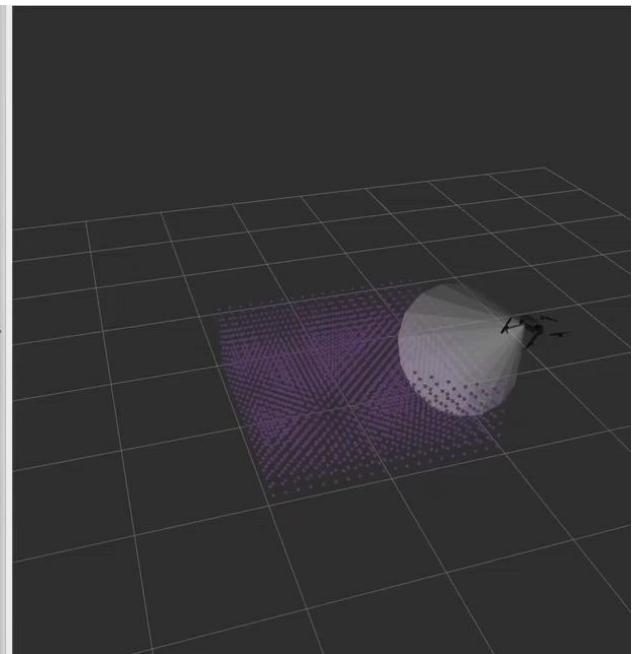
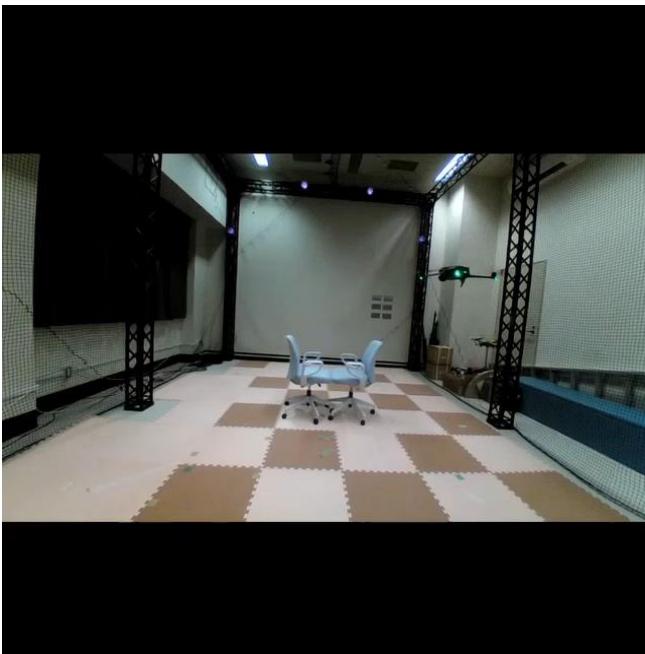


Visual 3D Model Reconstruction

Technology Meets Coverage Control



Takeshi Hatanaka (Tokyo Tech)

University of Waterloo

July 5, 2024

Prologue: Agriculture 4.0 and Multi-robot Coordination

DLG, Digitalisierung in der Landwirtschaft, DLG-Merkblatt 447 (2019)

2.4 Automation und Robotik (Automation and Robotics)

It is already becoming apparent that autonomous robots will mostly be small in size and electrically driven. This will lead to considerable reductions in investment costs and vehicle weights. The lower the acquisition and investment costs, the lower the area performance can be. This effect helps with the acceptance of autonomous agricultural robots, because many tasks that a robot has to perform can be carried out much more precisely at low driving speeds, but above all with less energy. Such devices are lightweight and therefore gentle on the soil.

<https://www.dlg.org/de/landwirtschaft/themen/technik/digitalisierungsbauwirtschaft-und-prozesstechnik/dlg-merkblatt-447>

Digitalisierung in der Landwirtschaft

DLG-Merkblatt 447

Wichtige Zusammenhänge kurz erklärt

Download Druckversion



Autoren:

- DLG-Ausschuss für Digitalisierung, Arbeitswirtschaft und Prozesstechnik
- Prof. Dr. Hans W. Griepentrog, Universität Hohenheim

Inhaltsverzeichnis



Scaling up to larger areas is NOT achieved by larger and faster machines, but via a swarm of similar and small robots cooperating with each other.

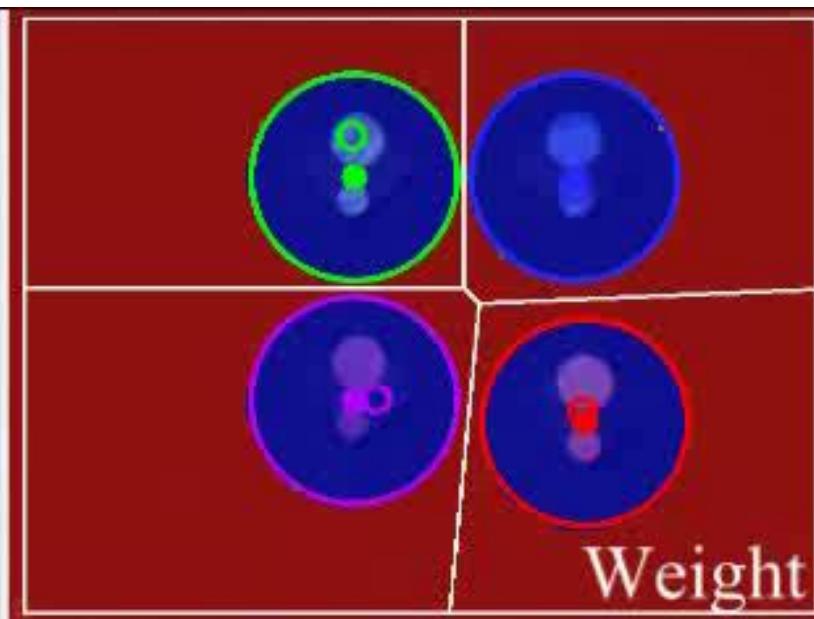
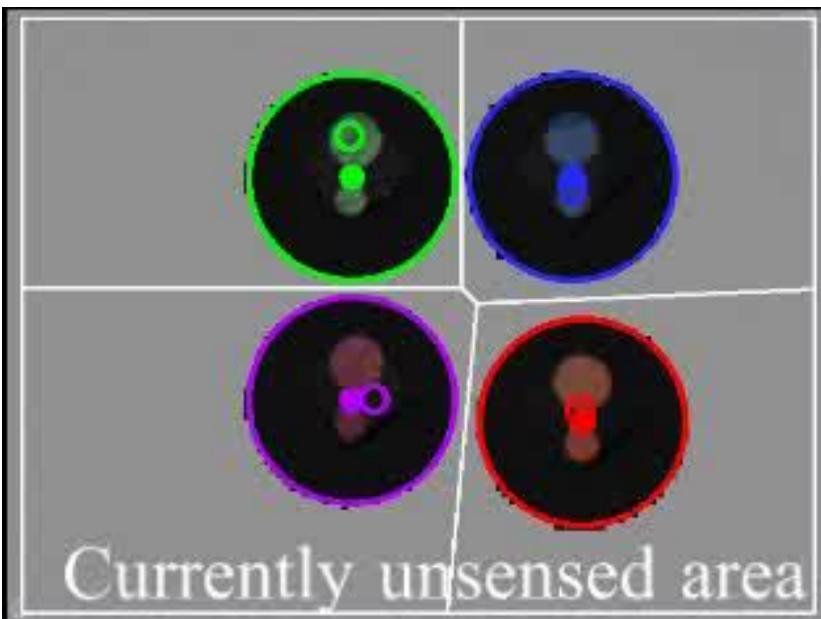
Persistent Coverage Control

Density update

- $\dot{\phi}(q) < 0$ if q is monitored by a robot
- $\dot{\phi}(q) > 0$ if q is not monitored by any robot

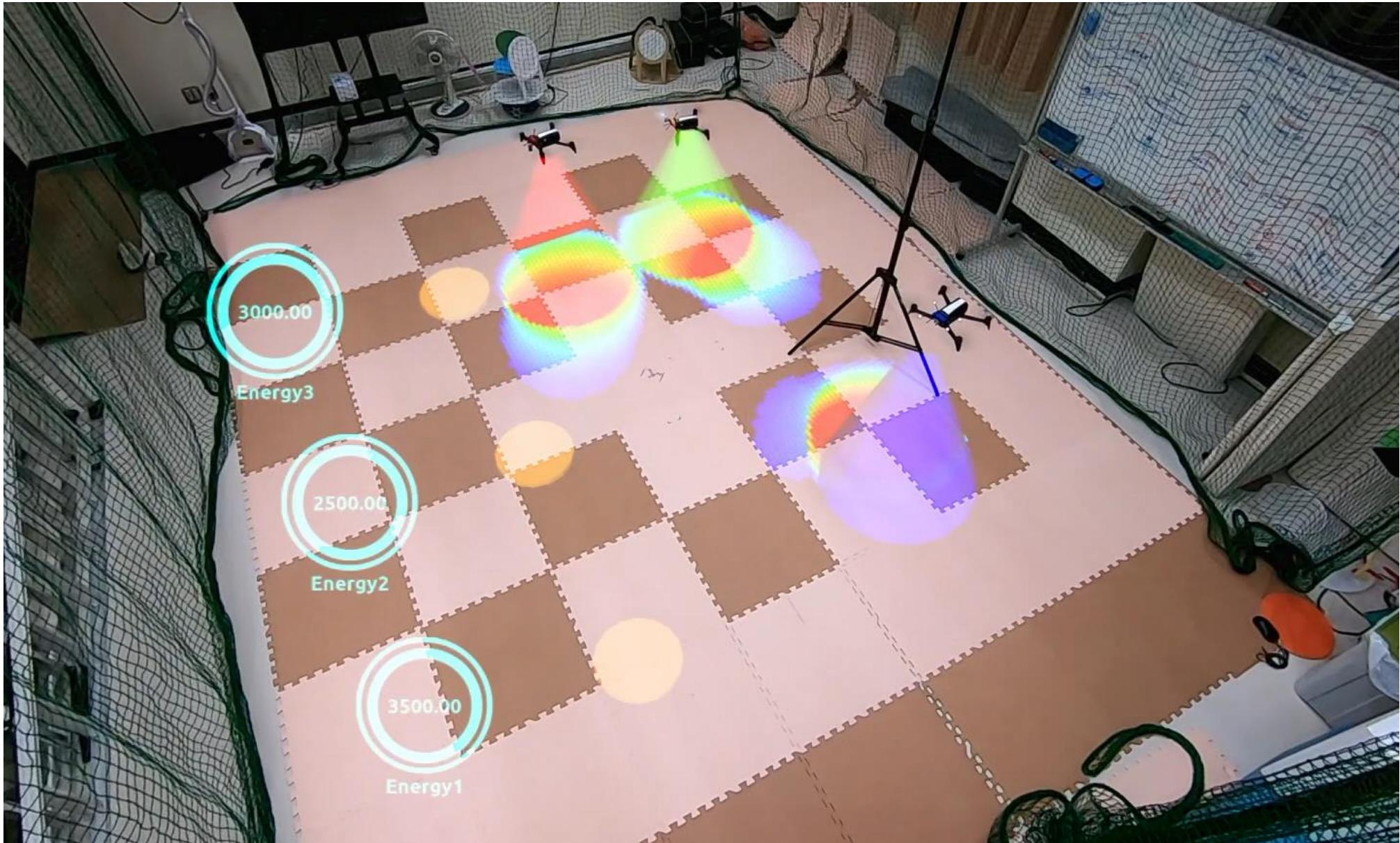
e.g.

$$\dot{\phi}(q) = \begin{cases} -\delta\phi(q), & \text{if } q \text{ is monitored} \\ \delta(1 - \phi(q)), & \text{otherwise} \end{cases}$$

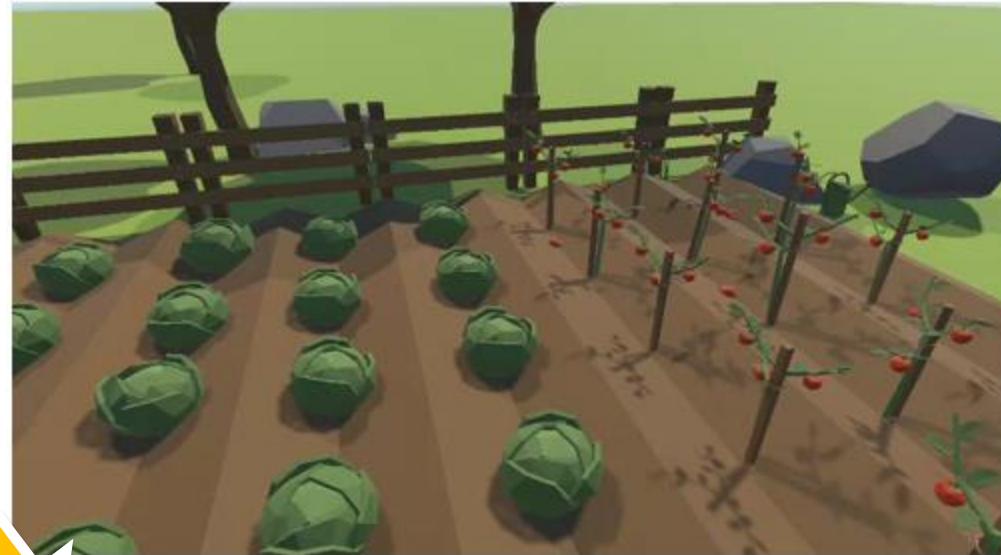


N. Hubel, S. Hirche, A. Gusrialdi, T. Hatanaka, M. Fujita, and O. Sawodny, "Coverage Control with Information Decay in Dynamic Environments," in *Proceedings of IFAC WC*, pp. 4180–4185, 2008.

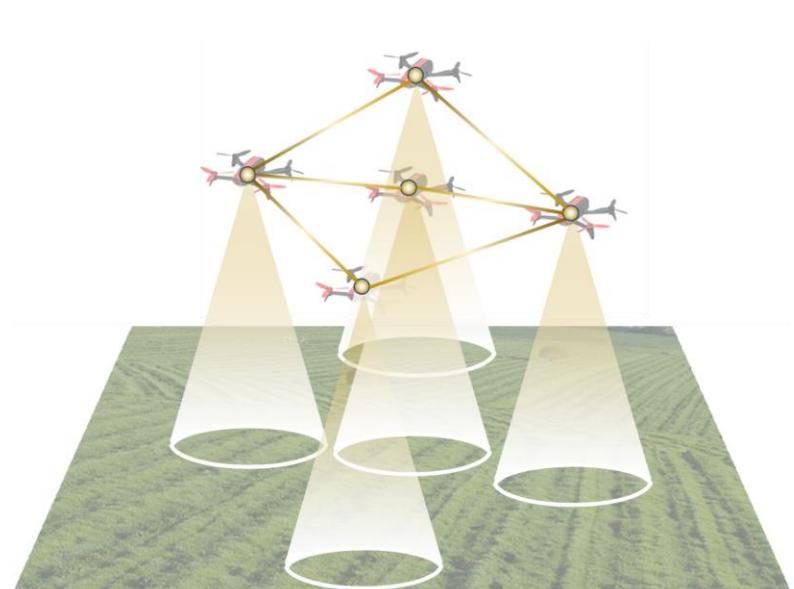
Persistent Coverage Control



Coordinated Image Sampling for 3D Mapping

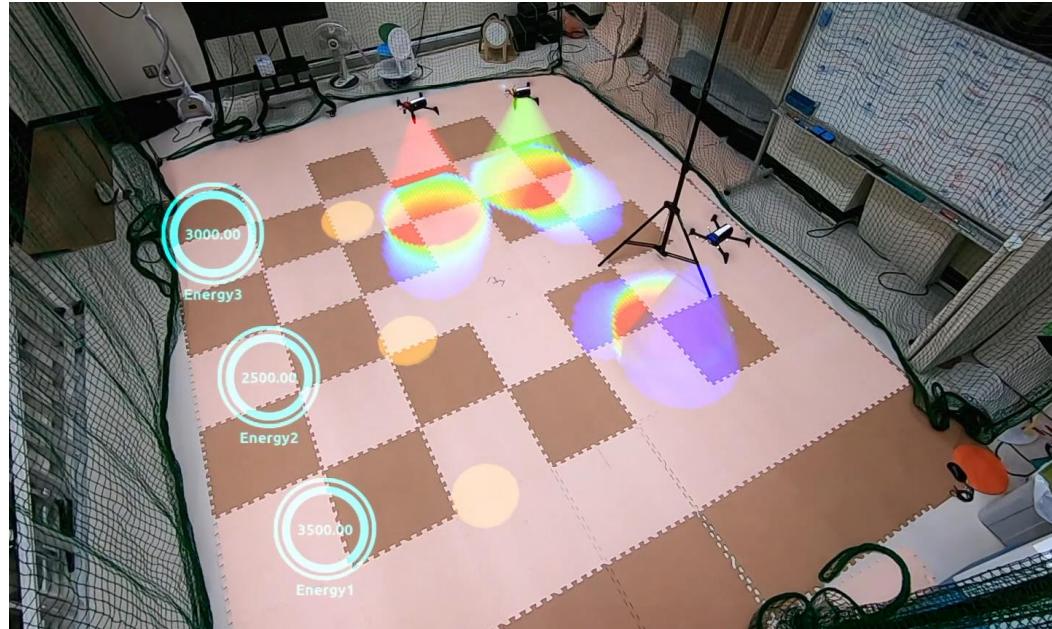


Structure from Motion (SfM)



