

# Robust Heuristics: Packet job size estimation with provable guarantees against DoS attacks

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## Background

Algorithmic complexity attacks: class of DoS attack that targets a system's worst-case behavior to induce significant harm with little resource investment

Packet scheduling policies affect **which packets are dropped** in overload (implications for network performance, security, robustness to attacks)

### Weighted Shortest Job First (WSJF)

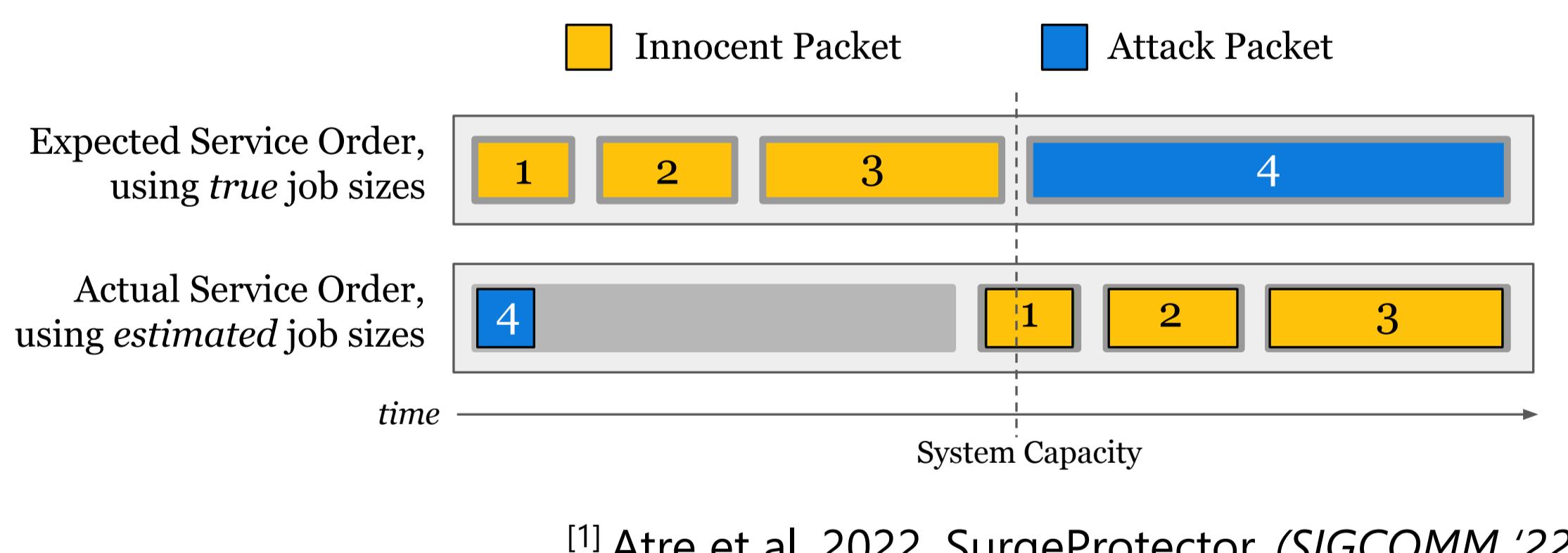
- Serves packets in increasing job size  $c(p)$  to packet size  $s(p)$  ratio
- Leads to **powerful bounds on displaced traffic** relative to resource investment [1]

$$\text{Displacement Factor (DF)} = \frac{\text{Innocent traffic displaced (Gbps)}}{\text{Attack bandwidth used (Gbps)}} \leq 1$$

(# of innocent bits dropped per bit of attack data transmitted)

- Relies on job size heuristics – often not perfect in practice

Can we **maintain theoretical guarantees** in the presence of imperfect heuristics?

