

Figure 1 : Model of the elevator

$$\frac{d[Y]}{dt} = \beta_Y * \frac{[D]^{n_{D2Y}}(t)}{\kappa_{D2Y}^{n_{D2Y}} + [D]^{n_{D2Y}}(t)} - \alpha_Y([Y])(t), \text{ where } \kappa_{D2Y} = 0.5, n_{D2Y} = 10, \beta_Y = \alpha_Y = 1$$

$$\frac{d[A]}{dt} = \beta_A * \frac{[Y]^{n_{Y2A}}(t)}{\kappa_{Y2A}^{n_{Y2A}} + [Y]^{n_{Y2A}}(t)} - \alpha_A([A])(t), \text{ where } \kappa_{D2Y} = 0.5, n_{D2Y} = 10, \beta_Y = \alpha_Y = 1$$

The stop button, S , can also be 0 and 1. The X and the NOT S pass through the or gate. And resulting F is to determine whether the system works or not. The truth table of the F is seen in Table 1.

X	S	F
1	1	0
1	0	1
0	1	0
0	0	0

Table 1: Truth Table of the F

And when floor is selected, the $S_{\text{floor_change}}$ will be activated. In the model of this system seen in Figure 1, S_{two} and S_{three} are not given, just S_{one} is given. Because they are the same as the dashed rectangular. So, $S_{\text{floor_change}}$ represents all of them. The acceleration status with the activation of the elevator is denoted by Y_v . Next to C1-FFL, F also passes through the and gate. Thus, if the stop button is pressed, the speed will also be 0.

The dynamic evolution of $S_{\text{change_floor}}$, X_v and Y_v is given in below.

$$\frac{d[S_{\text{floor}}]}{dt} = \beta_{S_{\text{floor}}} * \frac{[X]^{n_{X2S_{\text{floor}}}}(t)}{\kappa_{X2S_{\text{floor}}}^{n_{X2S_{\text{floor}}}} + [X]^{n_{X2S_{\text{floor}}}}(t)} - \alpha_{S_{\text{floor}}}([S_{\text{floor}}])(t),$$

$$\text{where } \kappa_{X2S_{\text{floor}}} = 0.5, n_{X2S_{\text{floor}}} = 10, \beta_{S_{\text{floor}}} = \alpha_{S_{\text{floor}}} = 1$$

$$\frac{d[X_v]}{dt} = \beta_{X_v} * \frac{[S_{\text{floor}}]^{n_{S_{\text{floor}}2X_v}}(t)}{\kappa_{S_{\text{floor}}2X_v}^{n_{S_{\text{floor}}2X_v}} + [S_{\text{floor}}]^{n_{S_{\text{floor}}2X_v}}(t)} - \alpha_{X_v}([X_v])(t),$$

$$\text{where } \kappa_{S_{\text{floor}}2X_v} = 0.5, n_{S_{\text{floor}}2X_v} = 10, \beta_{X_v} = 20.0, \alpha_{X_v} = 1$$

$$\frac{d[Y_v]}{dt} = \beta_{Y_v} * \left(\frac{[X_v]^{n_{X_v2Y_v}}(t)}{\kappa_{X_v2Y_v}^{n_{X_v2Y_v}} + [X_v]^{n_{X_v2Y_v}}(t)} \right) * \left(\frac{[F]^{n_{F2Y_v}}(t)}{\kappa_{F2Y_v}^{n_{F2Y_v}} + [F]^{n_{F2Y_v}}(t)} \right) - \alpha_{Y_v}([Y_v])(t) *,$$

$$\text{where } \kappa_{F2Y_v} = \kappa_{X_v2Y_v} = 0.5, n_{F2Y_v} = n_{X_v2Y_v} = 10, \beta_{Y_v} = 20.0, \alpha_{Y_v} = 1$$

In addition, the elevator speed should decrease when approaching the targeted floor. For this reason, a repression node has been added, which activates 5 seconds before reaching the targeted floor. So, Z_v shows the final speed. The dynamic evolution of R_v , X_v and Z_v is given in below.

$$\frac{d[R_v]}{dt} = \beta_{R_v} * \frac{[Y_v]^{n_{Y_v2R_v}}(t)}{\kappa_{Y_v2R_v}^{n_{Y_v2R_v}} + [Y_v]^{n_{Y_v2R_v}}(t)} - \alpha_{R_v}([R_v])(t),$$

$$\text{where } \kappa_{Y_v2R_v} = 0.5, n_{Y_v2R_v} = 10, \beta_{R_v} = 20.0, \alpha_{R_v} = 1, t_{\text{end}} - 5 < t < t_{\text{end}}$$

$$\frac{d[Z_v]}{dt} = \beta_{Z_v} * \left(\frac{[Y_v]^{n_{Y_v 2Z_v}}(t)}{\kappa_{Y_v 2Z_v}^{n_{Y_v 2Z_v}} + [Y_v]^{n_{Y_v 2Z_v}}(t)} \right) * \left(\frac{1}{1 + \left(\frac{[R_v]}{\kappa_{R_v 2Y_v}} \right)^{n_{R_v 2Y_v}}} \right) - \alpha_{Z_v}([Z_v])(t) * ,$$

$$where \kappa_{Y_v 2Z_v} = \kappa_{R_v 2Y_v} = 0.5, n_{Y_v 2Z_v} = n_{R_v 2Y_v} = 10, \beta_{R_v} = 20.0, \alpha_{R_v} = 1$$

Finally, the variation of the distance of the elevator to the target is tried to be shown. For this, I1-FFL is used. Z_D shows the mentioned information of distance. The dynamic evolution of Y_D and Z_D is given in below. The beta value of Z depends on the floor choice.

$$\frac{d[Y_D]}{dt} = \beta_{Y_D} * \frac{[S_{floor}]^{n_{S_{floor} 2Y_D}}(t)}{\kappa_{S_{floor} 2Y_D}^{n_{S_{floor} 2Y_D}} + [S_{floor}]^{n_{S_{floor} 2Y_D}}(t)} - \alpha_{Y_D}([Y_D])(t),$$

$$where \kappa_{S_{floor} 2Y_D} = 0.5, n_{S_{floor} 2Y_D} = 10, \beta_{Y_D} = 3 * \alpha_{Y_D}, \alpha_{Y_D} = 0.25$$

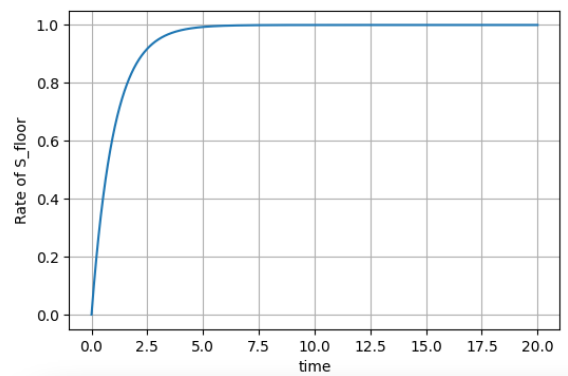
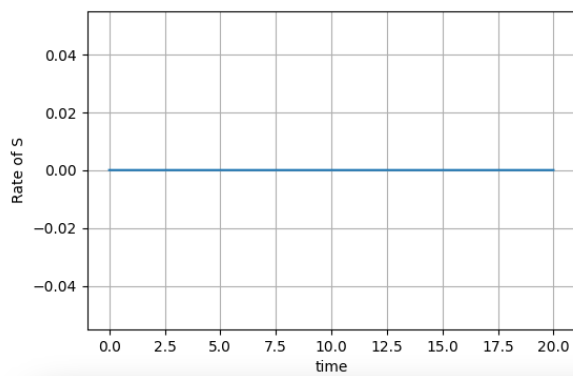
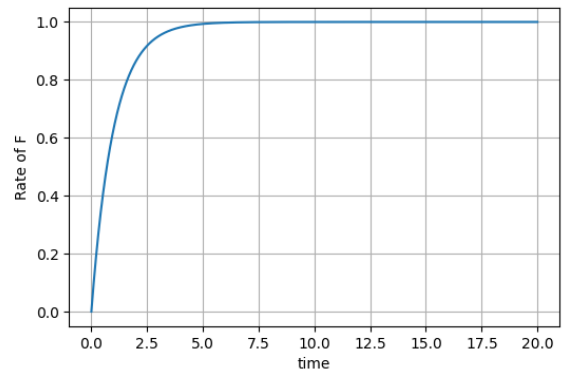
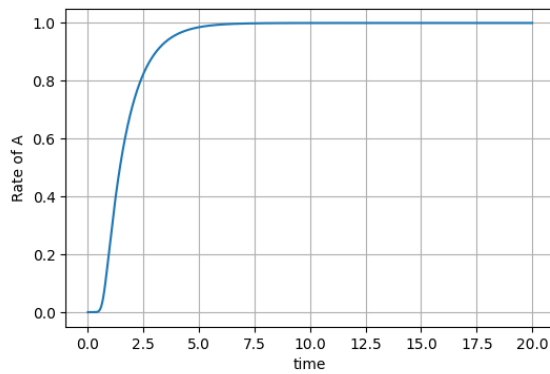
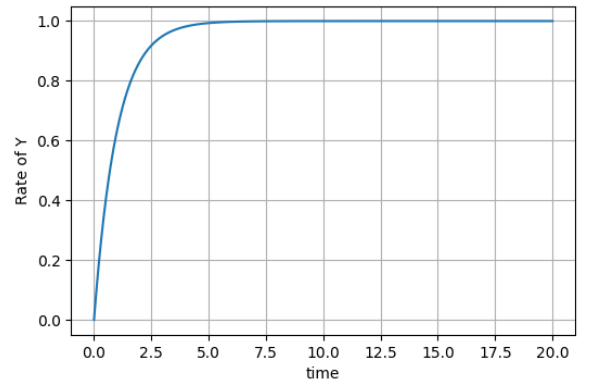
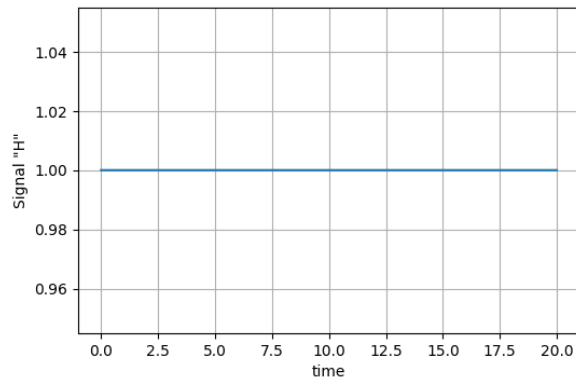
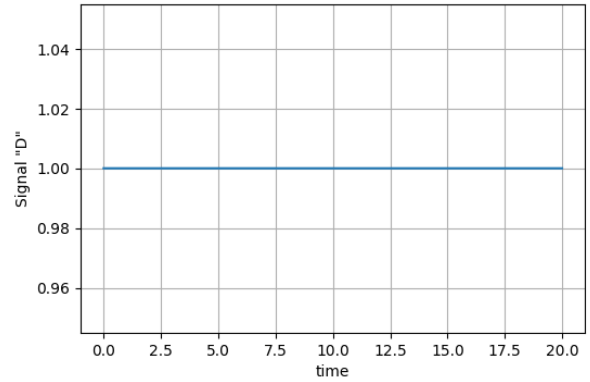
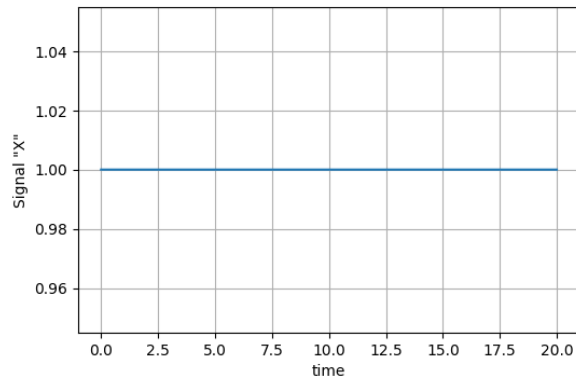
$$\frac{d[Z_D]}{dt} = \beta_{Z_D} * \frac{1}{1 + \left(\frac{[Y_D]}{\kappa_{Y_D 2Z_D}} \right)^{n_{Y_D 2Z_D}}} - \alpha_{Z_D}([Z_D])(t),$$

