Applications of Portfolio Management in Python

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This report contains 8 one-pagers designed to showcase examples of how Python can be used to assist a portfolio manager. Generally, Python is a lot more efficient than Excel, which allows the portfolio manager to spend more time on what matters.

The one-pagers are designed to give a high-level overview of the benefits of Python. The following are the 8 sections for the one-pagers:

- Section 1: Use an API to pull in and analyze stock returns
- Section 2: Find an "optimized" portfolio based on a set objective, such as maximizing Sharpe Ratio
- Section 3: Create an options pricing calculator to value calls or puts using Black-Scholes
- Section 4: Run Monte Carlo simulations of returns to assess portfolio volatility
- Section 5: Create a robo-advisor based on individual preferences and risk capacity
- Section 6: Test a hypothesis, such as if tech stocks outperform health care stocks
- Section 7: Hedge a portfolio such that its exposed duration becomes nearly zero

Section 8: Apply Machine Learning algorithms to predict stock price

In []:	1
In []:	1

Section 1: Use an API to pull in and analyze stock returns

```
In [1]:
          1
             import pandas as pd
             import numpy as np
          2
             import datetime
             import pandas datareader.data as web
In [2]:
          1
             import warnings
             warnings.simplefilter("ignore")
          2
In [3]:
             df=pd.read_excel('S&P500.xlsx')
          1
In [4]:
             list_of_stocks_to_pull=list(df['Symbol'])
In [5]:
             list_of_stocks_to_pull=['AAPL','GOOG','FB']
          1
          2
             start=datetime.datetime(2019,10,1)
             end=datetime.datetime(2020,2,1)
             df=web.get_data_yahoo(list_of_stocks_to_pull, start, end,interval='m')
In [6]:
          1
             df=(web.get_data_yahoo(list_of_stocks_to_pull, start,
                                       end,interval='m')['Adj Close'])
          2
          3
             df.head(3)
Out[6]:
           Symbols
                        AAPL
                                    FΒ
                                            GOOG
              Date
         2019-10-01 247.428162 191.649994 1260.109985
         2019-11-01 265.819183 201.639999 1304.959961
         2019-12-01 292.954712 205.250000 1337.020020
In [7]:
             df=df.pct change()
          1
             df=df.dropna()
             df.head(3)
Out[7]:
                                 FΒ
                                      GOOG
           Symbols
                      AAPL
              Date
         2019-11-01 0.074329 0.052126 0.035592
         2019-12-01 0.102083
                            0.017903 0.024568
         2020-01-01 0.054010 -0.016273 0.072706
          1
In [ ]:
In [ ]:
          1
In [ ]:
          1
```

Section 2: Find an "optimized" portfolio based on a set objective, such as maximizing Sharpe Ratio

```
In [8]:
           1
             import pandas as pd
             import numpy as np
             from pypfopt.efficient frontier import EfficientFrontier
           4 from pypfopt import risk models
             from pypfopt import expected_returns
 In [9]:
             df=pd.read excel('HistoricalReturns.xlsx',header=1)
             df=df.drop([0])
           2
             df.to excel("AdjustedReturns.xlsx")
             df.drop('Symbols',axis=1,inplace=True)
           5 df[df<0]=np.nan
             df.dropna(axis=1,inplace=True)
             mu = expected_returns.mean_historical_return(df)
In [10]:
           1
             S = risk models.sample cov(df)
             ef = EfficientFrontier(mu, S)
           4 raw_weights = ef.max_sharpe()
           5 cleaned weights = ef.clean weights()
             ef.save_weights_to_file("weights.csv")
             print(cleaned_weights)
         {'AAPL': 0.0, 'ACN': 0.0, 'ADBE': 0.0, 'ADP': 0.32207, 'ADSK': 0.0, 'AKA
         M': 0.0, 'ANSS': 0.0, 'CSCO': 0.0, 'CTSH': 0.0, 'CTXS': 0.19372, 'FIS':
         0.0, 'FISV': 0.29363, 'FTNT': 0.0, 'HPQ': 0.0, 'IBM': 0.0, 'INTC': 0.0,
         'INTU': 0.0, 'JKHY': 0.0, 'JNPR': 0.0, 'KLAC': 0.0, 'MA': 0.19058, 'MSI':
         0.0, 'NVDA': 0.0, 'PAYX': 0.0, 'SNPS': 0.0, 'STX': 0.0}
             df=pd.read csv('weights.csv',header=-1)
In [11]:
             df.rename(columns={0:'Company Name',
           2
                                 1: 'Optimal Portfolio Weight'}, inplace=True)
           3
             optimal weights=df[df['Optimal Portfolio Weight']!=0]
             optimal weights
Out[11]:
             Company_Name Optimal_Portfolio_Weight
                      ADP
                                       0.32207
           3
                     CTXS
                                       0.19372
           9
                      FISV
                                       0.29363
          11
                      MA
                                       0.19058
          20
 In [ ]:
           1
           1
 In [ ]:
 In [ ]:
           1
 In [ ]:
           1
```