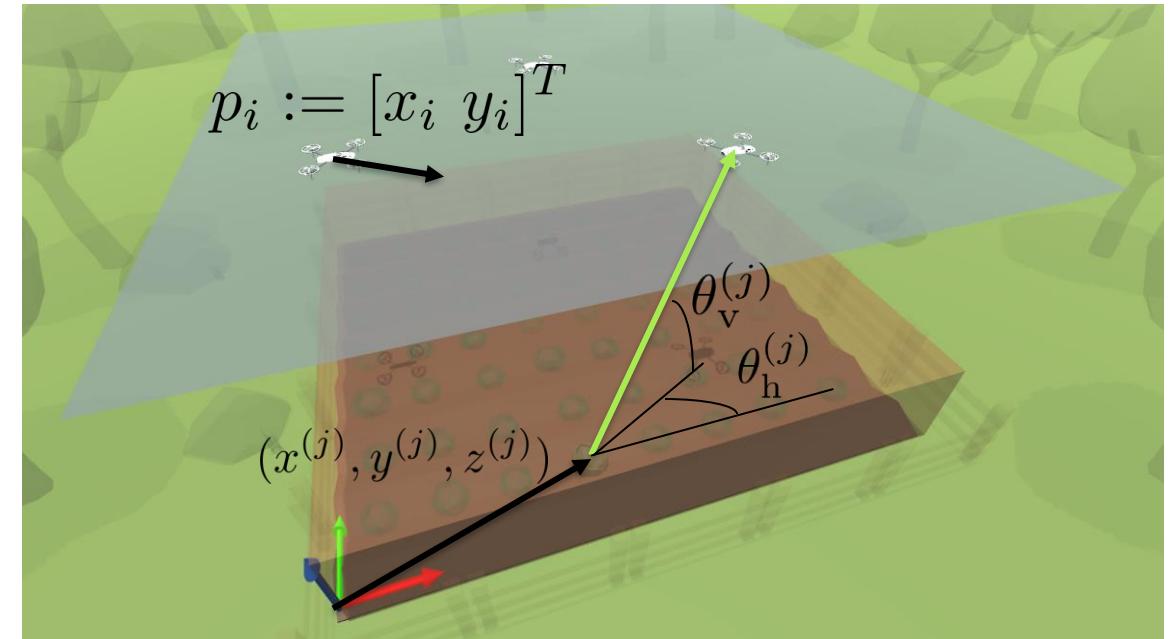
Persistent Coverage vs Image Sampling

capture within FOV (2D)



revisit many times

sample from various angles (5D)



sampling just once is enough

Problem Formulation

drone dynamics

$$\dot{p}_i = u_i$$

observation points

$$q_j \in \mathbb{R}^5 \quad (j = 1, 2, \dots, m)$$

sensing performance

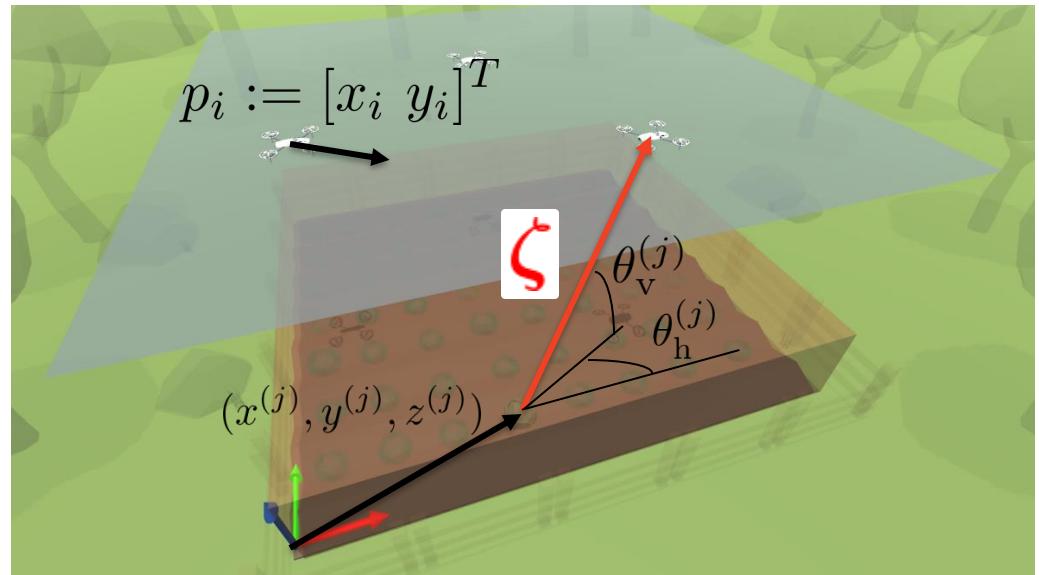
$$f(p_i, q) = \exp\left(-\frac{\|p_i - \zeta(q)\|^2}{2\sigma^2}\right)$$

density update

$$\dot{\phi}_j = -\delta \max_{i \in \mathcal{I}} f(p_i, q_j) \phi_j \quad (\delta > 0)$$

$$\dot{\phi}(q) = \begin{cases} -\delta\phi(q), & \text{if } q \text{ is monitored} \\ \delta(1 - \phi(q)), & \text{otherwise} \end{cases}$$

N. Hubel, S. Hirche, A. Gusrialdi, T. Hatanaka, M. Fujita, and O. Sawodny,
 "Coverage Control with Information Decay in Dynamic Environments,"
 in *Proceedings of IFAC WC*, pp. 4180–4185, 2008.

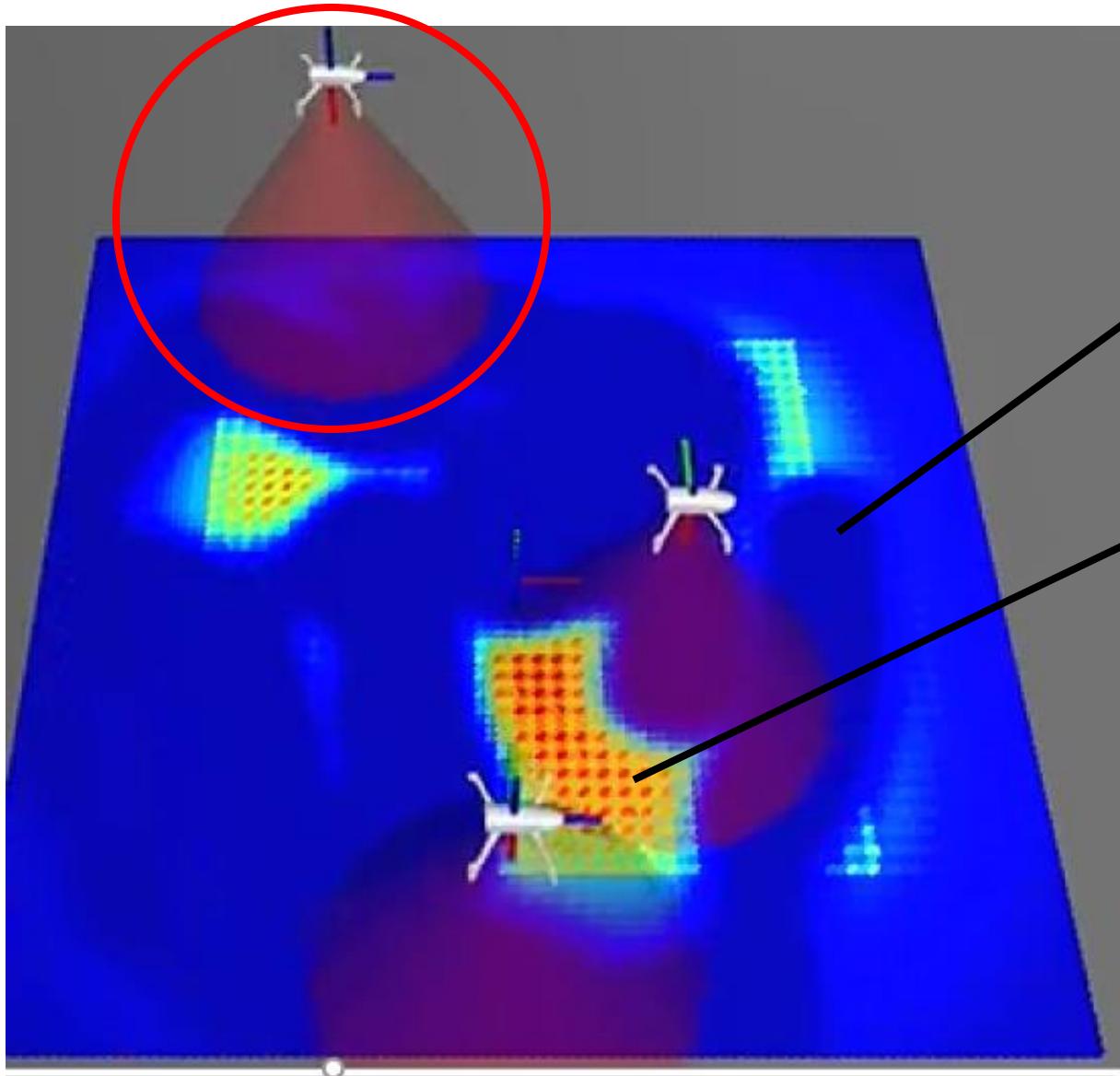


$$\zeta : [x \ y \ z \ \theta_h \ \theta_v]^T \mapsto \begin{bmatrix} x - (z_c - z) \tan\left(\frac{\pi}{2} - \theta_v\right) \cos \theta_h \\ y - (z_c - z) \tan\left(\frac{\pi}{2} - \theta_v\right) \sin \theta_h \end{bmatrix}$$

objective function

$$J = \sum_{j=1}^m \phi_j$$

Difficulties in Gradient-based Method



well-observed
area

unobserved
area

Gradient-based method makes a drone
be stuck to the well-observed area
(opposite to the ideal motion)

Constraint-Based Coordinated Image Sampling

$$J = \sum_{j=1}^m \phi_j \rightarrow \min$$

Constraint-based specification

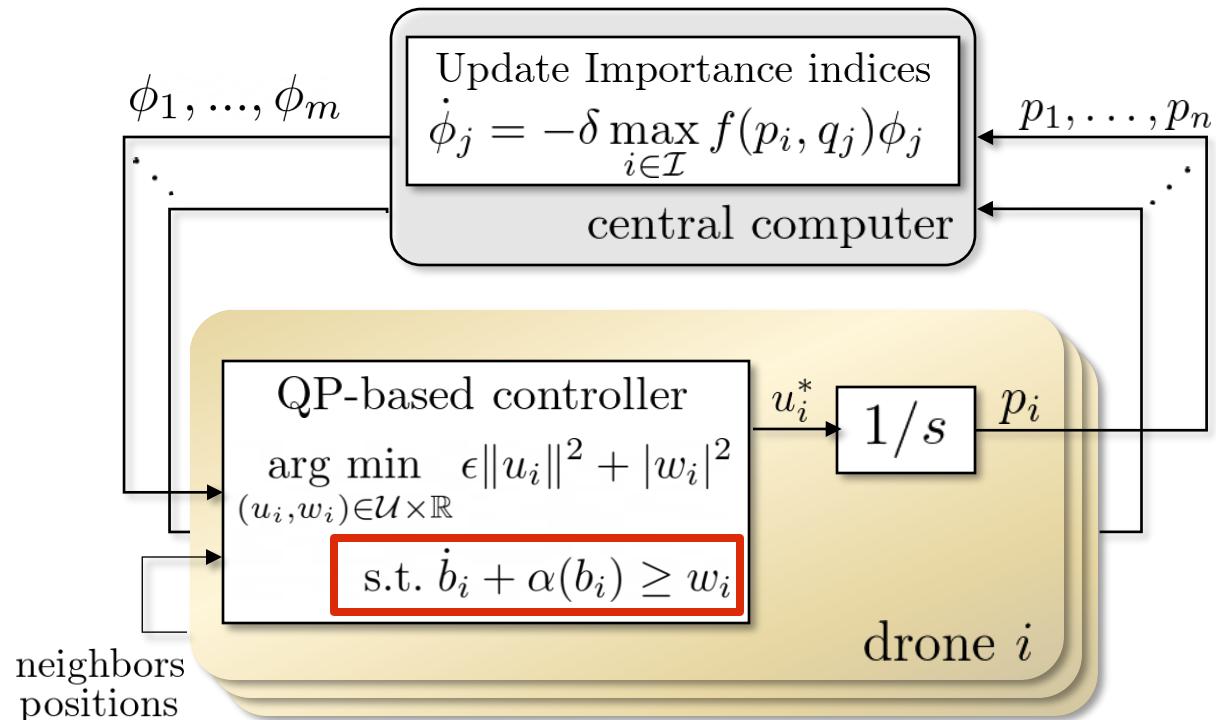
$$\dot{\mathbf{j}} \leq -\gamma \Leftrightarrow \mathbf{b} = -\dot{\mathbf{j}} - \gamma \geq 0$$

$$\left. \begin{aligned} \dot{\mathbf{j}} &= \sum_{j=1}^m \dot{\phi}_j = - \sum_{j=1}^m \delta \max_{i \in \mathcal{I}} f(p_i, q_j) \phi_j \\ &= - \sum_{i=1}^n \sum_{j \in \mathcal{V}_i(p)} \delta f(p_i, q_j) \phi_j = - \sum_{i=1}^n I_i \end{aligned} \right\}$$