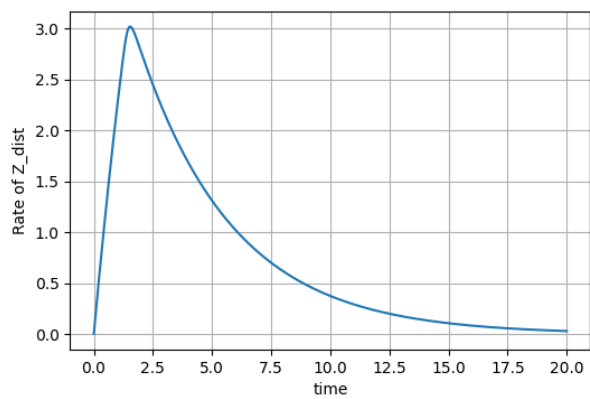
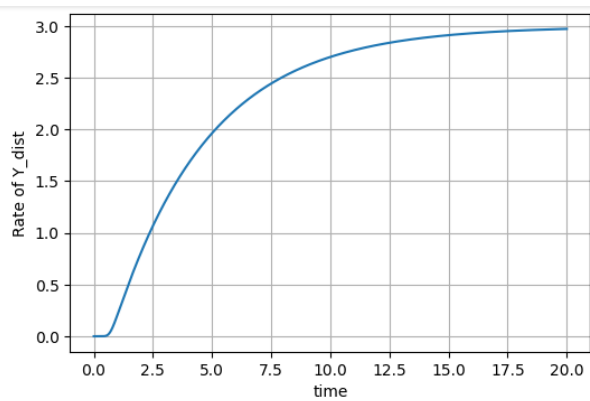
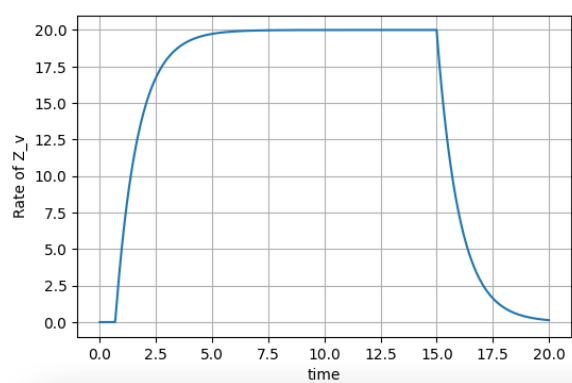
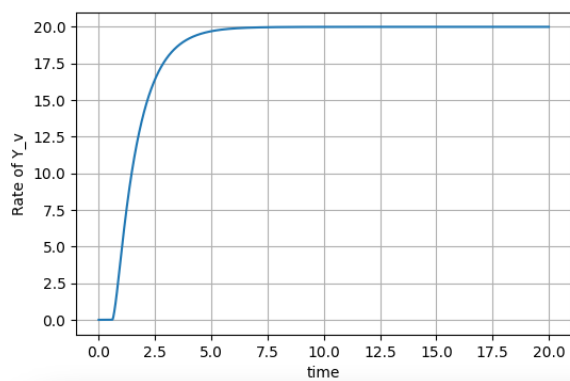
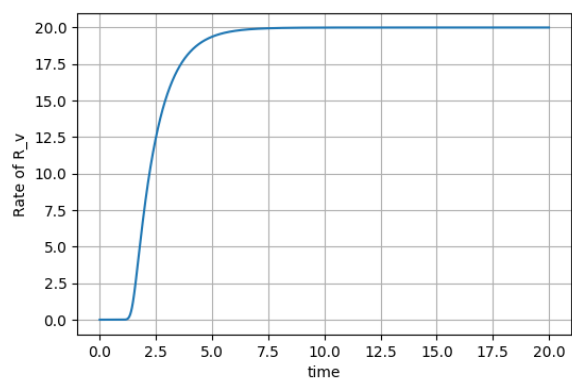
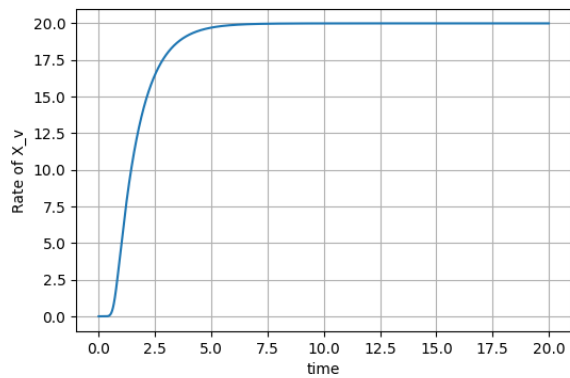
$$where \kappa_{Y_D 2Z_D} = 0.5, n_{Y_D 2Z_D} = 10, \beta_{Y_D} = (one\ of\ them\ 3.3, 4.4, 5.0) * 3 * \alpha_{Y_D}, \alpha_{Y_D} = 0.25$$

The situation that can not modeled in this model is that the distance remains constant when the stop button is pressed.

