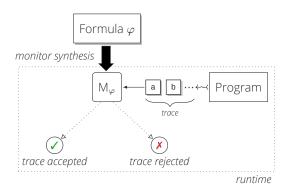
# A Monitoring Tool for Linear-Time $\mu$ -HML

## Overview: Runtime verification (RV)

 $^{\it color}$  RV = property as formula  $\varphi$  + current program trace  $_{\it color}$ 



Our monitor verdicts cannot be changed once given

## The aspects of modular RV

#### Monitorability of the logic

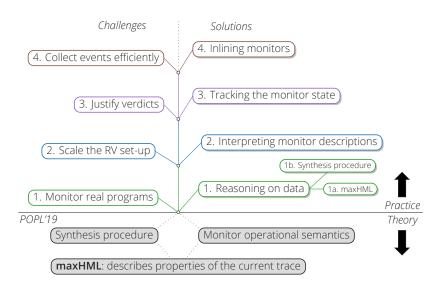
Establishing the set of properties that can be runtime checked

#### Correctness of monitors

Ensuring that the monitor represents the specified property arphi



## Making the theory come alive



## Token Server: An example in Erlang

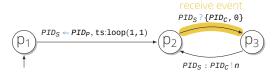


```
Erlang token server (ts.erl)

1  start(Tok) -> spawn(ts, loop, [Tok, Tok]).

2  
3  loop(OwnTok, NextTok) ->
4   receive
5   {Clt, 0} ->
6    Clt ! NextTok,
7   loop(OwnTok, NextTok + 1)
8  end.
```

## Token Server: An example in Erlang

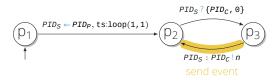


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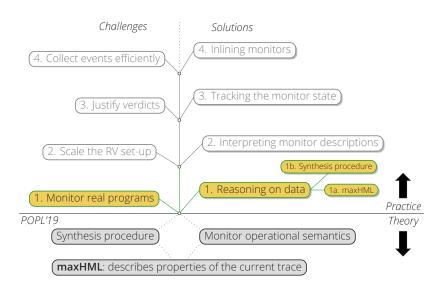


```
Erlang token server (ts.er1)

1  start(Tok) -> spawn(ts, loop, [Tok, Tok]).

2  loop(OwnTok, NextTok) ->
4  receive
5  {Clt, 0} ->
6  Clt ! NextTok,
7  loop(OwnTok, NextTok + 1)
8  end.
```

## Making the theory come alive



Formulae  $[P \text{ when } C] \varphi$  in the logic use **symbolic actions** 

$$[\{ \underset{\gamma}{\textcolor{red}{P}} \text{when } \textit{\textbf{C}} \}] \, \varphi$$

pattern *P* matches the shape of a trace event:

- · ← initialisation event pattern
- ! send event pattern
- ·? receive event pattern

Formulae  $[\{P \text{ when } C\}]\varphi$  in the logic use **symbolic actions** 

$$[ \{ {\it P} \ {\it when} \ {\it C} \} ] \, \varphi$$

*C* is a **decidable** Boolean constraint expression:

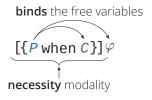
Var1, Var2, etc. data variables1, {1, b}, etc. data values

· ==, /=, >, etc. Boolean and relational operators

Formulae  $[P \text{ when } C] \varphi$  in the logic use **symbolic actions** 

binds the free variables  $\boxed{ \{ \textcolor{red}{P} \text{ when } \textcolor{red}{C} \} ] \textcolor{red}{\varphi} }$ 

Formulae  $[\{P \text{ when } C\}]\varphi$  in the logic use **symbolic actions** 

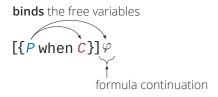


#### {P when C} defines a set of concrete of program events

An event is in this set when:

- 1. P matches the event, instantiating the variables in C, and
- 2. C is satisfied

Formulae [{P when C}] $\varphi$  in the logic use symbolic actions

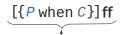


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Formulae  $[\{P \text{ when } C\}]\varphi$  in the logic use **symbolic actions** 

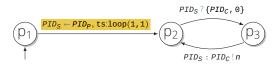


event does not match P or if it does, C is not satisfied

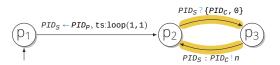
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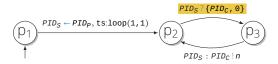
- 1. P matches the event, instantiating the variables in C, and
- 2. C is satisfied



```
1 [{_ ← _, ts:loop(<u>OwnTok</u>, _)}]
2
3
4
5
```



```
1 [{_ ← _, ts:loop(<u>OwnTok</u>, _)}] max Y.(
2
3
4
5
6 ).
```



```
1 [{_ ← _, ts:loop(<u>OwnTok</u>, _)}] max Y.(
2  [{_ ? {_, _}}]]
3
4
5
6  ).
```