Section 3: Create an options pricing calculator to value calls or puts using Black-Scholes

```
In [12]:
           1
              import math
              import scipy.stats as stats
           2
              import matplotlib.pyplot as plt
              %matplotlib inline
In [13]:
              def Call Price(t,r,vol,S,K): #Black-Scholes
           1
           2
                   d1 = (1 / vol*math.sqrt(t)) * (math.log(S/K) + (r+((vol**2)/2))*t)
           3
                   d2 = d1 - vol*math.sqrt(t)
           4
                   N d1 = stats.norm.cdf(d1)
           5
                   N d2 = stats.norm.cdf(d2)
           6
                   Call_Price = round((N_d1 * S) - (N_d2 * K * math.exp(-r*t)),2)
           7
                   return(Call Price)
              volatility_amount, call_amount= ([] for i in range(2))
In [14]:
           1
           2
              for i in range(5,100,5):
           3
                   volatility amount.append(i/100)
           4
                   call_amount.append(Call_Price(1,.05,i/100,100,110))
In [15]:
           1
              plt.plot(volatility_amount,call_amount)
              plt.title('Black-Scholes Call Prices As A Function of Volatility')
              plt.xlabel('Volatility')
           3
              plt.ylabel('Call Price($)')
              plt.annotate('T: 1 Year, R: 5%, S: 100, K: 110', (0,0), (0, -50),
                             xycoords='axes fraction', textcoords='offset points')
Out[15]: Text(0, -50, 'T: 1 Year, R: 5%, S: 100, K: 110')
                 Black-Scholes Call Prices As A Function of Volatility
             35
             30
             25
          Call Price($)
             20
            15
            10
             5
             0
                                                 0.8
                       0.2
                               0.4
                                        0.6
                                  Volatility
               T: 1 Year, R: 5%, S: 100, K: 110
 In [ ]:
           1
 In [ ]:
           1
           1
 In [ ]:
```

Section 4: Run Monte Carlo simulations of returns to assess portfolio volatility

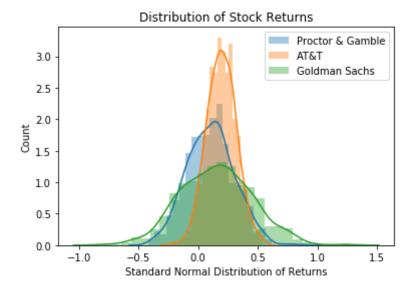
```
In [16]:
             import pandas as pd
             import numpy as np
           2
           3
             import matplotlib.pyplot as plt
             %matplotlib inline
             import seaborn as sns
In [17]:
             p=np.random.normal(.10,.20,1000)
           1
             t=np.random.normal(.20,.125,1000)
             g=np.random.normal(.15,.30,1000)
           3
             sns.distplot(p)
           5
             sns.distplot(t)
             sns.distplot(g)
             plt.xlabel('Standard Normal Distribution of Returns')
           7
             plt.ylabel('Count')
             plt.legend(['Proctor & Gamble', 'AT&T', 'Goldman Sachs'])
             plt.title('Distribution of Stock Returns')
          10
             AV returns=[]
          11
             for i in range(1000):
          12
          13
                 AV_{returns} = [(1000/3)*(1+p)+(1000/3)*(1+t)+(1000/3)*(1+p)]
          14
             df=pd.DataFrame(AV returns).T
             df.rename(columns={0:'Account Value'},inplace=True)
          15
             print('Max '+ str(df.max()))
          16
          17
             print('Min '+ str(df.min()))
```

Max Account Value 1621.839633

dtype: float64

Min Account Value 762.763602

dtype: float64



```
In [ ]: 1 In [ ]
```

Section 5: Create a robo-advisor based on individual preferences and risk capacity

```
In [18]:
             print('Hello, Welcome to Mini-Advisor.')
         Hello, Welcome to Mini-Advisor.
In [19]:
              risk tolerance='risk tolerance'
             while ((risk tolerance!='Aggressive') &
           3
                  (risk tolerance!='Conservative')):
                  risk tolerance=input('How would you define your risk tolerance?:')
           4
              # (Aggressive, Conservative)
         How would you define your risk tolerance?: Aggressive
In [20]:
             risk capacity='risk capacity'
           1
             while ((risk_capacity!='<1M') & (risk_capacity!='1-5M') &</pre>
           3
                  (risk capacity!='5+M')):
                  risk capacity=input('How much liquid assets do you have)?:')
           4
                  (<1M, 1-5M, 5+M))
         How much liquid assets do you have)?:1-5M
              if (risk tolerance=='Aggressive') & (risk capacity=='5+M'):
In [21]:
           1
                  print('Portfolio: Predominantly High-Risk Stocks')
           2
           3
              elif (risk tolerance=='Aggressive') & (risk capacity=='1-5M'):
                  print('Portfolio: Partially High-Risk Stocks, Partially S&P ETF')
           4
           5
              elif (risk tolerance=='Aggressive') & (risk capacity=='<1M'):</pre>
                  print('Portfolio: Predominantly S&P 500 ETF')
           7
              elif (risk tolerance=='Conservative') & (risk capacity=='5+M'):
                  print('Portfolio: Predominantly S&P 500 ETF')
           8
              elif (risk tolerance=='Conservative') & (risk capacity=='1-5M'):
           9
                  print('Portfolio: Predominantly S&P 500 ETF')
          10
          11
          12
                  print('Portfolio: Predominantly Treasury Bonds')
         Portfolio: Partially High-Risk Stocks, Partially S&P ETF
 In [ ]:
           1
 In [ ]:
           1
```