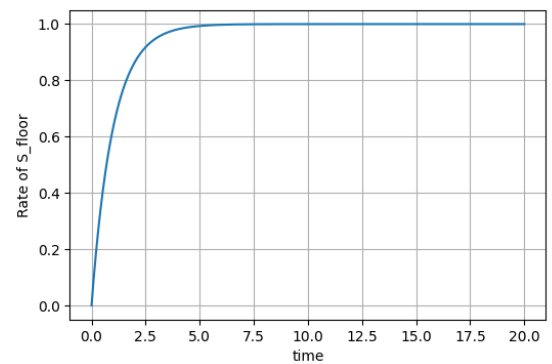
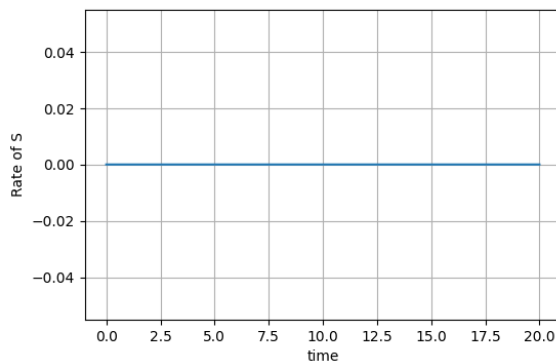
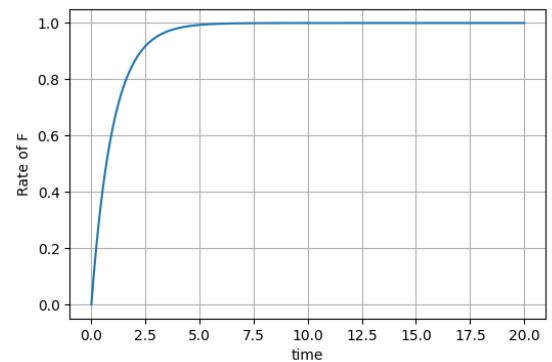
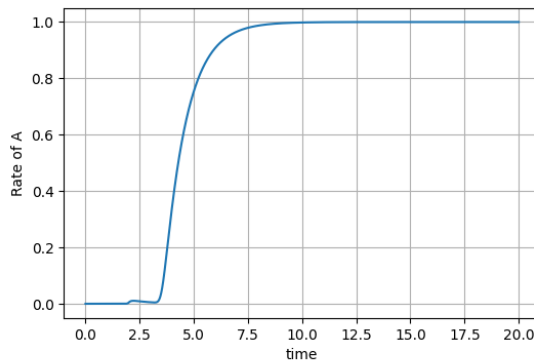
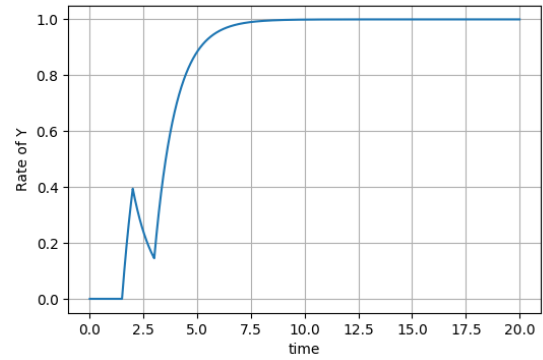
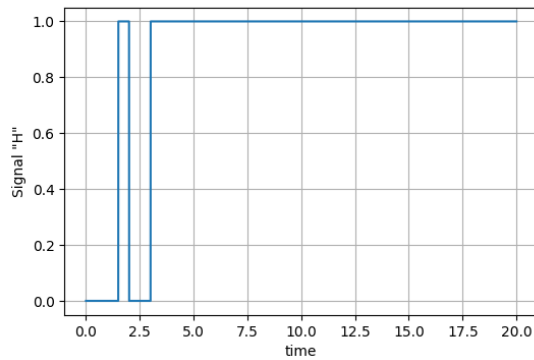
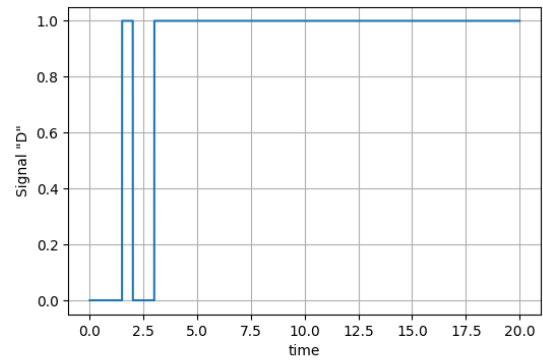
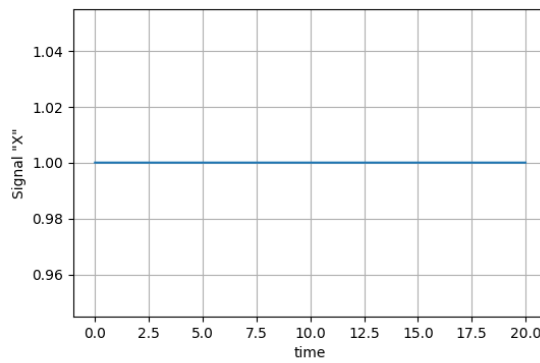
3. Simulations

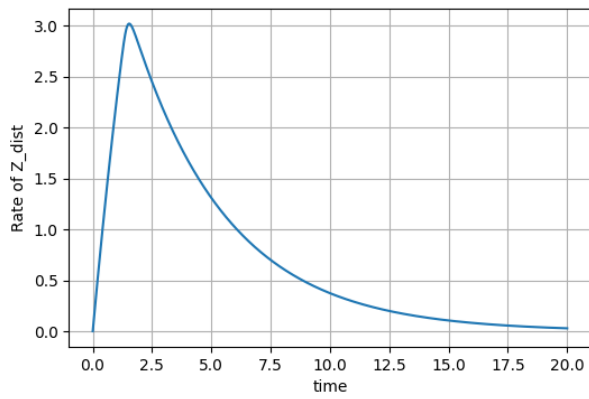
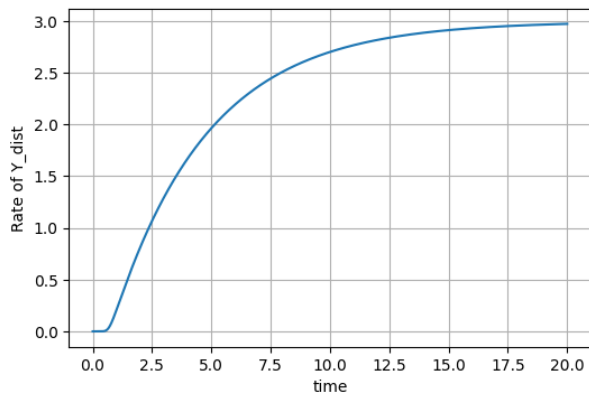
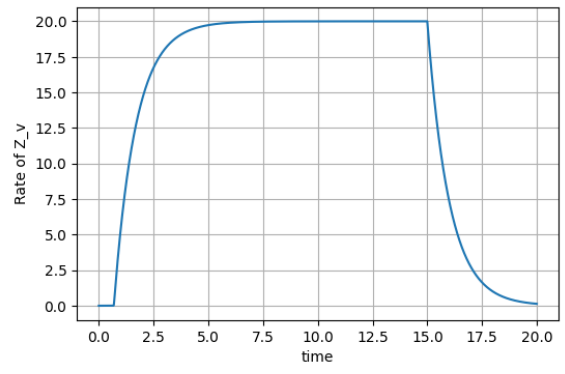
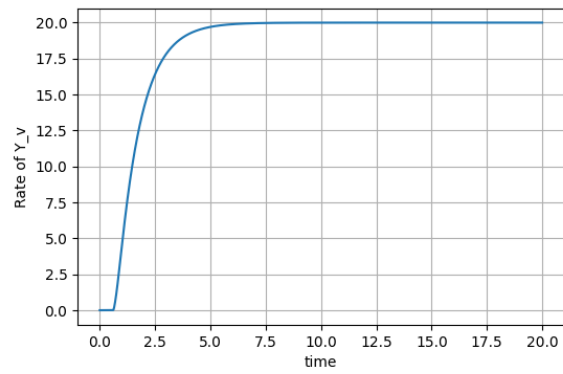
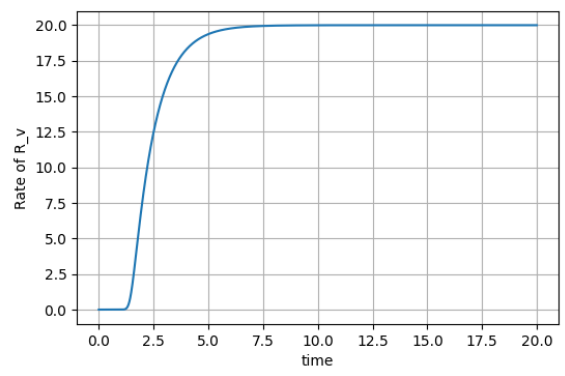
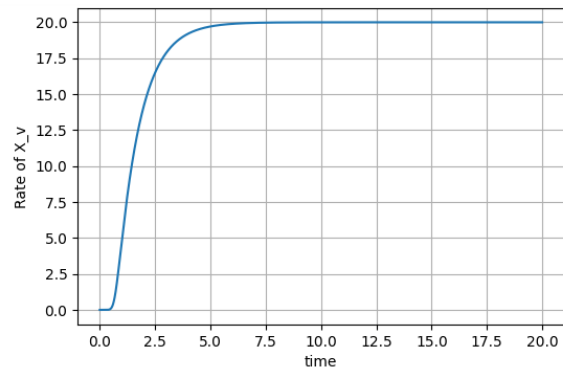
Simulations results are below for $X = 1$, $S = 0$ (stop button is not pressed), $\text{floor_choice} = 1$ and $H = 1$.



