## 282. Calculating excess and 'avoidable' deaths from life tables.

(a) Load the Melanoma data, drop subjects diagnosed 1975-1984.

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. // EXERCISE 282
. // REVISED MAY 2015
. //======//
. use melanoma11, clear
(Skin melanoma, diagnosed 1975-94, follow-up to 1995)
. keep if year8594 == 1
(3,031 observations deleted)
. stset surv_mm, fail(status==1 2) id(id) scale(12)
               id: id
    failure event:
                    status == 1 2
obs. time interval: (surv_mm[_n-1], surv_mm]
 exit on or before: failure
   t for analysis: time/12
     4,744 total observations
         0 exclusions
     4,744 observations remaining, representing
     4,744 subjects
     1,404 failures in single-failure-per-subject data
   22,108.5 total analysis time at risk and under observation
                                               at risk from t =
                                                                        0
                                    earliest observed entry t =
                                                                        0
                                         last observed exit t = 10.95833
. set trace off
. strs using popmort, notables br(0(1)5) mergeby(_year sex _age) by(agegrp sex) save(replace)
        failure _d: status == 1 2
   analysis time _t: surv_mm/12
                id: id
No late entry detected - p is estimated using the actuarial method
. use grouped, clear
(Collapsed (or grouped) survival data)
. keep start end n cp cp_e2 cr_e2 sex agegrp
```

(b) What is the difference in five-year relative survival between males and

females in each age group?

. list agegrp sex cr\_e2 if end == 5, noobs sepby(agegrp)

agegrp	sex	cr_e2
0-44	Male	0.8236
0-44	Female	0.9233
45-59	Male	0.7969
45-59	Female	0.8740
60-74	Male	0.7413
60-74	Female	0.7958
75+	Male	0.6627
75+	Female	0.7006

- (c) Reshape the data.
  - . bysort sex (agegrp start): gen  $j = _n$
  - . gen sexlab =cond(sex==1,"\_m","\_f")
  - . drop sex
  - . reshape wide start end n cp cp\_e2 cr\_e2 agegrp, i(j) j(sexlab) string (note: j = \_f \_m)

Data	long	->	wide	
Number of obs.	40	->	20	
Number of variables	9	->	15	
j variable (2 values) xij variables:	sexlab	->	(dropped)	
	start	->	start_f start_m	
	end	->	end_f end_m	
	n	->	n_f n_m	
	ср	->	cp_f cp_m	
	cp_e2	->	cp_e2_f cp_e2_m	
	cr_e2	->	cr_e2_f cr_e2_m	
	agegrp	->	agegrp_f agegrp_m	

- . rename  ${\tt agegrp\_m}\ {\tt agegrp}$
- . rename start\_m start
- . rename end\_m end
- . drop  $agegrp_f start_f end_f$
- (d) For males, calculate the expected number of all-cause deaths, Nd m, the expected number of deaths if the study population were free of cancer, NExp d m and the excess deaths associated with a diagnosis of cancer, ED m.
  - . bys agegrp: gen Nrisk\_m =  $n_m[1]/10$
  - . gen p\_dead\_m = 1 cp\_e2\_m \* cr\_e2\_m
  - . gen Nd\_m = Nrisk\_m\*p\_dead\_m
  - . gen  $NExp_d_m = Nrisk_m*(1-cp_e2_m)$
  - . gen ED\_m = Nd\_m NExp\_d\_m

- . format Nd\_m NExp\_d\_m ED\_m %4.1f
- . list agegrp Nrisk\_m p\_dead\_m Nd\_m NExp\_d\_m ED\_m if end==5, noobs

agegrp	Nrisk_m	p_dead_m	Nd_m	NExp_d_m	ED_m
0-44	53.7	.1889797	10.1	0.8	9.3
45-59	75.2	.2440302	18.4	3.9	14.5
60-74	70.9	.3905036	27.7	12.6	15.1
75+	33.7	.6542017	22.0	16.1	5.9

. table agegrp if end == 5, c(sum Nd\_m sum NExp\_d\_m sum ED\_m) row format(%4.1f)

_m agegrp	sum(Nd_m)	sum(NExp_d_m)	sum(ED_m)
0-44	10.1	0.8	9.3
45-59	18.4	3.9	14.5
60-74	27.7	12.6	15.1
75+	22.0	16.1	5.9
Total	78.2	33.4	44.8

- i. We would expect to see 10, 18, 28 and 22 all cause deaths in the (ascending) age groups.
- ii. This is given by the excess deaths, ED m. In ascending age groups there are 9, 14, 15, and 6 excess deaths at 5 years post diagnosis when compared to a similar cancer free population. This is for a typical cohort diagnosed in one calendar year.
- iii. There are 45 excess deaths when compared to the general population.
- (e) Repeat calculations for females.
  - . bys agegrp: gen  $Nrisk_f = n_f[1]/10$
  - . gen  $p_{dead_f} = 1 cp_e2_f * cr_e2_f$
  - . gen Nd\_f = Nrisk\_f\*p\_dead\_f
  - . gen NExp\_d\_f = Nrisk\_f\*(1-cp\_e2\_f)
  - . gen ED\_f =  $Nd_f NExp_d_f$
  - . format Nd\_f NExp\_d\_f ED\_f %4.1f
  - . list agegrp Nrisk\_f p\_dead\_f Nd\_f NExp\_d\_f ED\_f if end==5, noobs

agegrp	Nrisk_f	p_dead_f	Nd_f	NExp_d_f	ED_f
0-44	62.4	.0814915	5.1	0.3	4.8
45-59	61.2	.1431934	8.8	1.2	7.6
60-74	66.1	.2800009	18.5	6.3	12.2
75+	51.2	.5766043	29.5	20.3	9.3

. table agegrp if end == 5, c(sum Nd\_f sum NExp\_d\_f sum ED\_f) row format(%4.1f)

_m agegrp	sum(Nd_f)	sum(NExp_d_f)	sum(ED_f)
0-44	5.1	0.3	4.8
45-59	8.8	1.2	7.6
60-74	18.5	6.3	12.2

75+	29.5	20.3	9.3
Total	61.9	28.1	33.8

(f) In terms of the total number of all cause deaths, females have fewer at all ages except the 70+ group. This is because they are more females diagnosed in this group 51 vs 34, so even though females have lower relative survival they have more deaths due to a number of women in the oldest age groups being diagnosed. This leads to there being more excess deaths in this age group for women when compared to men. As a whole there are more excess deaths in men. How many deaths would be 'avoided' if males could achieve the same relative survival as females for Melanoma?

