

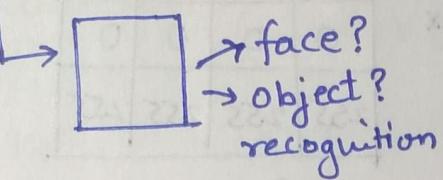
L-1.

Convolutional Neural Network (CNN, ConvNets)

→ MLP

→ Convnets → visual Tasks.

→ MNIST



Computer Vision

ML/AI

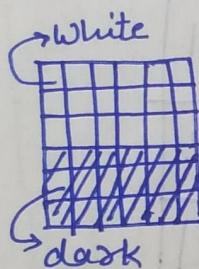
Images/Videos

1981 → Visual Cortex research.

↳ finding

- ① Some neuron fire when light fall at specific angle.
- ② Some neuron detect motion, face, depth etc.

L-2. Convolution: Edge detection



	1	2	3	4		
1	0	0	0	0	0	0
2	0	0	0	0	0	0
3	0	0	0	0	0	0
4	255	255	255	255	255	255
	255	255	255	255	255	255
	255	255	255	255	255	255

6x6

x

6x6

Y

*

[Convolution
operation]

1	+2	+1
0	0	0
-1	-2	-1

3x3

Sobel Horizontal
edge detector

Componentwise
multiplication followed
by addition.

$$\Rightarrow \sum_{j=0}^2 \sum_{i=0}^2 x_{ij} \times y_{ij}$$

0	0	0	0
-1020	-1020	-1020	-1020
-1020	-1020	-1020	-1020
0	0	0	0

4x4

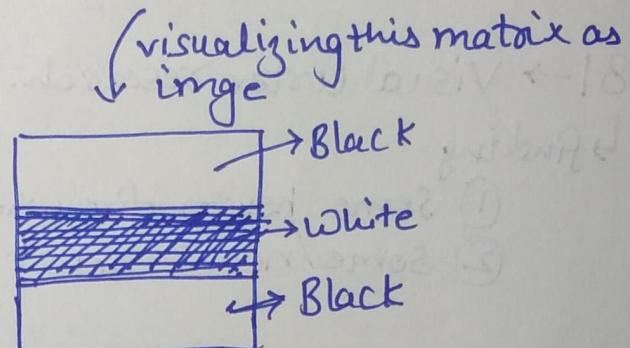
Why this is a edge detector?

$0 \rightarrow \text{min}$ to $255 \rightarrow \text{max}$

$$\begin{array}{|c|c|c|c|} \hline 0 & 0 & 0 & 0 \\ \hline -10 & 20 & -10 & 20 \\ \hline -10 & 20 & -10 & 20 \\ \hline 0 & 0 & 0 & 0 \\ \hline \end{array}
 \xrightarrow[\text{4} \times 4]{\text{Norm}}
 \begin{array}{|c|c|c|c|} \hline 255 & 255 & 255 & 255 \\ \hline 0 & 0 & 0 & 0 \\ \hline 0 & 0 & 0 & 0 \\ \hline 255 & 255 & 255 & 255 \\ \hline \end{array}$$

Norm
min & max

Similarly we can extend this concept to vertical edge detection.



Sobel Vertical Edge detector

$$\begin{array}{|c|c|c|} \hline +1 & 0 & -1 \\ \hline +2 & 0 & -2 \\ \hline +1 & 0 & -1 \\ \hline \end{array}$$

How to combine both the horizontal & vertical Edge detector

$$G_{Ix} = \begin{bmatrix} +1 & 0 & -1 \\ +2 & 0 & -2 \\ +1 & 0 & -1 \end{bmatrix} * A$$

$$G_{Iy} = \begin{bmatrix} +1 & +2 & +1 \\ 0 & 0 & 0 \\ -1 & -2 & -1 \end{bmatrix} * A$$

$$G_I = \sqrt{G_{Ix}^2 + G_{Iy}^2}$$

How to create Sobel Edge detector

$$\begin{bmatrix} +1 & 0 & -1 \\ +2 & 0 & -2 \\ +1 & 0 & -1 \end{bmatrix} = \begin{bmatrix} 1 \\ 2 \\ 1 \end{bmatrix} \begin{bmatrix} +1 & 0 & -1 \end{bmatrix}$$

↑ averaging kernel ↑ differentiation kernel

L3 - Convolution Padding and strides

Padding

$$\text{input } (n \times n) \xrightarrow[\text{(K} \times \text{K)}]{\text{convolution}} \text{output } (n-K+1) \times (n-K+1)$$

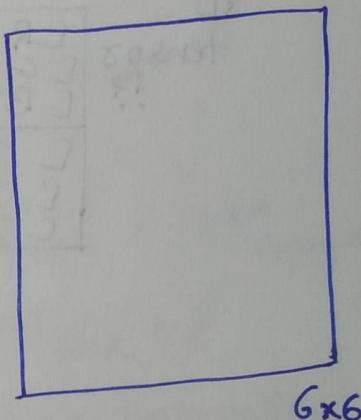
$\Rightarrow n=6 \quad K=3 \rightarrow 4 \times 4$
 $\Rightarrow n=8 \quad K=5 \rightarrow 4 \times 4$

Now, we want output I want is also 6×6 .

?	?	?	?	?	?	?	?
?	0	0	0	0	0	0	?
?	0	0	0	0	0	0	?
?	0	0	0	0	0	0	?
?	255	255	255	255	255	255	?
?	255	255	255	255	255	255	?
?	255	255	255	255	255	255	?
?	?	?	?	?	?	?	6×6

8×8

$$* \begin{array}{|c|c|c|} \hline +1 & +2 & +1 \\ \hline 0 & 0 & 0 \\ \hline -1 & -2 & -1 \\ \hline \end{array} = 3 \times 3$$



- padding \rightarrow
- ① Zero padding
 - ② Same adjusting value.

Stride \rightarrow Shift like in Sobel we have shift of 1.
Here this shift is called stride we can have any size of stride

$$n \times n \xrightarrow[K \times K]{S=8} \left(\left\lfloor \frac{n-K}{S} \right\rfloor + 1 \right) \times \left(\left\lfloor \frac{n-K}{S} \right\rfloor + 1 \right)$$

$$6 \times 6 \xrightarrow[K=3]{S=2} \left(\left\lfloor \frac{3}{2} \right\rfloor + 1 \right) \times \left(\left\lfloor \frac{3}{2} \right\rfloor + 1 \right) = 2 \times 2$$

Input $6 \times 6 \xrightarrow[K=3]{S=2} 2 \times 2$ output

$6 \times 6 \xrightarrow[K=3]{S=1} 4 \times 4$. as seen in Sobel.

Conv, padding, strides

$$n \times n \xrightarrow[p, s]{k \times k} \left(\left\lfloor \frac{n+k+2p}{s} \right\rfloor + 1 \right) \times \left(\left\lfloor \frac{n+k+2p}{s} \right\rfloor + 1 \right)$$

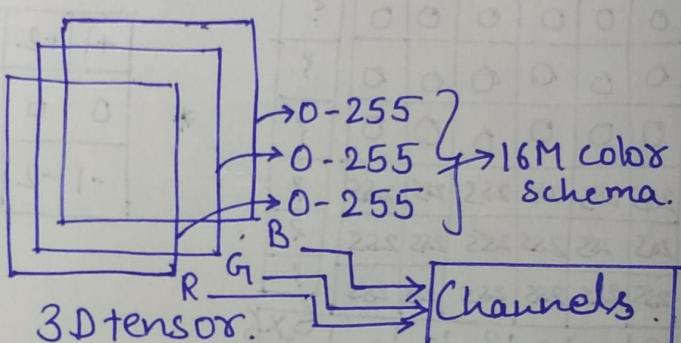
padding stride

L-4 - Convolution on color-images.

