## EDS241: Assignment 1

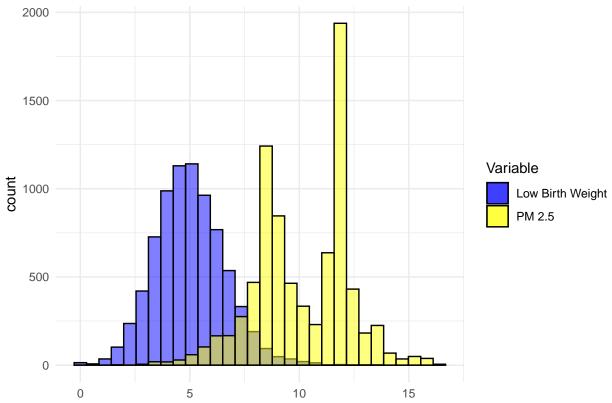
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## 02/26/2023

```
#load libraries
library(tidyverse)
                                                                 - tidyverse 1.3.2 —
## — Attaching packages
## v ggplot2 3.3.6
                                  0.3.4
                       v purrr
## v tibble
             3.1.8
                        v dplyr
                                  1.0.9
## v tidyr
             1.2.0
                        v stringr 1.4.1
## v readr
             2.1.2
                       v forcats 0.5.1
## — Conflicts —
                                                          — tidyverse_conflicts() —
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()
                     masks stats::lag()
library (estimatr)
library (stargazer)
## Please cite as:
##
## Hlavac, Marek (2022). stargazer: Well-Formatted Regression and Summary Statistics Tabl
## R package version 5.2.3. https://CRAN.R-project.org/package=stargazer
library (janitor)
##
## Attaching package: 'janitor'
## The following objects are masked from 'package:stats':
##
       chisq.test, fisher.test
##
library (here)
## here() starts at /Users/ericabishop/Documents/MEDSwinter/EDS241-policy/eds241-policy-ev
library (naniar)
library (patchwork)
#load data
CES_dat <- readxl::read_xlsx(here("eds241_data/CES4.xlsx")) |> #read-in file
  clean_names() #standardize variable names
#skimr::skim(CES_dat) #see what data looks like to clean
```

```
\#clean\ data
CES dat <- CES dat |>
  select (census_tract, total_population, low_birth_weight, #select variables of interest for
  pm2_5, poverty, linguistic_isolation) |>
  replace_with_na_all(condition = ~.x %in% "NA") |>
  mutate(low_birth_weight = as.numeric(low_birth_weight),
          linguistic_isolation = as.numeric(linguistic_isolation))
 (a) What is the average concentration of PM2.5 across all census tracts in California?
avg_pm2_5 <- mean(CES_dat$pm2_5, na.rm = TRUE)
print (paste 0 ("The \_average \_PM \_ 2.5 \_concentration \_across \_all \_census \_tracts \_in \_California \_is \_"
## [1] "The average PM 2.5 concentration across all census tracts in California is 10.153."
 (b) Make a histogram depicting the distribution of percent low birth weight and PM2.5.
hist_plot <- ggplot (data = CES_dat,
                       aes(fill = \mathbf{c}(low\_birth\_weight, pm2\_5))) +
  geom_histogram (aes (x = low_birth_weight,
                         fill = "Low_Birth_Weight"),
                    col = "black",
                    alpha = 0.5) +
  geom\_histogram (aes(x = pm2_5,
                         fill = "PM_{\cup} 2.5"),
                    col = "black",
                    alpha = 0.5) +
  scale_fill_manual(values = c("blue", "yellow"),
                       name = "Variable") +
  labs(\mathbf{title} = "Distrubition \sqcup of \sqcup low \sqcup birth \sqcup weight \sqcup \%s \sqcup and \sqcup PM \sqcup 2.5 \sqcup in \sqcup California \sqcup census \sqcup tracts
  theme_minimal() +
  theme (
      axis.title.x = element_blank(),
hist_plot
## `stat_bin()` using `bins = 30`. Pick better value with `binwidth`.
## Warning: Removed 227 rows containing non-finite values (stat bin).
## `stat_bin()` using `bins = 30`. Pick better value with `binwidth`.
```

## Distrubition of low birth weight %s and PM 2.5 in California census tracts



(c) Estimate an OLS regression of LowBirthWeight on PM25. Report the estimated slope coefficient and its heteroskedasticity-robust standard error. Interpret the estimated slope coefficient. Is the effect of PM25 on LowBirthWeight statistically significant at the 5% level?

$$\begin{array}{lll} \bmod {\rm el1} & \longleftarrow & \mathbf{lm}(\mathbf{formula} = \mathbf{low\_birth\_weight} \sim \mathbf{pm2\_5}\,, \\ \mathbf{data} = & \mathrm{CES\_dat}) \ \#b\,uild \ model \end{array}$$

