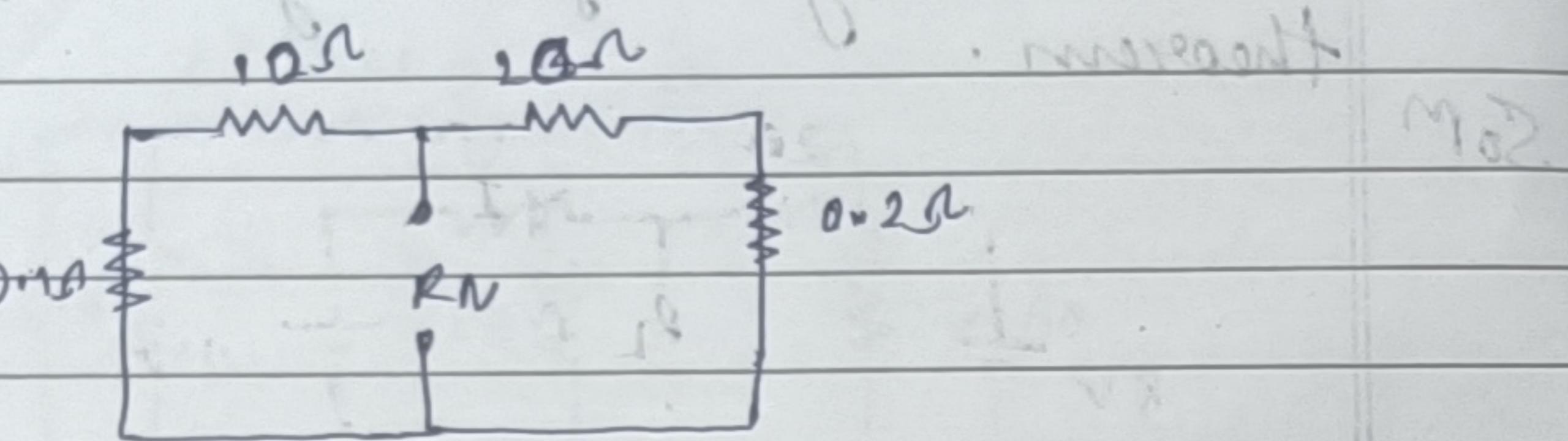
Step-3 Calculate  $I$  (parallel branch)

$$I = \frac{V}{R_{eq}} = \frac{11}{30.3} = \frac{11}{30.3} \times 2 = 0.066 A$$

Step-4 Calculate  $I_N$

$$I_N = \frac{2}{10.1} + \frac{4}{20.2} = 0.396 A$$

Step-5 Calculate  $R_N$  to short source and open R<sub>L</sub>

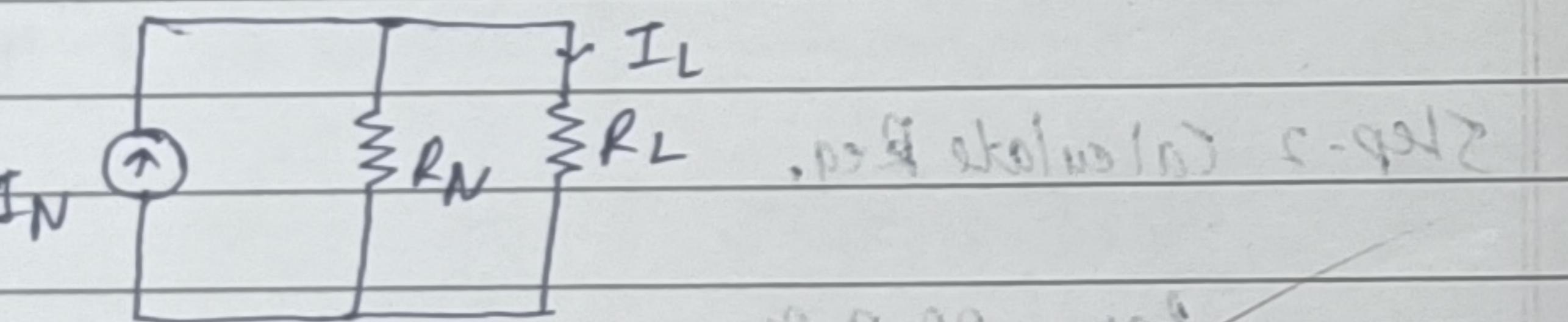


$$R_N = \frac{10 + 1 \times 2}{10 + 1 + 2} \Omega$$

Writing KCL at node 3 we get -

$$= 6.73 \Omega$$

Step-6 Draw Equivalent circuit



Step-7 Calculate load Current (I<sub>L</sub>)