Conv → gray scale images →
 ↘ color-images.
 2D tensor

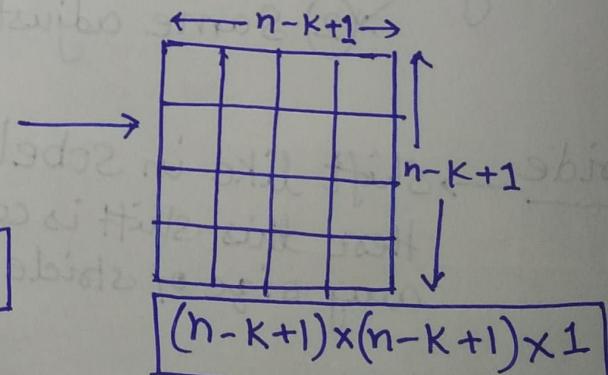
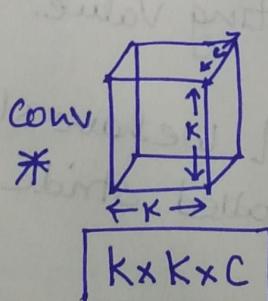
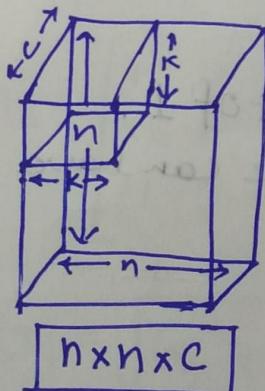
255	128	0

[C R]	[]
[C G]	[]
[C B]	[]
[C]	[]

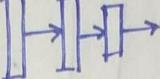


Q. So, How to do convolution on 3-D tensors?

A.



L-5 Convolution Layer in NN

MLP layer 

① Conv layer → biological inspiration v_1, v_2, v_3
↳ kernels.

② {Multiple edge detection → Multiple kernels. }
+ edge detection → 1 kernel } Seens
in prev.

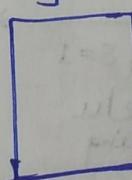
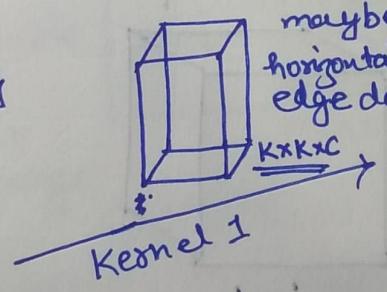
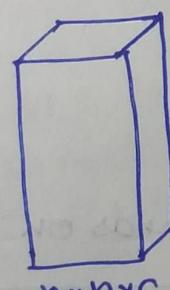
→ Image processing classical: sobel.
Vs

Convolution Neural Net (CNN): learn the Kernel matrix

In MLP: learns weights $\rightarrow w \cdot x$

CNN: learn kernel matrix $\rightarrow I * \text{kernel}_{k \times k} = E$
edge image

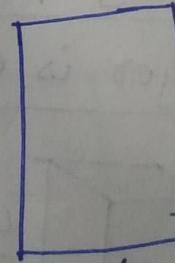
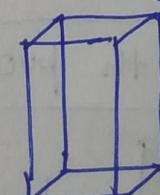
Dataset $\{x_i, y_i\}$



$n \times n \times c$

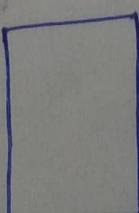
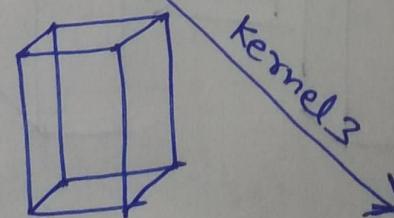
$n \times n \times c$

$(n - k + 1) \times (n - k + 1) \times 1$



$k \times k \times c$

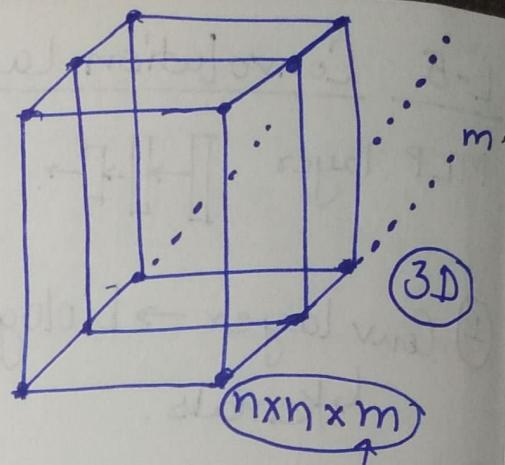
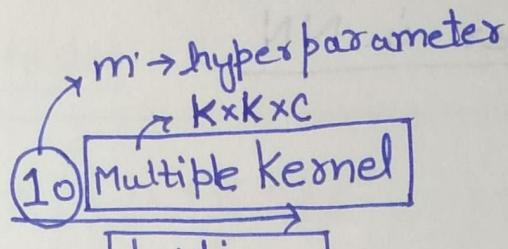
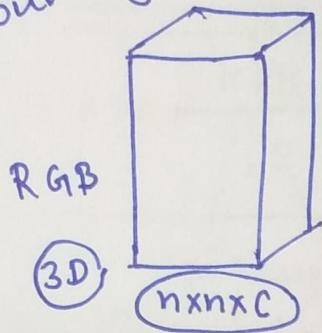
$(n - k + 1) \times (n - k + 1)$



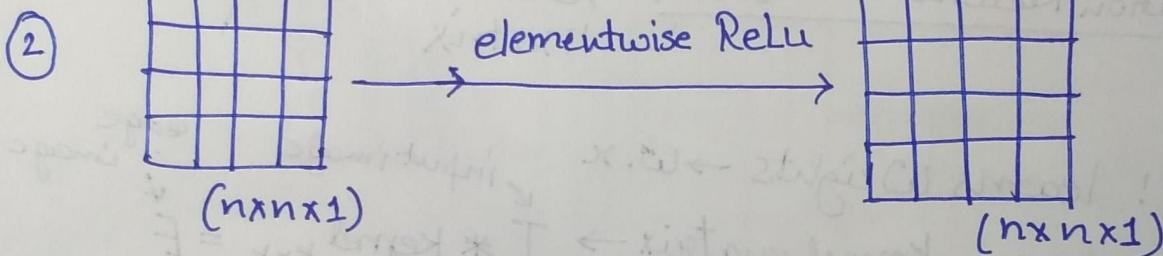
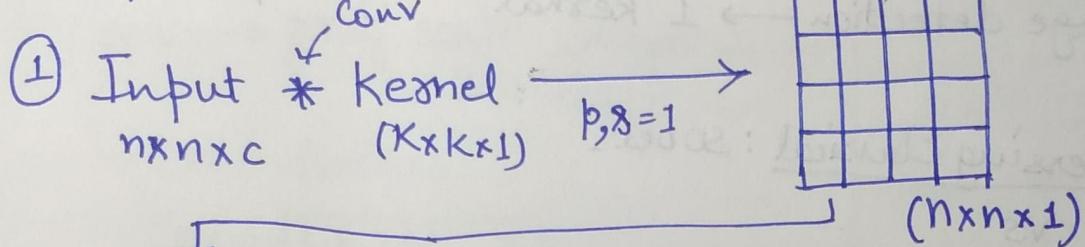
may be
slant edge
detecting
 45°

$(n - k + 1) \times (n - k + 1) \times 1$

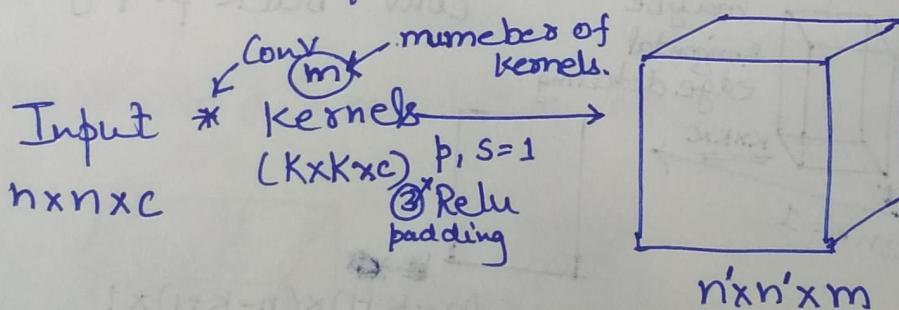
Conv-layer.



