## Opestion -1

a) I found maximum profit using dynamic programming algorithm.

I divide the problem into overlapping subproblems and kept the
resolts from these subproblems in array and get the most
suitable solution.

Complexity Analytes  $\sum_{i=1}^{5ik-n} 1 = 1+2 - n \in \Theta(n) \quad - T(n) = O(n)$ 

b) In homework 3 we have some problem but we didn't use dynamic programming algorithm. We used an algorithm similar to brute Force. So

Homework-3 time complexity was D(n2)
Dinamic programming algorithm time complexity is D(n)
But this time we have another array to keep resples and
this gives us a space complexity.

## Question - 21

I associate the problem to the knapsack problem because we have weight and price in the knapsack problem and at the same time we are trying to fill knapsack using capacity. In condy problem we have length and price and we are trying to get maximum price with length capacity. So they look similar to me and I wrote the algorithm by looking the example covered in the lesson.

Complexity Analytes  $T(n) = \sum_{i=0}^{n} \sum_{j=0}^{n+1} 1 \rightarrow \Theta(n^*m)$ i=0 J=0  $T(n) \in \Theta(n^m)$ 

n-size of price masite of correct price and results

Question - 31 My idea for this problem is the calculate the ratio cheese price/weight for each item and sort them on bases of this ratio for greedy algorithm. Then tak items from I the highest to lowest and add them as much as I can without exceeding the box weight capacity. Complexity Analyte | all price T(n) E O (n)

Question - 41 It is a selection problem and we have to adjust the maximum number of courses to be completed. I are Brandy. Dre I array for course indexes, one array for start time and other finish time. I send away time sorted and its reduce complexity time. Also I think there is wrong answer ¿ English, Mathematics, Chemistry, Geograpy) because Chemistry stort at 5, end at 7 so we can not take Course Geograph after Chemistry because it starts at 5 again We can take Biology after Chemistry because it starts at 8 So result is English, Mathematics, Chemistry, Biology)

Condexity Analyz

 $\sum_{i=1}^{\infty} 1 \in A(i) \longrightarrow T(i) \in A(i)$