

There are two distinguishable flagpoles, and there are 19 flags, of which 10 are identical blue flags, and 9 are identical green flags. Let  $N$  be the number of distinguishable arrangements using all of the flags in which each flagpole has at least one flag and no two green flags on either pole are adjacent. Find the remainder when  $N$  is divided by 1000.

$$[0, a) = \{ \underline{1}, \underline{2}, \underline{3}, \underline{4}, \underline{5}, \underline{6}, \underline{7}, \underline{8}, \underline{9} \} \Rightarrow l/$$

$$[1, 8) = \{ \underline{1}, \underline{2}, \underline{3}, \underline{4}, \underline{5}, \underline{6}, \underline{7}, \underline{8} \} \Rightarrow l/$$

$$\textcircled{1} \quad 6 \quad \lambda_1 + \lambda_2 + \dots + \lambda_{11} = 3, \quad \lambda_i \in \{0, 1\}$$

$$3 \text{ stars} \quad \binom{6+3}{3} = \binom{13}{3} \quad \checkmark \quad \textcircled{2}$$

(2,2) 111 1111111111

(13)

(3,6)      (111) |      (111111111)

$$\binom{3}{3}$$

(4,5) 111111 | 11111111

( )

$$N = 2 \left( (1 + 4 \cdot 14) \right)$$

$$= 22 + 8 \cdot \left( \frac{1}{3} \right)$$

= 2310

310

$$\frac{13,KL,11}{K}$$

$$\begin{array}{r}
 \underline{2} \underline{4} \\
 \underline{2} \underline{4} \\
 \hline
 286
 \end{array}$$

$$\begin{array}{r}
 6 4 \\
 286 \\
 \hline
 2288
 \end{array}$$