Steps.

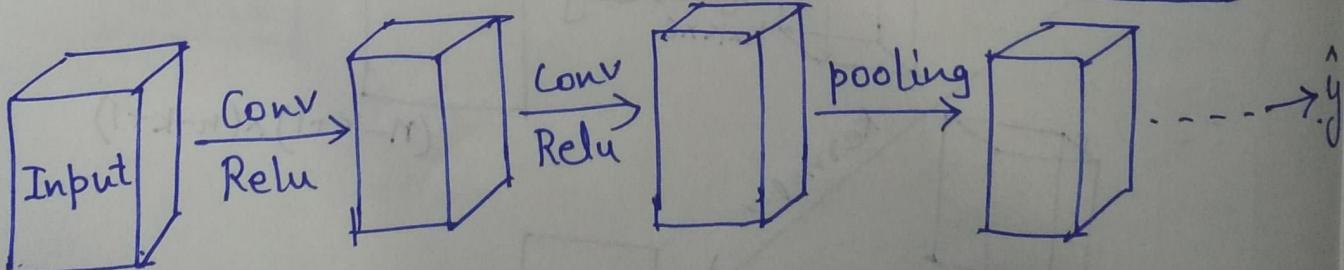


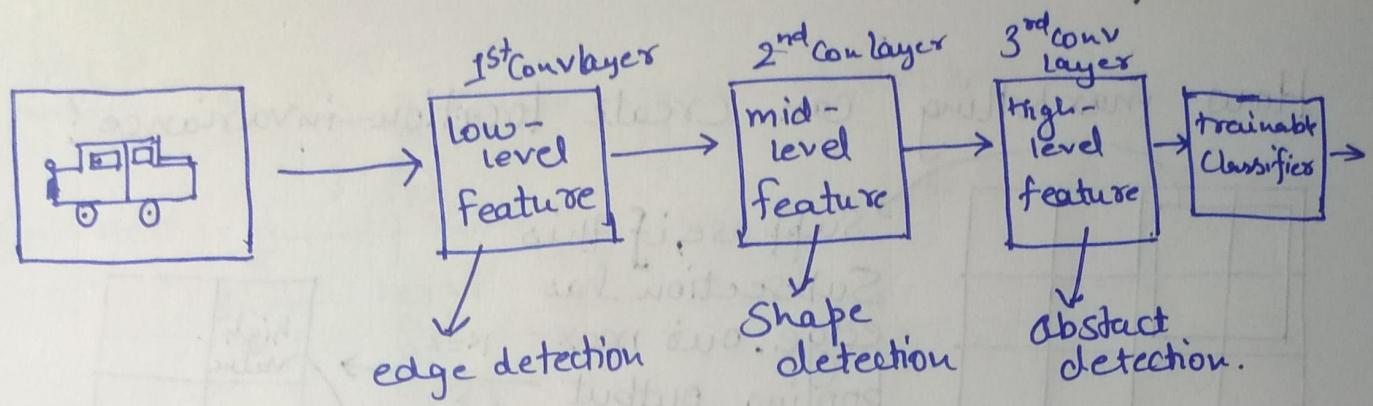
Often this 2 steps are written as 1 step.



n' is not necessarily equal to n because it depends on K, p, s .

Generally, this layer is applied with pooling layer.





Convnets are much similar to how visual cortex works.

Key takeaway: Kernels train in Convnets is same as weights training in MLP.

L-6 - Max pooling (pool) → CNN

→ layer

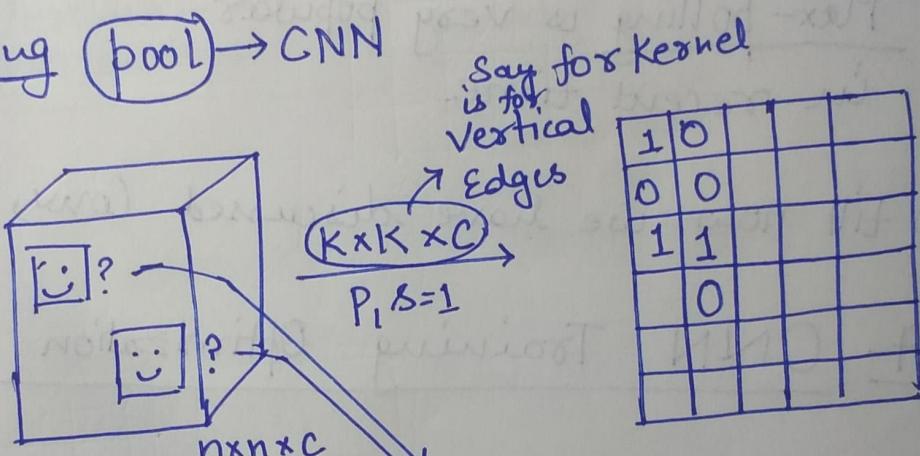
→ inspiration

location is variable
in image.
where ever
object in image
detect it.

It has nothing to do
with size of image
variable.

→ max value in this submatrix.

1	1	2	4
5	6	7	8
3	2	1	0
1	2	3	4



(Max-pooling)

$K=2$

$S=2$

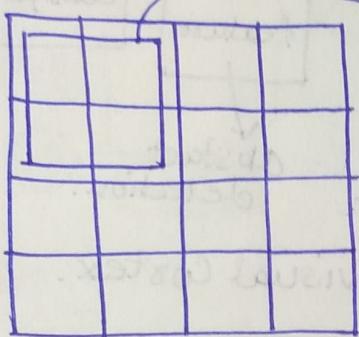
4×4

6	8
3	4

$$\left(\frac{4-2+1}{2}, \frac{4-2+1}{2} \right)$$

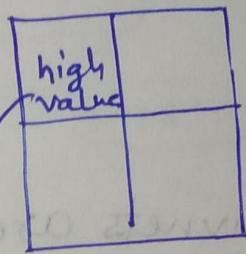
(2,2)

How max pooling can create location invariance?



Suppose, if this Sub-section has edge. our max pooling output will have high value in region

$$k=2 \\ s=2$$



this high value signifies the region has edge.

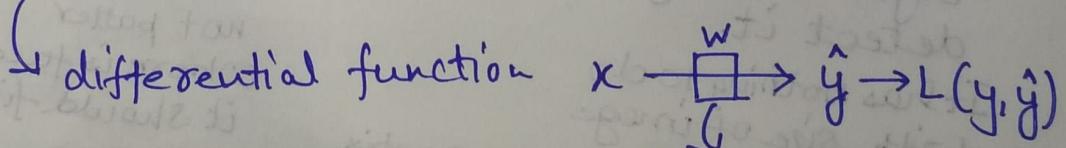
this is Convolved + Relued image

Max-pooling is very popular in recent time.

So till now we have discussed Conv, ReLU, Max-pooling.

