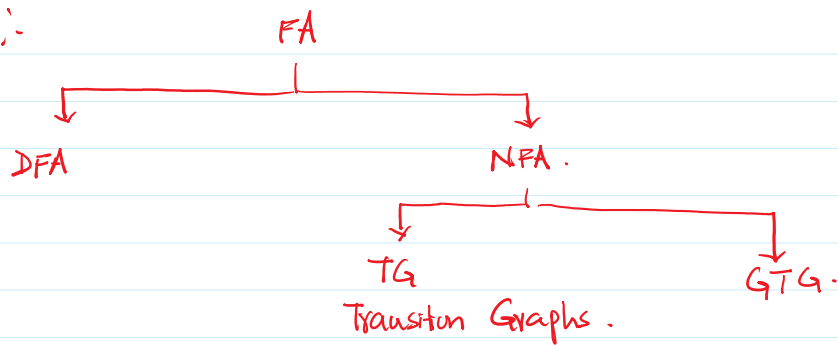


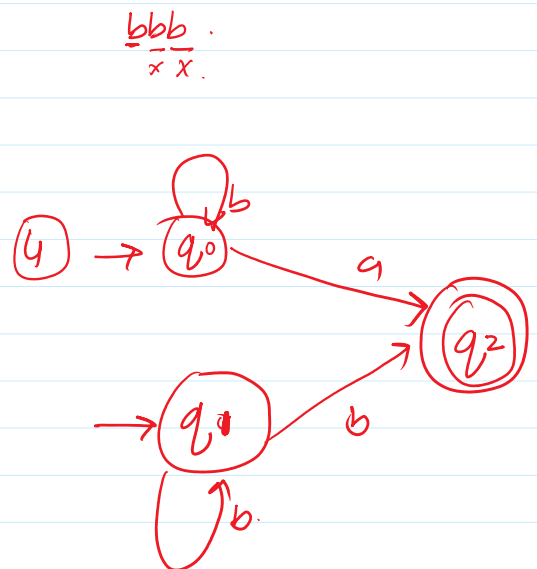
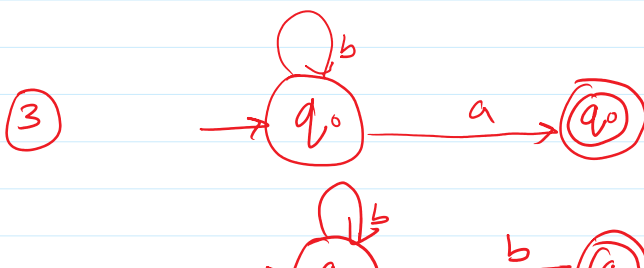
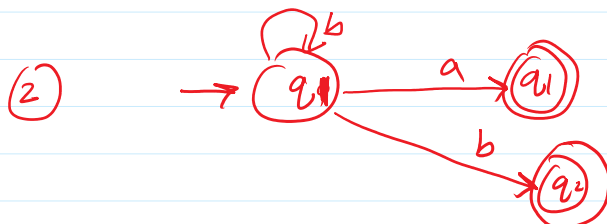
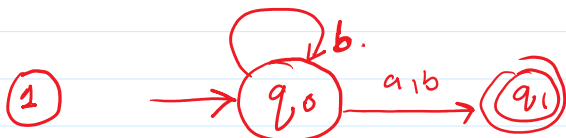
lecture 7:-