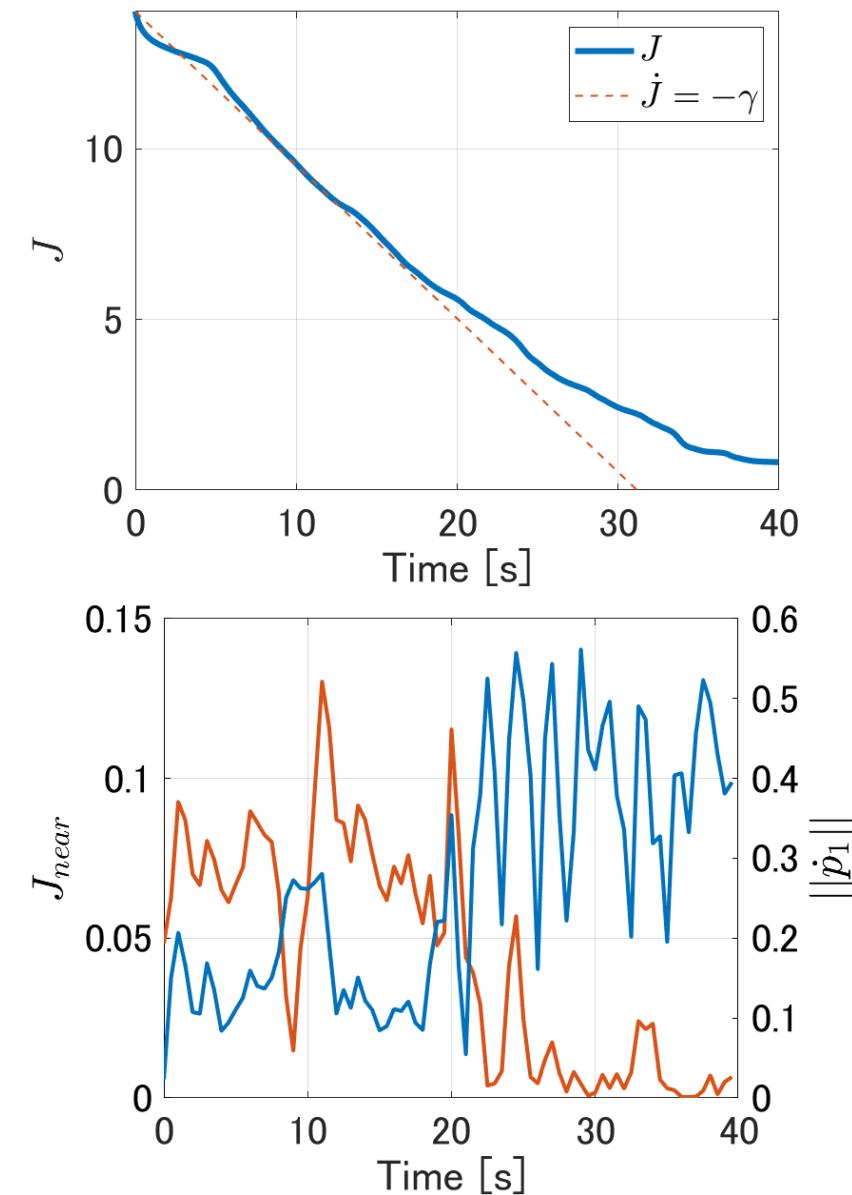
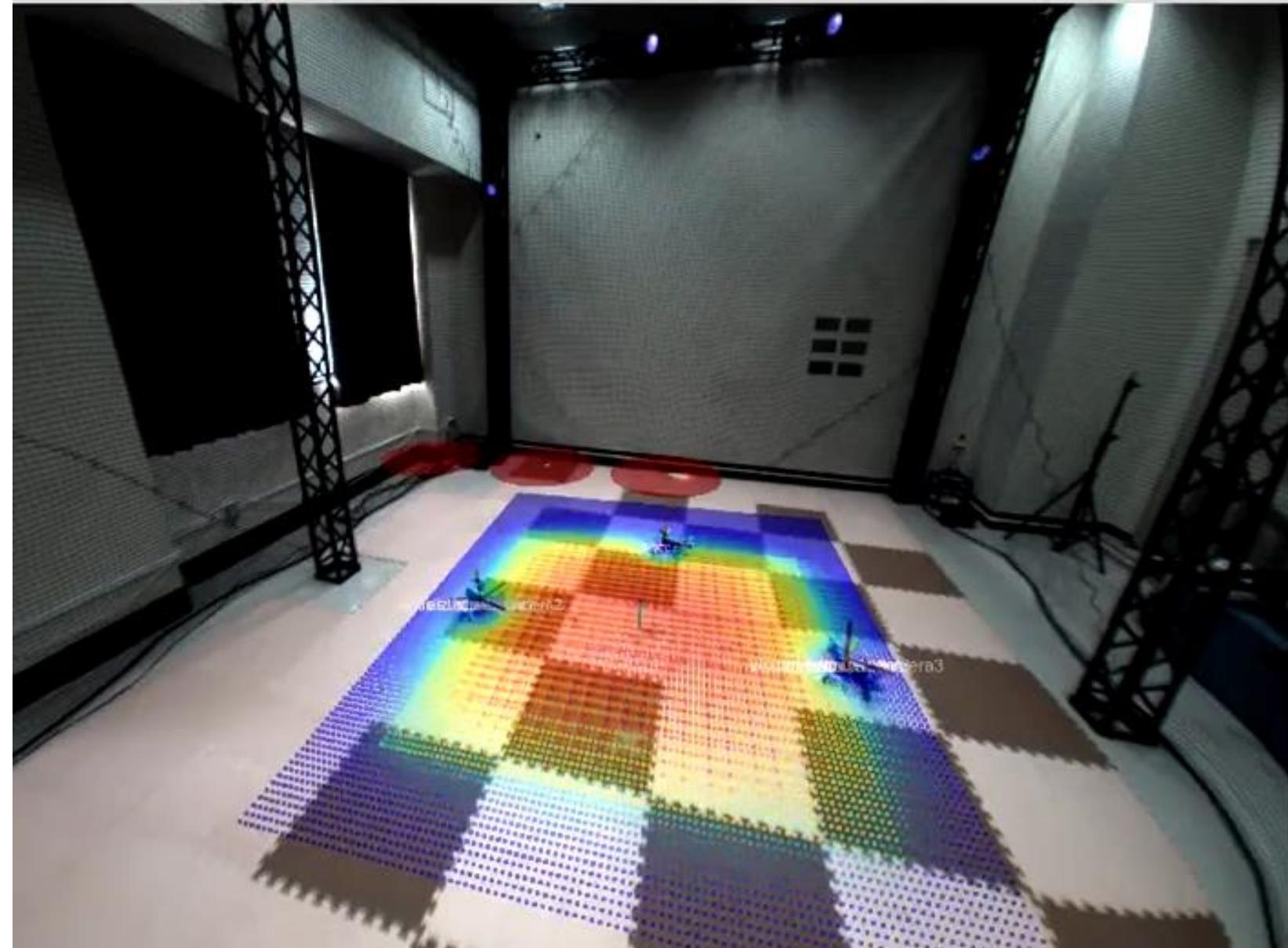
local constraint $-I_i \leq -\gamma/n$

control barrier-like function

$$b_i = I_i - \gamma/n \geq 0$$

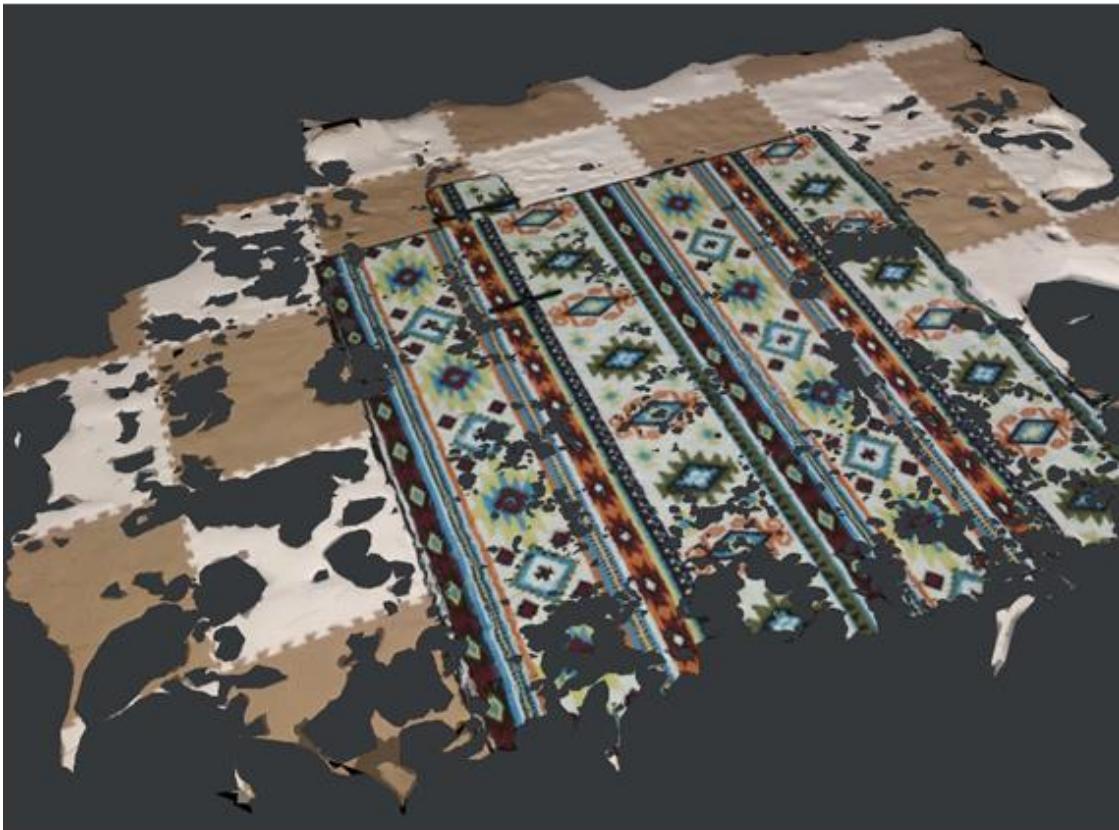


Constraint-Based Coordinated Image Sampling



3D Model Reconstruction

Conventional method

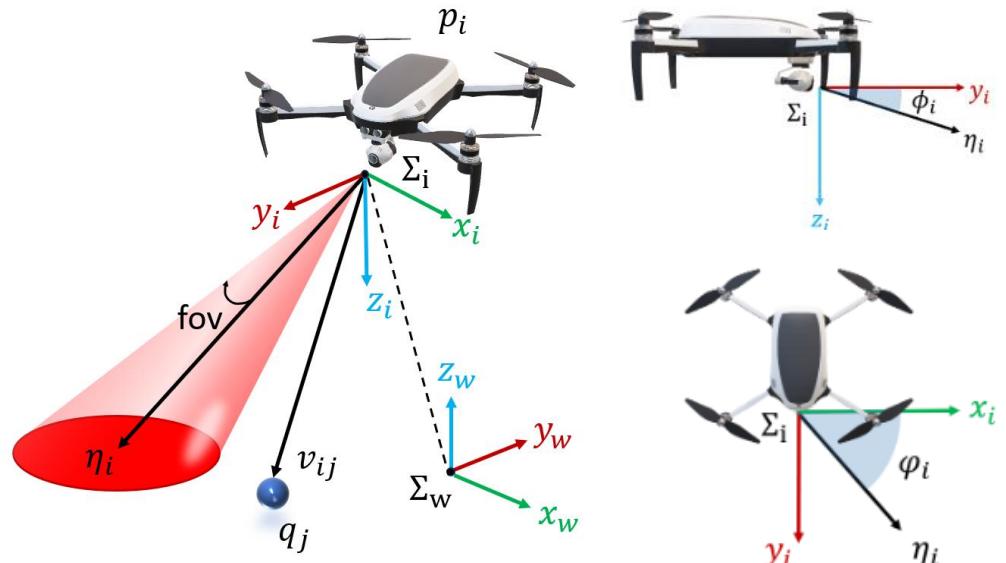
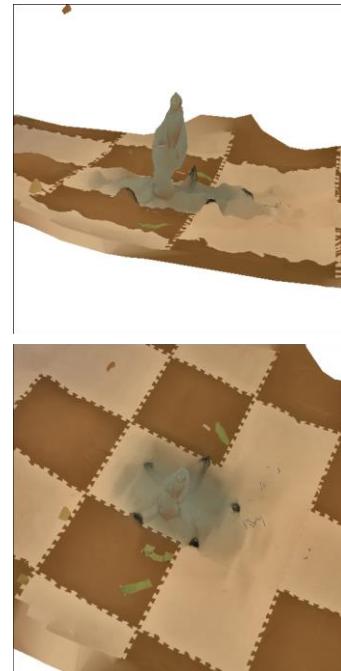
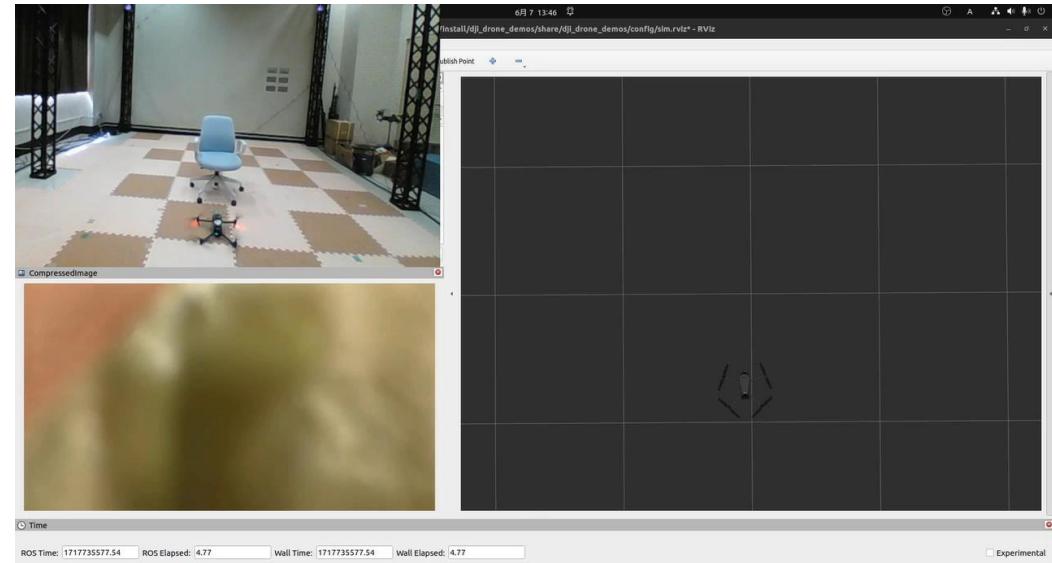


Angle-Aware method



M. Suenaga, T. Shimizu, T. Hatanaka, K. Uto, M. Mammarella, and F. Dabbene, Experimental Study on Angle-aware Coverage Control with Application to 3-D Visual Map Reconstruction Proc. 2022 IEEE CCTA, pp. 327-333, 2022

3D Reconstruction with Objects



drone dynamics

$$\dot{p}_i = u_i \quad \dot{\phi}_i = u_i^\phi \quad \dot{\varphi}_i = u_i^\varphi$$

sensing performance

$$f(p_i, q_j) = \exp\left(-\frac{f_1(p_i, q_j)}{2\sigma_1^2}\right) \exp\left(-\frac{f_2(p_i, q_j)}{2\sigma_2^2}\right)$$