L-7- CNN Training Optimization

MLP: back prop \rightarrow SGD, Adagrad, Adam



Now in this also we have to make sure

\rightarrow Conv-layer \rightarrow Conv; ReLU

differential already seen

\rightarrow Max-pooling

elementwise multiplication followed by addition on Matrix.
Hence, this is differentiable.

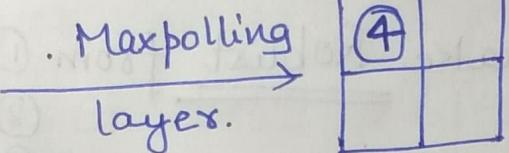
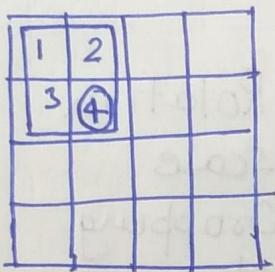
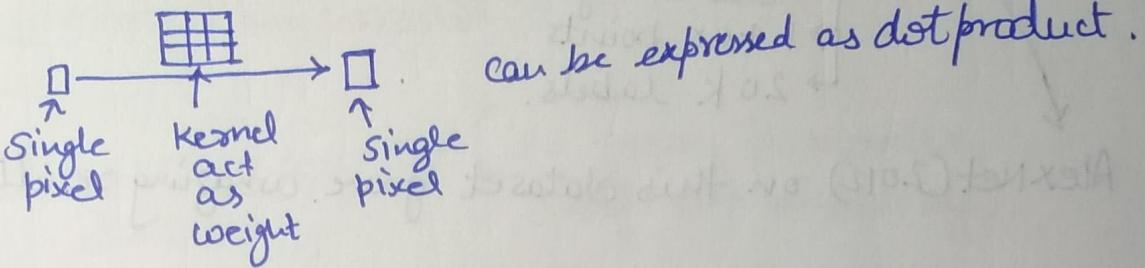
Now How to take derivative of max function

& then back propagate.

If we consider 0. So for max value we give value = 1 & 0 otherwise

MLP. \times w's y can be expressed as dot product

Conv nets



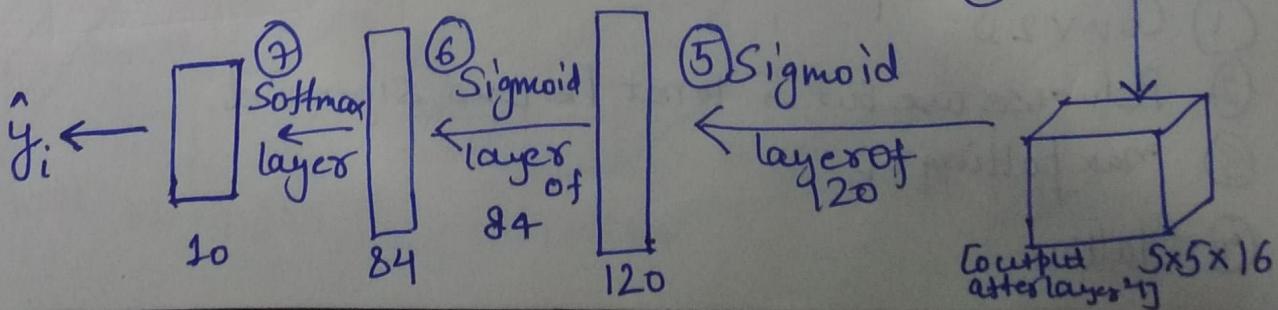
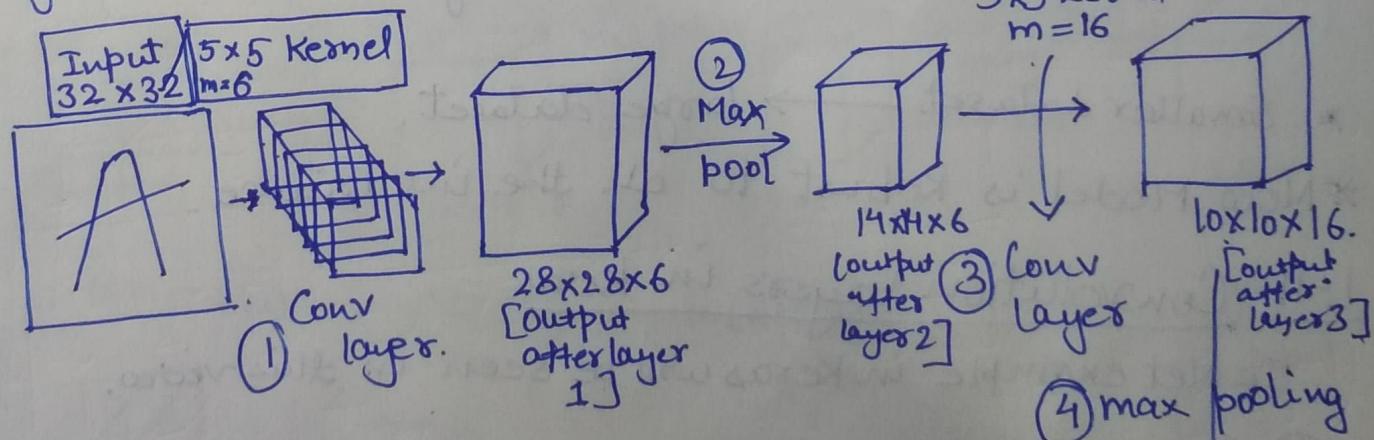
$$\frac{\partial MP}{\partial x} \Rightarrow \begin{cases} \text{Max value derivative} = 1 \\ \text{non-Max value derivative} = 0 \end{cases}$$

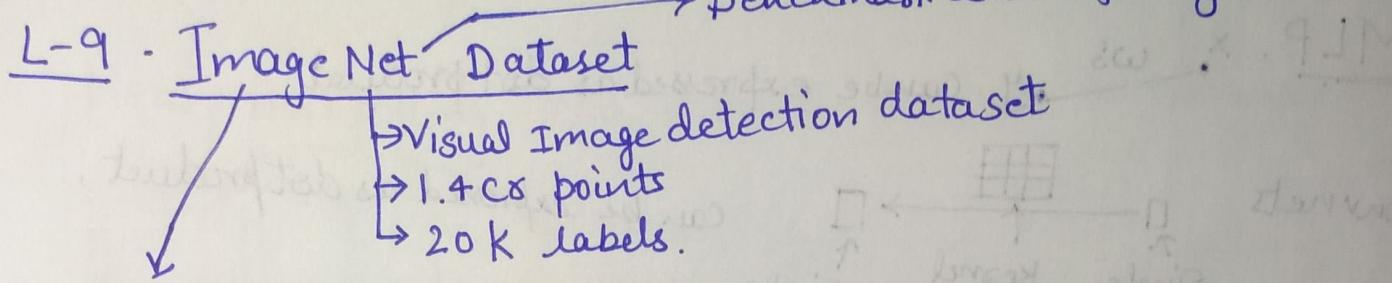
simple
hack
for
derivative
for maxfunction
is 0 but this is
not called max
function this is
Max pooling layer.

We can apply dropout whenever required.

L-8- Example CNN LeNet [1998]

In 1998, Relu's were not invented so they used Sigmoid units.





AlexNet (2012) on this dataset gave amazing results.

L-10. Data Augmentation

CNN models to make Robust from:

- ① Rotation
- ② Scale
- ③ Cropping etc.

