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Description The dcalasso package reduces the computational burden of fitting large adaptive lasso for Cox model when n>>p, by divide and conquer, least square approximation, and one-step estimation.	
License	
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R topics documented:	
coef.dcalasso	2
dataprocess	2
dcalasso	3
plot.dcalasso	9
predict.dcalasso	9
r	10
1	11
	11
	12
summary.dcalasso	13
vcov.dcalasso	13
warmfit	14
Index	15

2 dataprocess

coef.dcalasso

Extract coefficients from dcalasso objects

Description

coef.dcalasso extracts coefficients from dcalasso objects

Usage

```
## S3 method for class 'dcalasso'
coef(object, unpen = F, ...)
```

Arguments

object a dcalasso object

unpen whether to switch to the unpenalized coefficients

Author(s)

Yan Wang, Tianxi Cai, Chuan Hong

dataprocess

Process data frame

Description

dataprocess processes the original dataset into useful elements: Y, X, strata, weights, offset.

Usage

```
dataprocess(mf, Terms, family)
```

Author(s)

Divide-and-conquer method for the fitting of adaptive lasso model with big data

Description

dcalasso fits adaptive lasso for big datasets using multiple linearization methods, including one-step estimation and least square approximation. This function is able to fit the adaptive lasso model either when the dataset is being loaded as a whole into data or when the datasets are splitted a priori and saved into multiple rds files. The algorithm uses a divide-and-conquer one-step estimator as the initial estimator and uses a least square approximation to the partial likelihood, which reduces the computation cost. The algorithm currently supports adaptive lasso with Cox proportional hazards model with or without time-dependent covariates. Ties in survival data analysis are handled by Efron's method. The first half of the routine computes an initial estimator (n^1/2 consistent estimator). It first obtains a warm-start by fitting coxph to the first subset (first random split of data or first data file indicated by data.rds) and then uses one-step estimation with iter.os rounds to update the warm-start. The one-step estimation loops through each subset and gathering scores and information matrices. The second half of the routine then shrinks the initial estimator using a least square approximation-based adaptive lasso step.

Usage

```
dcalasso(formula, family = cox.ph(), data = NULL, data.rds = NULL,
  weights, subsets, na.action, offset, lambda = 10^seq(-10, 3, 0.01),
  gamma = 1, K = 20, iter.os = 2, ncores = 1)
```

Arguments

formula	a formula specifying the model. For Cox model, the outcome should be specified as the Surv(start, stop, status) or Surv(start, status) object in the survival package.
family	For Cox model, family should be cox.ph(), or "cox.ph".
data	data frame containing all variables.
data.rds	when the dataset is too big to load as a whole into the RAM, one can specify data.rds which are the full paths of all randomly splitted subsets of the full data, saved into multiple .rds format.
weights	a prior weights on each observation
na.action	how to handle NA
offset	an offset term with a fixed coefficient of one
lambda	tuning parameter for the adaptive lasso penalty. penalty = lambda * sum_j lbeta_ji/lbeta_j initiall^gamma
gamma	exponent of the adaptive penalty. penalty = lambda * sum_j lbeta_j initiall^gamma
K	number of division of the full dataset. It will be overwritten to length(data.rds) if data.rds is given.
iter.os	number of iterations for one-step updates
ncores	number of cores to use. The iterations will be paralleled using foreach if ncores>1.
subset	an expression indicating subset of rows of data used in model fitting

Value

```
coefficients.pen
                  adaptive lasso shrinkage estimation
coefficients.unpen
                  initial unregularized estimator
                  variance-covariance matrix of unpenalized model
cov.unpen
                  variance-covariance matrix of penalized model
cov.pen
                  sequence of BIC evaluation at each lambda
BIC
n.pen
                  number use to penalize the degrees of freedom in BIC.
                  number of used rows of the data
                  index for the optimal BIC
idx.opt
BIC.opt
                  minimal BIC
family
                  family object of the model
lamba.opt
                  optimal lambda to minimize BIC
df
                  degrees of freedom at each lambda
                  number of covariates
р
                  number of one-step iterations
iter
                  term object of the model
Terms
```

Author(s)

Yan Wang <yaw719@mail.harvard.edu>, Tianxi Cai <tcai@hsph.harvard.edu>, Chuan Hong <Chuan_Hong@hms.harvard.edu>

References

Wang, Yan, Chuan Hong, Nathan Palmer, Qian Di, Joel Schwartz, Isaac Kohane, and Tianxi Cai. "A Fast Divide-and-Conquer Sparse Cox Regression." arXiv preprint arXiv:1804.00735 (2018).