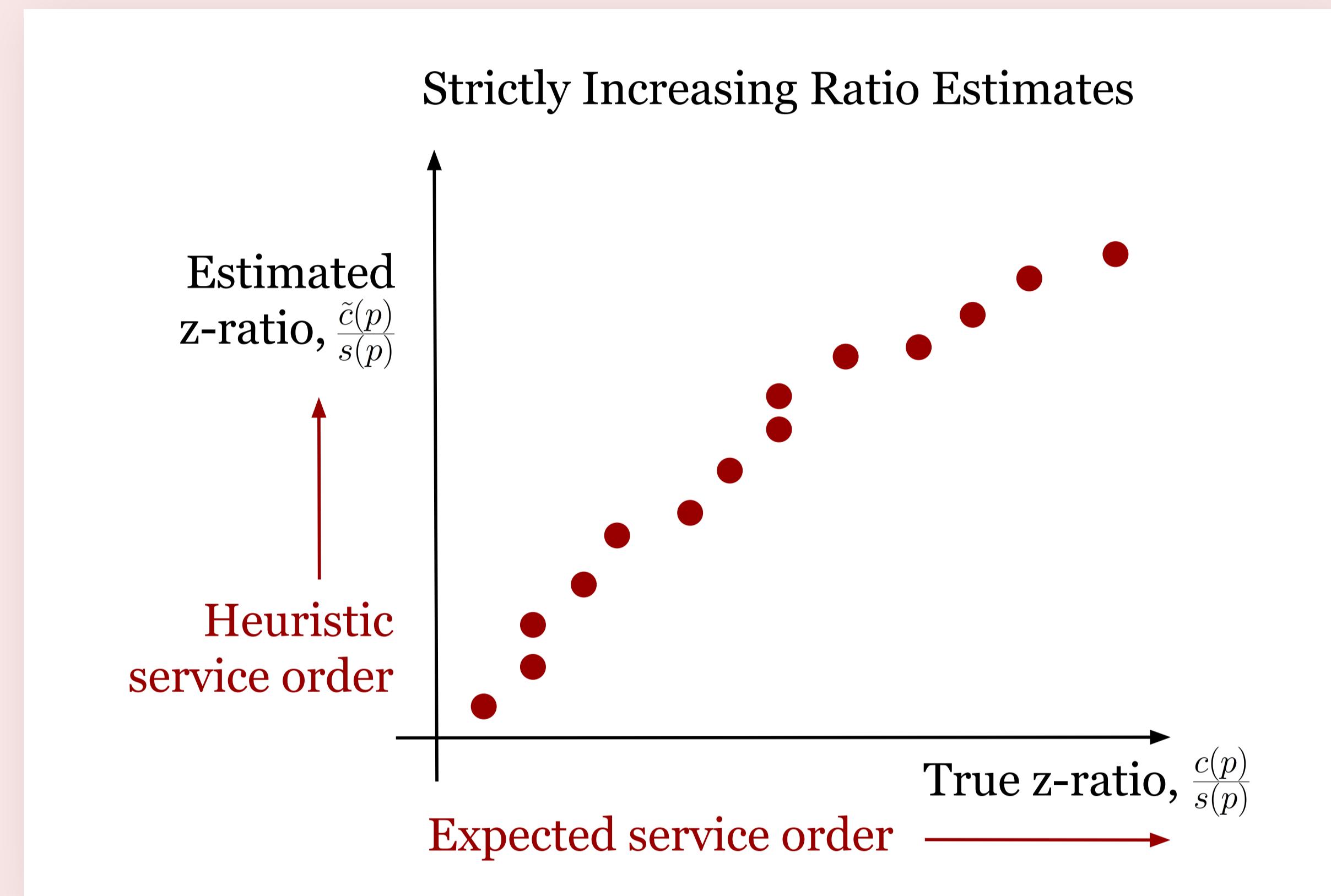


## Methods

- Design heuristics  $\tilde{c}(p)$  that map packets of certain job size to same estimate
  - Assumptions: static time, adversary knows innocent packet distribution
  - Analysis: consider optimal adversarial attack, analyze heuristic for DF bounds, generalize to robust heuristic properties
- Analyze DF bounds in system preempts jobs when they exceed estimated runtime