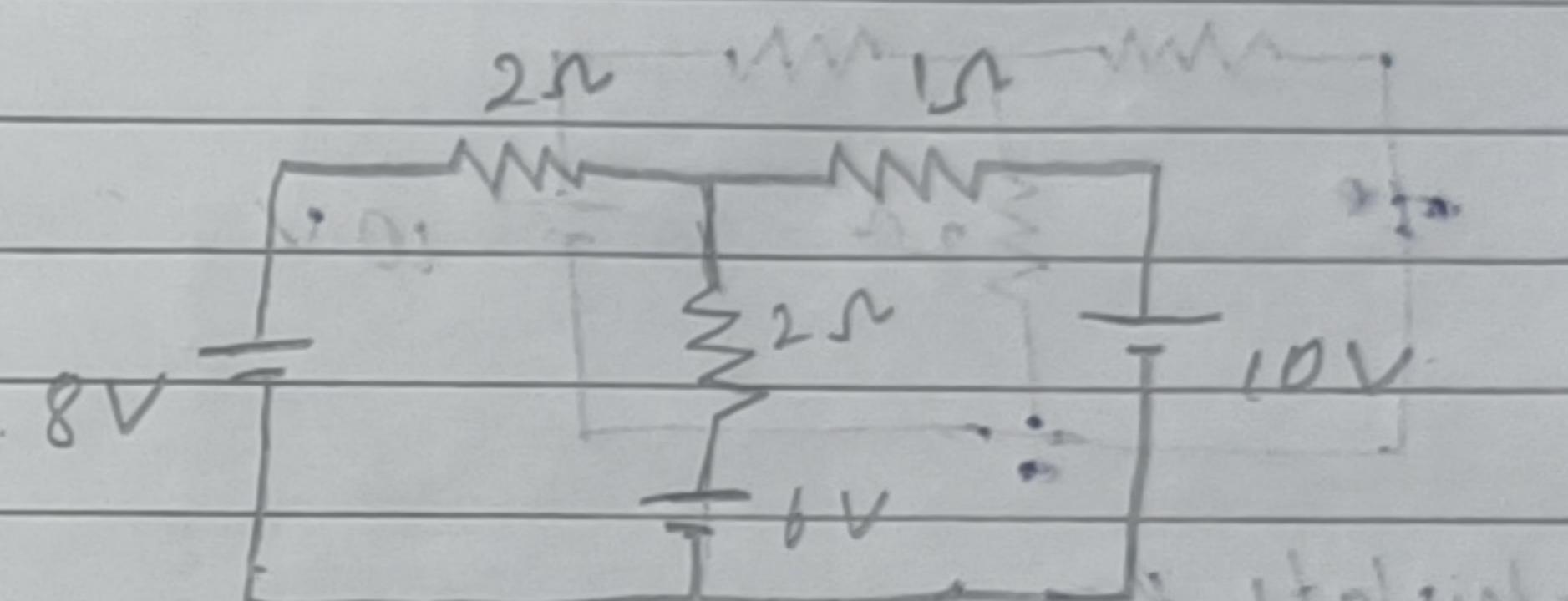
Current flowing through R<sub>L</sub>

$$I_L = \frac{I_N \times R_N}{R_N + R_L} = \frac{0.396 \times 6.73}{6.73 + 1.5}$$

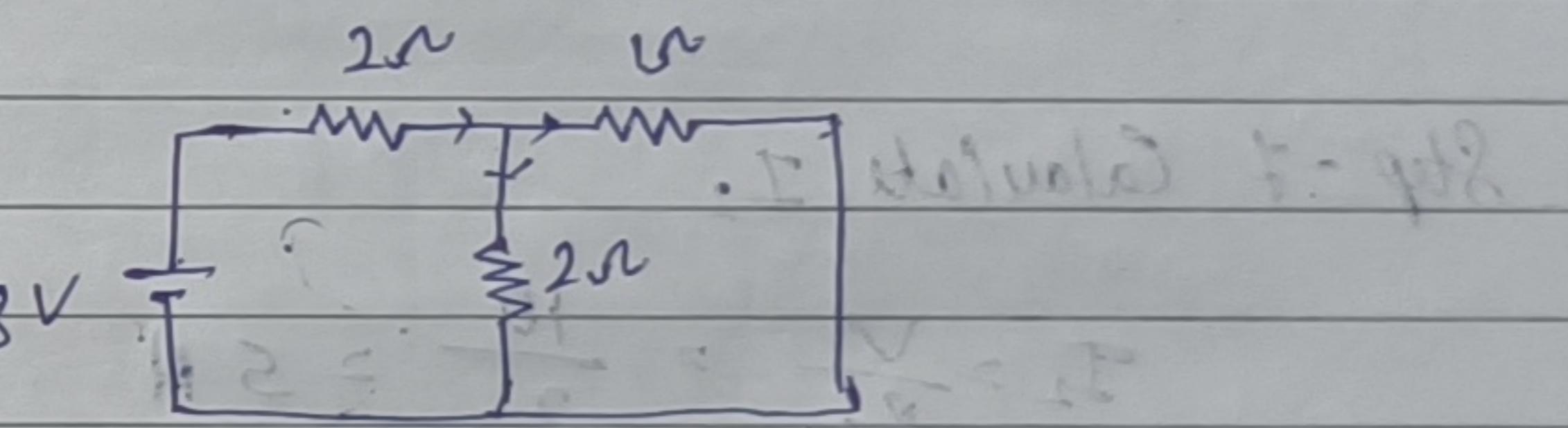
$$I_L = \frac{2.66}{8.23} = 0.321 \text{ A}$$

$$= 0.23 \text{ A}$$

25. Determine current through R<sub>N</sub> register using superposition theorem



Step-1 Remove 8V and 10V and short Circuit



Step-2 Calculate Req.