Examples

```
##### Time-independent #####
set.seed(1)
N = 1e5; p.x = 50; K = 100; n = N/K; cor = 0.2;
bb = c(rep(0.4,4),rep(0.2,4),rep(0.1,4),rep(0.05,4))
beta0 = c(1, bb, rep(0, p.x - length(bb)))
dat.mat0 = as.data.frame(SIM.FUN(N, p.x = p.x, cor = cor, family='Cox',beta0 = beta0))
dat.mat0[,'strat'] = rep(1:20, each = N/20)
## Without strata
# unicore
\verb|mod = dcalasso(as.formula(paste0('Surv(u,delta)^-',paste(paste0('V',3:52),collapse='+')))|, \\
               family = 'cox.ph',data = dat.mat0,
               K = 10, iter.os = 2)
sum.mod = summary(mod)
print(sum.mod, unpen = T)
plot(mod)
pred.link = predict(mod, newdata = dat.mat0)
pred.term = predict(mod, newdata = dat.mat0, type = 'terms')
pred.response = predict(mod, newdata = dat.mat0, type = 'response')
```

```
modp = dcalasso(as.formula(paste0('Surv(u,delta)~',paste(paste0('V',3:52),collapse='+'))),
                family = 'cox.ph',data = dat.mat0,
                K = 10, iter.os = 4, ncores = 2)
sum.modp = summary(modp)
print(sum.modp, unpen = T)
plot(modp)
# Standard
std = coxph(as.formula(paste0('Surv(u,delta)~',paste(paste0('V',3:52),collapse='+'))),
            data = dat.mat0)
plot(mod$coefficients.unpen, std$coefficients)
plot(modp$coefficients.unpen, std$coefficients)
## With strata
# unicore
mod = dcalasso(as.formula(paste0('Surv(u,delta)~strata(strat)+',paste(paste0('V',3:52),collapse='+'))),\\
               family = 'cox.ph',data = dat.mat0,
               K = 10, iter.os = 2)
sum.mod = summary(mod)
print(sum.mod, unpen = T)
plot(mod)
# parallel
modp = dcalasso(as.formula(paste0('Surv(u,delta)~strata(strat)+',paste(paste0('V',3:52),collapse='+'))),
                family = 'cox.ph',data = dat.mat0,
                K = 10, iter.os = 2, ncores = 2)
sum.modp = summary(modp)
print(sum.modp, unpen = T)
plot(modp)
# Standard
std = coxph(as.formula(paste0('Surv(u,delta)~strata(strat)+',paste(paste0('V',3:52),collapse='+'))),\\
            data = dat.mat0)
plot(mod$coefficients.unpen, std$coefficients)
plot(modp$coefficients.unpen, std$coefficients)
##### Time-independent with separate file saving #####
set.seed(1)
N = 1e5; p.x = 50; K = 100; n = N/K; cor = 0.2;
bb = c(rep(0.4,4), rep(0.2,4), rep(0.1,4), rep(0.05,4))
beta0 = c(1, bb, rep(0, p.x - length(bb)))
dat.mat0 = as.data.frame(SIM.FUN(N, p.x = p.x, cor = cor, family='Cox',beta0 = beta0))
dat.mat0[,'strat'] = rep(1:20, each = N/20)
dir = "C:/"
ll = split(1:N, factor(1:10))
for (kk in 1: 10){
 df = dat.mat0[ll[[kk]],]
  saveRDS(df, file = paste0(dir, 'dataTI', kk, '.rds'))
```

```
}
## Without strata
# unicore
mod = dcalasso(as.formula(paste0('Surv(u,delta)^-',paste(paste0('V',3:52),collapse='+'))),\\
               family = 'cox.ph',
              data.rds = paste0(dir,'dataTI',1:10,'.rds'), iter.os = 2)
sum.mod = summary(mod)
print(sum.mod, unpen = T)
plot(mod)
# parallel
modp = dcalasso(as.formula(paste0('Surv(u,delta)~',paste(paste0('V',3:52),collapse='+'))),
               family = 'cox.ph',
               data.rds = paste0(dir, 'dataTI',1:10, '.rds'), iter.os = 2, ncores = 2)
sum.modp = summary(modp)
print(sum.modp, unpen = T)
plot(modp)
# Standard
std = coxph(as.formula(paste0('Surv(u,delta)~',paste(paste0('V',3:52),collapse='+'))),
           data = dat.mat0)
plot(mod$coefficients.unpen, std$coefficients)
plot(modp$coefficients.unpen, std$coefficients)
## With strata
# unicore
mod = dcalasso(as.formula(paste0('Surv(u,delta)~strata(strat)+',paste(paste0('V',3:52),collapse='+'))),
              family = 'cox.ph',
              data.rds = paste0(dir, 'dataTI', 1:10, '.rds'), K = 10, iter.os = 2)
sum.mod = summary(mod)
print(sum.mod, unpen = T)
plot(mod)
# parallel
modp = dcalasso(as.formula(paste0('Surv(u,delta)~strata(strat)+',paste(paste0('V',3:52),collapse='+'))),
               family = 'cox.ph',
             data.rds = paste0(dir, 'dataTI',1:10, '.rds'), K = 10, iter.os = 2, ncores = 2)
sum.modp = summary(modp)
print(sum.modp, unpen = T)
plot(modp)
# Standard
std = coxph(as.formula(paste0('Surv(u,delta)~strata(strat)+',paste(paste0('V',3:52),collapse='+'))),\\
           data = dat.mat0)
plot(mod$coefficients.unpen, std$coefficients)
plot(modp$coefficients.unpen, std$coefficients)
n.subject = 1e5; p.ti = 50; p.tv = 50; K = 20; n = n.subject/K; cor = 0.2; lambda.grid = 10^seq(-10,3,0.01);
beta0.ti = NULL
beta0.tv = NULL
```

```
dat.mat0 = as.data.frame(SIM.FUN.TVC(p.ti, p.tv, n.subject, cor, beta0.ti, beta0.tv))
dat.mat0[,'strat'] = dat.mat0[,dim(dat.mat0)[2]]%%(n.subject/20)
dat.mat0 = dat.mat0[,-(dim(dat.mat0)[2]-1)]
## Without strata
# unicore
\verb|mod = dcalasso(as.formula(paste0('Surv(t0,t1,status)^-',paste(paste0('V',4:103),collapse='+')))|,
                                 family = 'cox.ph', data = dat.mat0,
                                 K = 10, iter.os = 2)
sum.mod = summary(mod)
print(sum.mod, unpen = T)
plot(mod)
# parallel
modp = dcalasso(as.formula(paste0('Surv(t0,t1,status)^-',paste(paste0('V',4:103),collapse='+'))),\\
                                    family = 'cox.ph',data = dat.mat0,
                                    K = 10, iter.os = 2, ncores = 2)
sum.modp = summary(modp)
print(sum.modp, unpen = T)
plot(modp)
std = coxph(as.formula(paste0('Surv(t0,t1,status)~',paste(paste0('V',4:103),
                                                                                                                                   collapse='+'))),
                           data = dat.mat0)
plot(mod$coefficients.unpen, std$coefficients)
plot(modp$coefficients.unpen, mod$coefficients.unpen)
# With strata
# unicore
mod = dcalasso(as.formula(paste0('Surv(t0,t1,status)~strata(strat)+',paste(paste0('V',4:103),collapse='+'))
                                 family = 'cox.ph', data = dat.mat0,
                                 K = 10, iter.os = 4)
sum.mod = summary(mod)
print(sum.mod, unpen = T)
plot(mod)
# parallel
modp = dcalasso(as.formula(paste0('Surv(t0,t1,status)^strata(strat)+',paste(paste0('V',4:103),collapse='+')) \\
                                    family = 'cox.ph',data = dat.mat0,
                                    K = 10, iter.os = 4, ncores = 2)
sum.modp = summary(modp)
print(sum.modp, unpen = T)
plot(modp)
# Standard
std = coxph(as.formula(paste0('Surv(t0,t1,status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0('V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata(strat)+',paste(paste0(V',4:103),status)^strata
                                                                                                                                                                  collapse='+'))),
                           data = dat.mat0)
plot(mod$coefficients.unpen, std$coefficients)
plot(modp$coefficients.unpen, mod$coefficients.unpen)
```