$$f_1(p_i, q_j) = (\arccos(\eta_i^T v_{ij} / \|v_{ij}\|))^2$$

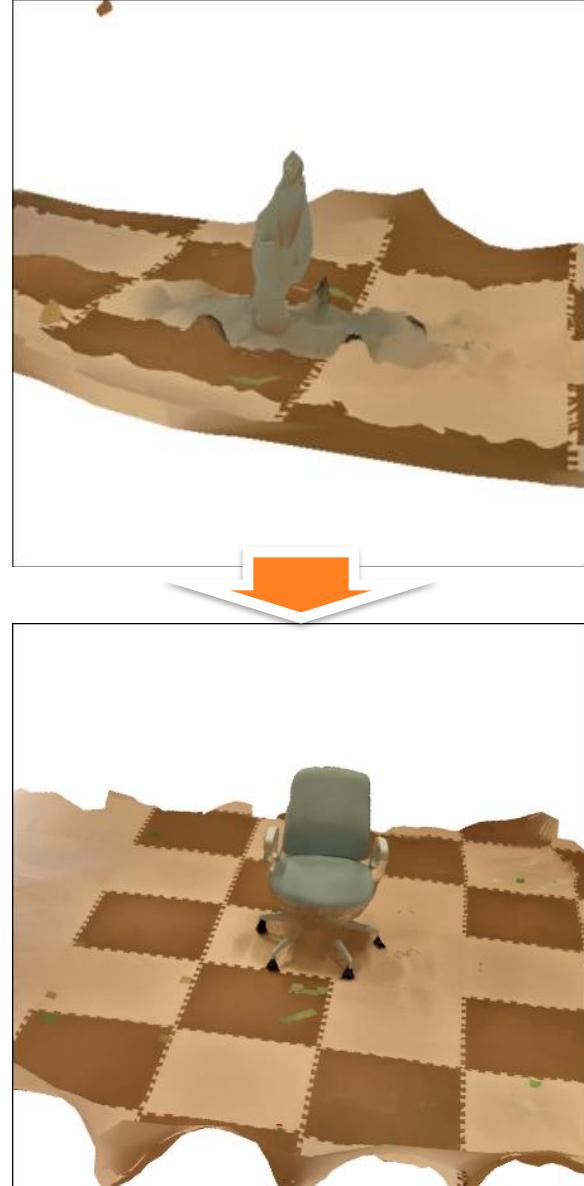
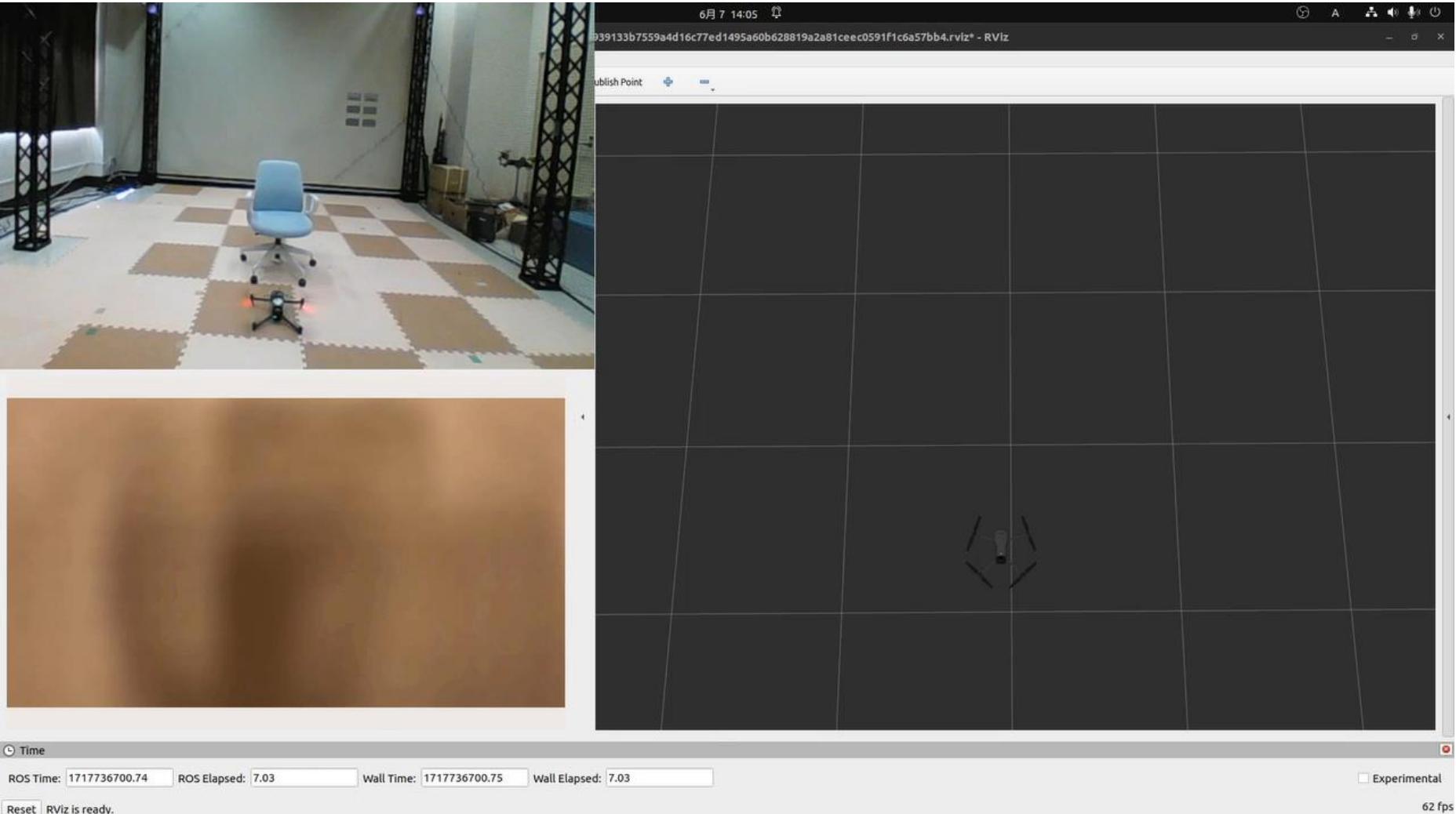
$$f_2(p_i, q_j) = (\arccos(v_j^T v_{ij}^w / \|v_{ij}^w\|))^2$$

[ms]

	Central controller	Drone controller
CPU	212	1206
JIT, CPU	31	102
JIT, GPU	6	22

Z. Lu, M. Hanif, T. Shimizu, T. Hatanaka, Angle-aware Coverage with Camera Rotational Motion Control, SICE Journal of Control, Measurement, and System Integration, vol. 17, no. 1, pp. 211-221, 2024.

Angle-aware Coverage with Camera Rotation

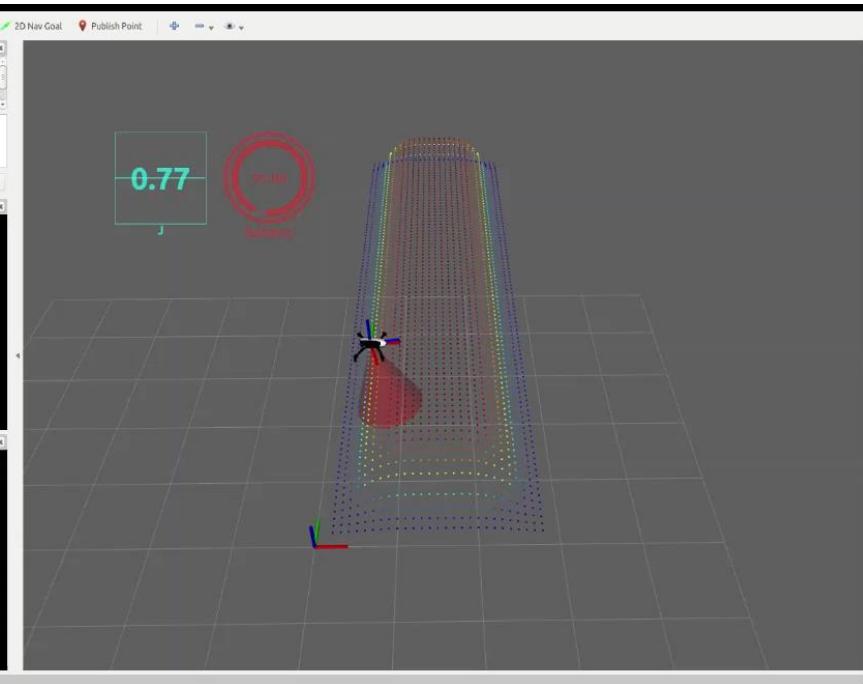
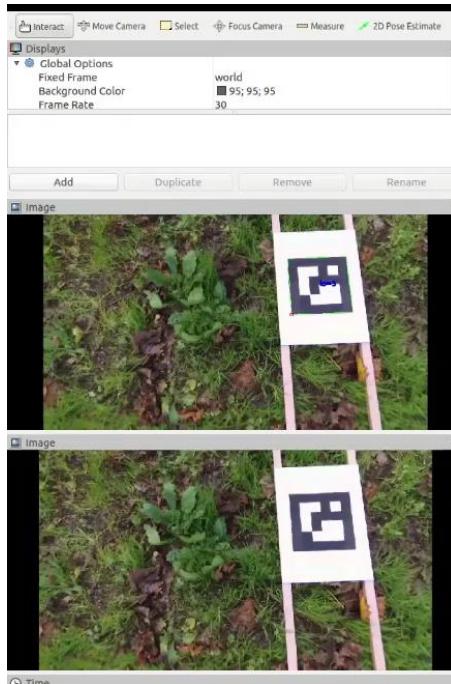


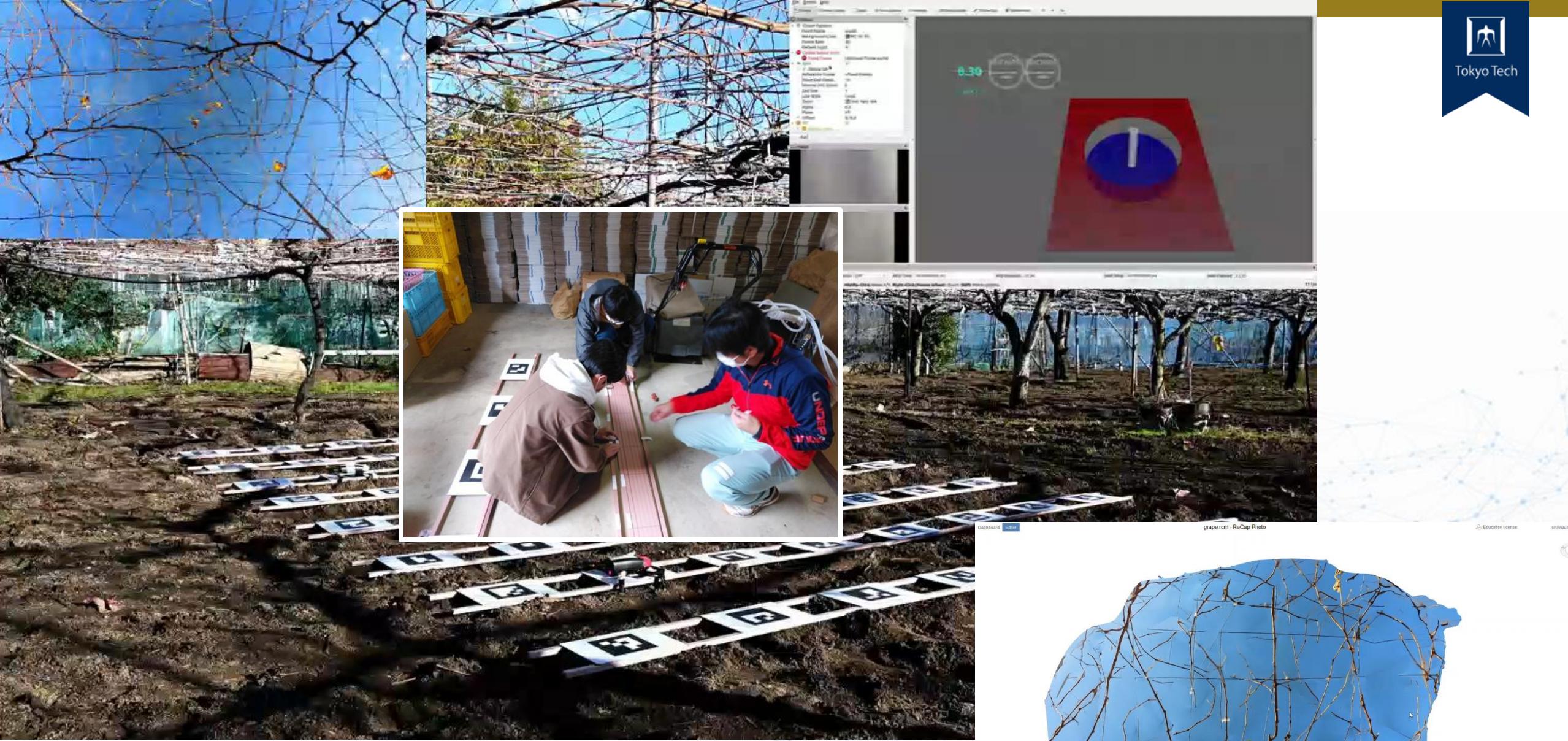
Z. Lu, M. Hanif, T. Shimizu, T. Hatanaka, Angle-aware Coverage with Camera Rotational Motion Control, SICE Journal of Control, Measurement, and System Integration, vol. 17, no. 1, pp. 211-221, 2024.

Field Experiment



Pear Orchard & Vineyard at Inagi City, Tokyo





The use of AR markers prohibits us from experiments over wide area

New Experimental Field, Drone and System

Smart Agriculture R&E Field



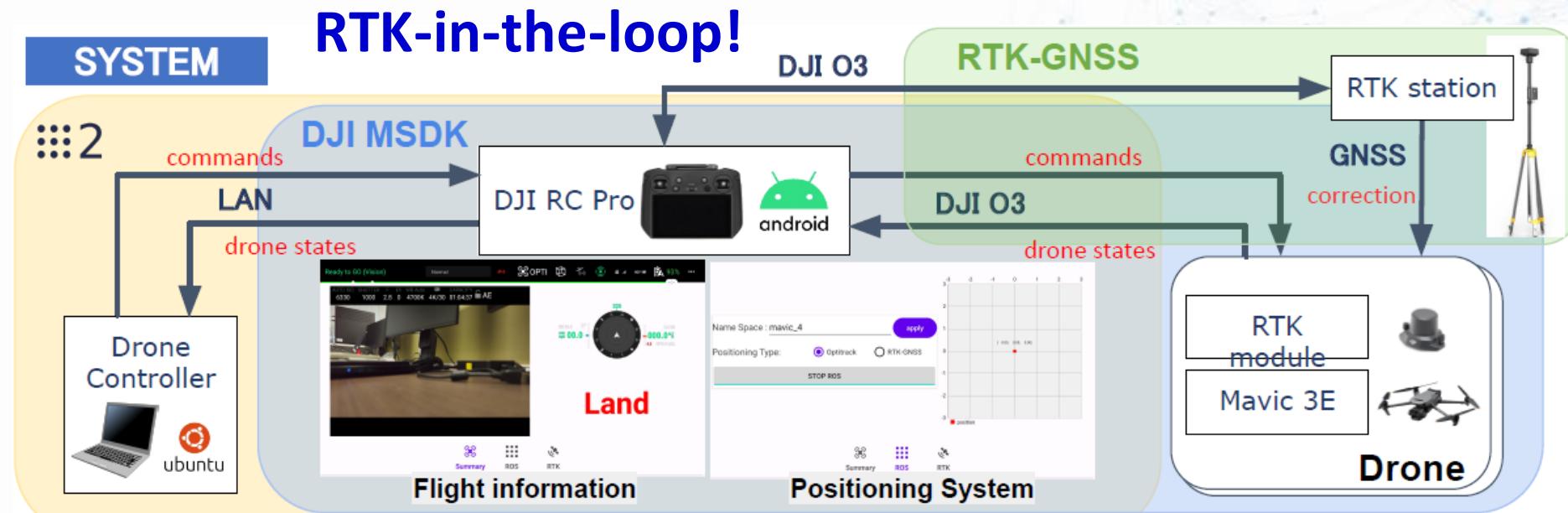
Tokyo Tech, Suzukakedai Campus



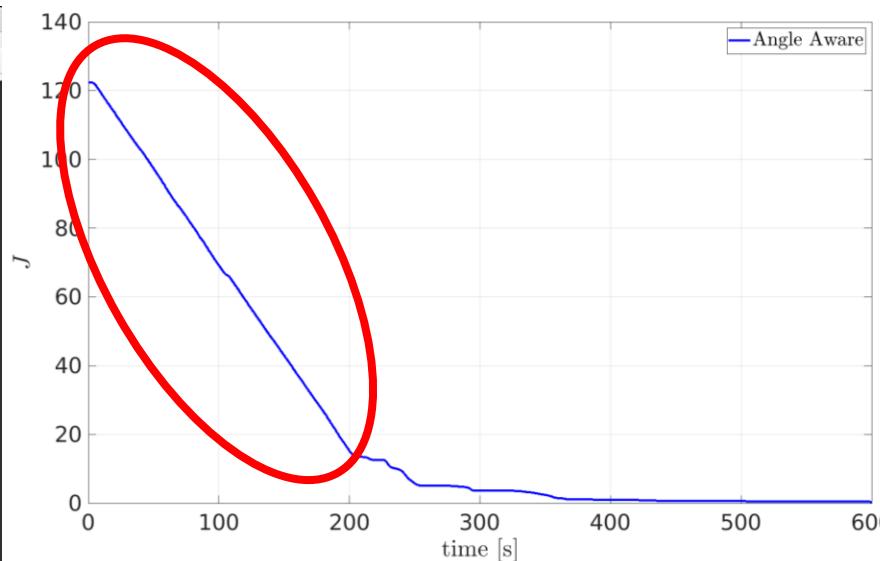
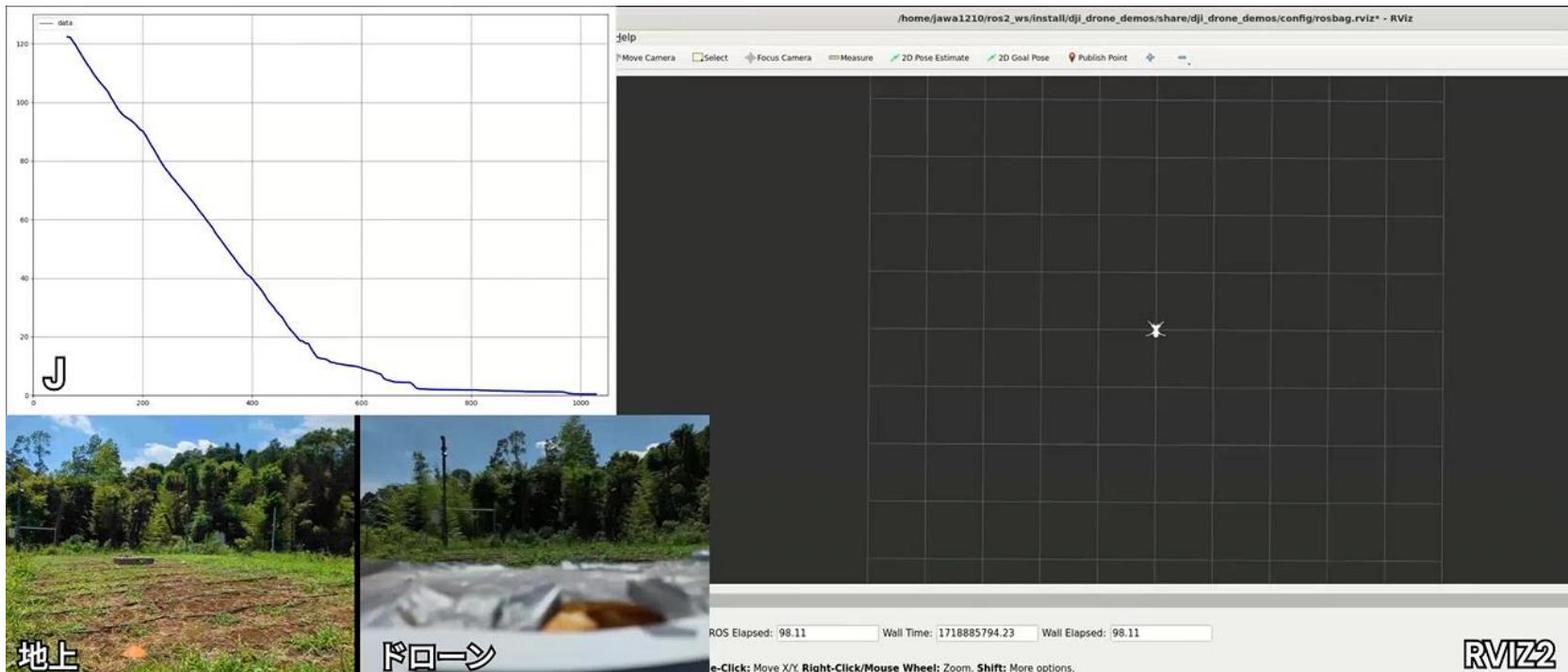
DJI Mavic 3E