## Results

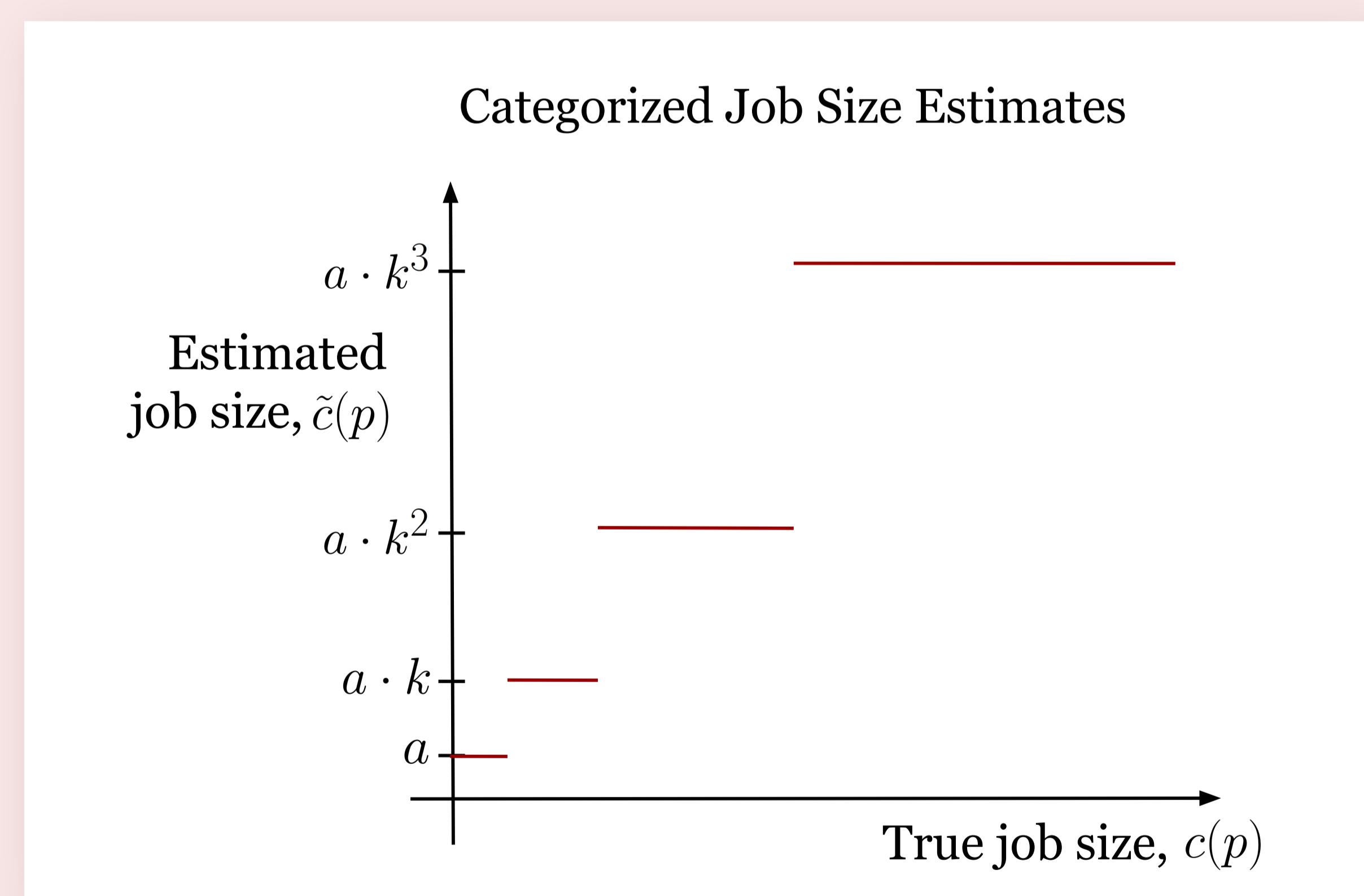
### 1. Strictly Increasing Heuristics Maintain Perfect Scheduling



It is possible to **maintain protection guarantees** with heuristics that estimate ratios monotonically increasing with true ratios

