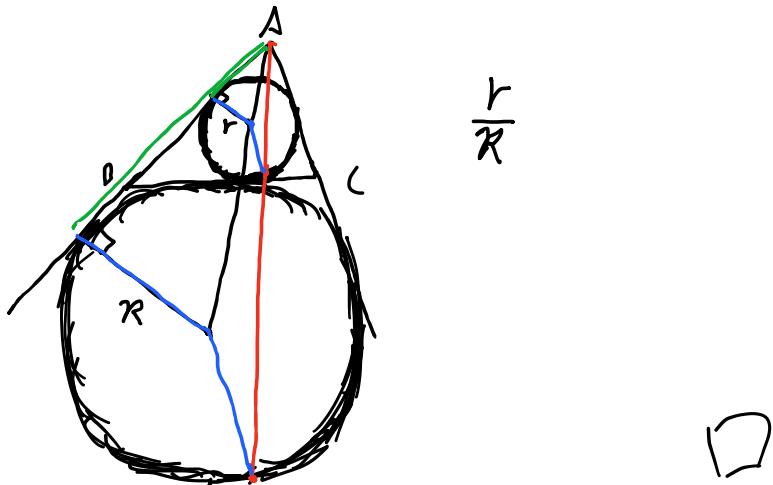
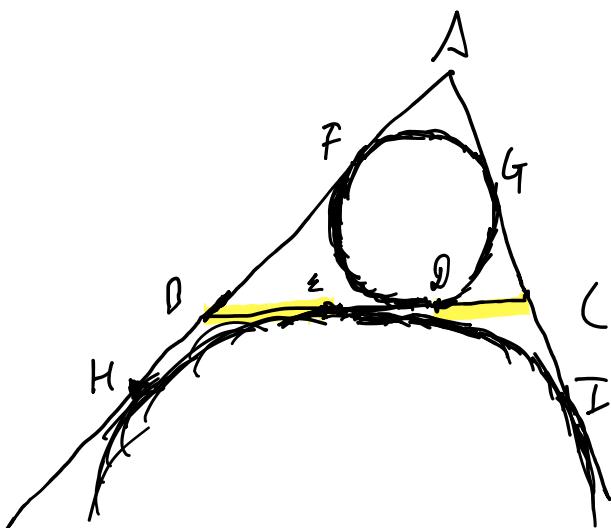


1. Let there be a triangle ABC . If I_1 and I_2 are one insircle of $\triangle ABC$ and ex-circle of $\triangle ABC$ with respect to A , then, I_2 is the homothetic image of I_1 with the center A .



2. Let $\triangle ABC$ be a triangle where its in-circle is tangent to side BC at point D . Define a point E on side AC such that $BE = CD$. Then, the ex-circle of $\triangle ABC$ from vertex B is tangent to side BC at point E .



let F_2 meet BC at E' .

$$\cdot CD = CG = \varepsilon \beta$$

$$\cdot \mathcal{L}' \mathcal{L} = \mathcal{L} \mathcal{I}$$

$$\cdot H\beta = \beta \varepsilon'$$

$$\begin{aligned}
 C\zeta' &= CI = AI - b = AH - b \\
 &= AB + B\zeta' - b \\
 &= C - b + B\zeta'
 \end{aligned}$$

$$C\varepsilon' = C - b + \beta\varepsilon'$$

$$CE' - \varrho E' = -b = \beta D - C D = \beta D - \beta E$$

$$C\varepsilon' + \beta\varepsilon = \beta\vartheta + \beta\varepsilon'$$

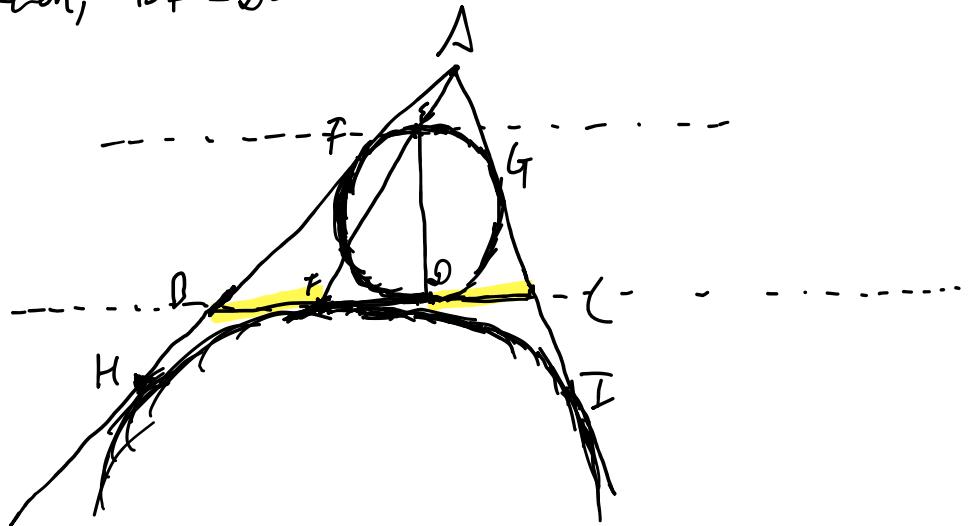
$$\beta C - \beta b'_e + \beta e = \beta C - \beta d + \beta e'$$

288 = 288

$$\therefore \beta \varepsilon = \beta \varepsilon' \quad \text{and} \quad \varepsilon \equiv \varepsilon'$$

□

3. Let there be a triangle ABC where its incircle is tangent to BC at D . Let E be the point on the incircle such that DE is the diameter. If AE intersects BC at F , then, $BF = DC$.



D