RTK module

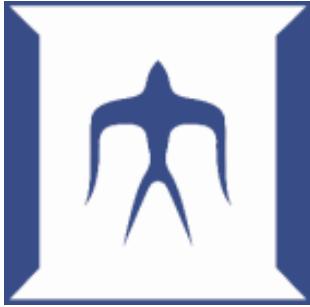


New Experimental Field, Drone and System



The cable for ensuring safety prohibits multi-drone experiments ...

(Near) Future Work



Tokyo Tech Academy for Super Smart Society
Tokyo Institute of Technology



Keisen University



We already had permissions from local governments and will start the multi-drone experiment in the end of this month

Model Predictive Coverage Scheduler

Geographical dispersal of small-scale farmlands



Decision variable

$$\delta_{ij} = \begin{cases} 1, & \text{if drone } i \text{ is assigned to field } j \\ 0, & \text{otherwise} \end{cases}$$

State equations

$$\dot{p}_i = u_i$$

$$\dot{E}_i = \begin{cases} -K_d, & \text{if } p_i \notin \mathcal{C} \\ K_c, & \text{if } p_i \in \mathcal{C} \end{cases}$$

Hybrid system !

charging station

$$\delta_{ij}, \phi_1, \dots, \phi_m$$

Model Predictive Scheduler
for assigning a field to each drone

$$\dot{\phi}_j = -\delta h(p, q_j) \phi_j$$

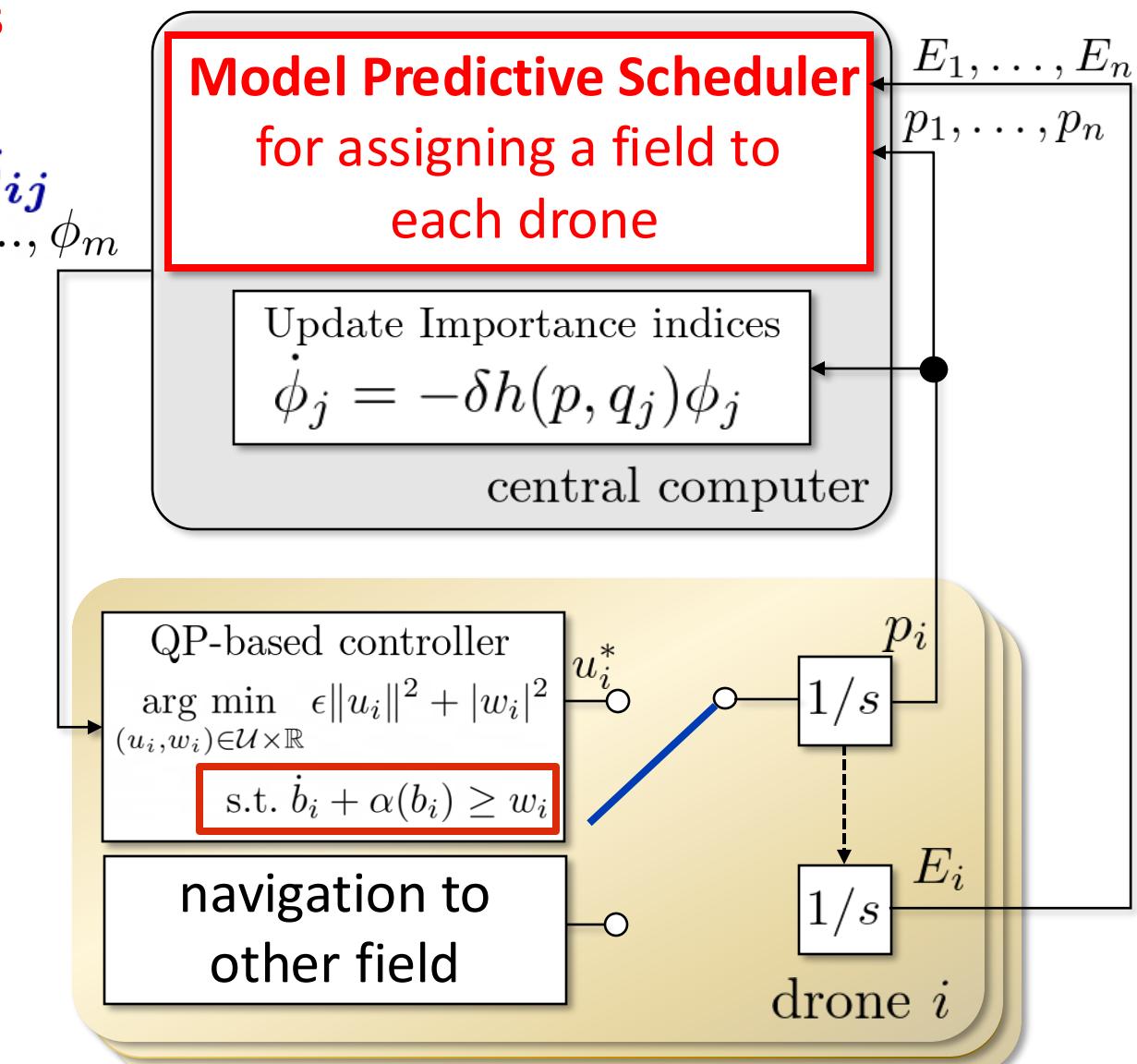
central computer

QP-based controller

$$\arg \min_{(u_i, w_i) \in \mathcal{U} \times \mathbb{R}} \epsilon \|u_i\|^2 + |w_i|^2$$

$$\text{s.t. } \dot{b}_i + \alpha(b_i) \geq w_i$$

navigation to other field



Model Predictive Coverage Scheduler

Geographical dispersal of small-scale farmlands



Decision variable

$$\delta_{ij} = \begin{cases} 1, & \text{if drone } i \text{ is assigned to field } j \\ 0, & \text{otherwise} \end{cases}$$

State equations

$$\dot{p}_i = u_i$$

$$\dot{E}_i = \begin{cases} -K_d, & \text{if } p_i \notin \mathcal{C} \\ K_c, & \text{if } p_i \in \mathcal{C} \end{cases}$$

Hybrid system !

charging station

Goal: complete image sampling over all fields

$$J_j = A \sum_l \phi_{jl}, \quad \dot{\phi}_{jl} = -\delta f(p, q_{jl}) \phi_{jl}$$

Progress is quantified by the objective function value



Cost function: $\min \sum_j \|J_j\|^2$



Add ϕ_{jl} to state variables?

too many and highly nonlinear!

Model Predictive Coverage Scheduler

Cost Function:

$$\min \sum_j \|J_j\|^2$$

Decision variable

$$\delta_{ij} = \begin{cases} 1, & \text{if drone } i \text{ is assigned to field } j \\ 0, & \text{otherwise} \end{cases}$$

State equations

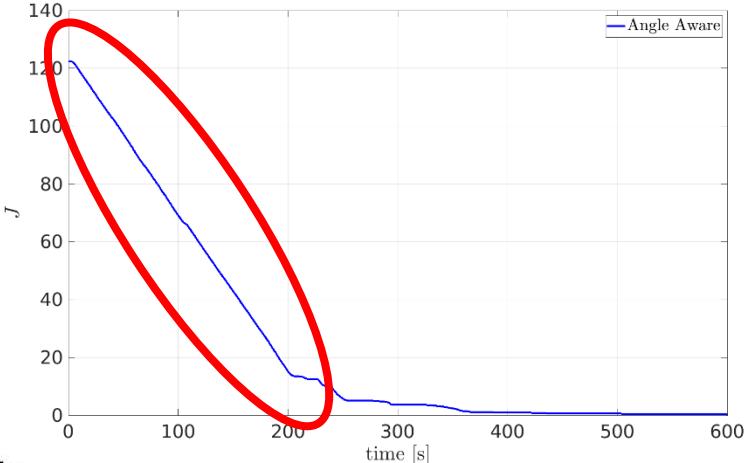
$$\dot{p}_i = u_i$$

$$\dot{E}_i = \begin{cases} -K_d, & \text{if } p_i \notin \mathcal{C} \\ K_c, & \text{if } p_i \in \mathcal{C} \end{cases}$$

$$\underline{J}_j = \frac{-(\delta_{1j} + \dots + \delta_{nj})\gamma}{\text{linear time-invariant system}}$$

Adding various constraints such as $E_i \geq 0 \dots$

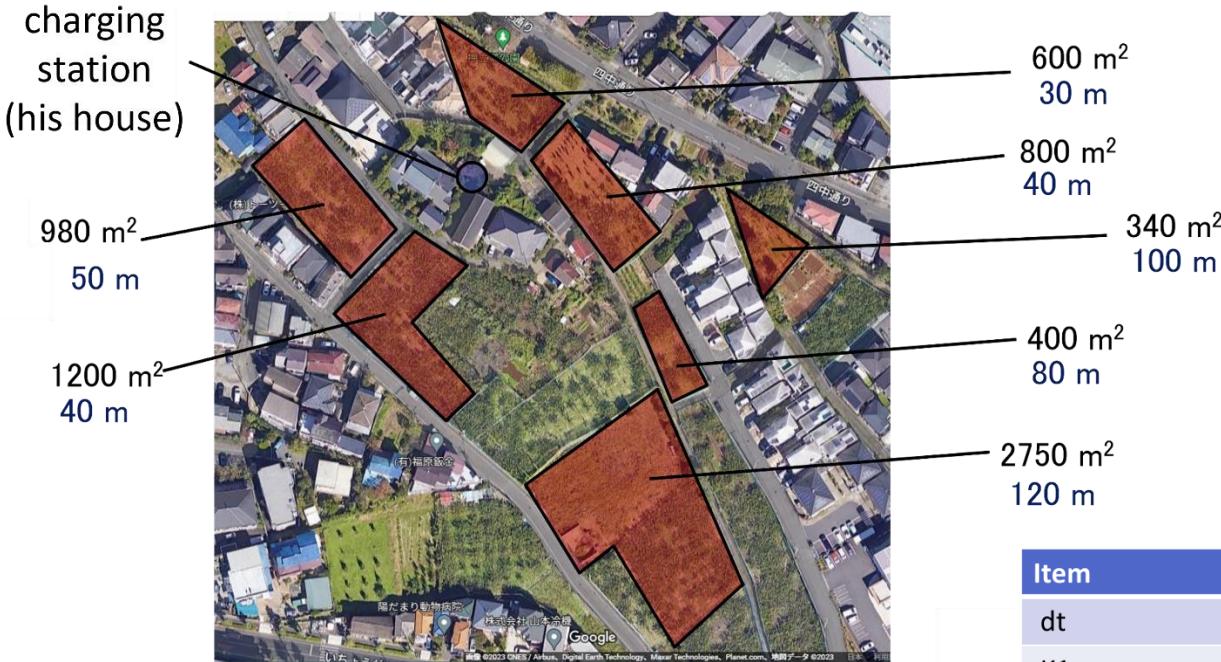
Constraint-based control $\dot{J} \leq -\gamma$



decays almost linearly!

CBF is useful for simplifying the control problem in a higher layer

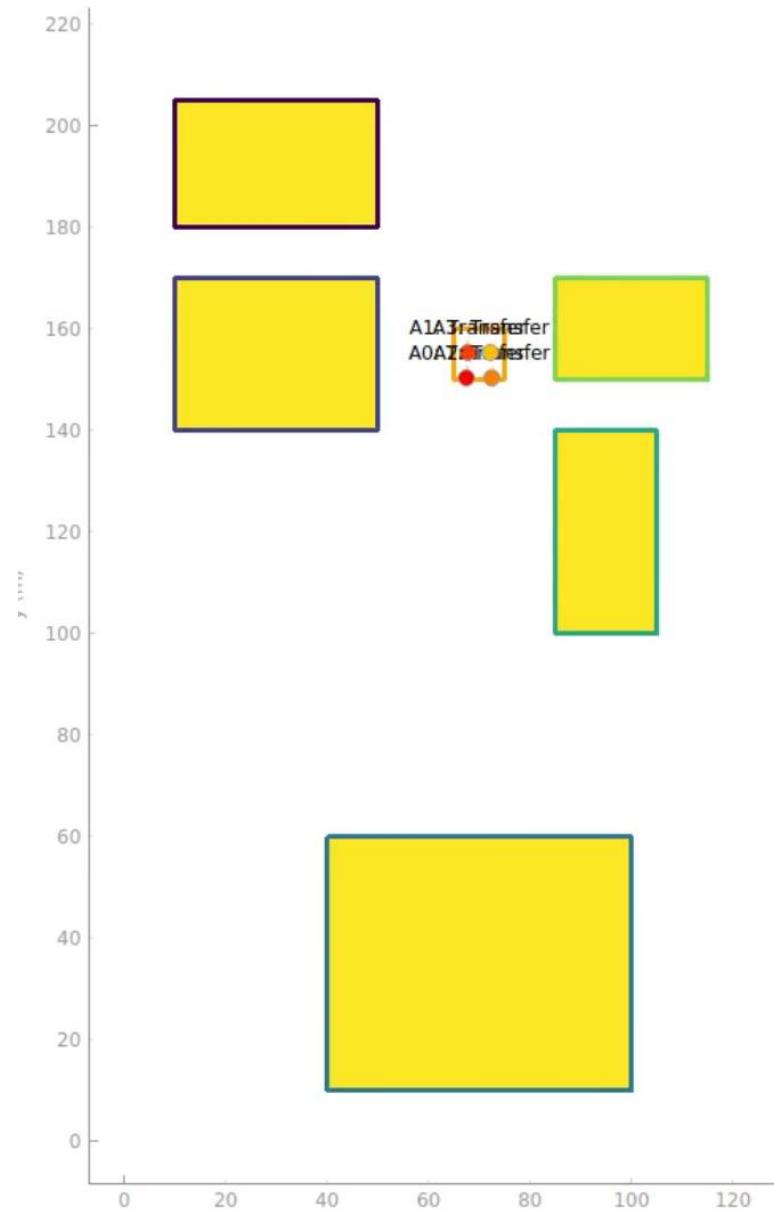
Simulation Setup



Farmlands of my student

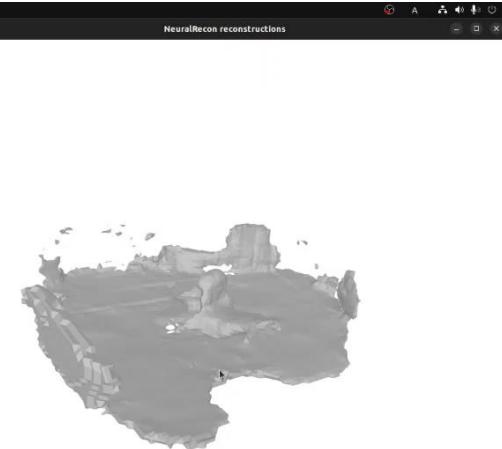
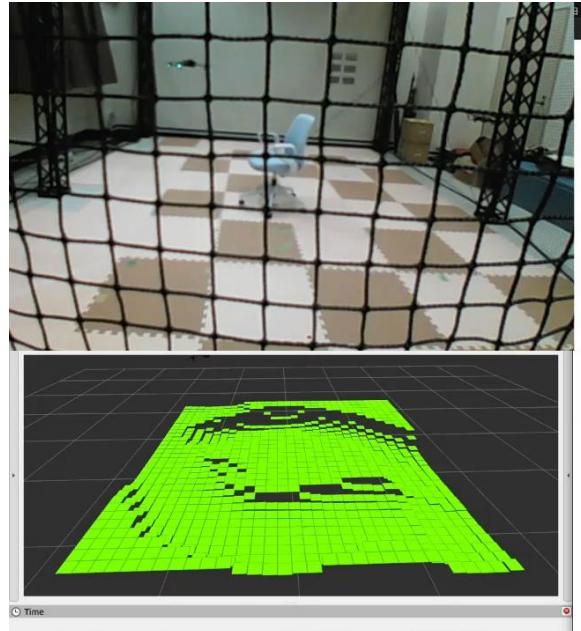
Item	Value	Unit	Description
dt	120	[s]	Sampling time and Gurobi calculation cycle
K1	100/3600	[-/s]	Battery consumption rate
K2	100/2700	[-/s]	Battery charge rate
gamma	4/15	[-]	Degree of decrease in importance function per one drone
E_max	100	[-]	Upper limit of battery
E_min	10	[-]	Lower limit of battery
u_max	10	[m/s]	Upper limit of speed input
u_min	-10	[m/s]	Lower limit of speed input
para_timelimit	30	[s]	Computation time upper limit per time step for Gurobi
para_gap	0.25	[%]	Tolerance to optimal solution of MIQP per time step for Gurobi
q	1	[-]	Coefficients of the weight matrix for importance function
r	1	[-]	Coefficients of the weight matrix for input