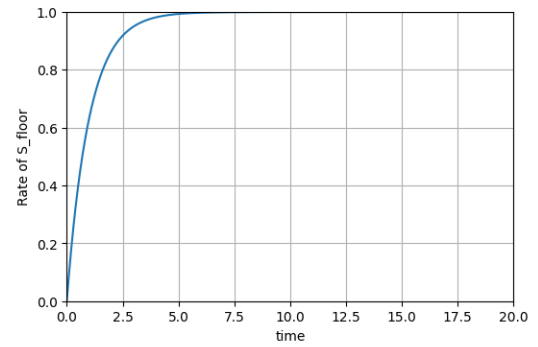
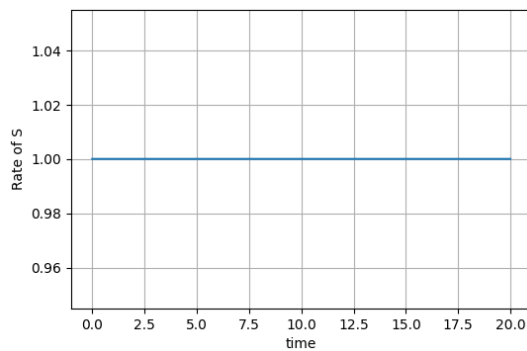
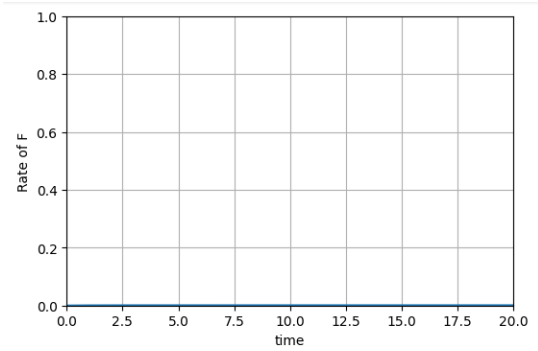
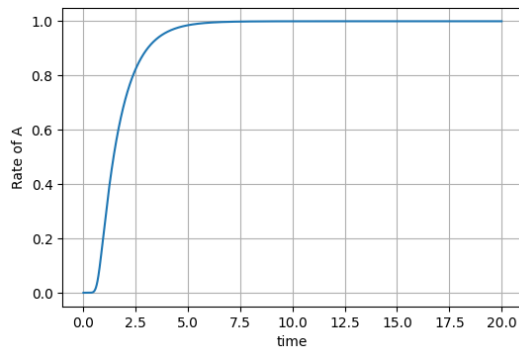
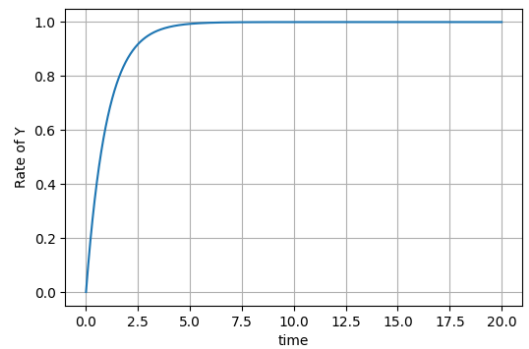
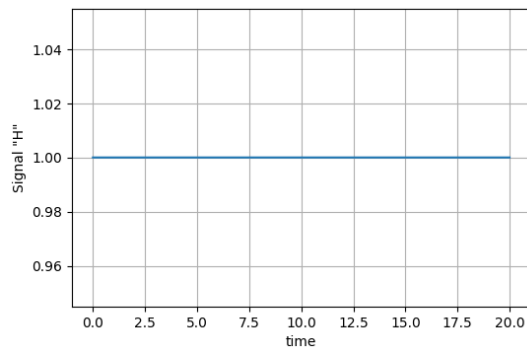
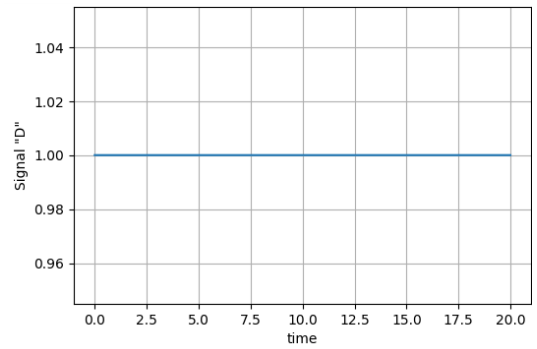
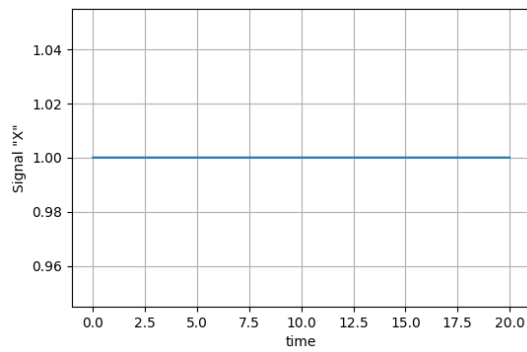


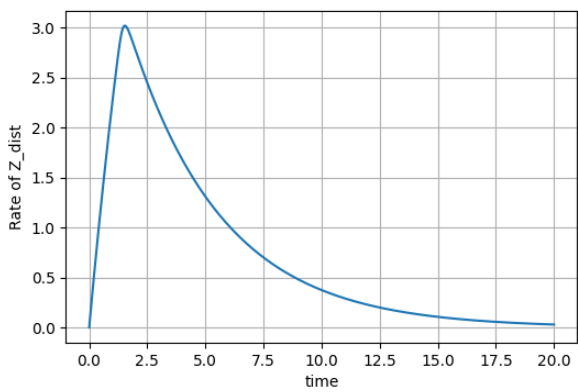
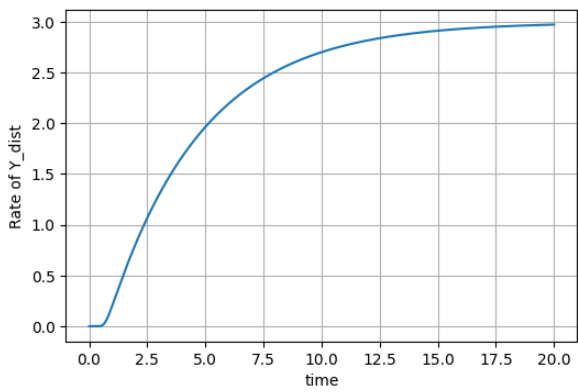
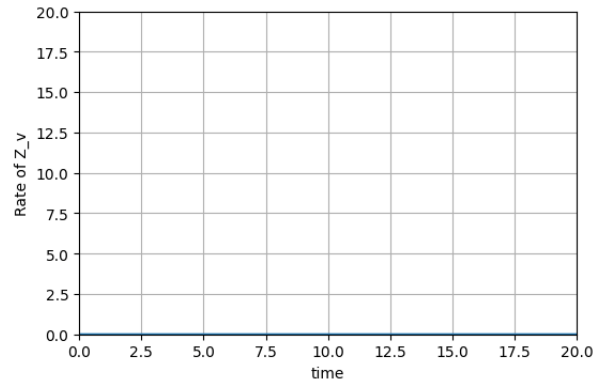
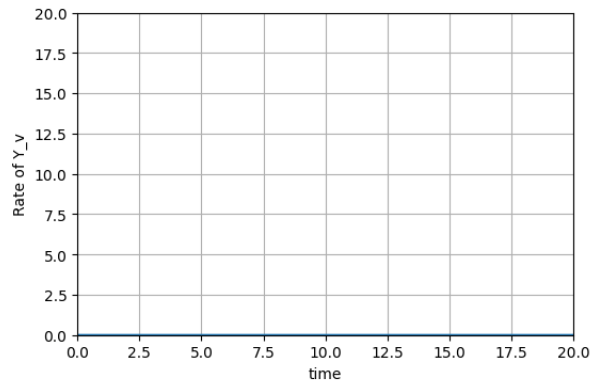
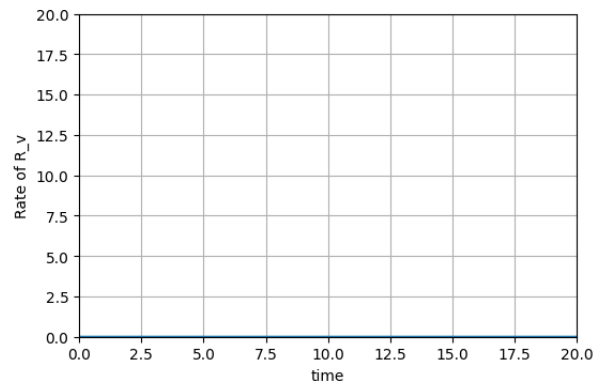
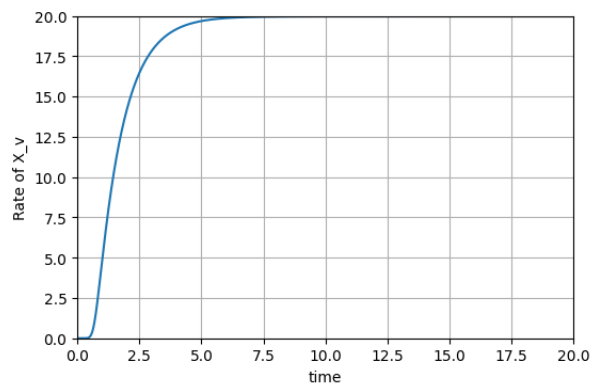
Simulations results are below for $X = 1$, $S = 0$ (stop button is not pressed), $floor_choice = 1$ and H in fluctuation (there is some object on door in brief time).