#specify heteroskedasticic standard error se\_model1 <- starprep(model1,

$$stat = c("std.error"),$$
  
 $se\_type = "HC1",$   
 $alpha = 0.05)$ 

stargazer(model1, se = se\_model1, type="text")

## ## =================================	
##	Dependent variable:
##	
## ##	low_birth_weight
## pm2_5	0.118***
<del>##</del>	(0.008)
## ## Constant	3.801***
##	(0.089)
##	, ,
##	

```
## Observations
                                                                                                                 7.808
## R2
                                                                                                                 0.025
## Adjusted R2
                                                                                                                 0.025
## Residual Std. Error
                                                                                             1.569 \text{ (df} = 7806)
## F Statistic
                                                                                200.060*** (df = 1; 7806)
## ====
## Note:
                                                                            *p < 0.1; **p < 0.05; ***p < 0.01
slope_coef <- model1$coefficients[2]
#print answers
 print (paste ("Thisuslope coefficient from this model shows that there will be about an", rou
## [1] "This slope coefficient from this model shows that there will be about an 0.118 inc.
\mathbf{print} ( \ ^{''}\mathbf{The} \ _{\bot} \mathbf{heteroskedastic} \ _{\bot} \mathbf{robust} \ _{\bot} \mathbf{standard} \ _{\bot} \mathbf{error} \ _{\bot} \mathbf{for} \ _{\bot} \mathbf{the} \ _{\bot} \mathbf{slope} \ _{\bot} \mathbf{coefficient} \ _{\bot} \mathbf{is} \ _{\bot} \mathbf{The} \ _{\bot} \mathbf{heterosk} \mathbf{error} \mathbf{k} \mathbf{error} \mathbf{error} \mathbf{k} \mathbf{error} \mathbf{
## [1] "The heteroskedastic robust standard error for the slope coefficient is The heteros
    (d) Suppose a new air quality policy is expected to reduce PM2.5 concentration by 2 micrograms per
              cubic meters. Predict the new average value of LowBirthWeight and derive its 95% confidence interval.
              Interpret the 95% confidence interval. [The script "LinearPrediction.R" available on Gauchospace will
              be helpful for this.]
#create new df with lower PM2.5
CES lowpm <- CES dat |>
       mutate(pm2_5 = pm2_5 - 2)
#create new robust model
 model2 <- lm_robust(low_birth_weight ~ pm2_5,
                                                                  data = CES\_dat, \#use\ original\ df
                                                                   se\_type = "HC1",
                                                                   alpha = 0.05
#predict new birth weight
 pred_lbw <- predict(</pre>
       model2,
       newdata = CES_lowpm,
       \mathbf{se} \cdot \mathbf{fit} = \mathbf{TRUE},
       interval = 'confidence'
 )
#calcuate fit average (center of confidence interval)
 fit_avg_lbw <- mean(pred_lbw$fit)
 orignal_lbw <- mean(CES_dat$low_birth_weight, na.rm = TRUE)
#calculate averages for upper and lower bounds of confidence interval
low_lbw <- mean(pred_lbw$fit[,2])
 high_lbw <- mean(pred_lbw$fit[,3])
#print answers
 print (paste 0 ("The_new_average_low_birth_weight_will_likely_be_about_", round (fit_avg_lbw,
```

```
## [1] "The new average low birth weight will likely be about 4.762% of babies across censulations."
print (paste0 ("This is lower than the initial low birth weight of ", round (original_lbw, 3),
## [1] "This is lower than the initial low birth weight of 5.003% of babies across census
print(paste0("The_interval_ifrom_i", round(low lbw, 3), "to_i", round(high lbw, 3), "_iwill_ico
## [1] "The interval from 4.706 to 4.819 will contain the true mean value of babies born wi
    (e) Add the variable Poverty as an explanatory variable to the regression in (d). Interpret the estimated
            coefficient on Poverty. What happens to the estimated coefficient on PM25, compared to the regression
            in (d). Explain.
 model3 <- lm_robust(
      formula = low_birth_weight ~ pm2_5 + poverty,
      data = CES_dat,
      \mathbf{se}_type = "HC1",
      alpha = 0.05
summary( model3 )
##
## Call:
## lm_robust(formula = low_birth_weight ~ pm2_5 + poverty, data = CES_dat,
                     se\_type = "HC1", alpha = 0.05)
##
##
## Standard error type: HC1
##
## Coefficients:
##
                                             Estimate Std. Error t value
                                                                                                                                    Pr(>|t|) CI Lower CI Upper
## (Intercept)
                                                                                                                                                                                             3.70982 7802
                                                3.54374
                                                                             0.084724
                                                                                                           41.827
                                                                                                                                  0.000e+00
                                                                                                                                                                  3.37766
                                                0.05911
                                                                              0.008292
                                                                                                                                                                                             0.07536 7802
## pm2_5
                                                                                                              7.128
                                                                                                                                  1.108e - 12
                                                                                                                                                                  0.04285
## poverty
                                                0.02744
                                                                              0.001002
                                                                                                           27.378 \quad 1.183e - 157
                                                                                                                                                                   0.02547
                                                                                                                                                                                             0.02940\ 7802
##
## Multiple R-squared: 0.1169 ,
                                                                                                          Adjusted R-squared: 0.1167
## F-statistic: 494.9 on 2 and 7802 DF, p-value: < 2.2e-16
pov_coef <- model3$coefficients[3]
print (paste ("The_poverty_coefficient_means_that_low_birth_rates_will_increase_by_an_addition
## [1] "The poverty coefficient means that low birth rates will increase by an additional
\mathbf{print} ( \ ^{\mathsf{T}}\mathbf{he} \ _{\mathsf{D}}\mathbf{pru} \ _{\mathsf{U}} 2.5 \ _{\mathsf{U}} \ \mathbf{coefficient} \ _{\mathsf{U}}\mathbf{in} \ _{\mathsf{U}}\mathbf{this} \ _{\mathsf{D}}\mathbf{ew} \ _{\mathsf{U}}\mathbf{model} \ , \ _{\mathsf{U}}0.059 \ , \ _{\mathsf{U}}\mathbf{is} \ _{\mathsf{U}}\mathbf{lower} \ _{\mathsf{U}}\mathbf{than} \ _{\mathsf{U}}\mathbf{the} \ _{\mathsf{U}}\mathbf{previous} \ _{\mathsf{U}}\mathbf{coefficient} \ _{\mathsf{U}}\mathbf{nodel} \ , \ _{\mathsf{U}}\mathbf{nodel} \ , \ _{\mathsf{U}}\mathbf{nodel} \ _{\mathsf{U}}\mathbf{nodel} \ , \ _{\mathsf{U}}\mathbf{nodel} \ , \ _{\mathsf{U}}\mathbf{nodel} \ , \ _{\mathsf{U}}\mathbf{nodel} \ , \ _{\mathsf{U}}\mathbf{nodel} \ _{\mathsf{U}}\mathbf{nodel} \ , \ _{\mathsf{U}}\mathbf
## [1] "The pm 2.5 coefficient in this new model, 0.059, is lower than the previous coefficient."
```