Simulation Result



unpublished results
(for possible future collaborations)

Real-time Feedback of 3D Model

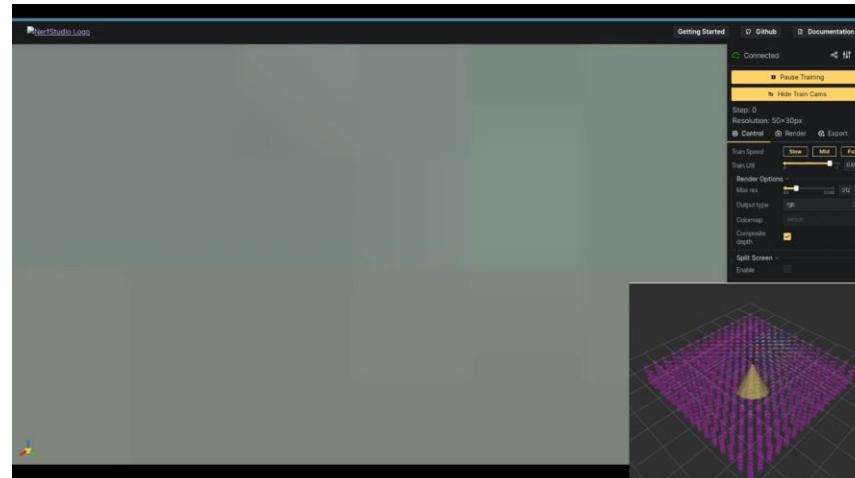


NeuralRecon(2021)

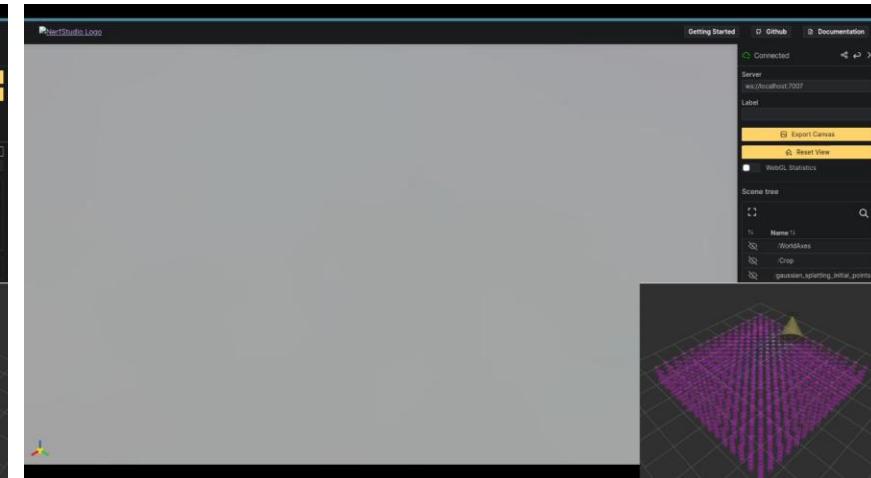
What can we do if 3D model is reconstructed in real time?



more advanced technologies
will be available ...



NeRF(2022)



Gaussian Splatting(2023) 25

Real-time Feedback of 3D Model

$$\dot{\phi}_j = -\delta \max_{i \in \mathcal{I}} f(p_i, q_j) \phi_j \quad (\delta > 0)$$

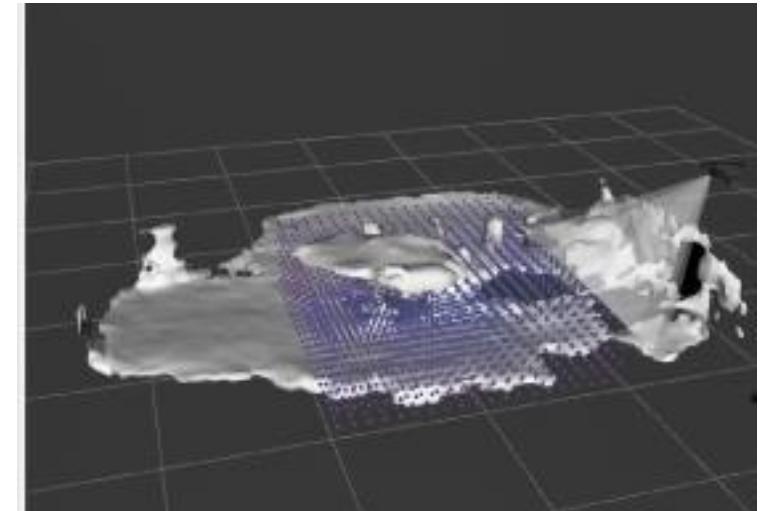
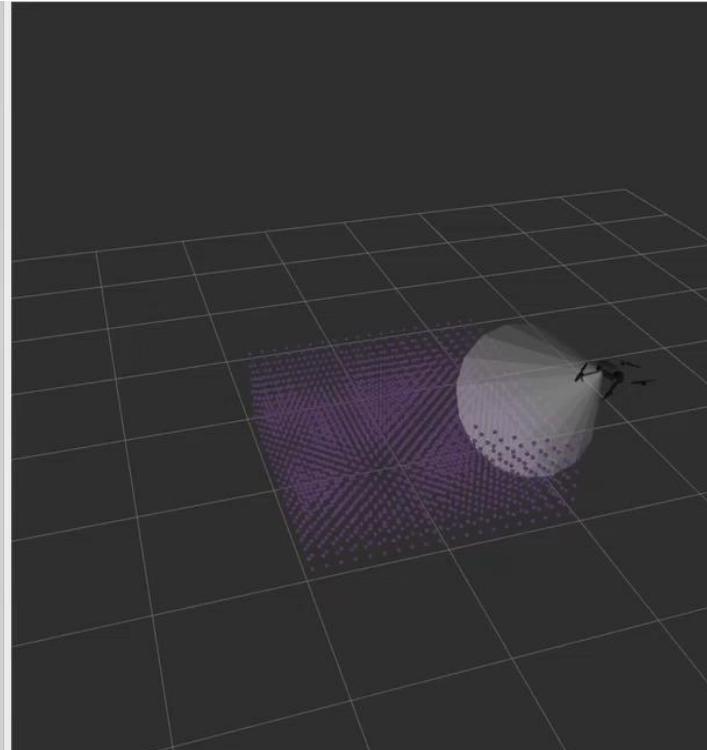
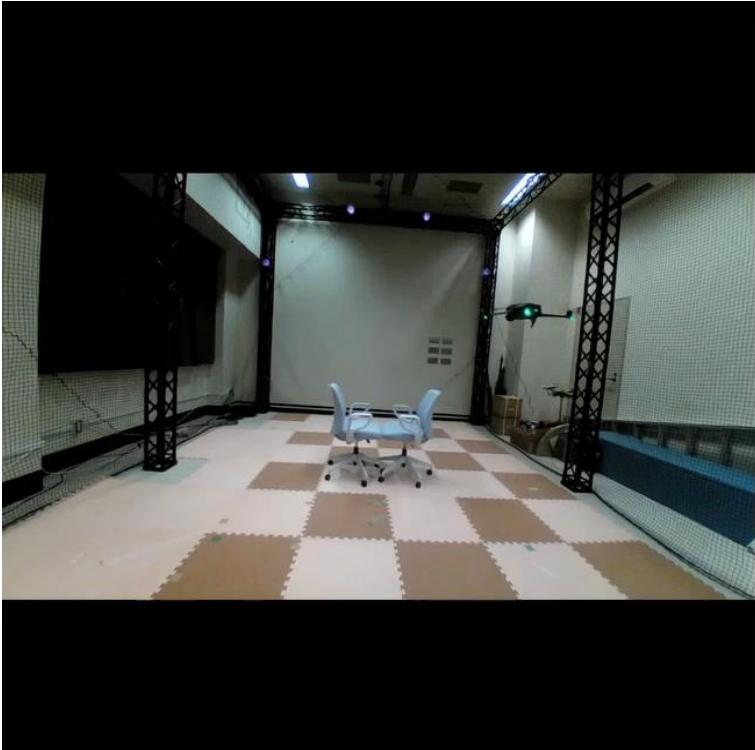
T. Shimizu, S. Yamashita, T. Hatanaka, K. Uto, M. Mammarella, and F. Dabbene,
 Angle-aware Coverage Control for 3D Map Reconstruction with Drone Networks, IEEE Control Systems Letters, vol. 6, pp. 1831-1836, 2022

density update



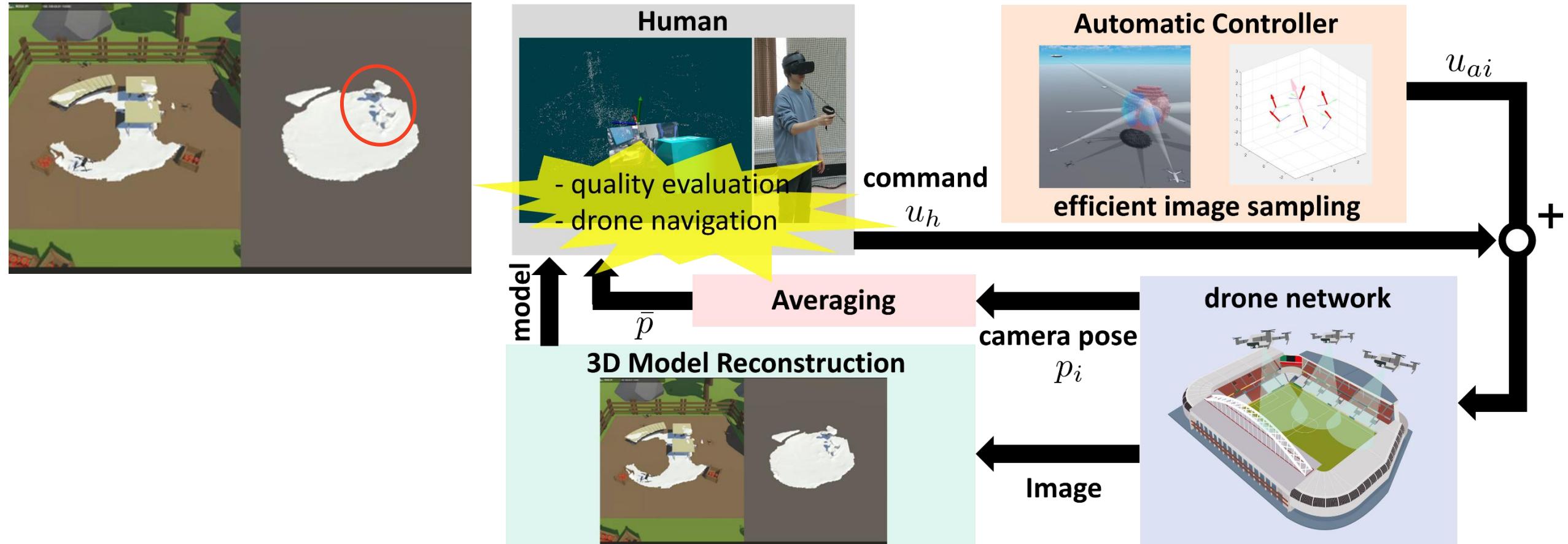
$$\dot{\phi}_j = -\delta_1 \max_{i \in \mathcal{I}} f(p_i, q_j) \phi_j + \delta_2 \beta(\underline{\Delta \text{mesh}_j})$$

quantify the size of mesh changes around j -th point



without Real-time map feedback 26

Human-enabled Coordinated Image Sampling

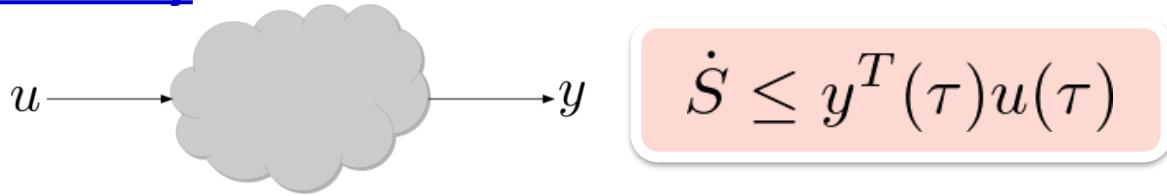


Human-enabled Coordinated Image Sampling

Cyber-Physical-Human Systems

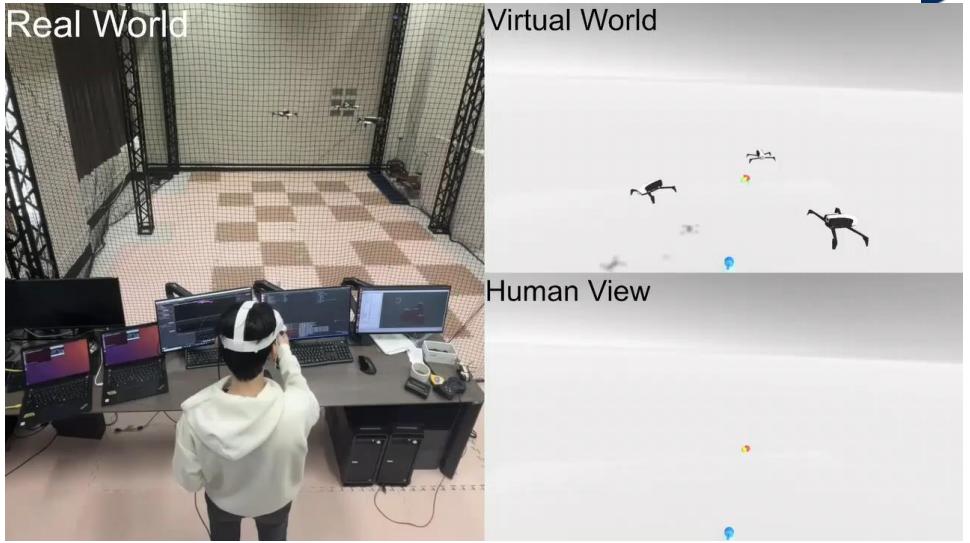
Human-enabled Multi-robot Navigation

passivity

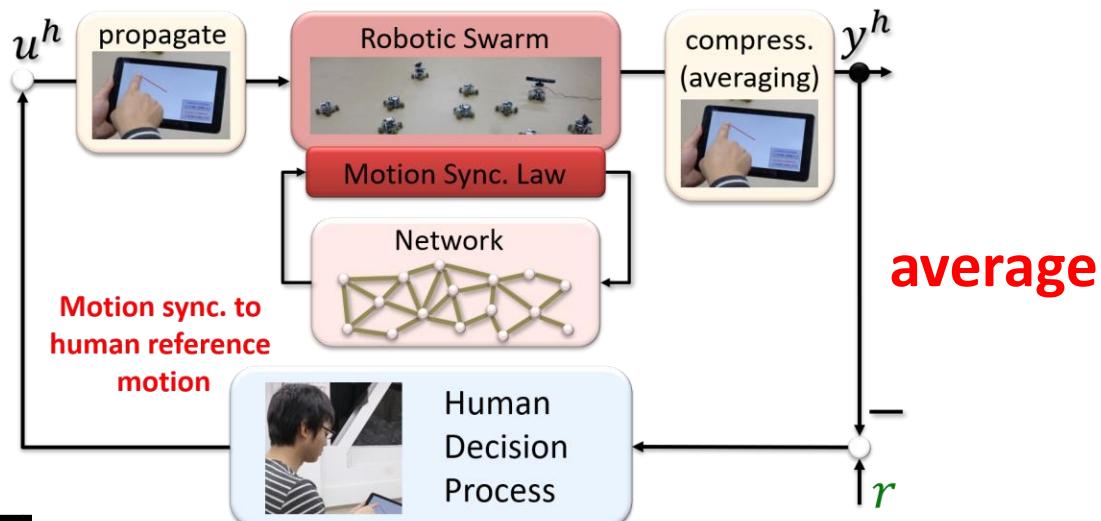


FB connection of passive systems is stable

T. Hatanaka, N. Chopra, M. Fujita and M. W. Spong: [Passivity-Based Control and Estimation in Networked Robotics](#), Communications and Control Engineering Series, Springer, 2015.