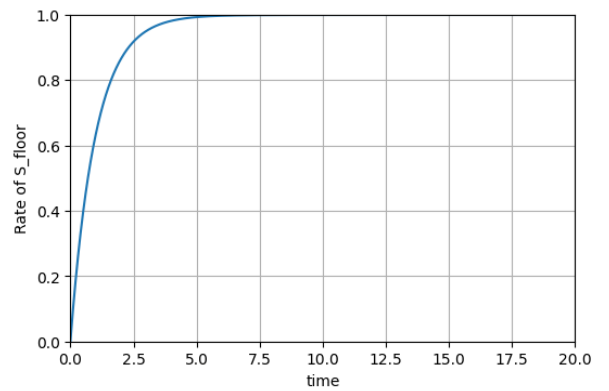
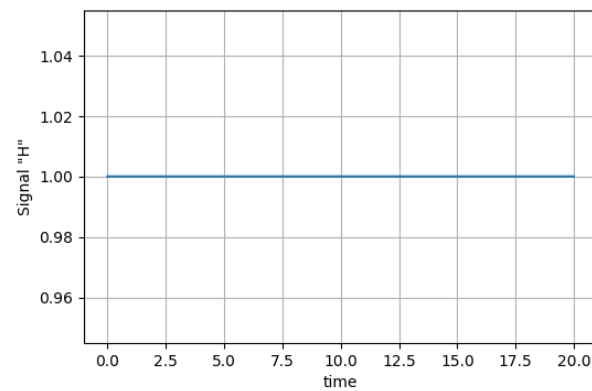
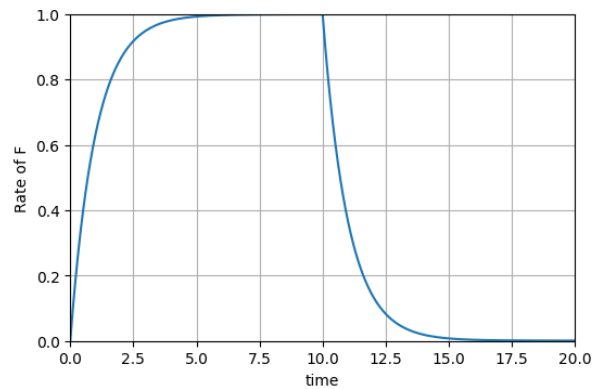
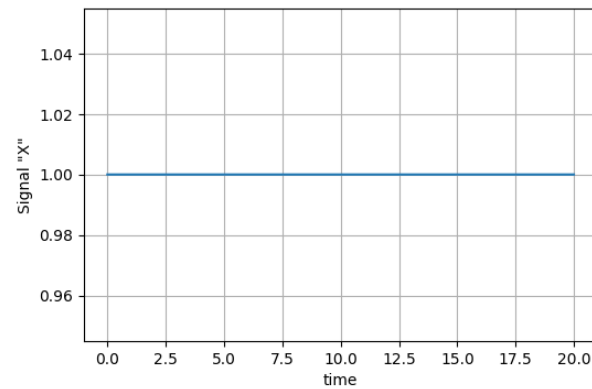
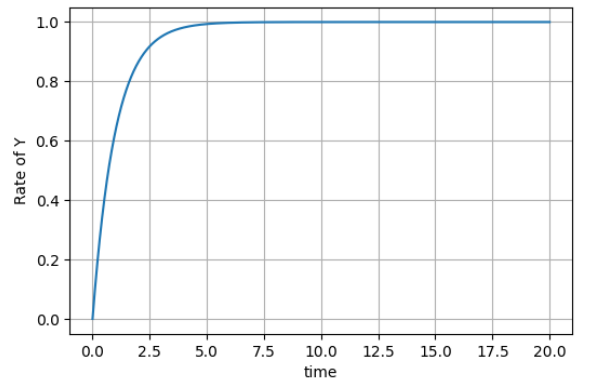
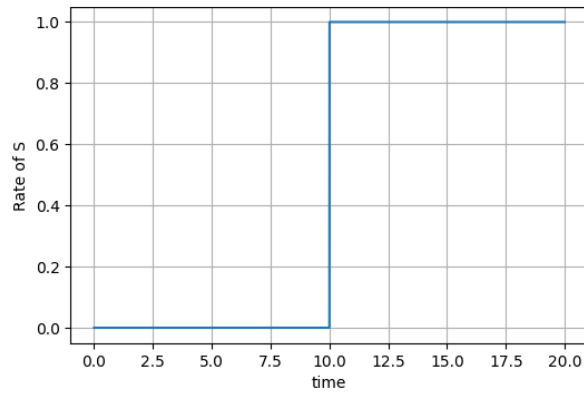
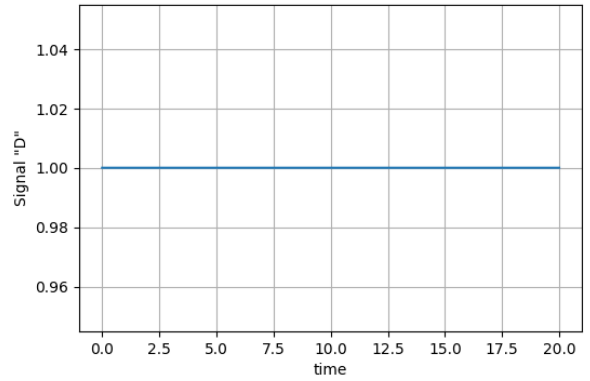
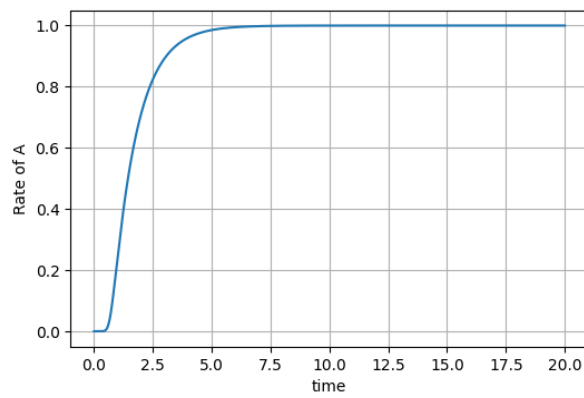


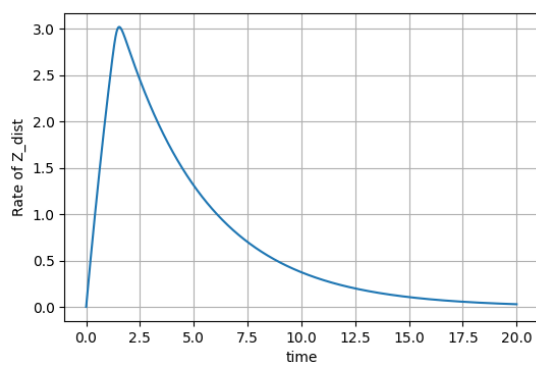
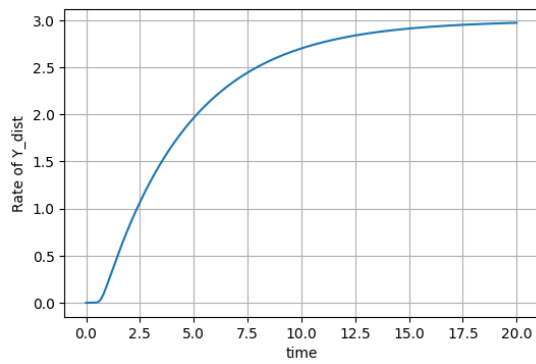
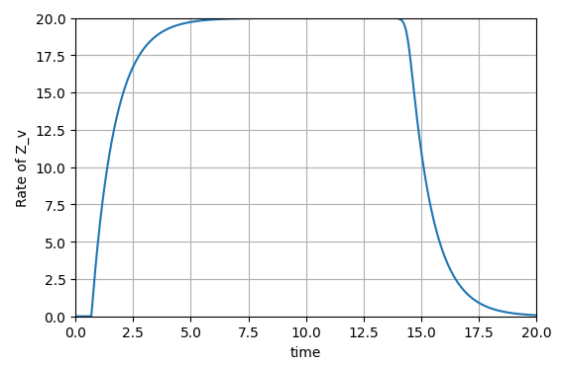
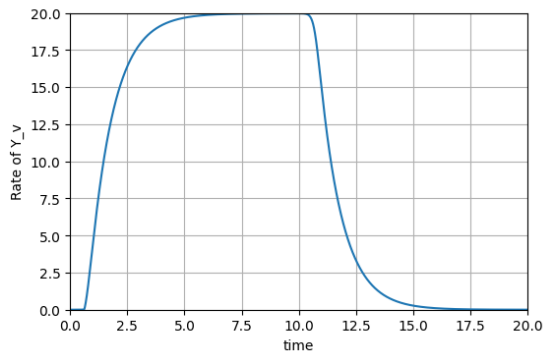
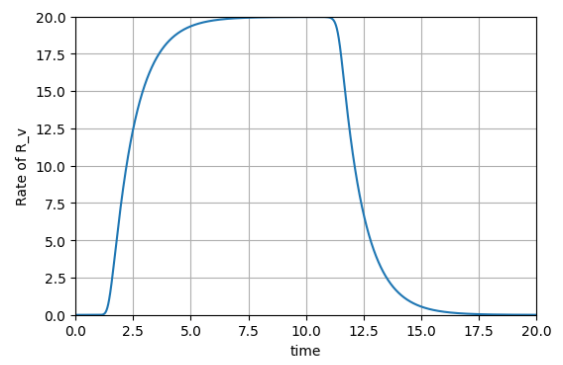
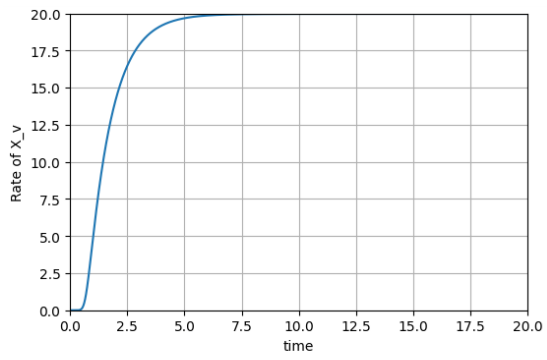
Simulations results are below for $X = 1$, $S = 1$ (stop button is pressed), $floor_choice = 1$ and $H = 1$.