$D\{x_i, y_i\}$

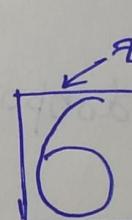
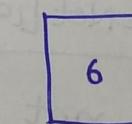
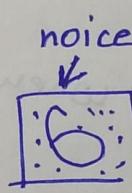
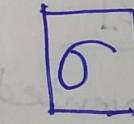
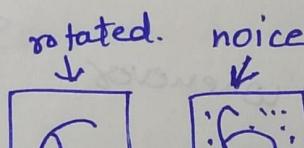


$D'\{x_{ij}, y_i\}$

We create bunch of new images in D' for data in D by little rotation, adding noise, etc.



Data
Augmentation



zoom in variance
etc.

these images are made from same image in dataset.

* Smaller dataset → large dataset.

* Now Model is Robust to all the invariance.

L-11 Convolution Layers in Keras

LeNet example in Keras will be seen in this video.

- ① Conv2D
- ② Relu → we use but in lenet he used Sigmoid.
- ③ MaxPooling2D
- ④ Flatten.

Conv 1D ← time Series Data

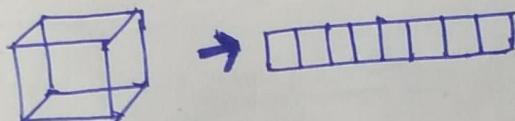
Conv 2D ← image

Conv 3D ← image + time series Data.

Keras. layers. ~~2~~ conv2D (so many parameters
Self explanatory).

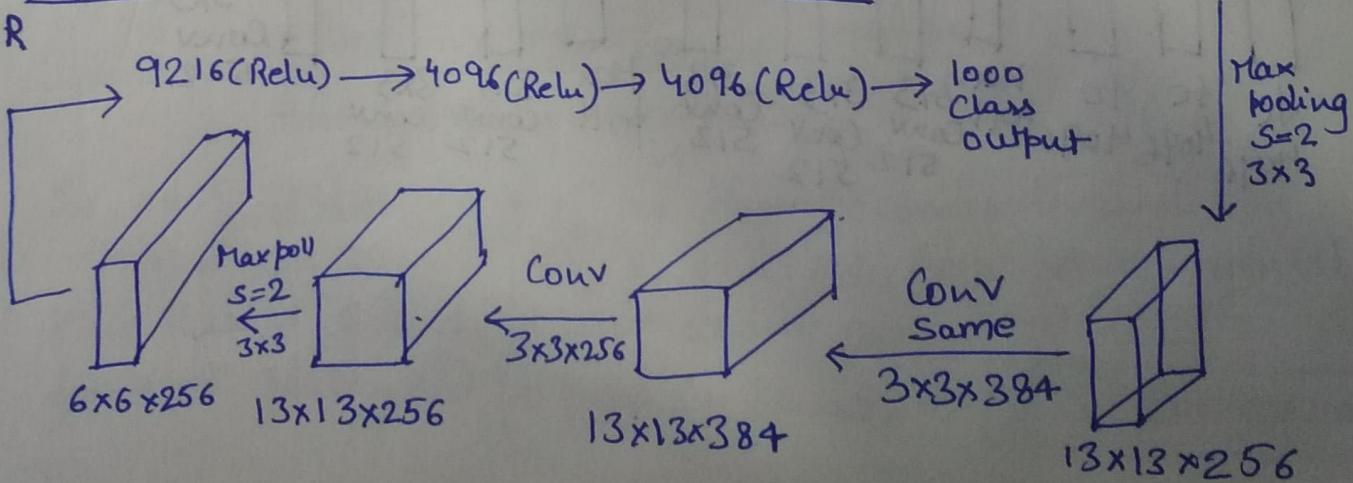
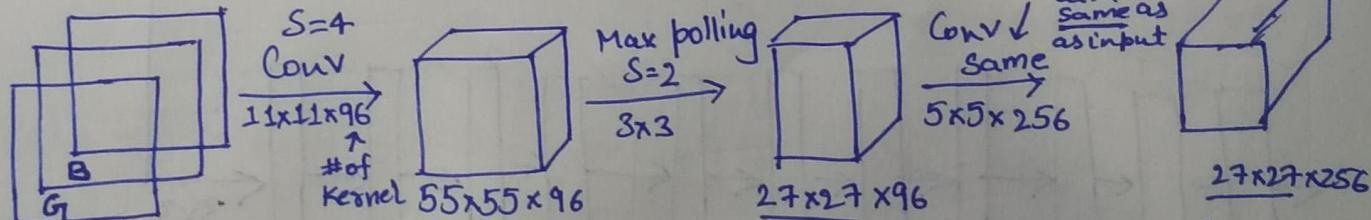
→ Activation layer can be added extra or in this same line only.
flatten layer converts 3D matrix to 1D array

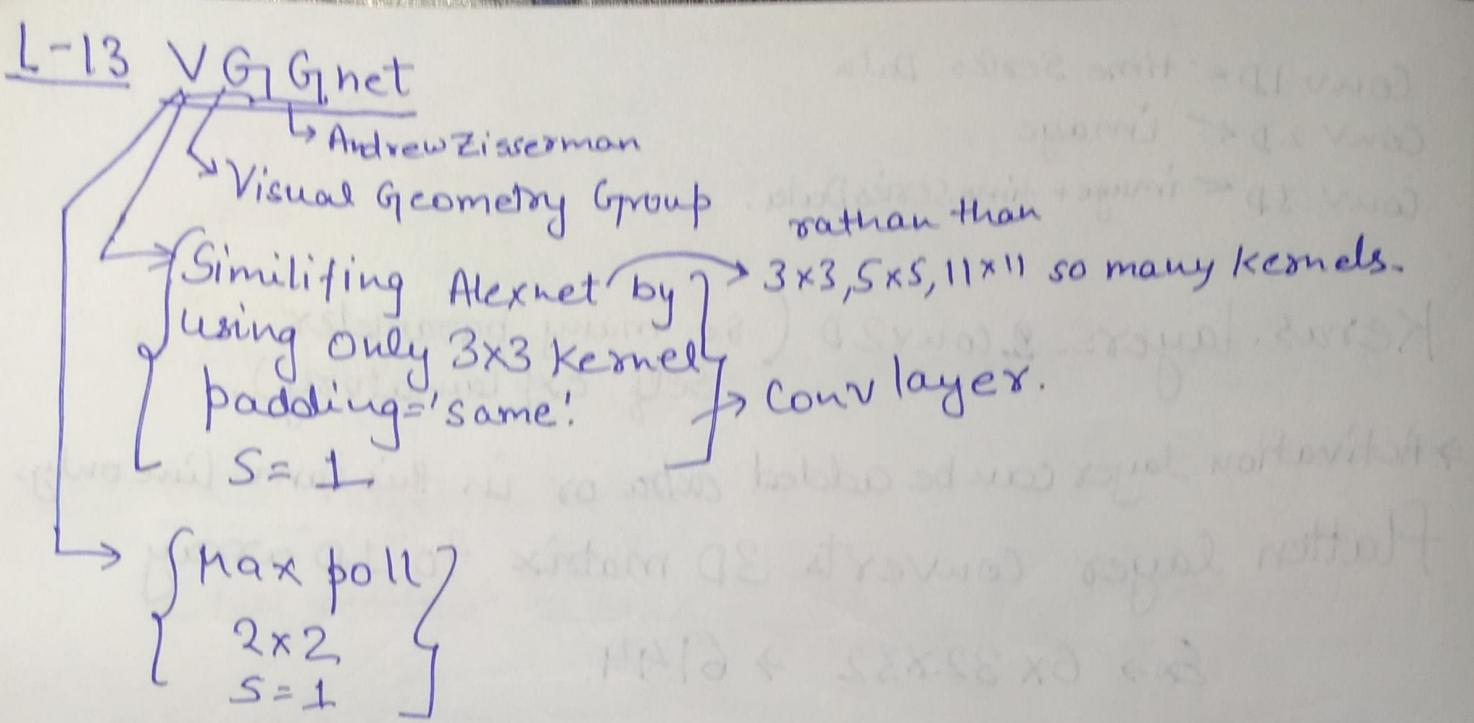
Ex → $6 \times 32 \times 32 \Rightarrow 6144$.