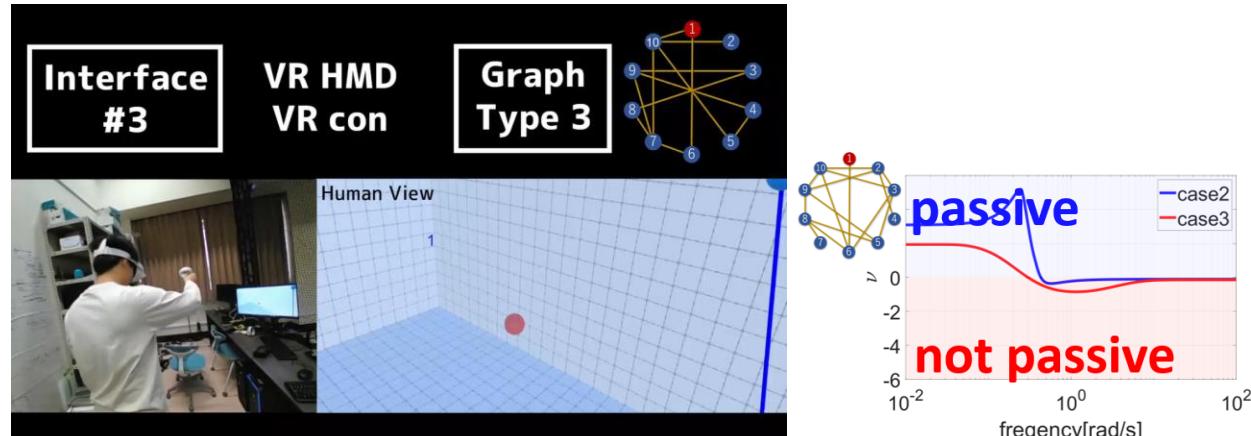


human-enabled multi-robot navigation



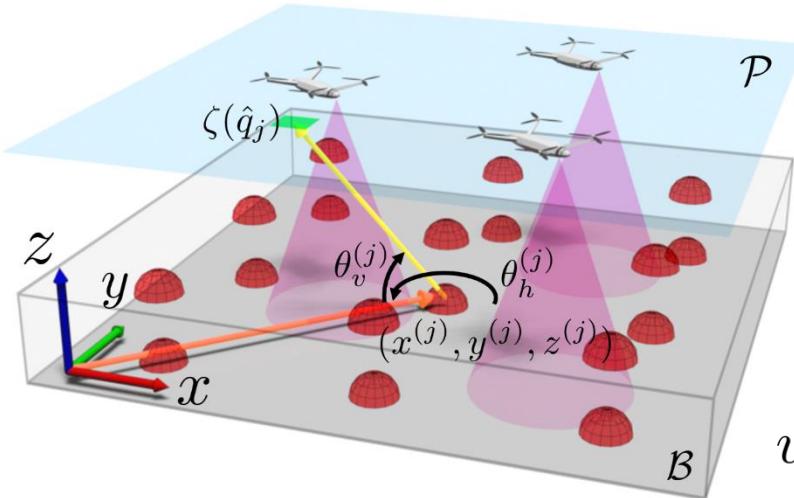
T. Hatanaka, J. Yamauchi, M. Fujita, and H. Handa, [Contemporary Issues and Advances in Human-Robot Collaborations](#), Cyber-Physical-Human Systems: Fundamentals and Applications, A. Annaswamy, P.P. Khargonekar, F. Lamnabhi-Lagarrigue, and S.K. Spurgeon (eds.), Wiley, pp. 365-400, 2023

human modeling and passivity analysis



T. Hatanaka, T. Mochizuki, T. Sumino, J.M. Maestre, and N. Chopra, [Human Modeling and Passivity Analysis for Semi-autonomous Multi-robot Navigation in Three Dimensions](#), IEEE Open Journal of Control Systems, Special section on Modeling, Control, and Learning Approaches for Human-Robot Interaction Systems, vol. 3, pp. 45-57, 2024.

Human-enabled Image Sampling



$$u_i = (\dot{x}, \dot{y}, \dot{z}, \dot{\theta}_h, \dot{\theta}_v)$$

navigation

$$u_i = u_h + u_{ms}$$

human command

motion synchronization
(consensus-like algorithm)

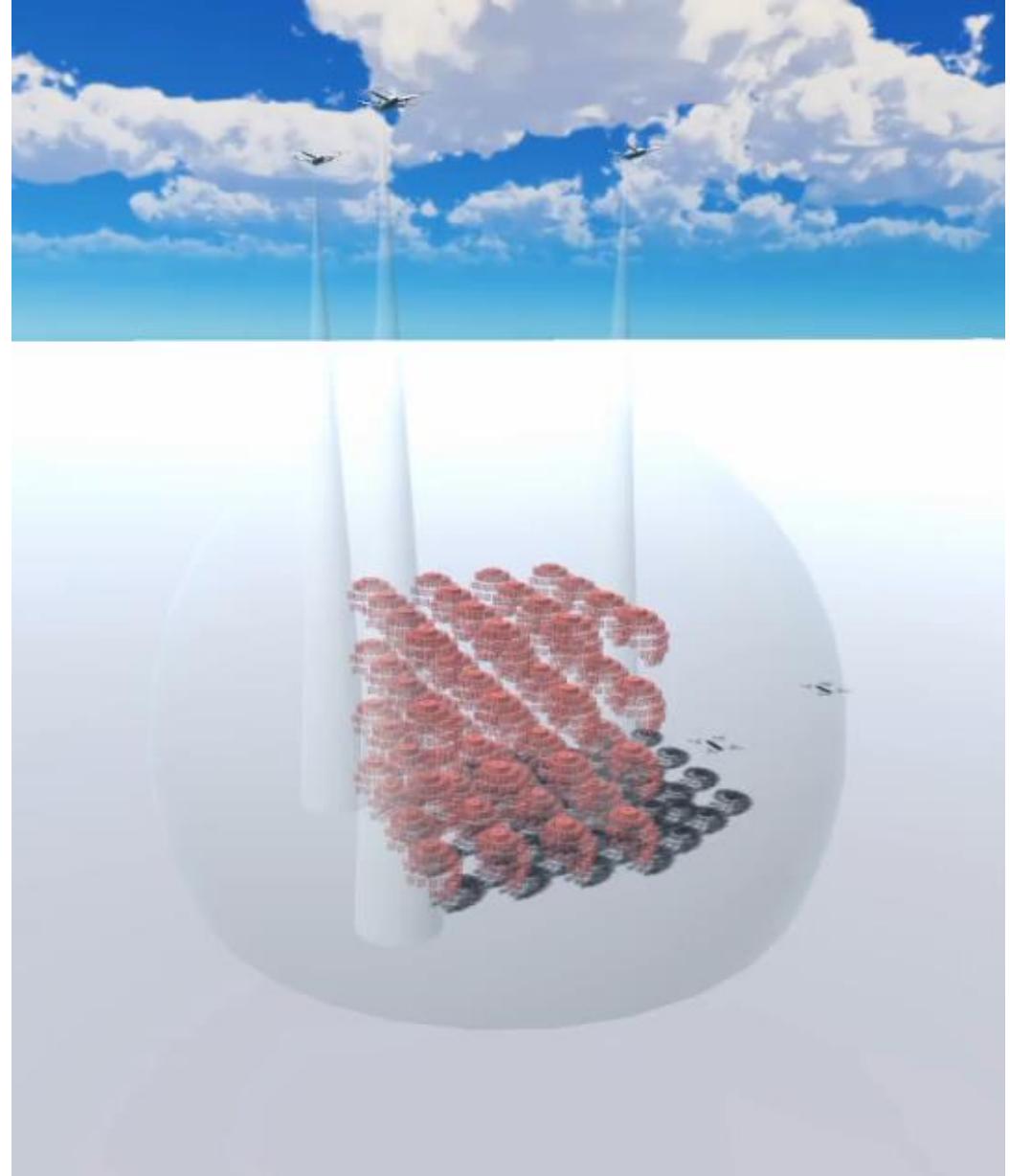
coverage

$$u_i = u_h + u_{cc}$$

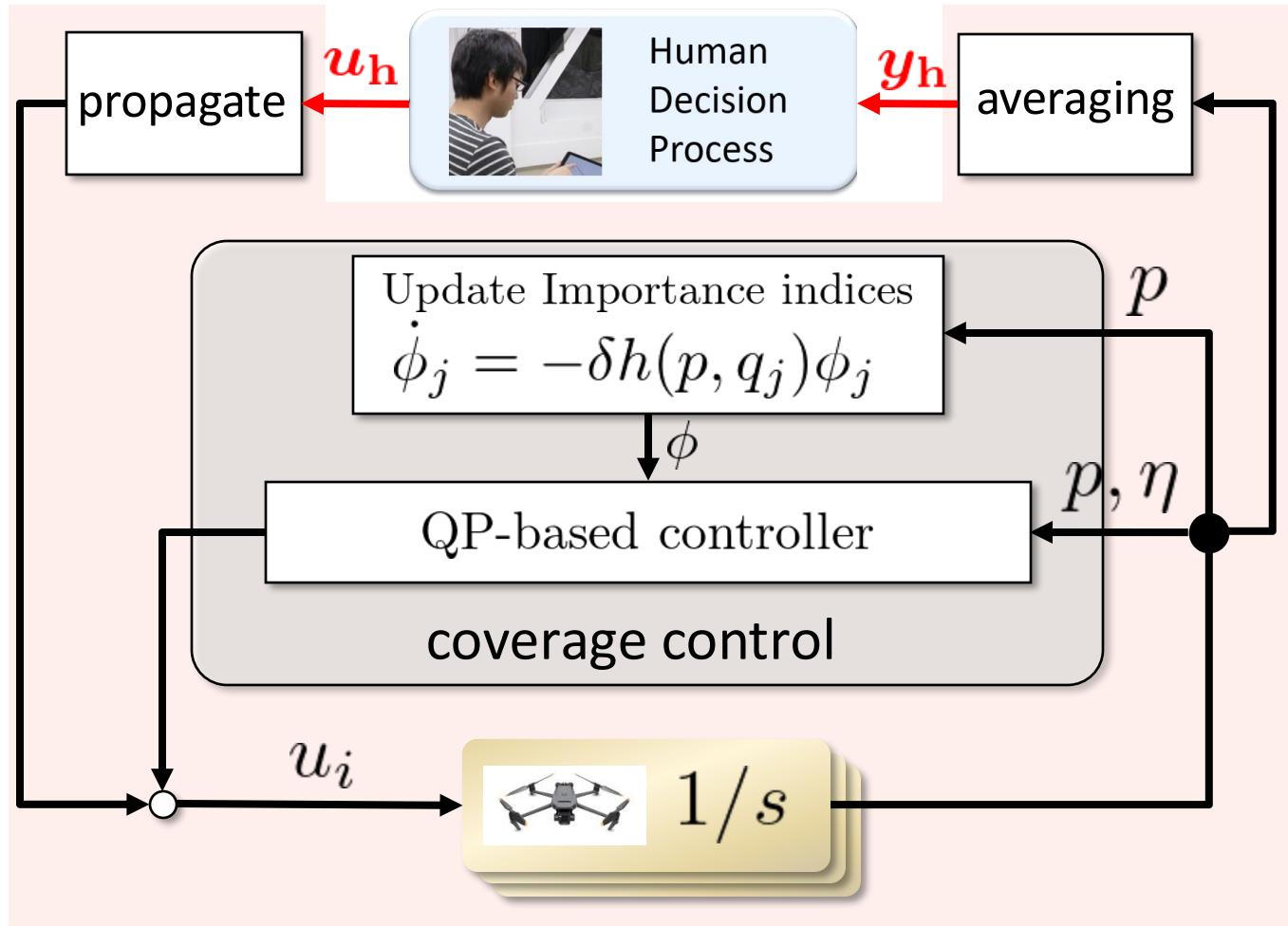
human command

coverage control

by using the aforementioned coverage control...