set.seed(1)

```
n.subject = 1e5; p.ti = 50; p.tv = 50; K = 20; n = n.subject/K; cor = 0.2; lambda.grid = 10^seq(-10,3,0.01);
beta0.ti = NULL
beta0.tv = NULL
dat.mat0 = as.data.frame(SIM.FUN.TVC(p.ti, p.tv, n.subject, cor, beta0.ti, beta0.tv))
dat.mat0[,'strat'] = dat.mat0[,dim(dat.mat0)[2]]%%(n.subject/20)
dat.mat0 = dat.mat0[,-(dim(dat.mat0)[2]-1)]
11 = split(1:dim(dat.mat0)[1], factor(1:10))
for (kk in 1: 10){
  df = dat.mat0[11[[kk]],]
  saveRDS(df, file = paste0(dir, 'dataTV', kk, '.rds'))
## Without strata
# unicore
mod = dcalasso(as.formula(paste0('Surv(t0,t1,status)~',paste(paste0('V',4:103),collapse='+'))),
               family = 'cox.ph',
               data.rds = paste0(dir, 'dataTV',1:10, '.rds'), K = 10, iter.os = 2)
sum.mod = summary(mod)
print(sum.mod, unpen = T)
plot(mod)
# parallel
modp = dcalasso(as.formula(paste0('Surv(t0,t1,status)~',paste(paste0('V',4:103),collapse='+'))),
                family = 'cox.ph',
             data.rds = paste0(dir, 'dataTV',1:10, '.rds'), K = 10, iter.os = 2, ncores = 2)
sum.modp = summary(modp)
print(sum.modp, unpen = T)
plot(modp)
# Standard
std = coxph(as.formula(paste0('Surv(t0,t1,status)~',paste(paste0('V',4:103),
                                                           collapse='+'))),
            data = dat.mat0)
plot(mod$coefficients.unpen, std$coefficients)
plot(modp$coefficients.unpen, mod$coefficients.unpen)
# With strata
# unicore
mod = dcalasso(as.formula(paste0('Surv(t0,t1,status)~strata(strat)+',paste(paste0('V',4:103),collapse='+'))
               family = 'cox.ph',
               data.rds = paste0(dir, 'dataTV',1:10, '.rds'), K = 10, iter.os = 4)
sum.mod = summary(mod)
print(sum.mod, unpen = T)
plot(mod)
# parallel
modp = dcalasso(as.formula(paste0('Surv(t0,t1,status)~strata(strat)+',paste(paste0('V',4:103),collapse='+')
                family = 'cox.ph',
             data.rds = paste0(dir, 'dataTV',1:10,'.rds'), K = 10, iter.os = 4, ncores = 2)
sum.modp = summary(modp)
print(sum.modp, unpen = T)
plot(modp)
# Standard
std = coxph(as.formula(paste0('Surv(t0,t1,status)~strata(strat)+',paste(paste0('V',4:103),
                                                                         collapse='+'))),
```