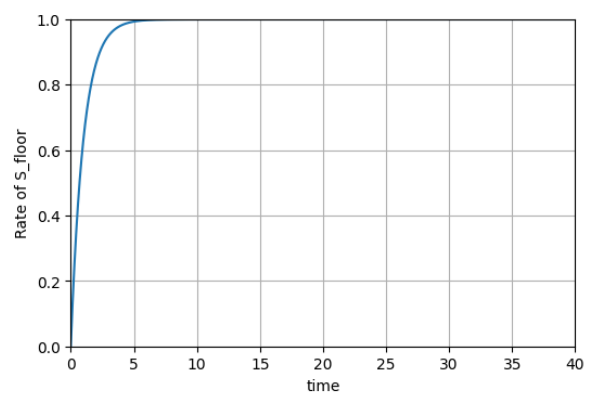
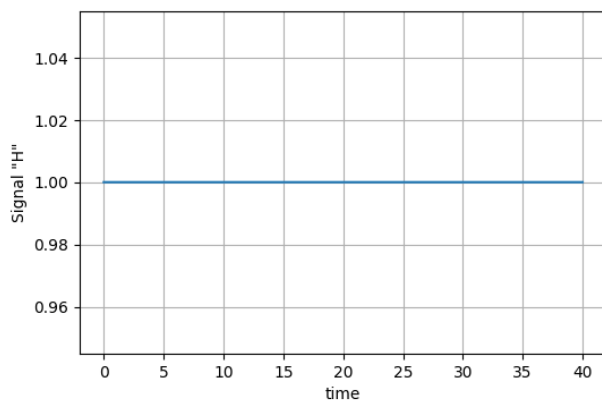
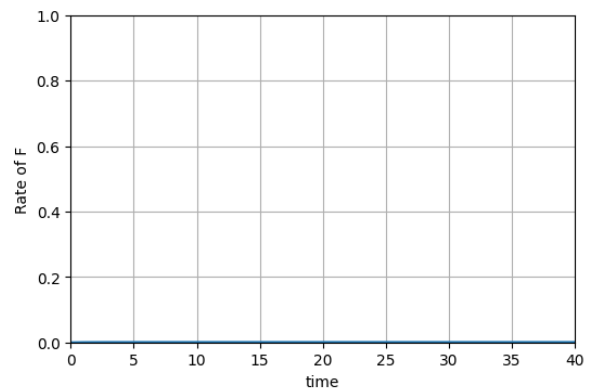
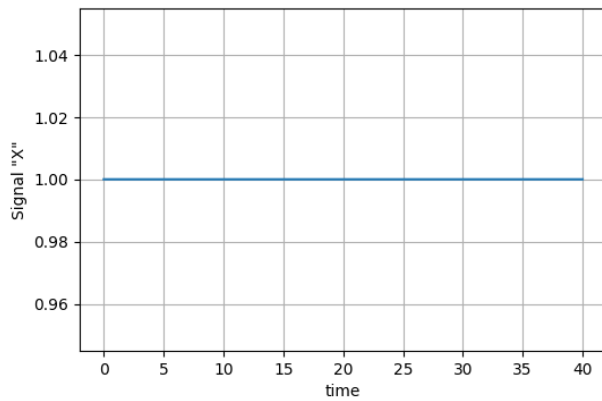
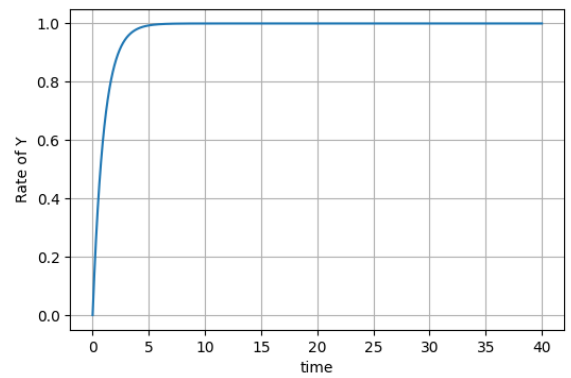
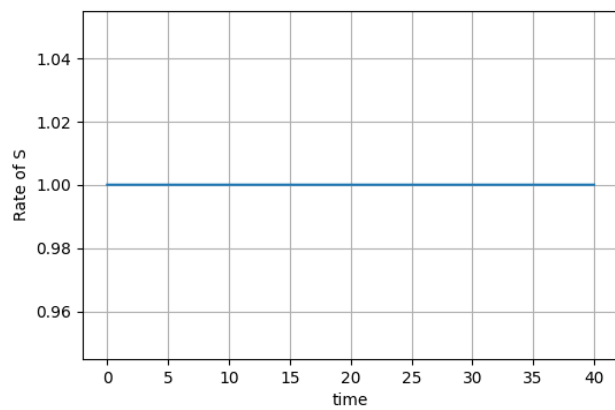
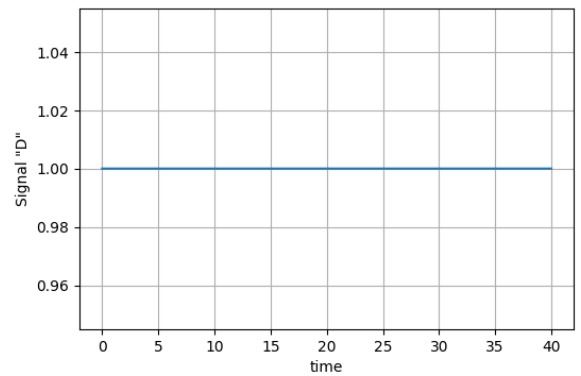
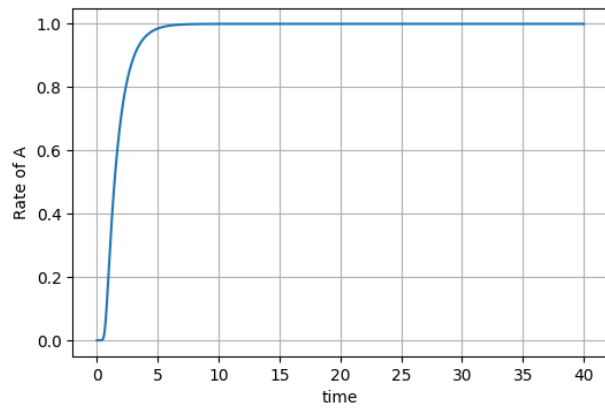


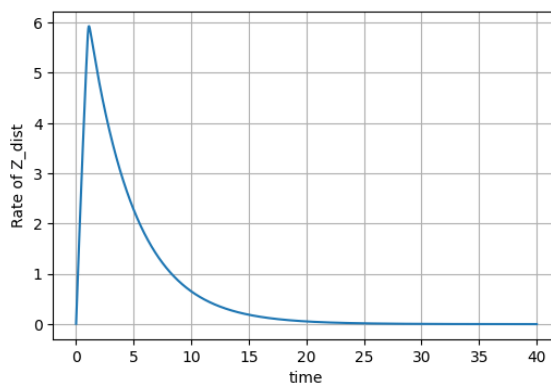
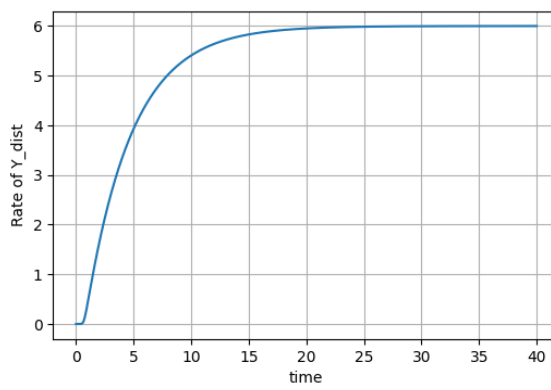
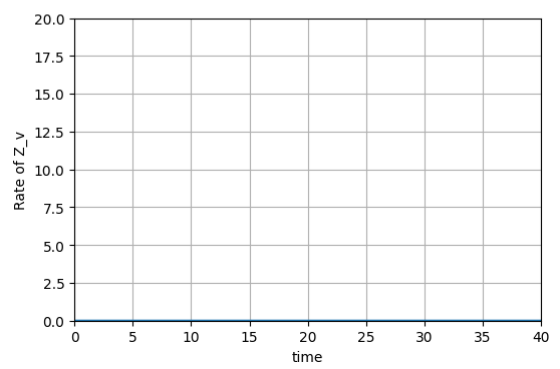
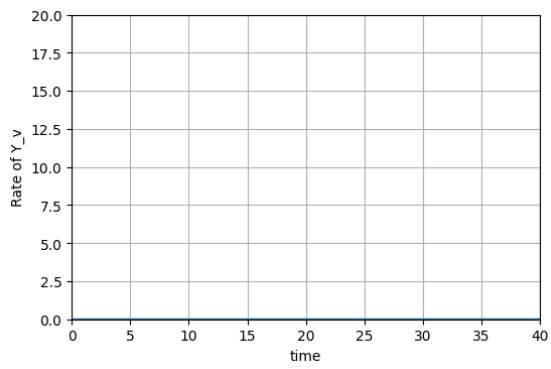
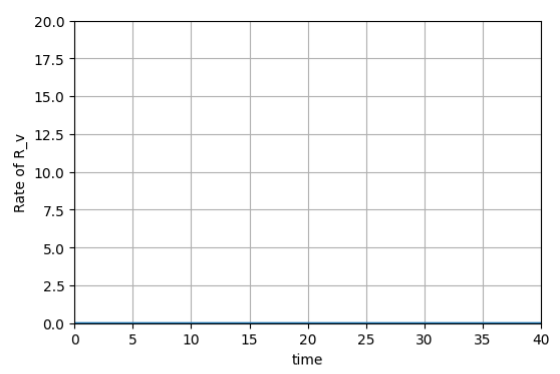
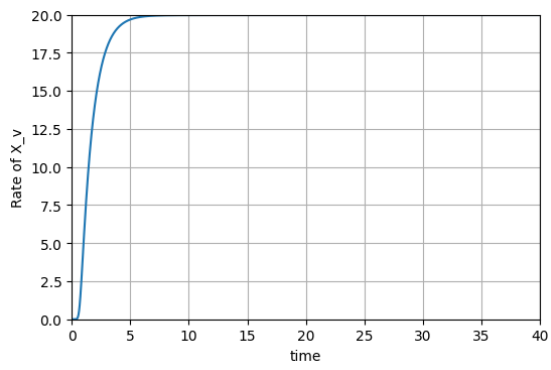
Simulations results are below for $X = 1$, $S = 1$ (stop button is pressed at $t_{\text{end}}/2$), $\text{floor_choice} = 1$ and $H = 1$.