```
. gen Nd_m_f = Nrisk_m*(1 - cp_e2_m * cr_e2_f)
```

. list agegrp Nrisk\_m p\_dead\_m Nd\_m NExp\_d\_m ED\_m Nd\_m\_f AD\_m if end==5, noobs

agegrp	Nrisk_m	p_dead_m	Nd_m	NExp_d_m	ED_m	Nd_m_f	AD_m
0-44	53.7	.1889797	10.1	0.8	9.3	4.9	5.3
45-59	75.2	.2440302	18.4	3.9	14.5	12.9	5.5
60-74	70.9	.3905036	27.7	12.6	15.1	24.5	3.2
75+	33.7	.6542017	22.0	16.1	5.9	21.4	0.7

There would be about 15 deaths 'avoided'. The youngest two age groups contribute most to the avoidable deaths.

(g) List the avoidable deaths for the oldest age group over all follow-up times. Why are the number of avoidable deaths decreasing as follow-up time increases?

. list agegrp end AD\_m if agegrp==3  $\,$ 

	agegrp	end	AD_m
16. 17. 18. 19.	75+ 75+ 75+ 75+ 75+	1 2 3 4 5	1.4 2.2 2.1 1.2 0.7

This is because we can not avoid deaths for ever. Remember that we are looking at all cause deaths. If we had unlimited follow-up we would avoid no deaths at all. In the oldest age group we can actually see that we are just postponing deaths.

<sup>.</sup> gen AD\_m = Nd\_m - Nd\_m\_f

<sup>.</sup> format Nd\_m\_f AD\_m %4.1f