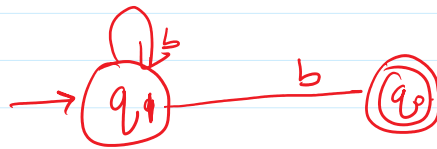


Transition Graphs:-

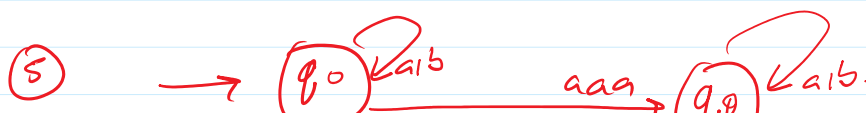
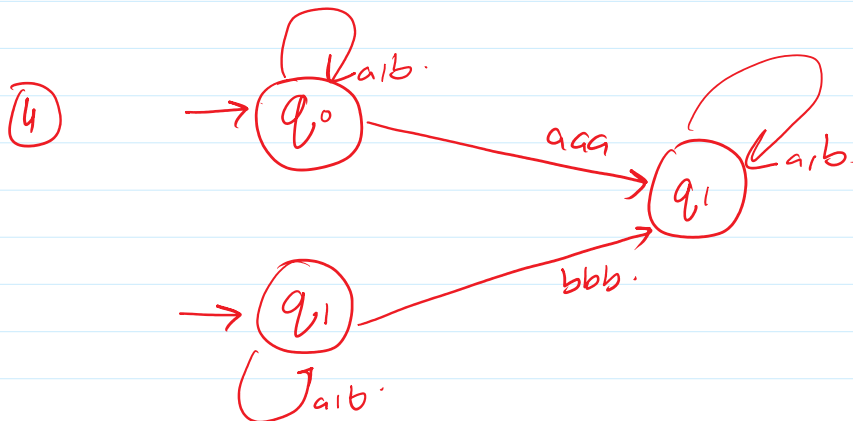
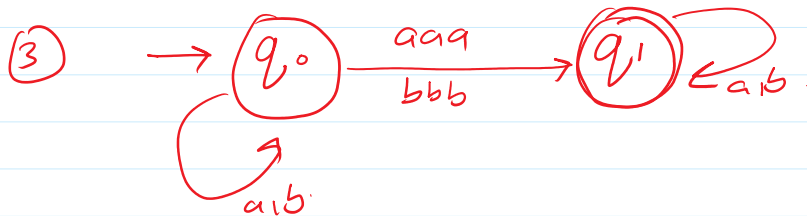
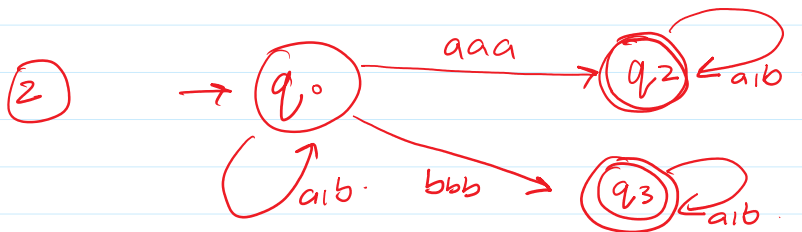
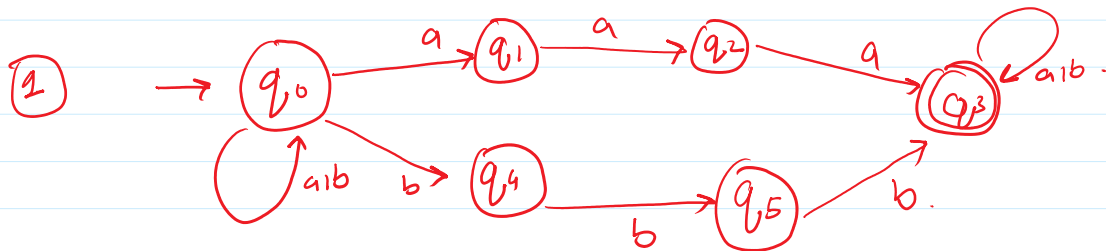
- 1- Finite States with atleast one initial State.
 & 0 or more final states.
- 2- Dead end State is not required. ✓
- 3- One letter can move to more than one state! ✓
- 4- Can read more than one alphabet at a time ✓
- 5- It can accept a Null string. ✓

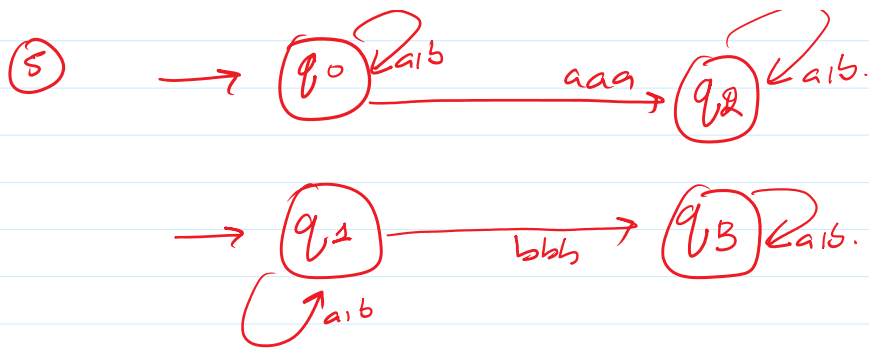
$b^*(a+bb)$. $\Sigma = \{a, b\}$.
 $= \{ a, b, ba, bb, bba, bbb, \dots \}$.



