

This Week

Quick Review of terminology

Relational Model Continued

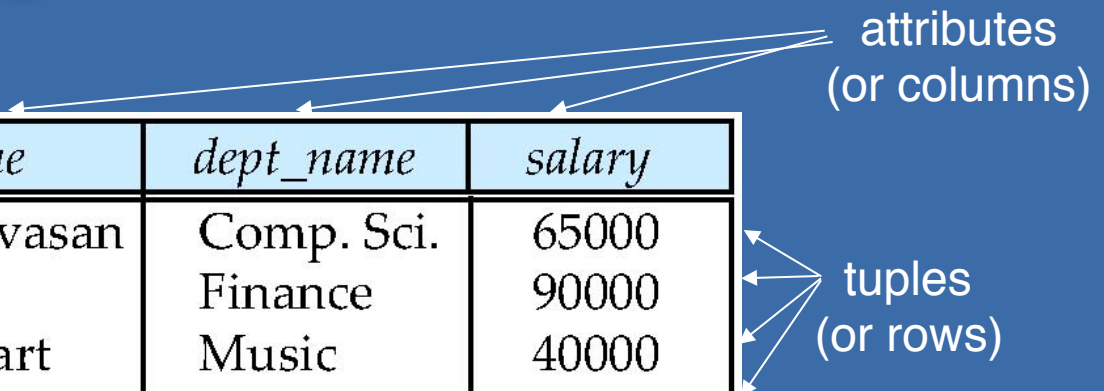
- Relational diagrams

- Relational operations

- Relational algebra

Intro to SQL and MySQL (tentative)

Example of a Relation



| <i>ID</i> | <i>name</i> | <i>dept_name</i> | <i>salary</i> |
|-----------|-------------|------------------|---------------|
| 10101 | Srinivasan | Comp. Sci. | 65000 |
| 12121 | Wu | Finance | 90000 |
| 15151 | Mozart | Music | 40000 |
| 22222 | Einstein | Physics | 95000 |
| 32343 | El Said | History | 60000 |
| 33456 | Gold | Physics | 87000 |
| 45565 | Katz | Comp. Sci. | 75000 |
| 58583 | Califieri | History | 62000 |
| 76543 | Singh | Finance | 80000 |
| 76766 | Crick | Biology | 72000 |
| 83821 | Brandt | Comp. Sci. | 92000 |
| 98345 | Kim | Elec. Eng. | 80000 |

Relation Schema: instructor(ID, name, dept_name, salary)

Terminology

Q. What is a *superkey*?

A. A set of one or more attributes that *uniquely identify* a tuple in the relation.

Q. What is a *candidate* key?

A. A *minimal* super key.

Q. What is a *primary* key?

A. A candidate key chosen to distinguish between tuples.

Foreign Keys

A set of *attributes* in a relation (table) that is a *primary key* in *another relation*.

instructor(*ID*, *name*, *dept_name*, *salary*)

department(*dept_name*, *building*, *budget*)

teaches(*ID*, *course_id*, *sec_id*, *semester*, *year*)

The *primary keys* are underlined.

Q. What are the *foreign keys* for this set of relations?

A. *dept_name* in *instructor*

ID in *teaches*

Foreign Keys

A set of *attributes* in a relation (table) that is a *primary key* in *another relation*.

instructor(ID, name, dept_name, salary)

department(dept_name, building, budget)

teaches(ID, course_id, sec_id, semester, year)

The *primary keys* are underlined.

We say *ID* from *teaches* references *instructor*.

teaches is the referencing relation.

instructor is the referenced relation.

Basic Schema Constraints

Foreign Key Constraint

A foreign key value in one relation must appear in the referenced relation.

Example:

teaches(ID, course_id, sec_id, semester, year)
section(course_id, sec_id, semester, year, *building*,
room_number, *time_slot_id*)

Q. *What might be a foreign key constraint?*

A. course_id, sec_id, semester, year in teaches has a foreign key constraint on section.

Schema Diagrams

We can depict foreign key constraints and primary keys using a *schema diagram*.