plot.dcalasso 9

```
data = dat.mat0)
plot(mod$coefficients.unpen, std$coefficients)
plot(modp$coefficients.unpen, mod$coefficients.unpen)
```

plot.dcalasso

Plot BIC paths for dcalasso objects

Description

plot.dcalasso summarizes output of dcalasso fit

Usage

```
## S3 method for class 'dcalasso'
plot(object, ...)
```

Arguments

object

a dcalasso object

Author(s)

Yan Wang, Tianxi Cai, Chuan Hong

predict.dcalasso

Prediction of dcalasso object

Description

predict.dcalasso makes prediction of a dcalasso object based on the adaptive lasso estimation.

Usage

```
## S3 method for class 'dcalasso'
predict(object, newdata, type = "link")
```

Arguments

object a dcalasso object newdata a new data frame

type "terms", "link", "response" same as predict.glm

Author(s)

print.dcalasso

Print dcalasso objects

Description

```
print.dcalasso summarizes output of dcalasso fit
```

Usage

```
## S3 method for class 'dcalasso'
print(object, ...)
```

Arguments

object

a dcalasso object

Author(s)

Yan Wang, Tianxi Cai, Chuan Hong

```
print.summary.dcalasso
```

Print summary for dcalasso objects

Description

```
print.summary.dcalasso summarizes output of dcalasso fit
```

Usage

```
## S3 method for class 'summary.dcalasso'
print(object, unpen = F, ...)
```

Arguments

object a summary.dcalasso object

unpen whether to print out the unpenalized result

Author(s)

scoreinfofun 11

scoreinfofun Computes score and information given subset	scoreinfofun	Computes score and information given subset	
--	--------------	---	--

Description

scoreinfofun computes information and scores.

