

## Paying Bills Analysis Report

**Research Objective:** Many Americans spend time worrying about their bills. A survey by Fleishman-Hilliard Research for MassMutual discovered that 60% of Americans with kids say the paying bills is a major concern. This proportion compares to 52% of Americans without kids. Suppose 850 Americans with kids and 910 without kids were contacted for this study. Use the data to test a hypothesis to determine if there is any significant difference between those with kids and those without kids.

### Problem Definition –

Is there a significant difference between Americans with kids who worry about paying their bills and those without kids?

### Hypothesis –

$$H_0: \pi = \pi$$

$$H_1: \pi \neq \pi$$

### Decision Rule –

If Z critical ratio is  $< -2.575$  and  $> 2.575$  reject the null hypothesis.

### Test – Test and CI for Two Proportions

#### Method

$p_1$ : proportion where Sample 1 = Event

$p_2$ : proportion where Sample 2 = Event

Difference:  $p_1 - p_2$

#### Descriptive Statistics

Sample	N	Event	Sample p
Sample 1	850	510	0.600000
Sample 2	910	473	0.519780

#### Estimation for Difference

Difference	99% CI for Difference
0.0802198	(0.019447, 0.140992)

CI based on normal approximation

#### Test

Null hypothesis  $H_0: p_1 - p_2 = 0$

Alternative hypothesis  $H_1: p_1 - p_2 \neq 0$

Method	Z-Value	P-Value
Normal approximation	3.39	0.001
Fisher's exact		0.001

The pooled estimate of the proportion (0.558523) is used for the tests.

**Conclusion –**

- 1) The Z test statistic of 3.39 is greater than the critical value of 2.575. Reject the null, there is a 1% chance that Type 1 error has been committed.
- 2) The confident interval of (0.019447, 0.140992) does not contain zero, reject the null.
- 3) P-value 0.001 is  $< \alpha .01 = \text{Reject Null}$ .

**Interpretation –**

There is no significantly difference between Americans who worry about paying their bills who have kids and those who don't.

**Assumptions –**

	<b>WITH KIDS</b>	<b>WITHOUT KIDS</b>
$np \geq 10$	$(850)(.6) \geq 10$ $510 \geq 10$	$(910)(.52) \geq 10$ $473 \geq 10$
$n(1-p) \geq 10$	$850(1-.6) \geq 10$ $340 \geq 10$	$910(1-.52) \geq 10$ $436 \geq 10$