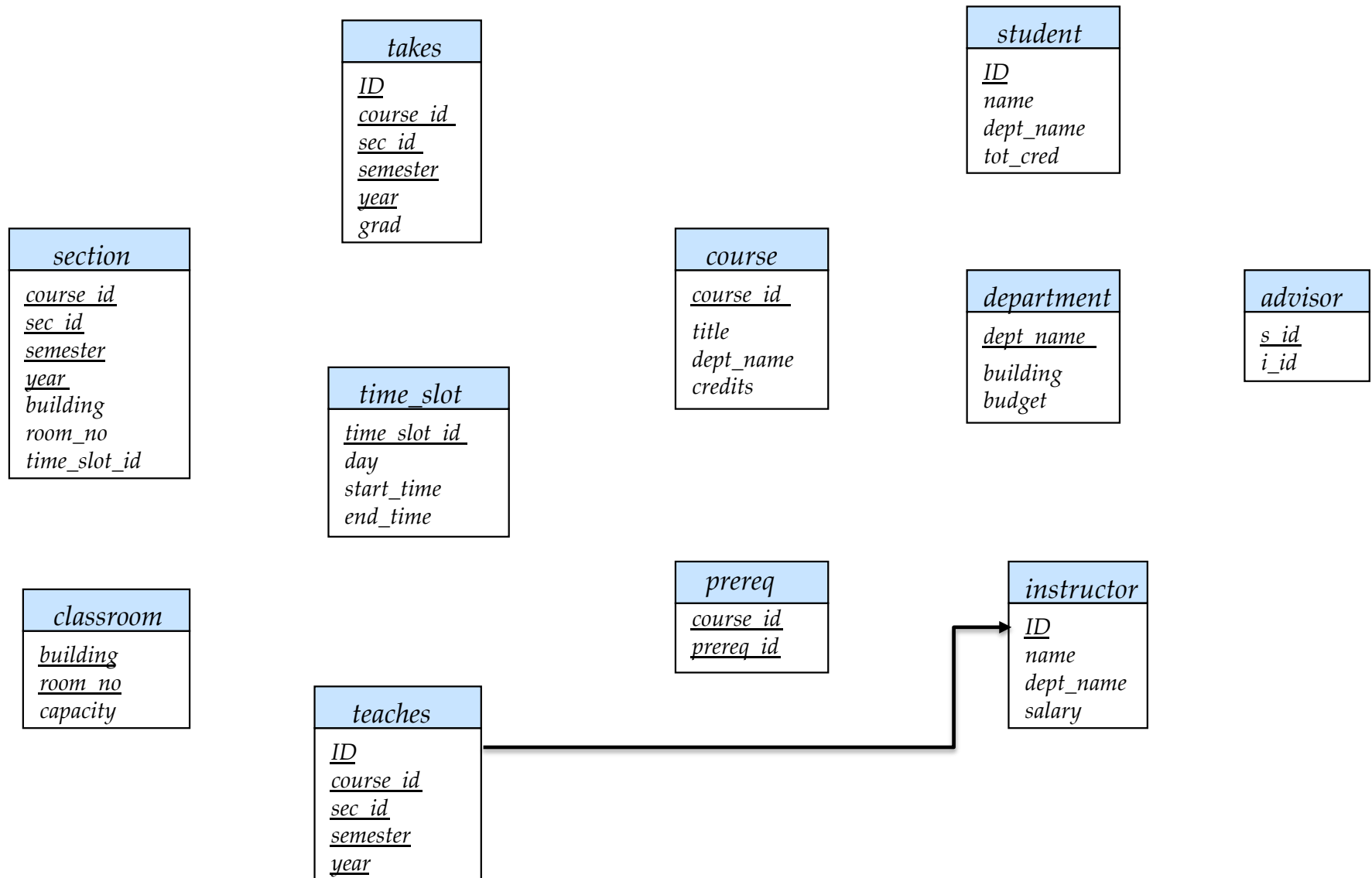
The relation is in *light blue*.

Primary keys are underlined.

Foreign key
attributes in
referencing
relation

Primary key of
referenced
relation.

Add the Arrows...



Relational Operations

We have a set of tables or relations.

Now what? How do we get information from them?

We perform *queries*.

Simple Query:

select tuples from a relation satisfying a predicate

Results in a new relation that is a subset of the original.

Why is it useful that the result is a relation?

Selection

Notation is $\sigma_p(x)$.

p is the *selection predicate*

x is the *relation*

p is a *boolean* formula of *terms* and *connectives*.

Connectives: \wedge (and), \vee (or), \sim (not)

Operators: $<$, $>$, \leq , \geq , $=$, \neq

Terms:

- attribute operator attribute
- attribute operator constant

Selection

Notation is $\sigma_p(x)$.