$$Req = \frac{1 \times 2}{1 + 2} + 2 = 2.66 \Omega$$

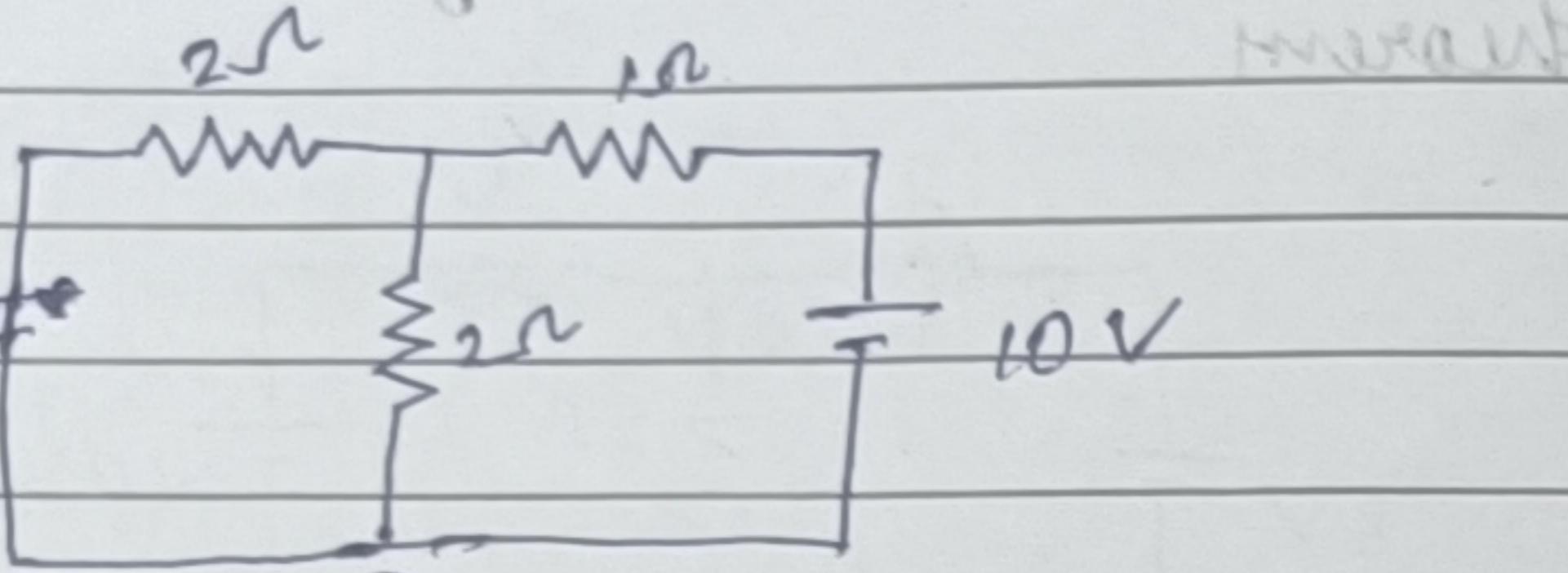
Step-3 Calculate I<sub>1</sub>

~~$$I_1 = \frac{V}{Req} = \frac{8}{2.66} = 2.96 \text{ A}$$~~

Step-4 Calculate I<sub>2</sub>

~~$$I_2 = \frac{I_1 \times 2}{2 + 2} = \frac{3 \times 2}{2 + 2} = 1.5 \text{ A}$$~~

Step-5 Remove 8V and 10V short circuit



Step-6 Calculate  $R_{eq_1}$

$$R_{eq_1} = \frac{2 \times 2}{2+2} = 1 \Omega$$

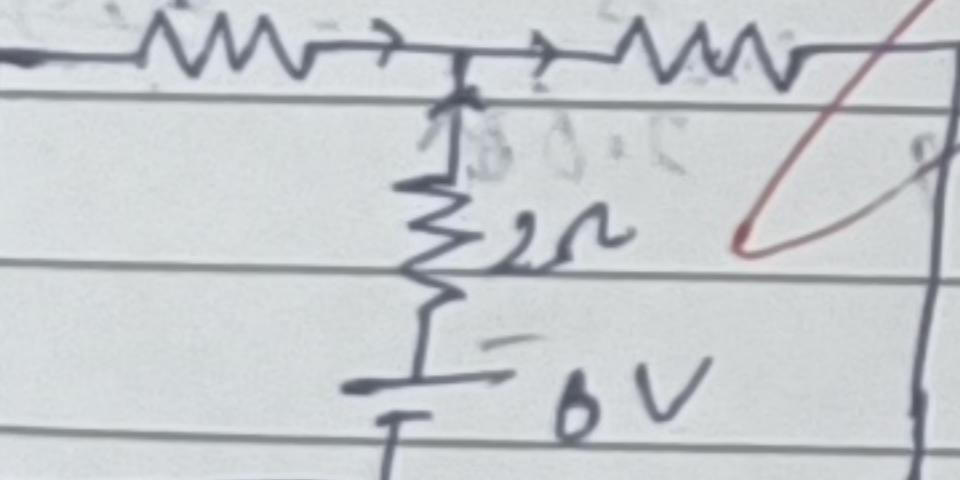
Step-7 Calculate  $I_2$

$$I_2 = \frac{V}{R_{eq_2}} = \frac{10}{2} = 5A$$

Step-8 Calculate  $I''$

$$I'' = \frac{I_2 \times 2}{2+2} = \frac{5 \times 2}{2+2} = \frac{10}{4} = 2.5A$$