Perfect scheduling  $\Rightarrow \text{DF} \leq 1$

### 2. Step Functions Preserve a Constant Bound

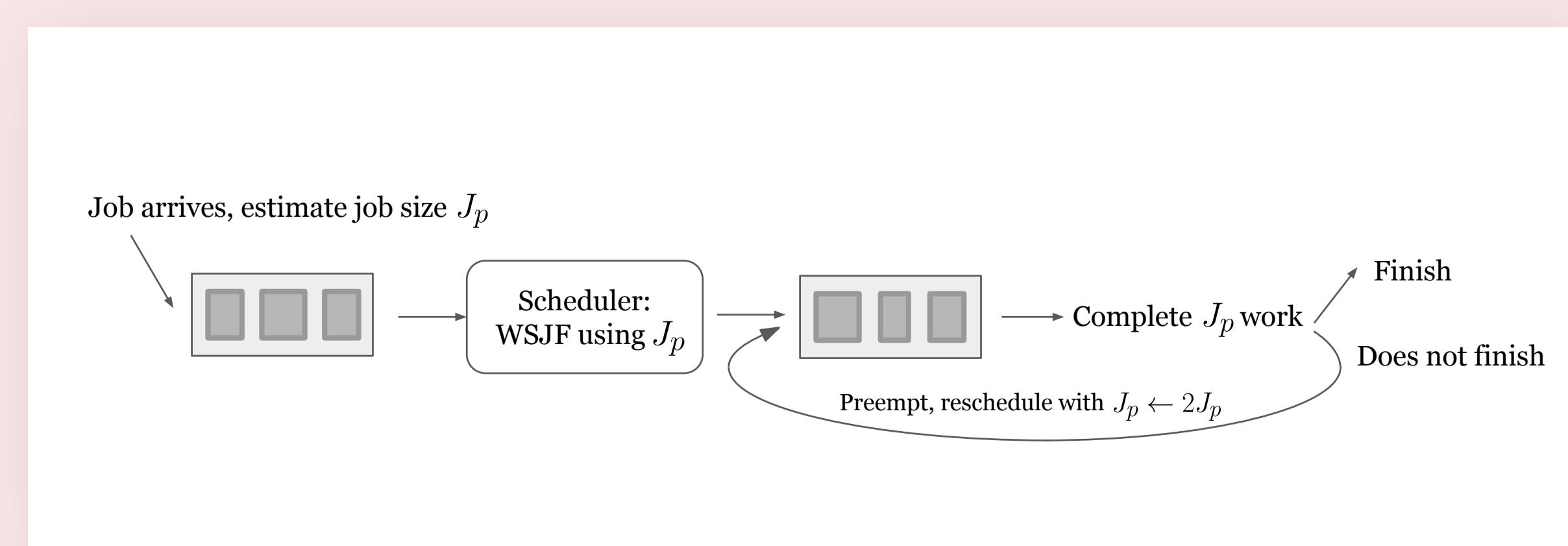


We can **preserve weaker guarantees** with heuristics that classify packets into job size categories

$$\tilde{c}(p) = a \cdot k^{\lfloor \log_k c(p) \rfloor}$$

Adversarial packet cannot displace innocent packets with ratio more than a factor of  $k$  smaller  $\Rightarrow \text{DF} \leq k$

### 3. Preemption Cannot Maintain Bounds (Negative Result)



Preempting incorrectly estimated jobs **introduces new vulnerabilities**

Weaponize innocent traffic  $\Rightarrow$  unbounded DF

## Discussion

Novel theoretical findings on provable protection against DoS attacks:

**THEOREM 1 (DF OF MONOTONIC HEURISTIC).** Under WSJF, a heuristic  $\tilde{c}$  is perfect if and only if  $\frac{\tilde{c}(p)}{s(p)}$  is strictly monotonically increasing relative to  $\frac{c(p)}{s(p)}$ ; such heuristics result in the DF being upper-bounded by 1.

**THEOREM 2 (DF OF STEP FUNCTION HEURISTIC).** A heuristic of the form  $\tilde{c}(p) = a \cdot k^{\lfloor \log_k c(p) \rfloor}$ , where  $a$  is some arbitrary constant, results in the DF being upper-bounded by  $k$ .

**THEOREM 3 (DF OF PREEMPTIVE MODEL).** Under WSJF with preemption but without heuristics, there exist regimes of system parameters for which the DF is lower bounded by  $\frac{p}{1-p}$ , where  $p \leq 1$  is the load on the system due to innocent traffic.

## Next Steps

- Design data structures and corresponding heuristics that possess these properties, examine performance in practice
- Examine preemption performance when paired with stronger heuristics

## Conclusion

- Certain heuristic properties provably maintain generalizable robustness against DoS attacks in WSJF systems
- Other methods of protection (i.e. preemption) can introduce new system weaknesses

Scan for abstract and proofs