(f) Create an indicator variable equal to 1 if the census tract is above the median LinguisticIsolation (6.9), and equal to 0 otherwise. Add this indicator variable to regression model used in (e) and interpret the estimated coefficient on the indicator variable.

```
#create new df with indicator variable
CES_ling <- CES_dat |>
  add_{column}(ling_{iso}_{threshold} = case_{when}(
    CES_dat$linguistic_isolation > 6.9 ~ 1,
    TRUE \sim 0
  ))
#create new model
model4 <- lm_robust(
  formula = low_birth_weight ~ pm2_5 + poverty + ling_iso_threshold,
  data = CES_ling,
  se\_type = "HC1",
  alpha = 0.05
)
summary( model4 )
##
## Call:
## lm_robust(formula = low_birth_weight ~ pm2_5 + poverty + ling_iso_threshold,
##
        data = CES_ling, se_type = "HC1", alpha = 0.05)
## Standard error type: HC1
##
## Coefficients:
##
                        Estimate Std. Error t value Pr(>|t|) CI Lower CI Upper
DF
                         3.62056
                                    0.084909
                                               42.640 \quad 0.000 \,\mathrm{e}{+00}
                                                                             3.78700 7801
## (Intercept)
                                                                   3.45411
## pm2 5
                         0.04879
                                    0.008368
                                                5.830 \quad 5.762 e - 09
                                                                   0.03238
                                                                             0.06519 7801
## poverty
                         0.02403
                                    0.001165
                                               20.626 \ 4.403e - 92
                                                                   0.02175
                                                                             0.026327801
                                                6.802 \quad 1.106 \,\mathrm{e}{-11}
## ling_iso_threshold
                         0.27650
                                    0.040649
                                                                   0.19682
                                                                             0.35619 7801
##
## Multiple R-squared: 0.1225 ,
                                       Adjusted R-squared: 0.1222
\#\# F-statistic: 360.4 on 3 and 7801 DF, p-value: < 2.2e-16
ling_coef <- model4$coefficients[4]
```

 $\mathbf{print} (\mathbf{paste} (\texttt{"The} \bot \mathbf{coefficient} \bot \mathbf{on} \bot \mathbf{the} \bot \mathbf{linguistic} \bot \mathbf{isolation} \bot \mathbf{indicator} \bot \mathbf{variable} \bot \mathbf{is} \texttt{"}, \ \mathbf{round} (\mathbf{linguistic} \bot \mathbf{variable} \bot \mathbf{va$ 

## [1] "The coefficient on the linguistic isolation indicator variable is 0.277 which mean