Step-9 Remove 8V and 10V short circuit



Step-10 Calculate  $R_{eq_3}$

$$R_{eq_3} = \frac{2 \times 2 + 1}{2+2} = 2\Omega$$

Step-11 Calculate  $I_3$

$$I_3 = \frac{b}{2} = 3A$$

Step-12 Calculate  $I'''$

$$I''' = \frac{I_3 \times 2}{2+1} = \frac{3 \times 2}{2+1} = \frac{6}{3} = 2A$$

Current through 1Ω resistor  $I_{1n}$

$$I_{1n} = I' + I''' - I''$$

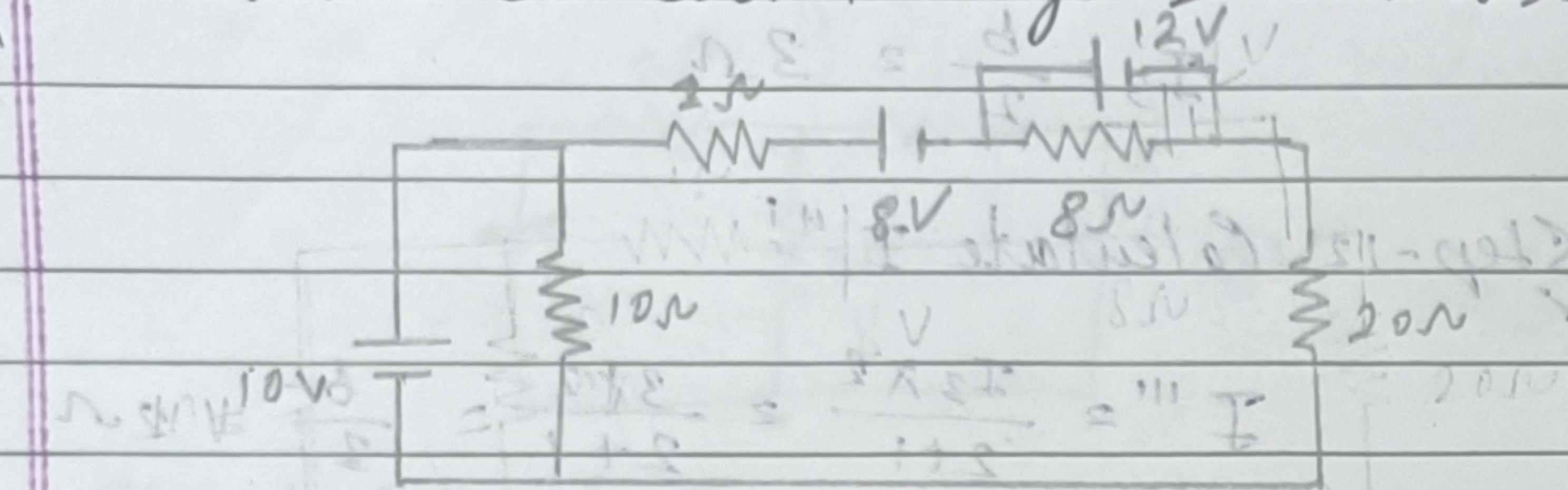
$$= 2 + 2 - 3.33$$

$$= 0.67A$$

$$I_{1n} = 0.67A$$

26. Determine current through  $10\Omega$  resistor.

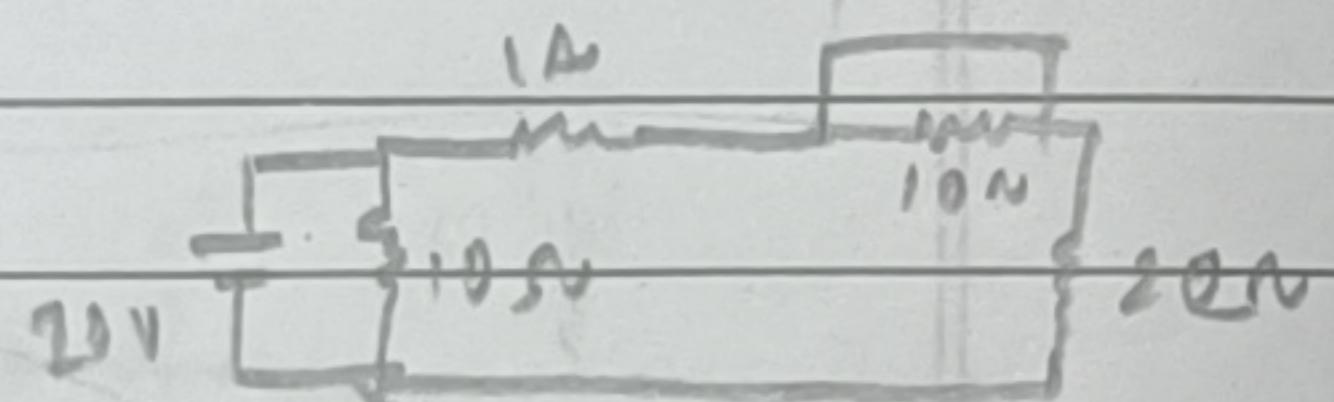
Sol<sup>n</sup>



Sol<sup>n</sup> (i) Remove 12V and 8V and short circuit

$$I = \frac{10}{6.77} = 1.47A ; R_{eq} = 10/1.21 = \frac{10 \times 21}{10 + 21} = 8.67\Omega$$