Usage

```
scoreinfofun(Y, X, stratas, weights, offset, family, bini, idx)
```

Arguments

Υ	outcome vector or matrix
Χ	design matrix
stratas	strata vector
weights	weight for each observation
offset	offset for each observation
family	family of the outcome
bini	initial coefficient estimate
idx	indices for evaluation

Author(s)

Yan Wang, Tianxi Cai, Chuan Hong

SIM.FUN	Generate simulation data to test adaptive lasso	

Description

SIM. FUN generates continuous-time survival response data that are associated with design matrix. The design matrix comes from a correlated multivariate normal. The default signals (beta0) are sparse.

Usage

```
SIM.FUN(nn, p.x = 50, cor = 0.2, family = c("binary", "count",
   "Cox"), beta0 = NULL)
```

Arguments

nn	sample size
p.x	number of covariates
cor	correlation of covariates
family	the family of response data taking c('binary','count','Cox')
beta0	the coefficients for the design, including intercept

12 SIM.FUN.TVC

Value

For survival data, it returns a matrix with the first column U, second column delta (0,1), and rest = design matrix.

Author(s)

Yan Wang, Tianxi, Chuan Hong

Examples

```
SIM.FUN(nn = 1e6, p.x = 50, family = 'binary')
```

SIM. FUN. TVC Generate simulation data to test time-dependent Cox model with adaptive lasso

Description

SIM. FUN. TVC generates time-dependent survival response with four time-intervals 0-1, 1-2, 2-3, 3-4 for each subject data. All subjects are administratively censored at 4, if T>4. T comes from a Weibull distribution with shape of 2. The design matrix comes from a correlated multivariate normal. The default signals (beta0) are sparse.

Usage

```
SIM.FUN.TVC(p.ti = 50, p.tv = 50, n.subject = 1e+06, cor = 0.2,
beta0.ti = NULL, beta0.tv = NULL)
```

Arguments

p.ti	number of time-invariant covariates
p.tv	number of time-varying covariates
n.subject	number of subjects
cor	correlation between time-varying and each interval's time-varying covairates
beta.ti	coefficient for time-invariant covariates
beta.tv	coefficients for time-varying covariates

Value

a matrix with the first column starting time, second column ending time, third column event (0,1), and rest = design matrix + ID for subject.

Author(s)

Yan Wang, Tianxi Cai, Chuan Hong

References

Section 3.3 in Austin, P.C., 2012. Generating survival times to simulate Cox proportional hazards models with time-varying covariates. Statistics in medicine, 31(29), pp.3946-3958.

summary.dcalasso 13

Examples

```
SIM.FUN.tvc()
```

summary.dcalasso

Summary method for dcalasso objects

Description

summary.dcalasso summarizes output of dcalasso fit

Usage

```
## S3 method for class 'dcalasso'
summary(object, unpen = F, ...)
```

Arguments

object a dcalasso fit

unpen whether to print out the unpenalized result

Author(s)

Yan Wang, Tianxi Cai, Chuan Hong

vcov.dcalasso

Extract variance covariance from a dcalasso objects

Description

vcov.dcalasso extracts variance covariance objects

Usage

```
## S3 method for class 'dcalasso'
vcov(object, unpen = F, ...)
```

Arguments

object a dcalasso object

unpen whether to switch to the unpenalized variance covariance

Author(s)

14 warmfit

warmfit	Warm-start fit wrapper	

Description

warmfit is to obtain an warm-start of the initial estimator using a subset of data.

Usage

```
warmfit(Y, X, strata, weights, offset, family, idx)
```

outcome vector or matrix

Arguments Y

Χ	design matrix
strata	strata vector
weights	weight for each observation
offset	offset for each observation
family	family of the outcome
idx	indices for the subset to fit

Author(s)

Index

```
coef.dcalasso, 2
dataprocess, 2
dcalasso, 3

plot.dcalasso, 9
predict.dcalasso, 9
print.dcalasso, 10
print.summary.dcalasso, 10
scoreinfofun, 11
SIM.FUN, 11
SIM.FUN.TVC, 12
summary.dcalasso, 13
vcov.dcalasso, 13
warmfit, 14
```