Keras →
LeNet (1998)
AlexNet (2012)
VGG (2014)

L12 - Alex Net → Same model of 2012 that made
everyone's attention on Deep learning.
Relu dropout
↓ ↓
data augmentation. ⇒ GPU's → first used by Andrew Ng.

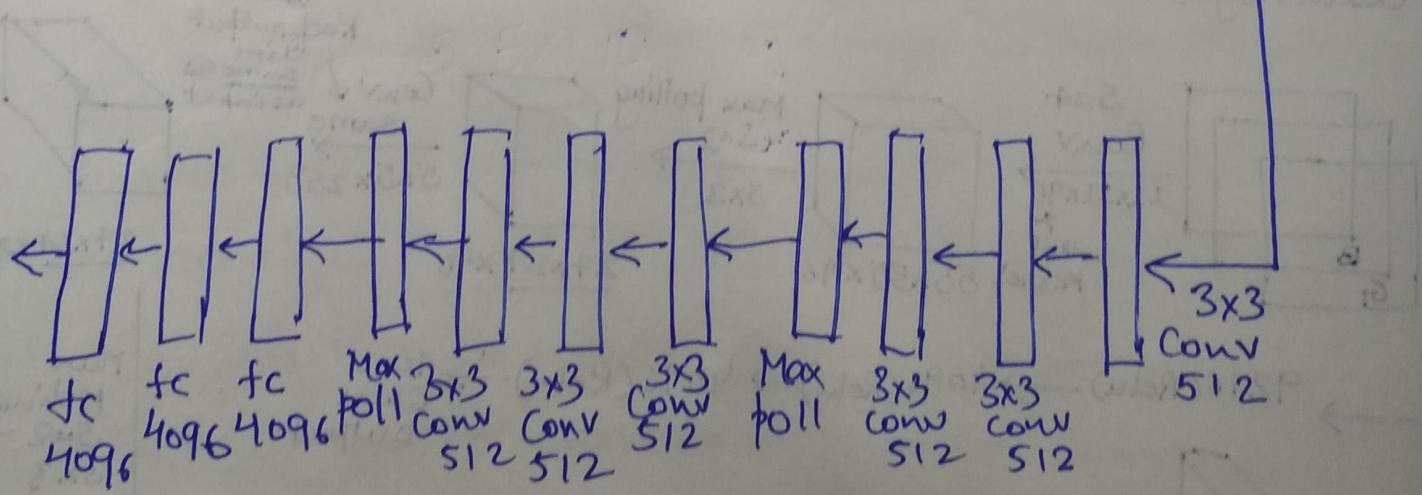
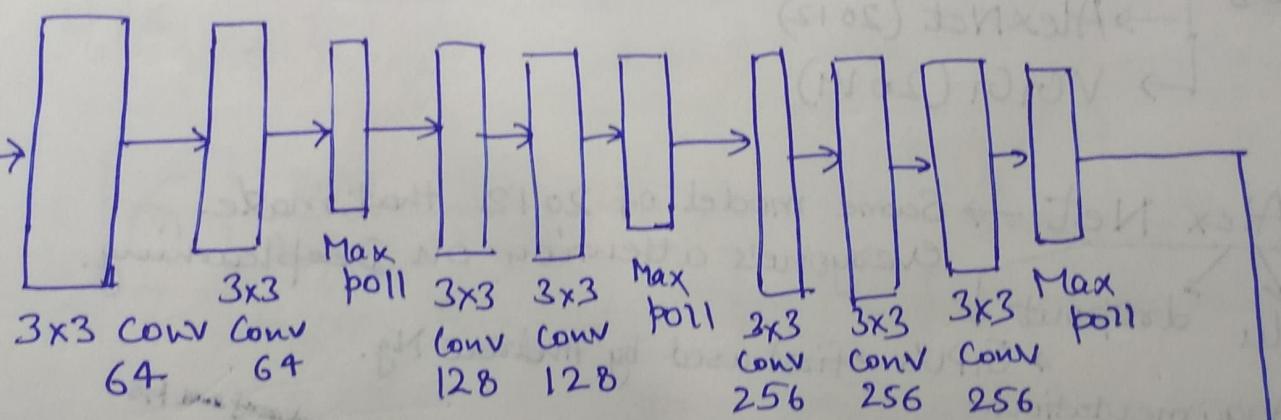




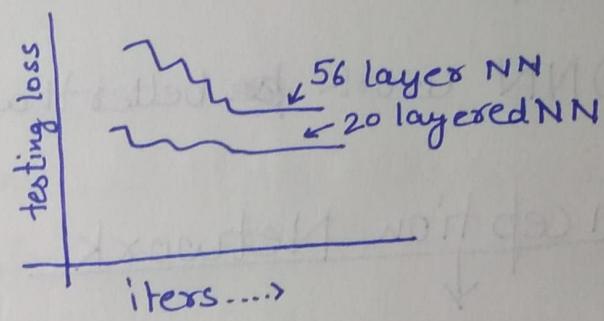
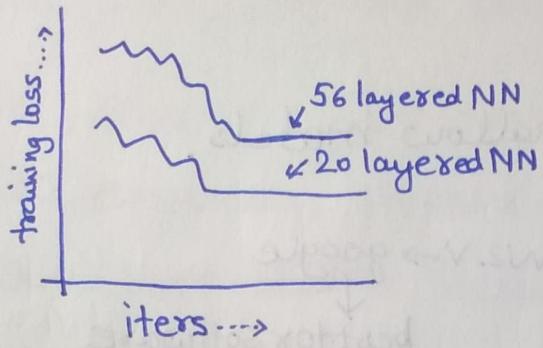
$\nabla G_1 G_{16}$

$\nabla G_1 G_{19}$

Architecture

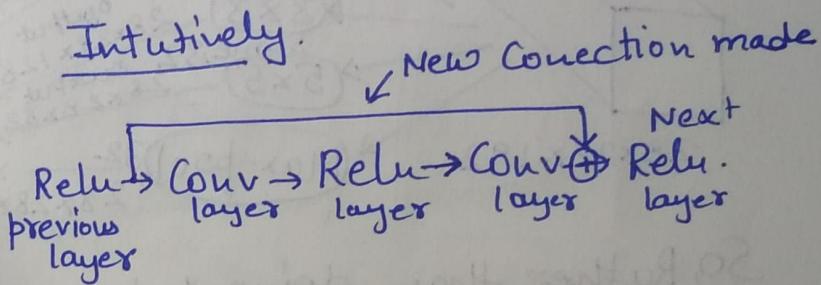
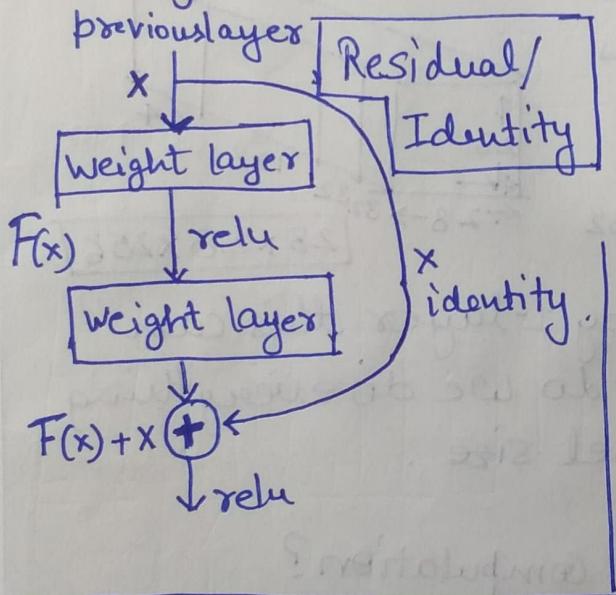


L-14 Residual Network



Researchers observed very deep neural network gives high loss than low layer network than very high.