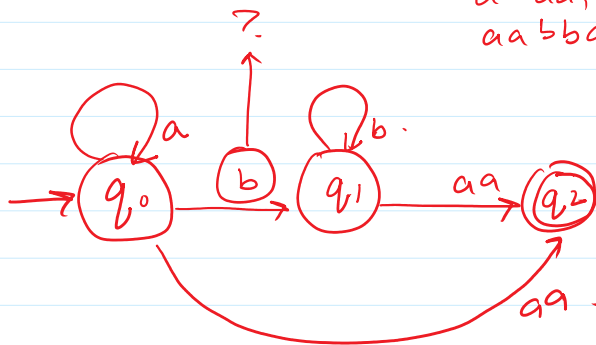


$$(a+b)^* (aaa+bbb) (a+b)^* = \{ aaa, bbb, \dots \}.$$

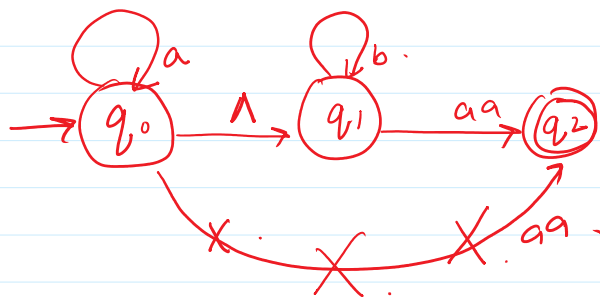




$$a^*b^*aa = \{ \overset{\vee}{aa}, aaa, aaaa, \dots \\ baa, bb\ aa, \dots \\ abaa, \\ aa\ bbaa, \dots \}.$$

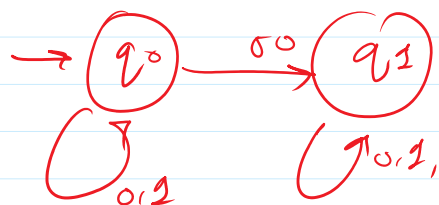


baa.

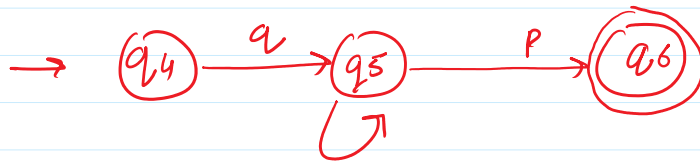
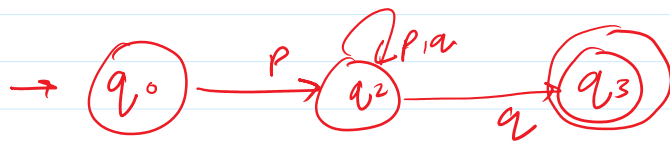


$$(0+1)^+ 00 (0+1)^+$$

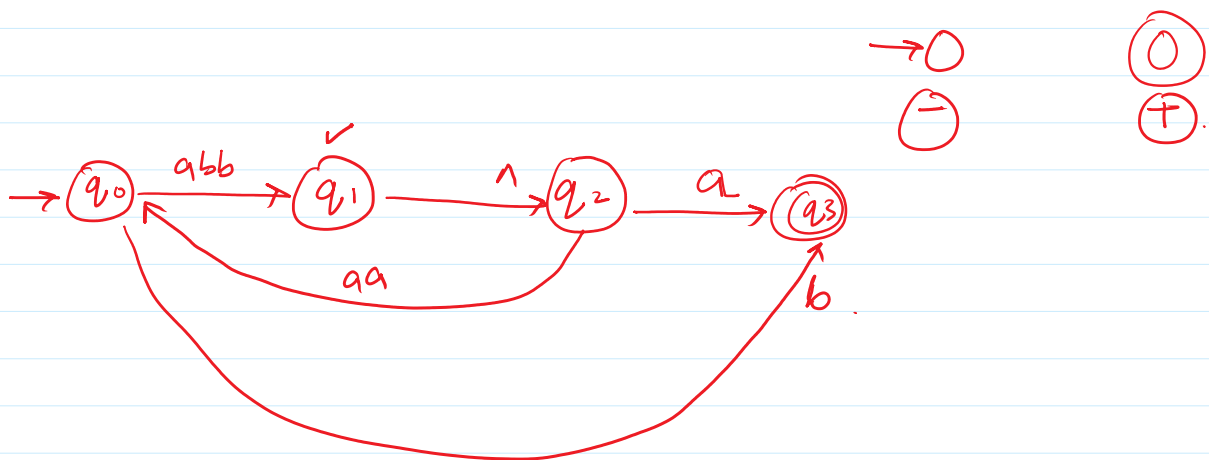
$$\Sigma = \{0, 1\}.$$



$$p(p+q)^*q + q(p+q)^*p \quad \Sigma = \{p, q\}.$$



When to accept a string.



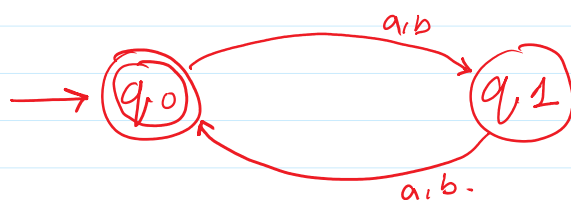
$$\begin{matrix} (abb \quad ab) = ? \\ q_1 \quad q_3 \\ q_2 \end{matrix}$$

Quiz #2.

14-Sep-2022.

$$(a+ba+ab)^*$$

Even language.



TG1 2 initial states. and two final states.