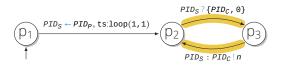


```
1 [{_ ← _, ts:loop(<u>OwnTok</u>, _)}] max Y.(
2   [{_ ? {_, _}}}](
3
4   and
5
6  )).
```



```
1 [{_ ← _, ts:loop(<u>OwnTok</u>, _)}] max Y.(
2    [{_ ? {_, _}}](
3         [{_:_! Tok when OwnTok == Tok}] ff
4         and
5
6    )).
```



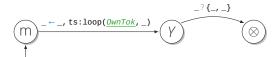


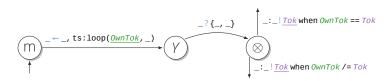
```
[{_ ← _, ts:loop(<u>OwnTok</u>, _)}] max Y.(
[{_ ? {_, _}}](
[{_:_! Tok when OwnTok == Tok}] ff
and
[{_:_! Tok when OwnTok /= Tok}] Y
]).
```



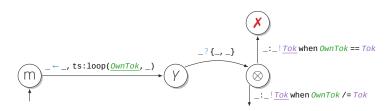


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[{_ ← _, ts:loop(<u>OwnTok</u>, _)}] max Y.(

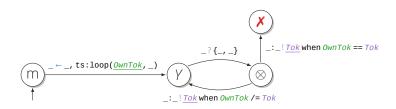
[{_ ? {_, _}}](

[{_:_! Tok when OwnTok == Tok}] ff

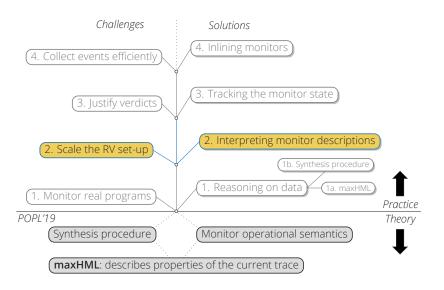
and

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()).
```



## Making the theory come alive

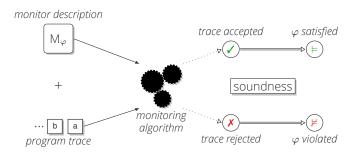


## 2. Interpreting monitor descriptions

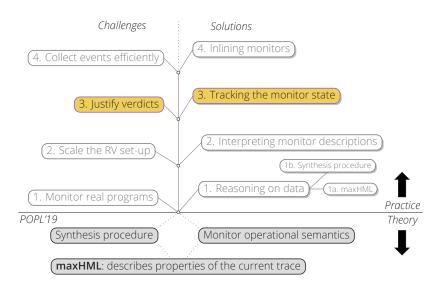
Our algorithm determinises monitors on-the-fly

Monitor descriptions are instantiated with trace event data

Scalability: we **emulate** disjunctive and conjunctive parallelism

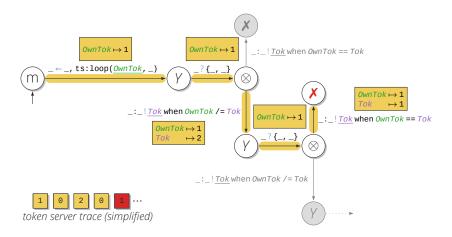


## Making the theory come alive

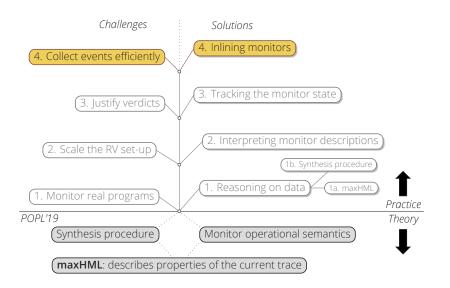


## 3. Tracking the monitor state

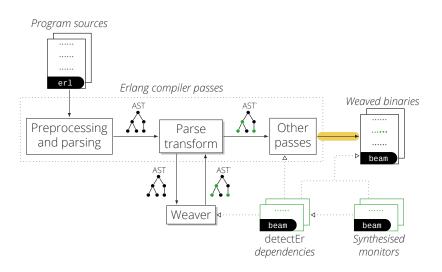
Explainability = tracking monitor state + applied rules •



## Making the theory come alive



## 4. Inlining monitors



## Contributions and summary

An extended monitorable logic and monitors that handle **data**An algorithm that follows the monitor **operational semantics**Verdict **explainability** based on monitor reductions **One tool** to monitor linear- and branching-time specifications

#### Future directions and improvements

- Bound on the number of states managed by the algorithm
- Leverage the outline instrumentation provided by detectEr
- Empirical study of runtime overhead

## GitHub link

https://duncanatt.github.io/detecter

## Thank you