$\sigma_{\text{salary} \geq 85000}(\text{instructor})$

| <i>ID</i> | <i>name</i> | <i>dept_name</i> | <i>salary</i> |
|-----------|-------------|------------------|---------------|
| 10101 | Srinivasan | Comp. Sci. | 65000 |
| 12121 | Wu | Finance | 90000 |
| 15151 | Mozart | Music | 40000 |
| 22222 | Einstein | Physics | 95000 |
| 32343 | El Said | History | 60000 |
| 33456 | Gold | Physics | 87000 |
| 45565 | Katz | Comp. Sci. | 75000 |
| 58583 | Califieri | History | 62000 |
| 76543 | Singh | Finance | 80000 |
| 76766 | Crick | Biology | 72000 |
| 83821 | Brandt | Comp. Sci. | 92000 |
| 98345 | Kim | Elec. Eng. | 80000 |

Instructor Relation

Select the tuples with attribute salary at least 85000 from the instructor relation.

Selection

Notation is $\sigma_p(x)$.

$\sigma_{\text{salary} \geq 85000}(\text{instructor})$

| <i>ID</i> | <i>name</i> | <i>dept_name</i> | <i>salary</i> |
|-----------|-------------|------------------|---------------|
| 12121 | Wu | Finance | 90000 |
| 22222 | Einstein | Physics | 95000 |
| 33456 | Gold | Physics | 87000 |
| 83821 | Brandt | Comp. Sci. | 92000 |

Select the tuples with attribute salary at least 85000 from the instructor relation.

Projection

Symbol is Π

Selection of attributes.

$\Pi_{ID, salary}(instructor)$

| <i>ID</i> | <i>name</i> | <i>dept_name</i> | <i>salary</i> |
|-----------|-------------|------------------|---------------|
| 10101 | Srinivasan | Comp. Sci. | 65000 |
| 12121 | Wu | Finance | 90000 |
| 15151 | Mozart | Music | 40000 |
| 22222 | Einstein | Physics | 95000 |
| 32343 | El Said | History | 60000 |
| 33456 | Gold | Physics | 87000 |
| 45565 | Katz | Comp. Sci. | 75000 |
| 58583 | Califieri | History | 62000 |
| 76543 | Singh | Finance | 80000 |
| 76766 | Crick | Biology | 72000 |
| 83821 | Brandt | Comp. Sci. | 92000 |
| 98345 | Kim | Elec. Eng. | 80000 |

Select all tuples from the *instructor* relation with attributes *ID* and *salary*.

Projection

Symbol is Π

Selection of attributes.

$$\Pi_{ID, salary}(instructor)$$

| <i>ID</i> | <i>salary</i> |
|-----------|---------------|
| 10101 | 65000 |
| 12121 | 90000 |
| 15151 | 40000 |
| 22222 | 95000 |
| 32343 | 60000 |
| 33456 | 87000 |
| 45565 | 75000 |
| 58583 | 62000 |
| 76543 | 80000 |
| 76766 | 72000 |
| 83821 | 92000 |
| 98345 | 80000 |

Select all tuples from the *instructor* relation with attributes *ID* and *salary*.

Natural Join

Combine two relations into a single relation.

The tuples are joined if the attributes common to both relations are equal.

instructor ⋈ department

| <i>ID</i> | <i>name</i> | <i>dept_name</i> | <i>salary</i> |
|-----------|-------------|------------------|---------------|
| 10101 | Srinivasan | Comp. Sci. | 65000 |
| 12121 | Wu | Finance | 90000 |
| 15151 | Mozart | Music | 40000 |
| 22222 | Einstein | Physics | 95000 |
| 32343 | El Said | History | 60000 |
| 33456 | Gold | Physics | 87000 |
| 45565 | Katz | Comp. Sci. | 75000 |
| 58583 | Califieri | History | 62000 |
| 76543 | Singh | Finance | 80000 |
| 76766 | Crick | Biology | 72000 |
| 83821 | Brandt | Comp. Sci. | 92000 |
| 98345 | Kim | Elec. Eng. | 80000 |



| <i>dept_name</i> | <i>building</i> | <i>budget</i> |
|------------------|-----------------|---------------|
| Biology | Watson | 90000 |
| Comp. Sci. | Taylor | 100000 |
| Elec. Eng. | Taylor | 85000 |
| Finance | Painter | 120000 |
| History | Painter | 50000 |
| Music | Packard | 80000 |
| Physics | Watson | 70000 |

Natural Join

The tuples are joined if the attributes common to both relations are equal.