$$I' = \frac{I \times 21}{21 + 10} = \frac{1.47 \times 21}{31} = 1A$$



(ii) Remove 12V and 10V

$$R_{eq} = 21\Omega$$

$$I'' = \frac{12}{21} = 0.57A$$

$$I''' = \frac{I \times 0}{20 + 0} = 0$$

(iii) Remove 8V and 10V

$$R_{eq} = 6.2\Omega$$

$$I = \frac{20}{6.2} = 3.22A$$

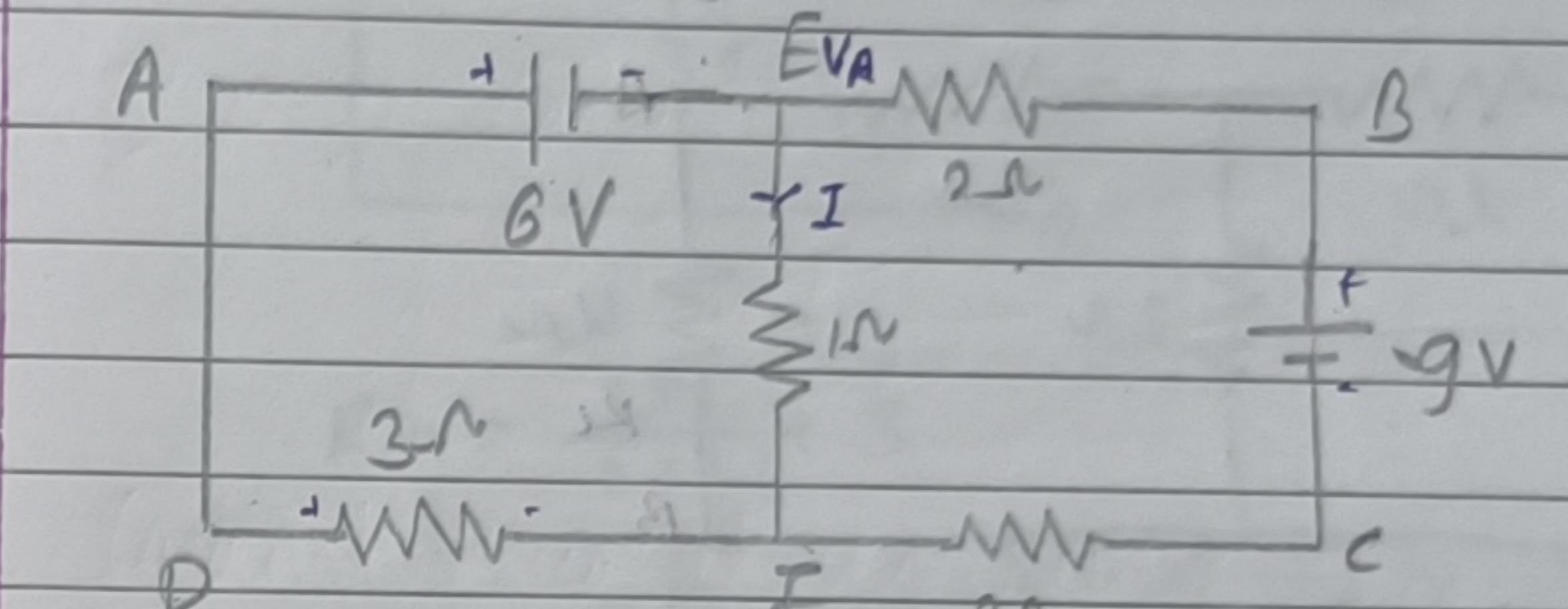
$$I''' = \frac{I \times 0}{10 + 0} = 0$$

