

# electricity lecture notes

erentar

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## Chapter 0

# Nomenclature and conventions

Definitions are ended with a  $\square$

# Chapter 1

## Intro

### 1.1 Books

- [Giancoli physics: electricity, magnetism, optics, and modern physics](#) (he thinks this is bad because no exercises, but provides of an easy reading)
- [Fundamentals of electric circuits, Alexander, Sadiku](#)

### 1.2 Exam

3 questions:

1. exercise (solving with thevenin)
2. electrostatics (theory and/or practice)
3. electromagnetism (theory and/or practice)

questions 2 and 3: - theoretical topic (explain/prove the following, derive, ...) -  
sample problems from lectures - completely new problem

# Chapter 2

## Electrostatics

**Definition 1.** *Electrostatics: Study of electrical charges at rest*

□

Coulomb (C): unit of charge.

- Conductors have *free electrons*. Electrons can move through the material.
- Insulators do not have free electrons. Electrons cannot move through the material, they are strongly bound to one atom.
- Semiconductors: are in between the other two. They can be tuned such that they only conduct on a conditional basis.

**Definition 2.** *Coulomb's law: The force  $\vec{F}$  between two particles with respective charges  $q_1, q_2$  are given by*

$$F_{1,2} = \frac{1}{4 * \pi * \epsilon_0} \frac{q_1 * q_2}{r^2} * \underbrace{\vec{e}_r}_{\text{the unit vector of line between the two particles}}$$

where

- $q_1, q_2$  are the charges of respective particles
- $\epsilon_0$  is the permittivity of vacuum

□

### 2.1 Electric field

**Definition 3.** *Electric field  $\vec{E}$ : force per unit charge at a given point*

The force  $\vec{F}$  on a charge  $q$  within an electric field  $\vec{E}$ :  $\vec{F} = q * \vec{E} \Leftrightarrow \vec{E} = \frac{\vec{F}}{q}$

Electric field is a vector field. It maps a given point to a vector.

field : point  $\rightarrow$  vector

Total electric field  $\vec{E}_{\text{total}}$  resulting from two point charges  $q_1, q_2$  at a point  $P$  is equal to the sum of these electric fields:

$$\vec{E}_{\text{total}}(P) = \vec{E}_1(P) + \vec{E}_2(P) \quad (2.1)$$

Slide 12 at [https://p.cygnus.cc.kuleuven.be/bbcswebdav/pid-34057619-dt-content-rid-329740934\\_3/orgs/C7964141-B-2223/H01S\\_\\_Electric%20field.pdf](https://p.cygnus.cc.kuleuven.be/bbcswebdav/pid-34057619-dt-content-rid-329740934_3/orgs/C7964141-B-2223/H01S__Electric%20field.pdf) shows the electric field resulting from a charged line. We pretend the line is composed of point charges and integrate from  $-y$  to  $+y$  to calculate the total charge resulting from the entire line.

To keep the integral as a single-var integral, we fix  $x$  to be constant and integrate over the angle  $\theta$ .