instructor ⋈ department

| <i>ID</i> | <i>name</i> | <i>salary</i> | <i>dept_name</i> | <i>building</i> | <i>budget</i> |
|-----------|-------------|---------------|------------------|-----------------|---------------|
| 10101 | Srinivasan | 65000 | Comp. Sci. | Taylor | 100000 |
| 12121 | Wu | 90000 | Finance | Painter | 120000 |
| 15151 | Mozart | 40000 | Music | Packard | 80000 |
| 22222 | Einstein | 95000 | Physics | Watson | 70000 |
| 32343 | El Said | 60000 | History | Painter | 50000 |
| 33456 | Gold | 87000 | Physics | Watson | 70000 |
| 45565 | Katz | 75000 | Comp. Sci. | Taylor | 100000 |
| 58583 | Califieri | 62000 | History | Painter | 50000 |
| 76543 | Singh | 80000 | Finance | Painter | 120000 |
| 76766 | Crick | 72000 | Biology | Watson | 90000 |
| 83821 | Brandt | 92000 | Comp. Sci. | Taylor | 100000 |
| 98345 | Kim | 80000 | Elec. Eng. | Taylor | 85000 |

Which common attribute(s) are these relations joined on?

Cartesian Product

This is the *cross product* of two relations.

Q. What is the *cross product* of $\{a, b\}$ and $\{c, d\}$?

A. $\{a, b\} \times \{c, d\}$ produces $\{(a, c), (a, d), (b, c), (b, d)\}$

The cross product produces *all possible pairs* of rows of the two relations.

Q. Can you see a *problem*?

A. If the two relations have attributes in common, how do we tell which relation each attribute is from?

Cartesian Product Example

Relations r, s :

| A | B |
|----------|---|
| α | 1 |
| β | 2 |

r

| C | D | E |
|----------|----|---|
| α | 10 | a |
| β | 10 | a |
| β | 20 | b |
| γ | 10 | b |

s

$r \times s$:

| A | B | C | D | E |
|----------|---|----------|----|---|
| α | 1 | α | 10 | a |
| α | 1 | β | 10 | a |
| α | 1 | β | 20 | b |
| α | 1 | γ | 10 | b |
| β | 2 | α | 10 | a |
| β | 2 | β | 10 | a |
| β | 2 | β | 20 | b |
| β | 2 | γ | 10 | b |

Cartesian Product Common Attributes

Relations r, s :

| A | B |
|----------|-----|
| α | 1 |
| β | 2 |

r

| \bar{B} | D | E |
|-----------|-----|-----|
| α | 10 | a |
| β | 10 | a |
| β | 20 | b |
| γ | 10 | b |

s

$r \times s$:

| A | $r.B$ | $s.B$ | D | E |
|----------|-------|----------|-----|-----|
| α | 1 | α | 10 | a |
| α | 1 | β | 10 | a |
| α | 1 | β | 20 | b |
| α | 1 | γ | 10 | b |
| β | 2 | α | 10 | a |
| β | 2 | β | 10 | a |
| β | 2 | β | 20 | b |
| β | 2 | γ | 10 | b |

Renaming Attributes

Allows us to refer to a relation, (say E) by more than one name.

$$\rho_x(E)$$

returns the expression E under the name X

Example.

Relations r

| A | B |
|-----|-----|
| a | 1 |
| b | 2 |

$$r \times \rho_s(r)$$

| $r.A$ | $r.B$ | $s.A$ | $s.B$ |
|-------|-------|-------|-------|
| a | 1 | a | 1 |
| a | 1 | b | 2 |
| b | 2 | a | 1 |
| b | 2 | b | 2 |

Union

Relations r, s :

For $r \cup s$ to be valid.

1. r, s must have the *same arity* (same number of attributes)

2. The attribute domains must be *compatible*

i.e, 2nd column of r deals with the same type of values as does the 2nd column of s .

Q. Did you *expect* there to be 4 rows?

| A | B |
|----------|---|
| α | 1 |
| α | 2 |
| β | 1 |

r

| A | B |
|----------|---|
| α | 2 |
| β | 3 |

s

| A | B |
|----------|---|
| α | 1 |
| α | 2 |
| β | 1 |
| β | 3 |

$r \cup s$:

Difference

What would you expect them to be?

- Relations r , s :

| A | B |
|----------|-----|
| α | 1 |
| α | 2 |
| β | 1 |

r

| A | B |
|----------|-----|
| α | 2 |
| β | 3 |

s

| A | B |
|----------|-----|
| α | 1 |
| β | 1 |

- $r - s$:

Intersection

- Relation r, s :

| A | B |
|----------|---|
| α | 1 |
| α | 2 |
| β | 1 |

r

| A | B |
|----------|---|
| α | 2 |
| β | 3 |

s

| A | B |
|----------|---|
| α | 2 |

- $r \cap s$

Note: $r \cap s = r - (r - s)$