So,

Current through  $10\Omega$  is  $I_{10\Omega} = I' + I'' + I'''$

$$I_{10\Omega} = 1A$$

27. Calculate the current that flows in the  $1\Omega$  resistor in the following circuit.



Sol<sup>n</sup> Apply KCL at node  $V_A$

$$\frac{V_A - 6}{3} + \frac{V_A}{1} + \frac{V_A - 9}{5} = 0$$

$$5V_A - 30 + 15V_A + 3V_A - 27 = 0$$

$$23V_A - 57 = 0$$

$$V_A = 57/23$$

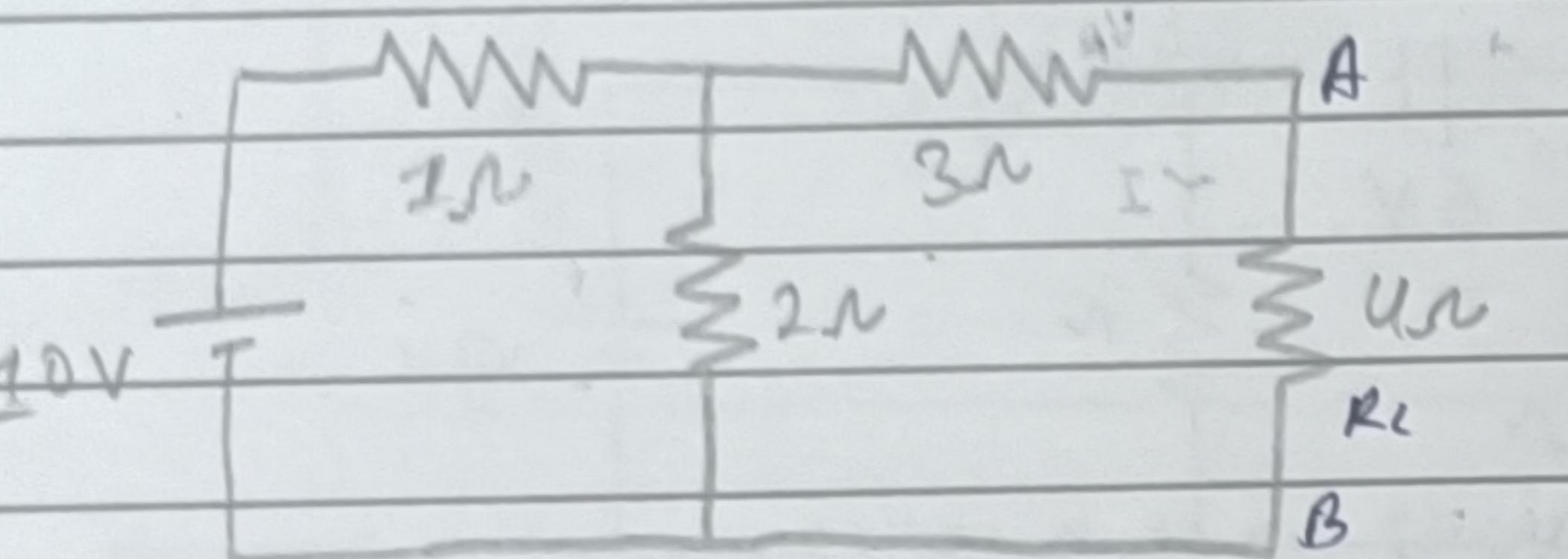
$$I = \frac{V_A}{1} = 2.47A$$

Current flowing in  $1\Omega$

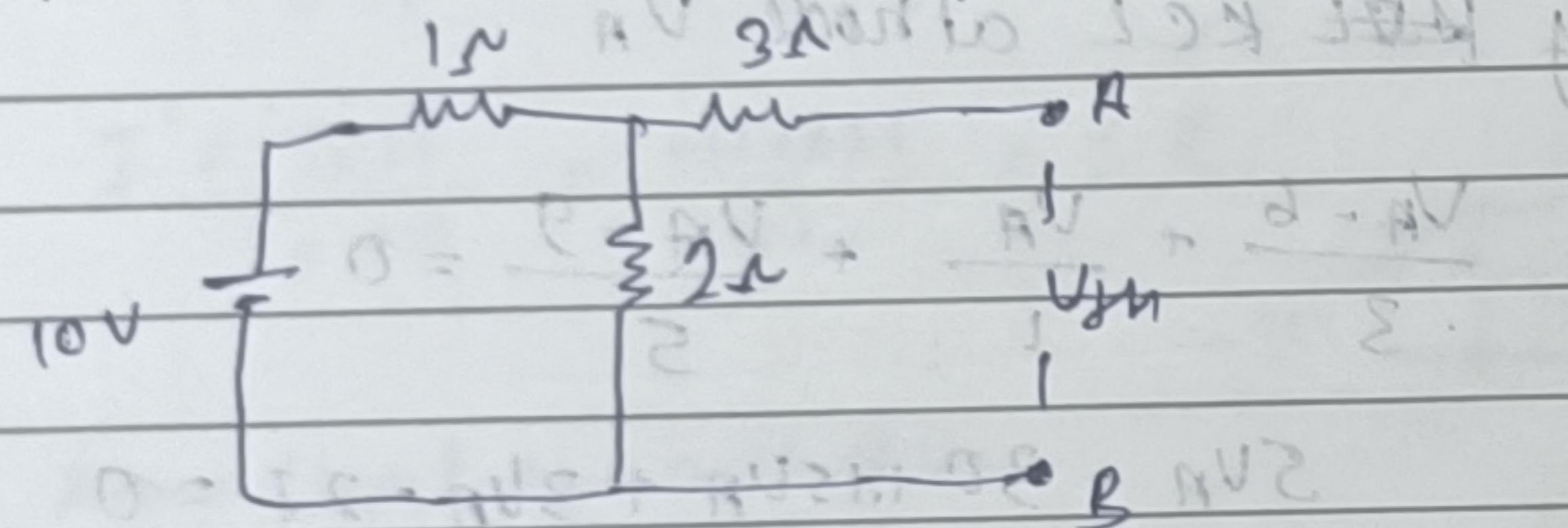
$$I = \frac{V_A}{1} = \frac{57}{23} = 2.47A$$