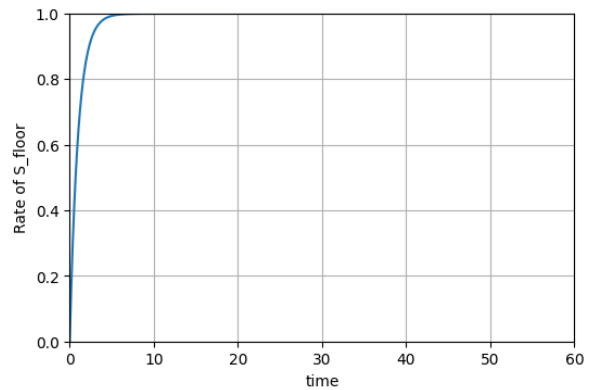
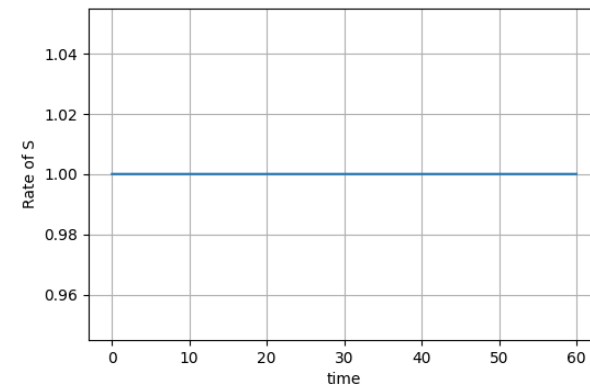
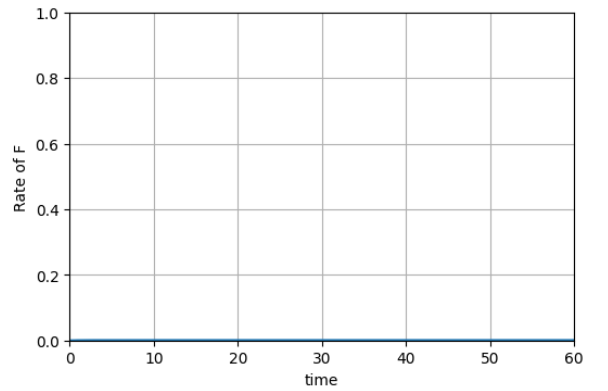
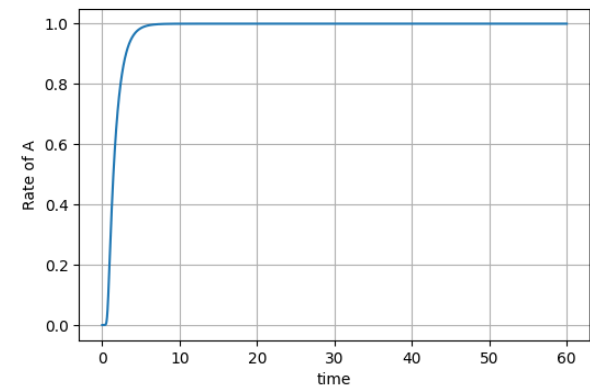
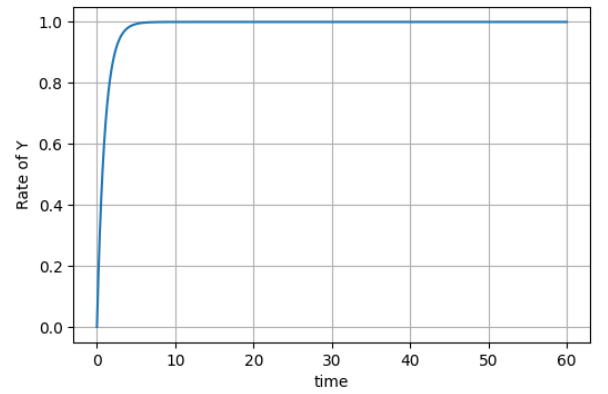
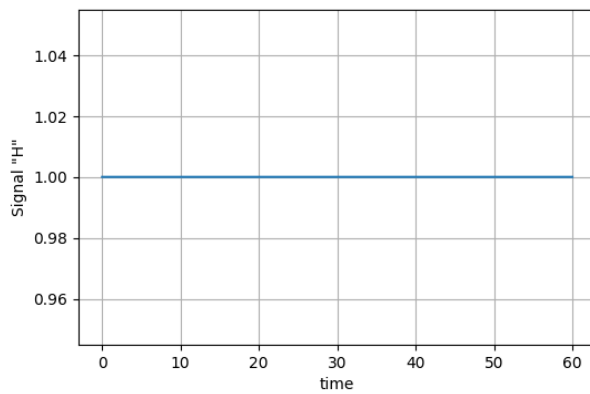
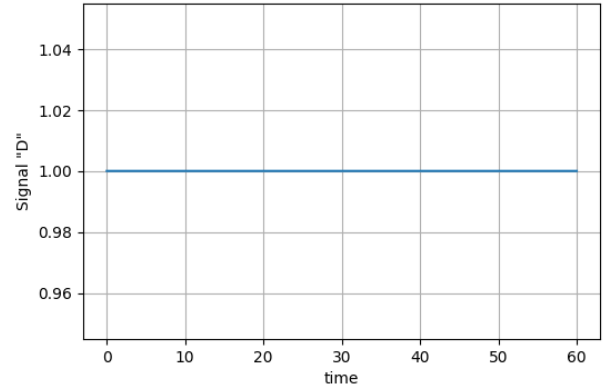
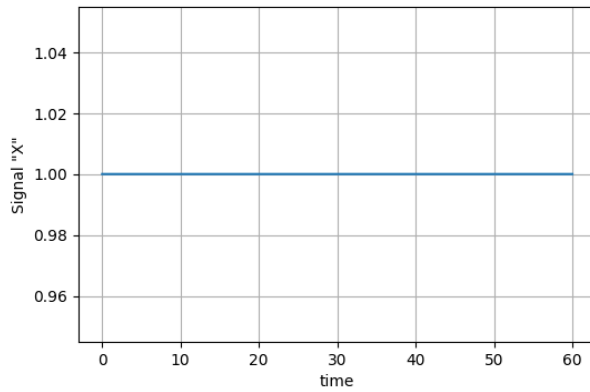


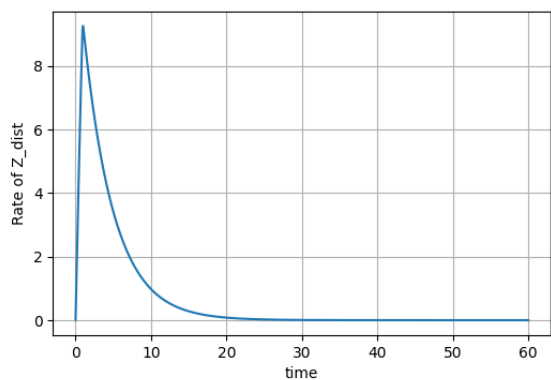
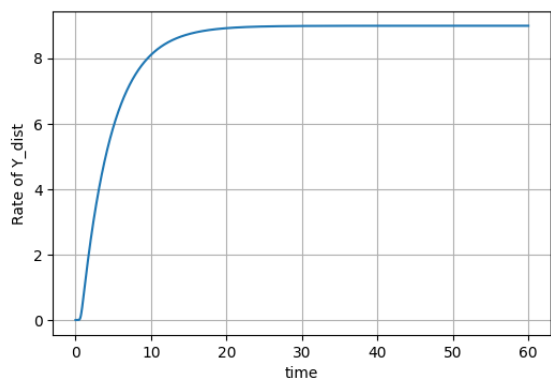
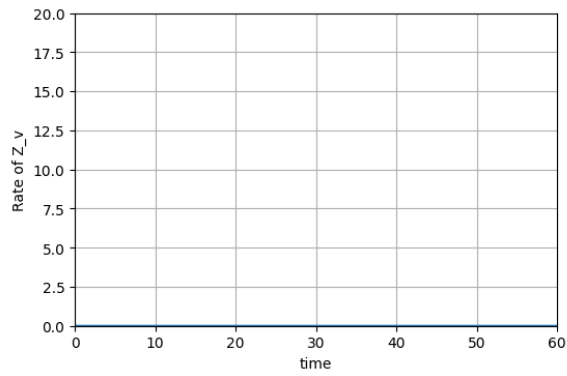
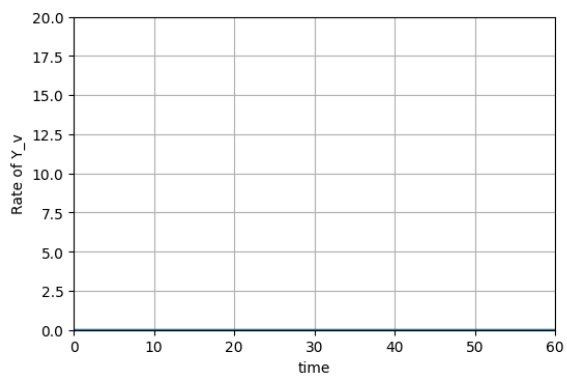
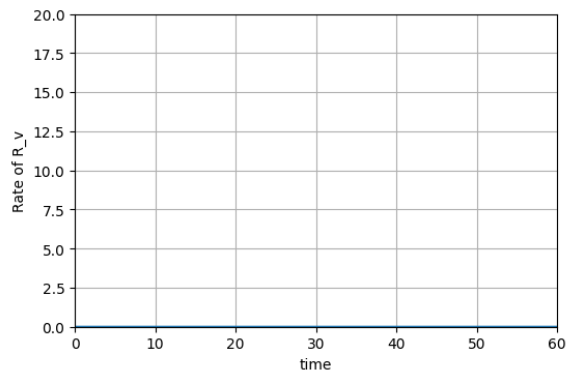
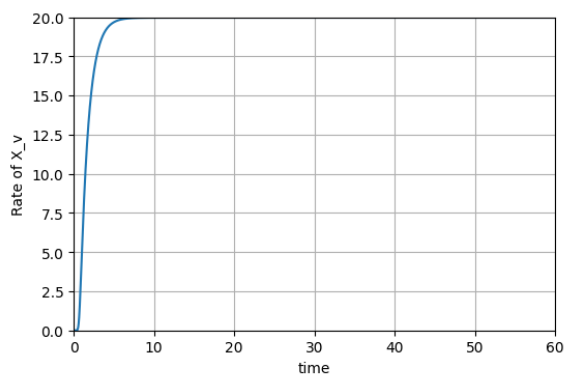
Simulations results are below for $X = 1$, $S = 0$ (stop button is not pressed),
floor_choice = 2 and $H = 1$.