Section 6: Test a hypothesis, such as if tech stocks outperform health care stocks

Null hypothesis (Ho): There is no significant difference in returns

Alternative hypothesis (Ha): There is a significant difference in returns

```
In [24]:
           1
             control=tech_returns['Percent Return']
             experimental=health care returns['Percent Return']
In [25]:
           1
             control.mean()
Out[25]: 9.756793479463854
In [26]:
             experimental.mean()
Out[26]: 4.281198379267195
In [27]:
             experimental.mean()-control.mean()
Out[27]: -5.475595100196658
In [28]:
             stats.ttest ind(experimental, control,equal var=False)
Out[28]: Ttest indResult(statistic=-3.7585177072659626, pvalue=0.00047066769250311
         336)
```

The p-value is extremely small, far less than a typical 5% threshold.

We reject the null hypothesis. Results are statistically significant with p-value nearly 0.

Tech stocks have a significantly different returns profile than health care stocks.

```
In [ ]: 1

In [ ]: 1

In [ ]: 1
```

Section 7: Hedge a portfolio such that its exposed duration becomes nearly zero

```
In [29]:
           1
              import pandas as pd
              import numpy as np
```

Suppose a portfolio has the following key rate durations:

```
In [30]:
             KRD=pd.read_excel('Duration_Hedge.xlsx', sheetname='Sheet1')
             Futures=pd.read excel('Duration Hedge.xlsx', sheetname='Sheet2')
```

We can buy/sell futures contracts to bring the net DV01 of the hedged portfolio to near zero.

```
In [31]:
          1
             Futures['2yr']=Futures['2yr']/100
             Futures['5yr']=Futures['5yr']/100
             Futures['10yr']=Futures['10yr']/100
             Futures['Long Bond']=Futures['Long Bond']/100
             n_long_futures=-KRD['Long Bond']/Futures.iloc[3]['Long Bond']
In [32]:
In [33]:
           1
             n_10yr_futures=-((KRD['10yr']+n_long_futures*Futures.iloc[3]['10yr'])/
                              Futures.iloc[2]['10yr'])
           2
In [34]:
           1
             n 5yr futures=-((KRD['5yr']+n long futures*Futures.iloc[3]['5yr']
           2
                              +n 10yr futures*Futures.iloc[2]['5yr'])/
           3
                              Futures.iloc[1]['5yr'])
             n 2yr futures=-((KRD['2yr']+n long futures*Futures.iloc[3]['2yr']
In [35]:
          1
           2
                              +n 10yr futures*Futures.iloc[2]['2yr']
           3
                              +n 5yr futures*Futures.iloc[1]['2yr'])/
           4
                              Futures.iloc[0]['2yr'])
In [36]:
             print('Hedge Portfolio with: ')
           1
             print('2 Year Futures: ' +str(n_2yr_futures[0]))
             print('5 Year Futures: ' +str(n 5yr futures[0]))
             print('10 Year Futures: ' +str(n_10yr_futures[0]))
           5 print('Long Futures: ' + str(n long futures[0]))
             print('Positive: Long Position, Negative: Short Position')
         Hedge Portfolio with:
         2 Year Futures: -49.44683050818985
         5 Year Futures: -39.72044603223938
         10 Year Futures: -9.89272155854012
         Long Futures: -8.060605871700323
         Positive: Long Position, Negative: Short Position
           1
 In [ ]:
 In [ ]:
```

Section 8: Apply Machine Learning algorithms to predict stock price

```
In [37]: 1 import pandas as pd
2 import numpy as np
3 import datetime
4 from sklearn.model_selection import train_test_split
5 from sklearn.linear_model import LinearRegression
6 from sklearn import metrics
7 from sklearn.tree import DecisionTreeClassifier
8 from sklearn.metrics import confusion_matrix
9 import seaborn as sns
10 import matplotlib.pyplot as plt
```

```
In [38]:
          1
             df=pd.read excel('AAPL ML.xlsx')
             x=df.loc[:,['High','Low','Open','Volume']]
          2
          3
             y=df.loc[:,'Adj Close']
             x_train,x_test,y_train,y_test = train_test_split(x,y,test_size = 0.3)
             lm=LinearRegression()
             lm.fit(x_train,y_train)
             predictions=lm.predict(x_test)
             y=df.loc[:,'Increase']
             x train, x test, y train, y test = train_test_split(x, y, test_size = 0.3)
          9
          10 | dtree = DecisionTreeClassifier()
          11
             dtree.fit(x_train,y_train)
            predictions=dtree.predict(x_test)
             sns.heatmap(confusion matrix(y test,predictions),annot=True)
          13
             plt.xlabel('Predicted Value')
             plt.ylabel('True Value')
```

Out[38]: Text(33.0, 0.5, 'True Value')



```
In [ ]: 1
```