$$= 2.47A$$

2.8 Calculate the Thevenin resistance across the terminal AB for the following circuit.



Sol Step-1 Remove  $R_L$  and open circuit



Step-2 Calculate  $R_{eq}$

$$R_{eq} = 2 + 1 = 3 \Omega$$

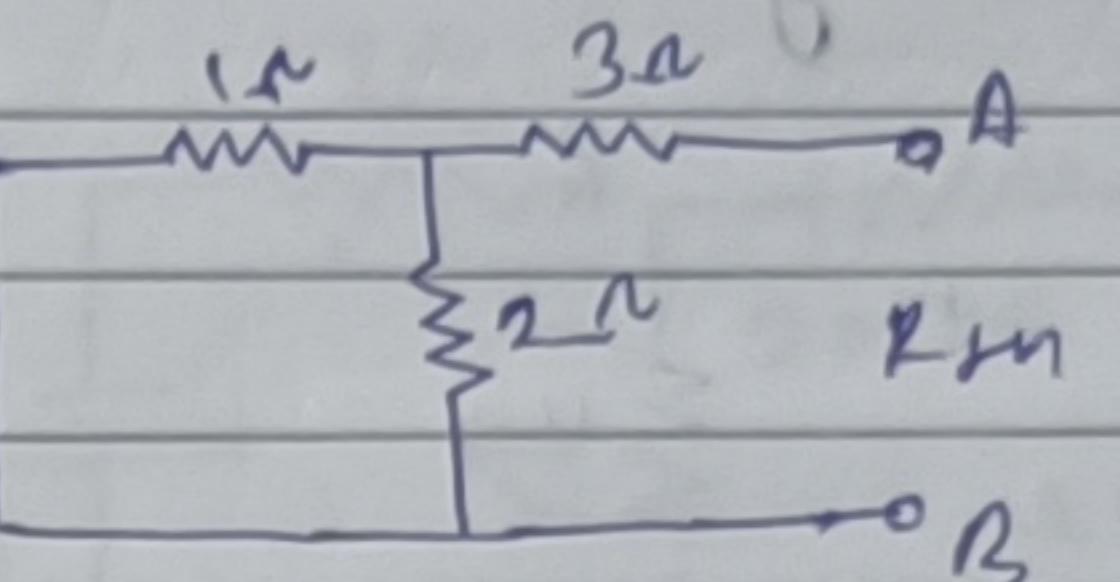
Step-3 Calculate I

$$I = \frac{V}{R_{eq}} = \frac{10}{3} = 3.33 \text{ A}$$

Step-4 Calculate  $V_m$

$$V_m = I \times 3 = 3.33 \times 3 \\ = 6.66 \text{ V}$$

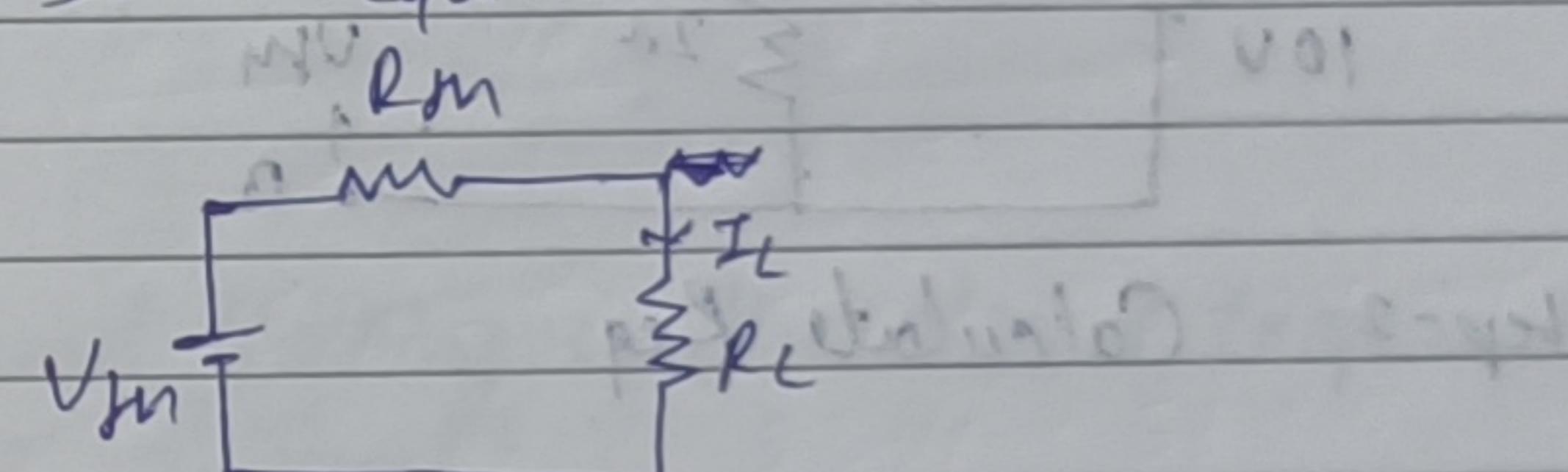
Step-5 Calculate  $R_m$  of net voltage



$$R_m = \frac{2 \times 1}{2 + 1} + 3$$

$$= 3.66 \Omega$$

Step-6 Draw Equivalent circuit



Step-7 Calculate  $I_L$

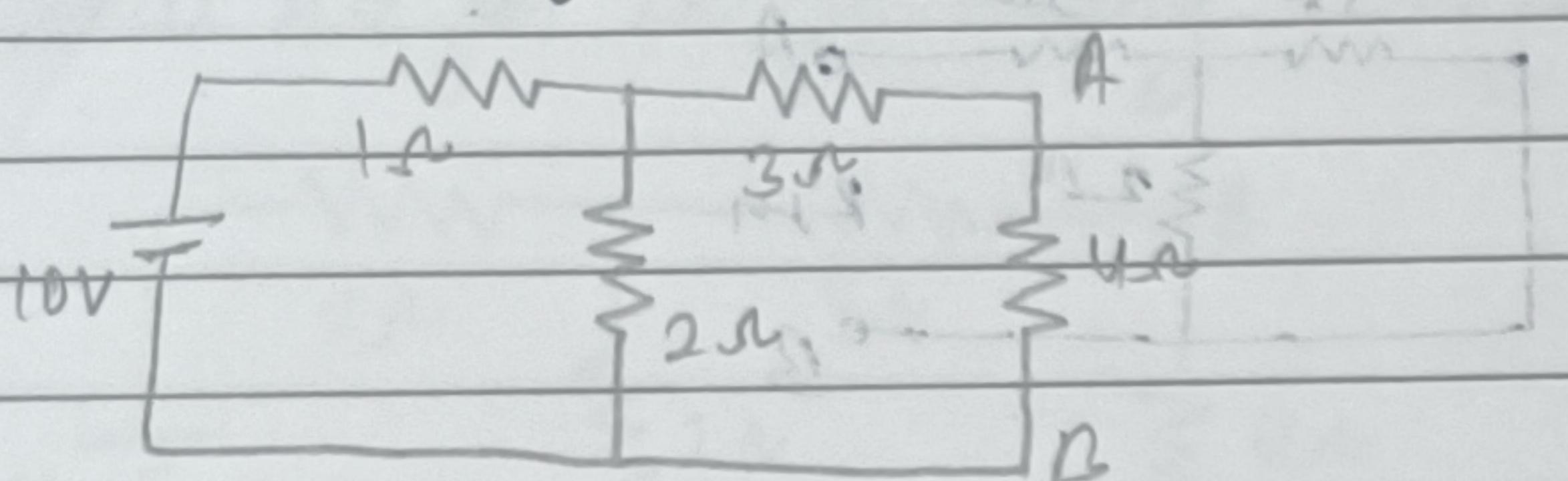
$$I_L = \frac{V_m}{R_m + R_L} = \frac{6.66}{3.66 + 2} = 0.86 \text{ A}$$

