

# Artificial Intelligence (CS60045)

## Assignment 2 (Theory)

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1.

<u>Agent Type</u>	Robot soccer player
<u>Performance Measure</u>	Wins games according to specified game rules, coordinates as a team, scores goals, defend own goal
<u>Environment</u>	Field, ball, own team, other team, own body
<u>Actuators</u>	Limbs (e.g. legs composed of servo motors and joints) for locomotion and kicking
<u>Sensors</u>	Camera, touch sensors, accelerometers, orientation sensors, wheel/joint encoders

2.

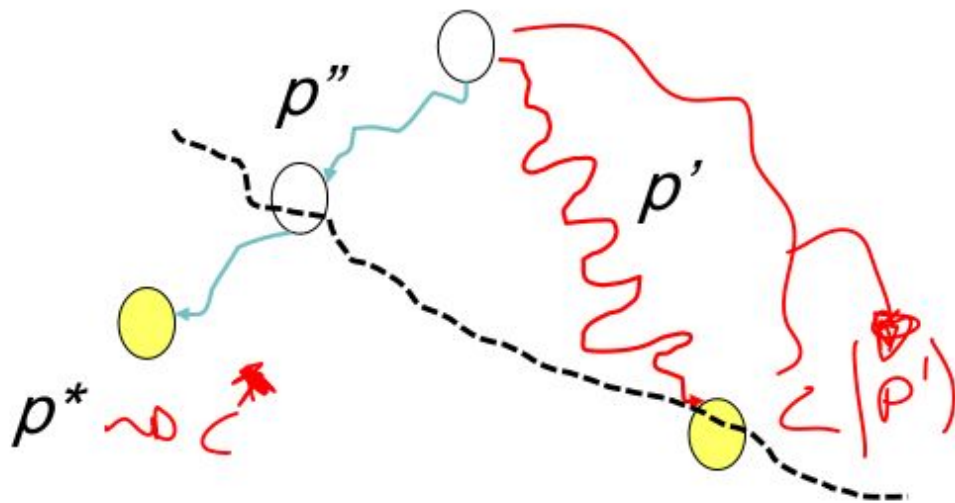
a.

- i. **Given** : a set of cities  $C=\{c_1, \dots, c_n\}$  and a distance function  $d(c_i, c_j)$ , which returns a positive integer for each pair of distinct cities.
  - ii. **Solution space**: all possible paths formed by visiting each city exactly once.
  - iii. **"Cost" of a path**:  $\rightarrow$  sum of  $d(c_i, c_j)$ , for each unique pair  $c_i, c_j$  along the path.
  - iv. **Goal**: find the path with minimum.
  - v. **Thus, a search problem**, where the Solution space is searched to calculate and find the Solution path with minimum cost.
- b. If we relax the constraint for TSP such that each city can be visited more than one time (that is, there may be some cities visited more than one time) and the cost for repeated edges are not count, we can get a solution for MST problem.
- Thus, estimating the remaining cost for completing a partial tour with the sum of the link costs for the minimum spanning tree connecting the graph of cities not yet in the tour, gives a powerful, admissible heuristic.

3. (A)

- a. A\* search takes into account both
  - i. The cost of the path to a node  $c(p)$
  - ii. The heuristic value of that path  $h(p)$
- b. Let  $f(p) = c(p) + h(p)$ . estimate of the cost of a path from the start to a goal via p
- c. A\* always chooses the path on the frontier with the lowest estimated distance from the start to a goal node constrained to go via that path.
- d. A\* is complete and optimal if:

- i. the branching factor is finite
- ii. arc costs are  $> 0$
- iii.  $h(n)$  is admissible
- e. It halts (does not get caught in cycles) because:
  - i. Let  $f_{\min}$  be the cost of the optimal solution path
  - ii. Each sub-path  $p$  of  $s$  has cost  $f(p) \leq f_{\min}$  (Due to admissibility)
  - iii. Let  $f_{\min} > 0$  be the minimal cost of any arc
    - 1. All paths with length  $> f_{\min} / c_{\min}$  have cost  $> f_{\min}$
  - iv. A\* expands path on the frontier with minimal  $f(n)$ 
    - 1. Always a prefix of  $s$  on the frontier
    - 2. Only expands paths  $p$  with  $f(p) \leq f_{\min}$
    - 3. Terminates when expanding  $s$
  - v. Let  $p^*$  be the optimal solution path, with cost  $c^*$ .
    - 1. Let  $p'$  be a suboptimal solution path. That is  $c(p') > c^*$ .
    - 2. any sub-path  $p''$  of  $p^*$  on the frontier will be expanded before  $p'$  : A\* won't be caught by  $p'$



3. (B)