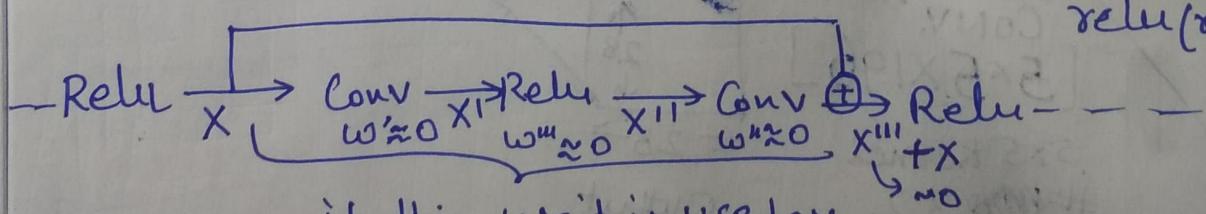
So, they developed new building block.



What does regularizer do
 L_1, L_2 , dropout it removes effect of useless weights?
 and

$$\delta \text{elu}(\text{relu}(x)) = \text{relu}'(x)$$

if $x > 0$ $\text{relu}(x) = x$
 $\delta \text{elu}(\text{relu}(x)) = x$
 if $x < 0$ $\text{relu}(x) = 0$
 $\delta \text{elu}(\text{relu}(x)) = 0$



if this unit is useless
this work as a regulariser.

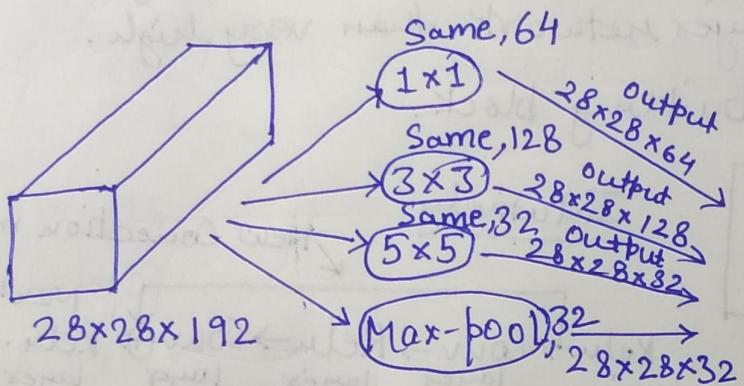
So not accounting x''' as this becomes 0 and only effect caused by x and $\delta \text{elu}(\text{relu}(x+x'')) = \text{relu}'(x) = x$.
 thus this is like dead unit which cannot be further propagated. So usually known as **SKIP CONNECTION**.

NOTE Make Sure x''' & x are of same size use padding as 'SAME'.

Now, DNN work ~~is~~ better than shallow models.

E15 - Inception Network

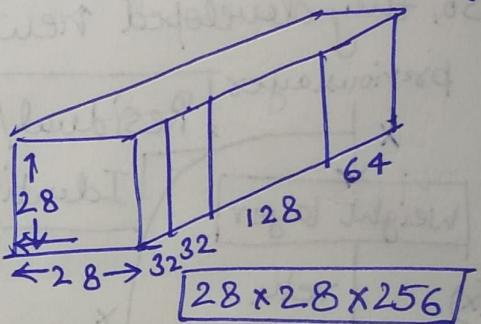
Google



W2V → google

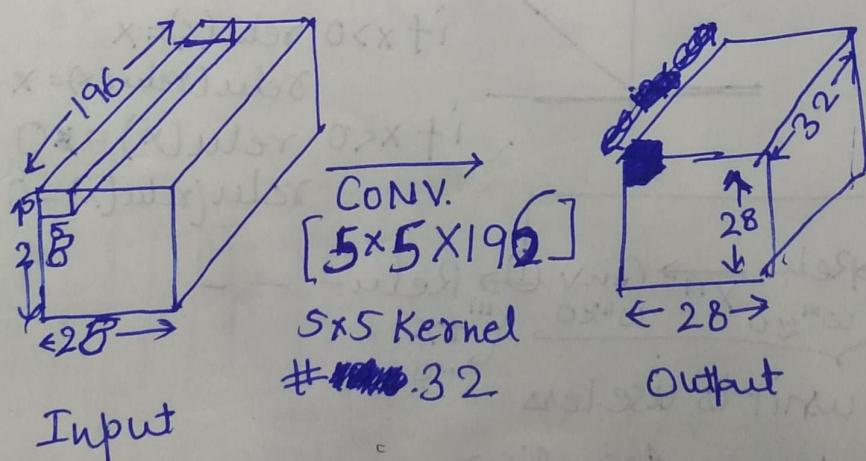
best for software
optimisation

Negative Sampling,
Hierarchical Clustering.



So, Rather than doing 1-layer by 1-layer this can Create confusing. So what we do do we do everything together with different Kernel size .

Now How hard this is for computation?



To generate 1 unit of output = $28 \times 28 \times 196 \times (5 \times 5 \times 196)$

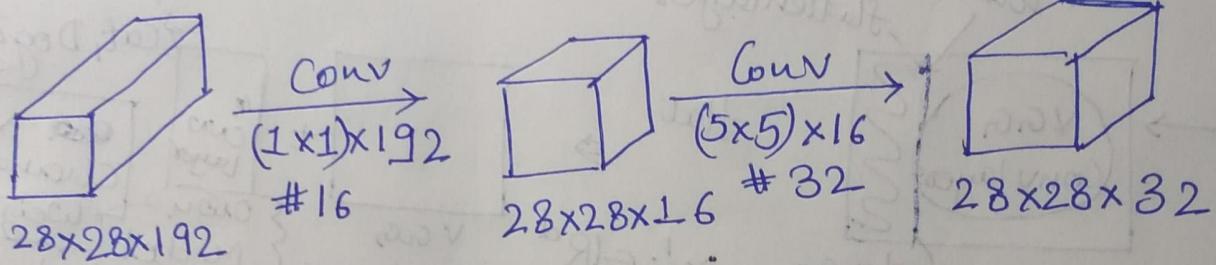
To generate Matrix of $28 \times 28 \times 196 = (5 \times 5 \times 196) \times (28 \times 28 \times 32)$
 $\approx 128 M$

So for 1 layer we have done 128 Million multiplication.
Here we have not counted for addition also.

So, how can we optimise this.

So engineer proposed use $1 \times 1 \times K$ size kernel as a intermediate kernel also called Bottleneck layer.