Stealthy Coverage Control



- coverage control violates passivity?
- coverage control degrades operability?



null-space-based interaction

Music, S. , Salvietti, G. , Bude gen. Dohmann, P. , Chinello, F. , Prattichizzo, D. , & Hirche, S. (2017). Human-multi-robot teleoperation for cooperative manipulation tasks using wearable haptic devices. IEEE/RSJ international conference on intelligent robots and systems

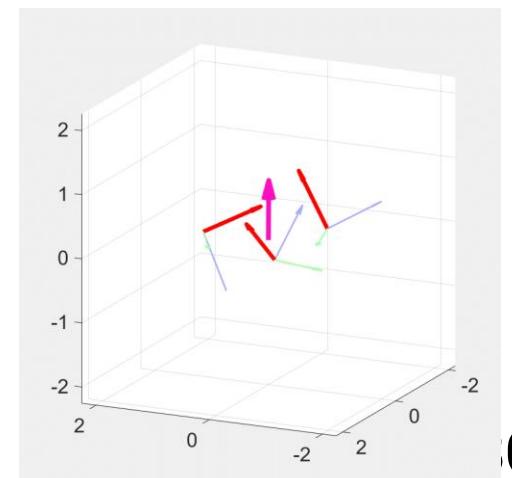
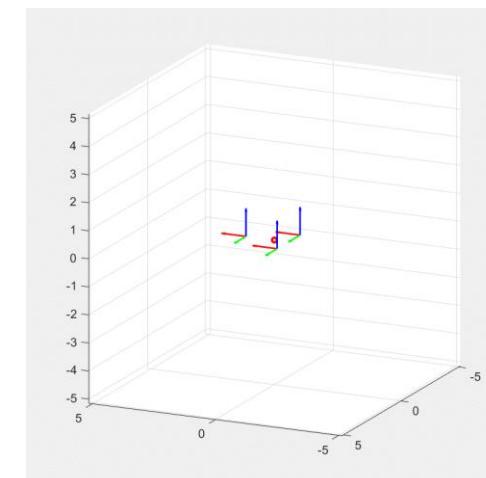
invariant quantities

$$\bar{p} = \frac{1}{n}(p_1 + \dots + p_n) \quad M = I_n - \frac{1}{n}\mathbf{1}_n\mathbf{1}_n^\top$$

$$\dot{\bar{p}} = \mathbf{M}u_{\text{cov}}$$

$$\bar{\eta} = \frac{1}{n}(R_1\mathbf{e}_3 + \dots + R_n\mathbf{e}_3)$$

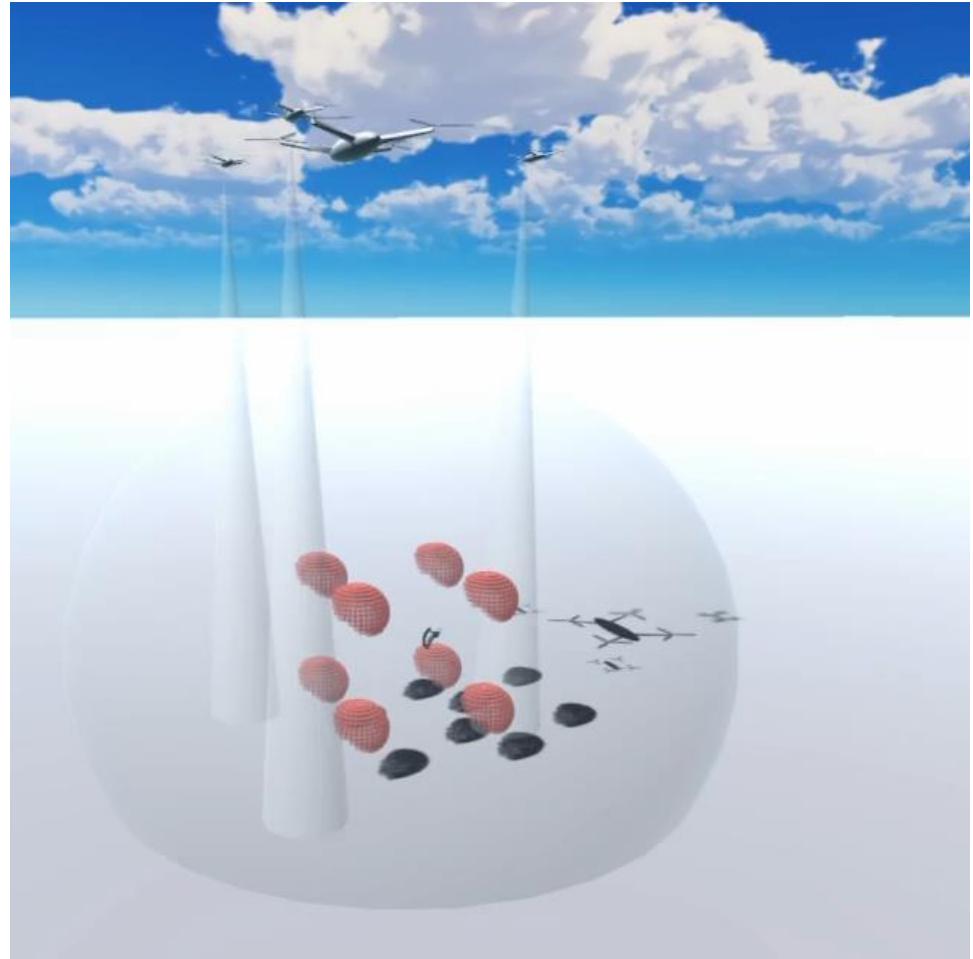
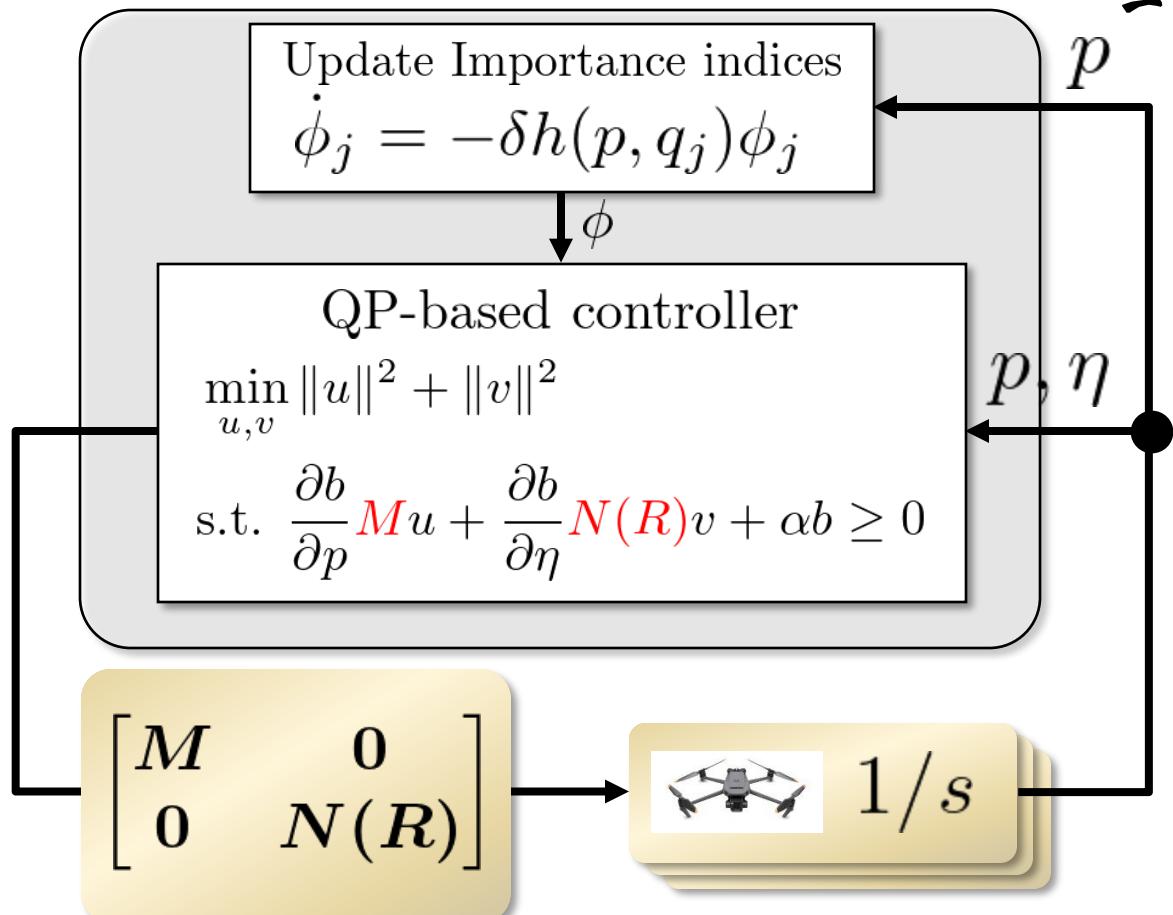
$$\dot{\bar{\eta}} = \mathbf{N}(R)v_{\text{cov}}$$



Stealthy Coverage Control

Stability of human-in-the-loop is OK.

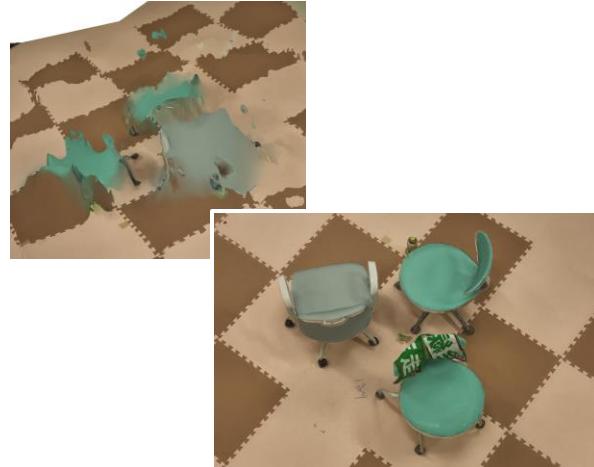
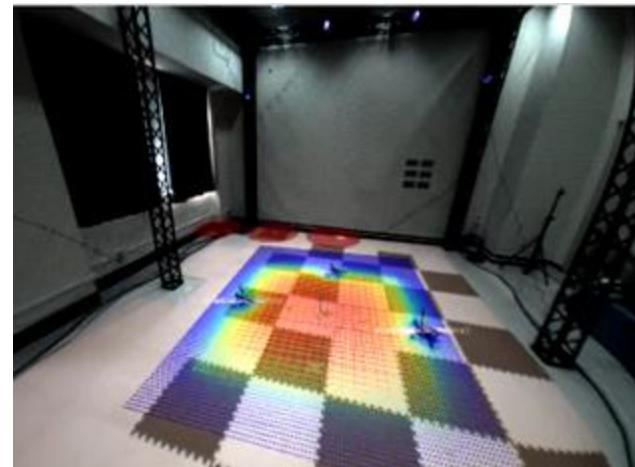
just multiplying the matrix may spoil
coverage performance guarantee?



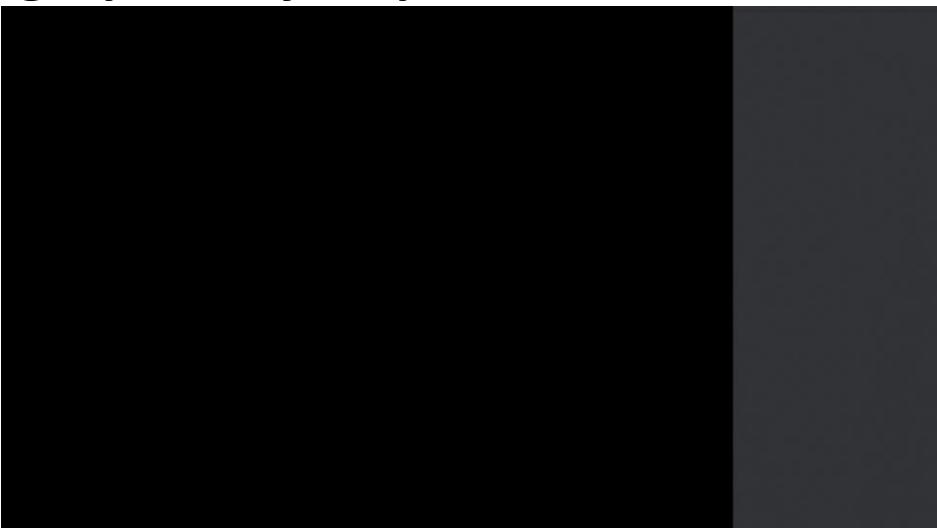
This is still a raw idea, verifications through both simulation and experiments have not been fully completed yet.

Summary

Coverage control enhances 3D model quality



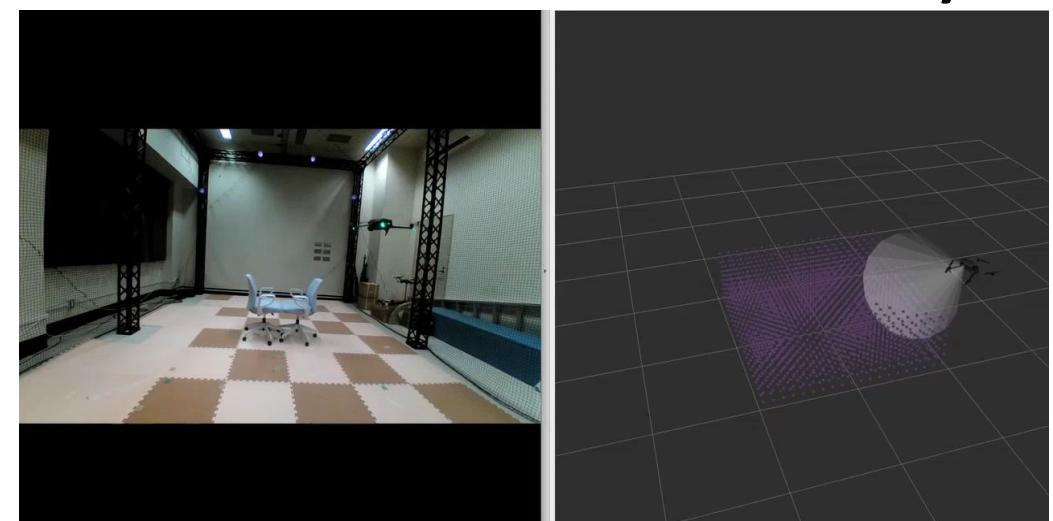
Combining MPC solves a problem of geographically dispersed small-scale farms



Feasibility in outdoor experiments



Real-time 3D mapping techniques may further enhance model accuracy

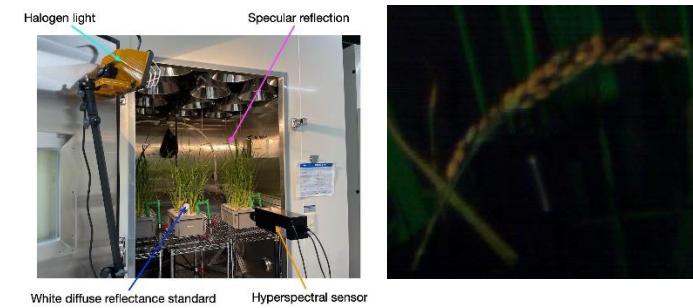
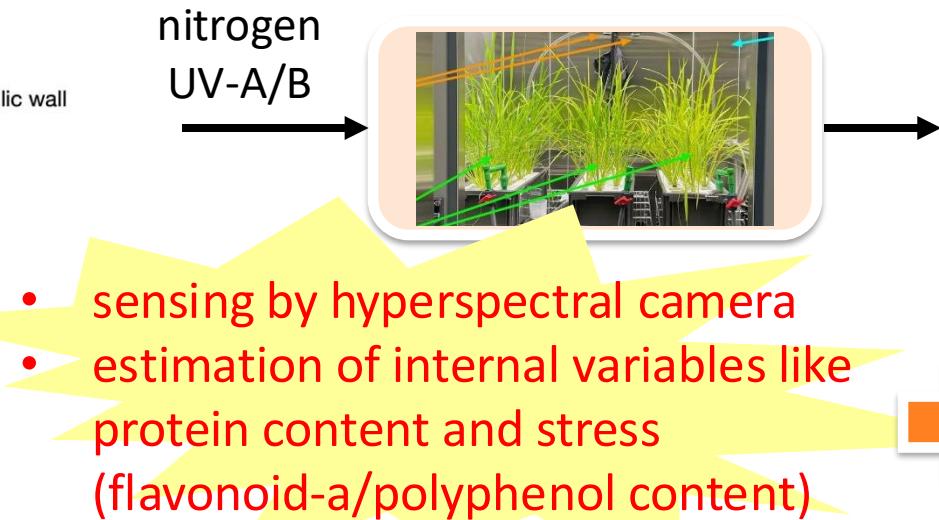
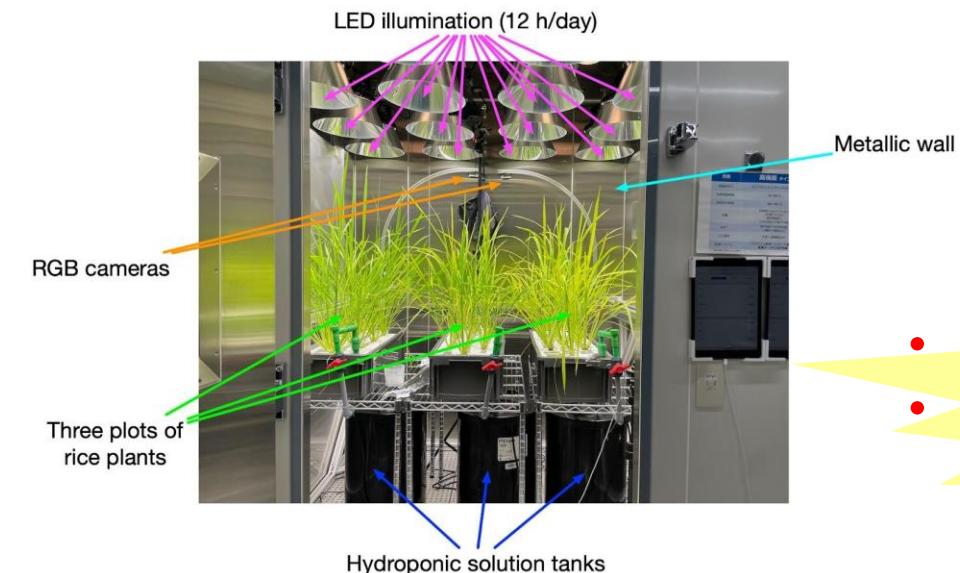


Control in Plant Factory

Cabinet Office, Government of Japan, programs for Bridging the gap between R&d and the IDEal society (society 5.0) and Generating Economic and social value



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- dynamic modeling by ML
 - Real-time control
- sparse data in time**