$$= \frac{6.66}{5.66} = 0.86 \text{ A}$$

$$= 0.86 \text{ A} \times 2 \times 2 = 3.44 \text{ V}$$

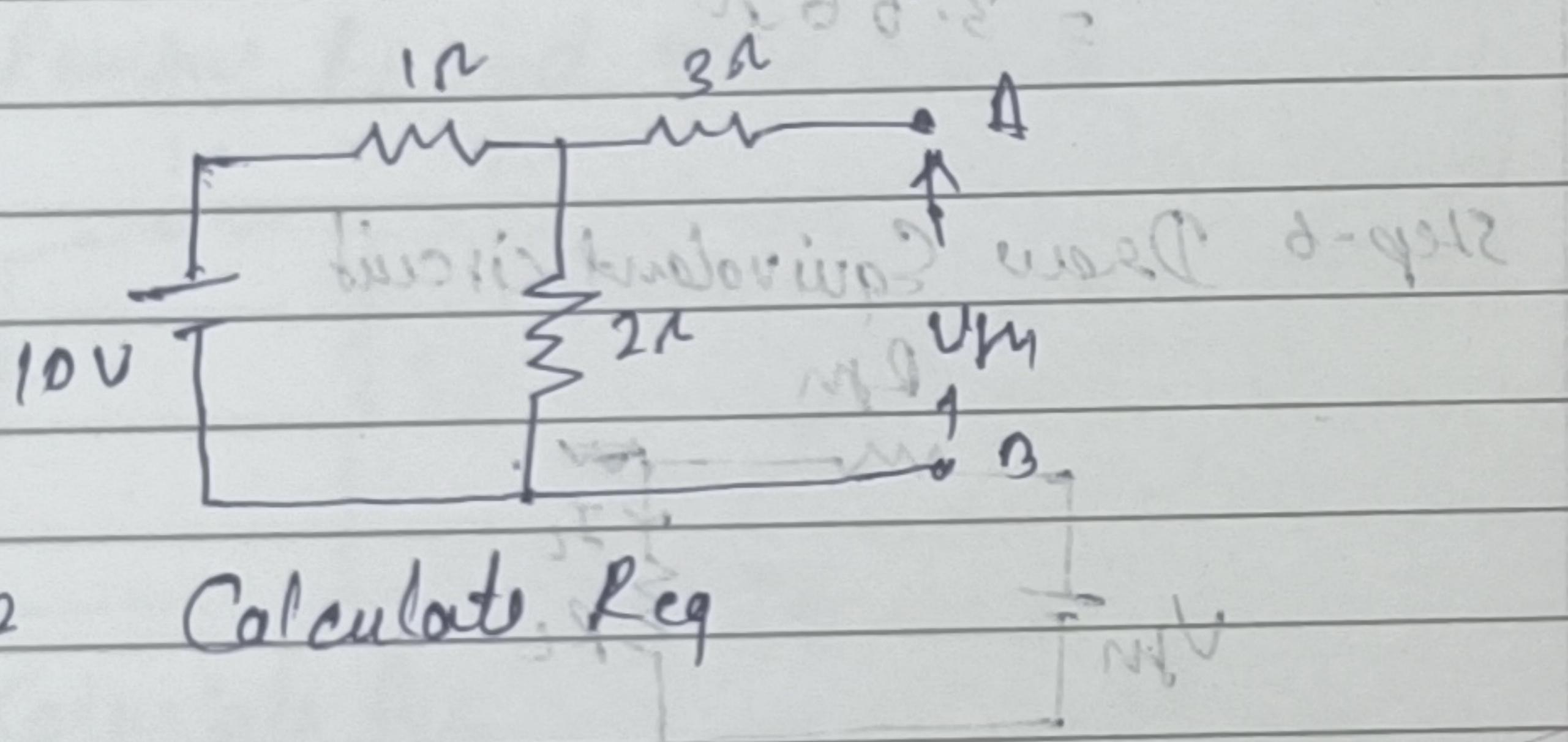
29. Calculate  $V_m$  for the given circuit.

Sol



$$\therefore \frac{1 \times 2}{1+2} = \text{N.B.}$$

Step-1 Remove  $R_1$  and Open circuit



Step-2 Calculate  $R_{eq}$

$$R_{eq} = 2 + 1 = 3$$

Step-3 Calculate  $I$

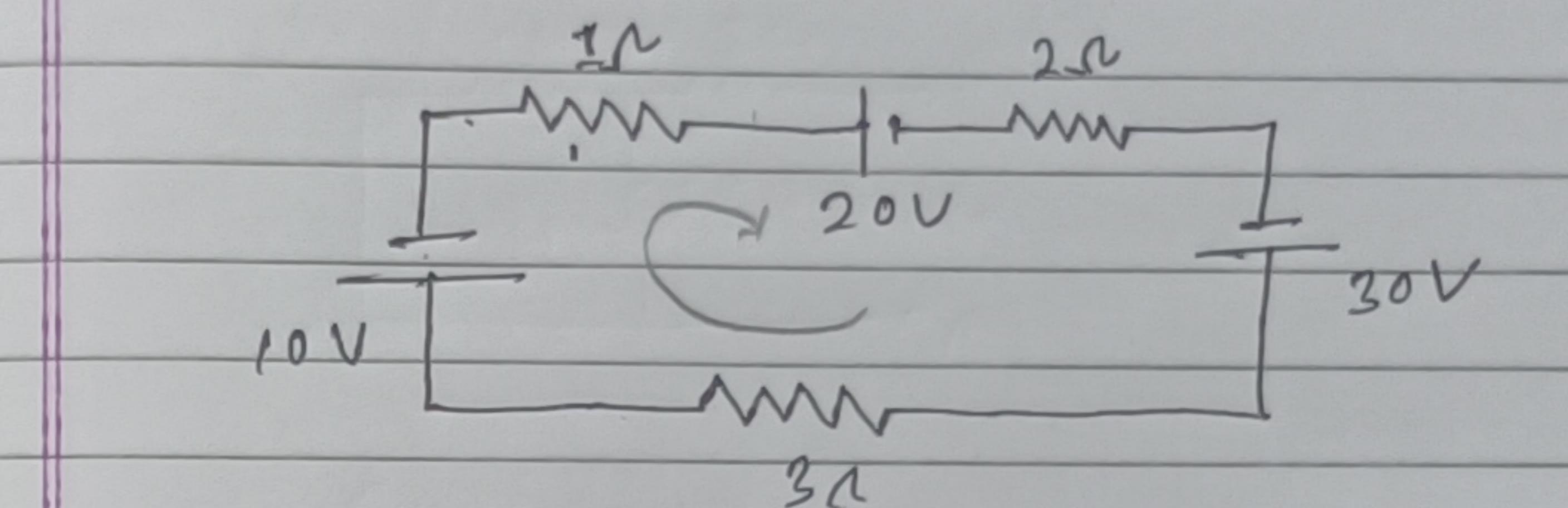
$$I = \frac{V}{R_{eq}} = \frac{10}{3} = 3.33 \text{ A}$$

Step-4 Calculate  $V_m$

$$V_m = I \times 2 = 3.33 \times 2 = 6.66 \text{ V}$$

$$= 6.66 \text{ V}$$

30. What is the current in the circuit?



Sol Apply KVL in loop

$$-10 + I - 20 + 2I + 30 + 3I = 0$$

$$5I = 0$$

$$I = 0$$

~~Current flowing in the closed loop is always zero current.~~

P