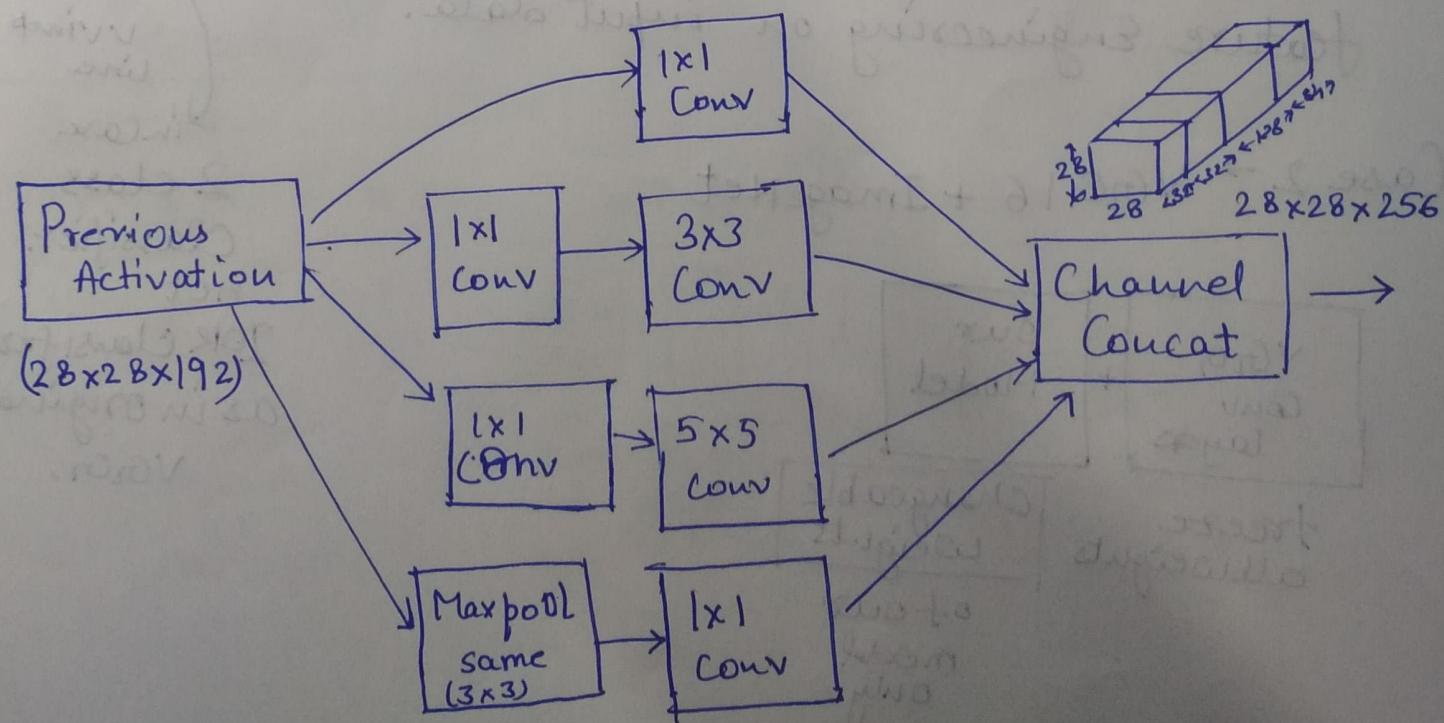
→ this can be understood as Autoencoder. We first reduced the size of input then expand it.



$$\text{No. of multiplication: } (28 \times 28 \times 16) \times (1 \times 1 \times 92)$$

$$(28 \times 28 \times 32) \times (5 \times 5 \times 16)$$

$$= 12.4 \text{ M} (\text{earlier which was } 120 \text{ M})$$

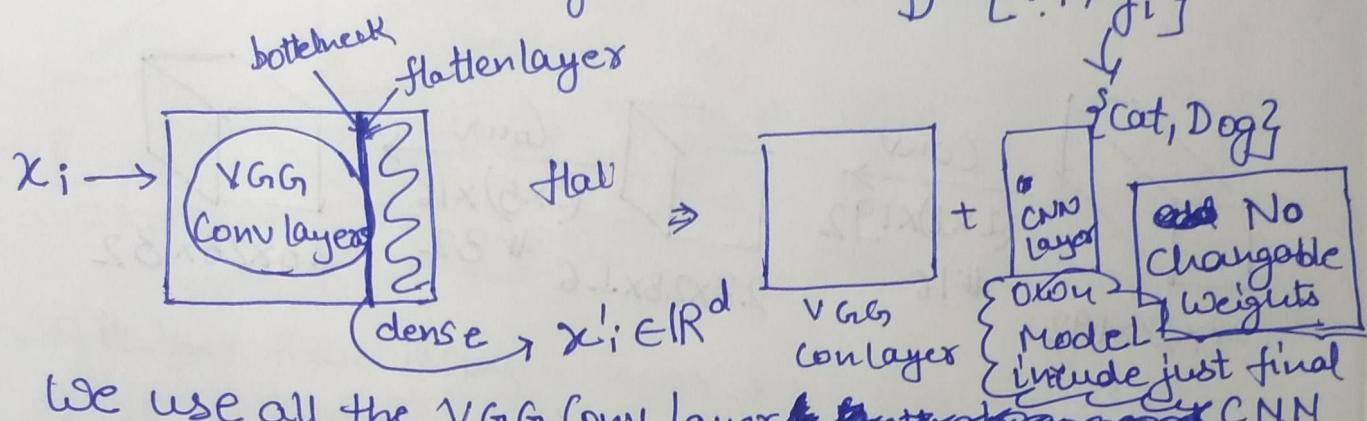


L-16 Transfer Learning (Keras)

Idea: Instead of building a NN from scratch to solve our task, we can reuse existing models (VGG16) trained on a different dataset.

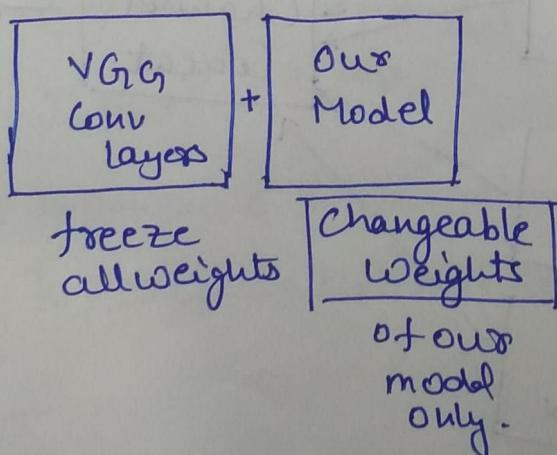
Hence, Can I "transfer" learning from 1 model to other

Case 1: VGG16 + ImageNet



We use all the VGG Conv layer, don't use flatten layer & dense layer. and we can add our model after VGG conv layer and Now this VGG conv layers act as our feature Engineering on input data.

Case 2: VGG16 + ImageNet



Case 1
using
line
In case
2 class
classifier.
not
20k classifier
as in original
VGG.

Case 3: VGG16 + ImageNet ← init weights ← same model

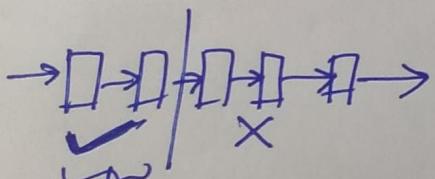
{ take old model of init weights train
model on your dataset on top of it. }
again

D ~ small
D ≠ imagenet

D ~ large
D ≠ imagenet

take few layers
of VGG which
has edge detection
& train remaining
model.

take VGG model
as initial weight
initializer and
train the complete
model again.

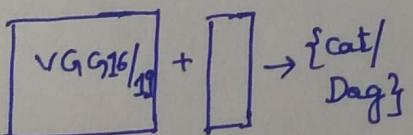


first 2 layers are
generally edge
detectors.

Summary

Case I

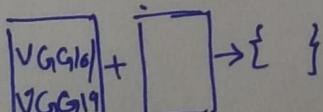
vs



No change our
CNN
Classifiers
Not
20k classifier

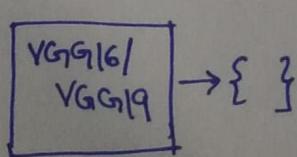
Case II

vs.



No change Complete
Model added.
with VGG

Case III



Change
the weights
with these
initial weights.