Simulations results are below for $X = 1$, $S = 0$ (stop button is not pressed), $\text{floor_choice} = 3$ and $H = 1$.





REFERENCES

[1] Alon, Uri. *An introduction to systems biology: design principles of biological circuits*. CRC press, 2019.

APPENDIX I

```
import numpy as np
import matplotlib.pyplot as plt

floor_distance=3.0
floor_choice=3
t_end=floor_choice*20
speed=20.0

dt = 0.001
t = np.arange(0,t_end,dt)

X = np.ndarray((len(t)))
H = np.ndarray((len(t)))
D = np.ndarray((len(t)))
Y = np.ndarray((len(t)))
A = np.ndarray((len(t)))
S = np.ndarray((len(t)))
F = np.ndarray((len(t)))
S_floor=np.ndarray((len(t)))
X_v = np.ndarray((len(t)))
Y_v = np.ndarray((len(t)))
R_v = np.ndarray((len(t)))
Z_v = np.ndarray((len(t)))
Y_dist = np.ndarray((len(t)))
Z_dist = np.ndarray((len(t)))

alpha_X=1.0
alpha_Y=1.0
alpha_A=1.0
alpha_S=1.0
alpha_F=1.0
alpha_S_floor=1.0
alpha_X_v=1.0
alpha_R_v=1.0
alpha_Y_v=1.0
alpha_Z_v=1.0
alpha_Y_dist=0.25
alpha_Z_dist=0.25

beta_X=1.0
beta_Y=1.0
beta_A=1.0
beta_S=1.0
beta_F=1.0
beta_S_floor=1.0
beta_X_v=speed
```

```

beta_Y_v=speed
beta_R_v=speed
beta_Z_v=speed
beta_Y_dist=floor_distance*alpha_Y_dist*floor_choice

if floor_choice==1:
    constant=3.4
elif floor_choice==2:
    constant=4.3
elif floor_choice==3:
    constant= 5.0
beta_Z_dist=constant*floor_distance*alpha_Y_dist*floor_choice


c_X = 0.0
c_Y = 0.0
c_A = 0.0
c_S = 0.0
c_F = 0.0
c_S_floor=0.0
c_X_v = 0.0
c_Y_v = 0.0
c_R_v = 0.0
c_Z_v = 0.0
c_Y_dist = 0.0
c_Y_dist = 0.0
c_Z_dist = 0.0
c_H=0.0


n_F=10
n_F2Y=10
n_YdZd=10
n_Sf_Yd=10
n_X2S_floor=10
n_Y2A=10
n_Rv2Yv=10
n_Rv2Zv=10
n_D2Y=10
n_S_floor2X=10
n_Yv2Zv=10
n_X2Y= 10


k_F=0.5
k_F2Y=0.5
k_YdZd=0.5
k_Sf_Yd=0.5
k_X2S_floor=0.5
k_Y2A=0.5
k_D2Y=0.5
k_S_floor2X=0.5

```

```

k_X2Y = 0.5
k_Rv2Yv=10
k_Rv2Zv=0.5
k_Yv2Zv=0.5

cind = 0
for ct in t:
    c_X = 1.0
    c_H = 1.0
    #c_H = 1.0 * ((ct >= 1.5) & (ct <=2)).astype(float) + 1*((ct >= 3) &
(ct <= t_end)).astype(float) #elevator asymmetric behavior
    c_D=c_X*c_H
    dYdt=beta_Y*(c_D**n_D2Y)/(k_D2Y**n_D2Y+c_D**n_D2Y)- alpha_Y * c_Y
    dAdt = beta_A*(c_Y**n_Y2A)/(k_Y2A**n_Y2A+c_Y**n_Y2A)- alpha_A * c_A
    c_S = 1.0
    #c_S=1.0*((ct >= t_end-10).astype(float)) #stop button
    dFdt= beta_F
    *(1/((1+(c_S/k_F)**n_F)))*(c_X**n_F/(k_F**n_F+c_X**n_F))- alpha_F * c_F

    dS_floordt=beta_S_floor*(c_X**n_X2S_floor)/(k_X2S_floor**n_X2S_floor+c_
X**n_X2S_floor)- alpha_S_floor * c_S_floor
    dX_vdt =
    beta_X_v*(c_S_floor**n_S_floor2X)/(k_S_floor2X**n_S_floor2X+c_S_floor**
n_S_floor2X)- alpha_X_v * c_X_v
    dY_vdt =
    beta_Y_v*(c_X_v**n_X2Y)/(k_X2Y**n_X2Y+c_X_v**n_X2Y)*(c_F**n_F2Y/(k_F2Y*
**n_F2Y+c_F**n_F2Y))- alpha_Y_v * c_Y_v
    dR_vdt=beta_R_v*(c_Y_v**n_Rv2Yv)/(k_Rv2Yv**n_Rv2Yv+c_Y_v**n_Rv2Yv)-
alpha_R_v * c_R_v
    dZ_vdt = beta_Z_v * (c_Y_v**n_Yv2Zv/(k_Yv2Zv**n_Yv2Zv +
c_Y_v**n_Yv2Zv))*(1/(1 + ((c_R_v/k_Rv2Zv)*((ct >= t_end-5) & (ct <=
t_end)).astype(float))**n_Rv2Zv)) - alpha_Z_v * c_Z_v
    dY_distdt = beta_Y_dist*(c_S_floor**n_Sf_Yd)/(k_Sf_Yd**n_Sf_Yd +
c_S_floor**n_Sf_Yd)- alpha_Y_dist * c_Y_dist
    dZ_distdt = beta_Z_dist*((1)/(1+(c_Y_dist/k_YdZd)**n_YdZd))-
alpha_Z_dist * c_Z_dist

    nY = c_Y + dt * dYdt
    nA = c_A + dt * dAdt
    nF = c_F + dt * dFdt
    n_S_floor = c_S_floor + dt * dS_floordt
    n_X_v = c_X_v + dt * dX_vdt
    n_Y_v = c_Y_v + dt * dY_vdt
    n_R_v = c_R_v + dt * dR_vdt
    n_Z_v = c_Z_v + dt * dZ_vdt
    n_Y_dist = c_Y_dist + dt * dY_distdt
    n_Z_dist = c_Z_dist + dt * dZ_distdt

```

```

X[cind] = c_X
H[cind] = c_H
D[cind] = c_D
Y[cind] = nY
A[cind] = nA
S[cind] = c_S
F[cind] = nF
S_floor[cind] = n_S_floor
X_v[cind] = n_X_v
Y_v[cind] = n_Y_v
R_v[cind] = n_R_v
Z_v[cind] = n_Z_v
Y_dist[cind] = n_Y_dist
Z_dist[cind] = n_Z_dist

```

```

c_Y = nY
c_A = nA
c_F = nF
c_S_floor = n_S_floor
c_X_v = n_X_v
c_Y_v = n_Y_v
c_R_v = n_R_v
c_Z_v = n_Z_v
c_Y_dist = n_Y_dist
c_Z_dist = n_Z_dist

```

```

cind +=1

```

```

plt.figure(dpi=100)
plt.plot(t,X)
plt.ylabel('Signal "X"')
plt.xlabel('time')
plt.grid()
plt.show()

```

```

plt.figure(dpi=100)
plt.plot(t,H)
plt.ylabel('Signal "H"')
plt.xlabel('time')
plt.grid()
plt.show()

```

```

plt.figure(dpi=100)
plt.plot(t,D)
plt.xlabel('time')
plt.ylabel('Signal "D"')
plt.grid()
plt.show()

```

```
plt.figure(dpi=100)
plt.plot(t,Y)
plt.xlabel('time')
plt.ylabel('Rate of Y')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.plot(t,A)
plt.xlabel('time')
plt.ylabel('Rate of A')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.plot(t,S)
plt.xlabel('time')
plt.ylabel('Rate of S')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.axis([0, t_end, 0, 1])
plt.plot(t,F)
plt.xlabel('time')
plt.ylabel('Rate of F')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.axis([0, t_end, 0, 1])
plt.plot(t,S_floor)
plt.xlabel('time')
plt.ylabel('Rate of S_floor')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.axis([0, t_end, 0, 20])
plt.plot(t,X_v)
plt.xlabel('time')
plt.ylabel('Rate of X_v')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.axis([0, t_end, 0, 20])
plt.plot(t,Y_v)
```

```
plt.xlabel('time')
plt.ylabel('Rate of Y_v')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.axis([0, t_end, 0, 20])
plt.plot(t, R_v)
plt.xlabel('time')
plt.ylabel('Rate of R_v')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.axis([0, t_end, 0, 20])
plt.plot(t, Z_v)
plt.xlabel('time')
plt.ylabel('Rate of Z_v')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.plot(t, Y_dist)
plt.xlabel('time')
plt.ylabel('Rate of Y_dist')
plt.grid()
plt.show()
```

```
plt.figure(dpi=100)
plt.plot(t, Z_dist)
plt.xlabel('time')
plt.ylabel('Rate of Z_dist')
plt.grid()
plt.show()
```