

# The Effect of Vaccination on Next-Year Hospital Admission among Older Adults with Diabetes

[https://github.com/erickim/PH252D\\_final\\_project](https://github.com/erickim/PH252D_final_project)

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# 1 Introduction and Background

Vaccination can be generally thought of as a preventative measure against many common infectious diseases. It is especially relevant for the children and the elderly, whose frailty and vulnerability leave them exposed to major health complications that result from common viruses, like influenza. In this analysis we aim to assess the impact of vaccination on subsequent hospitalization, as a metric for severe health conditions, in the population of older adults, whose overall health is undermined by the chronic diabetes.

It has been consistently shown that influenza vaccination reduces the risk of hospitalization or death in the elderly with type 2 diabetes [8]. A recent large-scale study, conducted over several years on the elderly patients with type 2 diabetes, reports a 19% reduction of hospital admissions for patients receiving influenza vaccine [11]. Although influenza is the most common type of immunization among the elderly population, hepatitis B, shingles, and pneumococcal vaccines are also widespread and are recommended by the CDC, particularly for patients with diabetes [3]. 2015-2016 seasonal influenza vaccination rates in adults over age 65 were 63.4%, despite the 3.3 percentage point decrease from the prior flu vaccination season, and were the highest among all age groups [4]. The 2015 rates for other common vaccines, such as HPV, Hepatitis A and B, Herpes, Tdap and pneumococcal vaccine, have grown or remained relatively stable since 2010, with greatest improvements among the younger segments of the population, with virtually no changes among the elderly [12].

As compared to other age groups who have manifested virtually no change, the general hospitalization rates have shown marked decline among the older Americans 65 years of age or older, for whom the number of inpatient hospital stays decreased by 25% from just over 35,214 to 26,480 per 100,000 residents [10]. Related to the risk of hospitalization, another recent study has challenged the commonplace conclusion of mortality reductions in the elderly as a result of influenza vaccination. The authors attribute some of the evidence to the selection bias, whereby subjects who were not immunized in the last 5 years were less likely to die than those who were immunized multiple times in the same 5-year period, thus suggesting of the effect of frailty/comorbidities on vaccination outcomes [1].

In terms of the tendency for adults with diabetes to be vaccinated, one study in Spain found that men, suffering from respiratory and heart diseases, and the elderly are much more likely to choose to immunize than younger adults, females, and otherwise healthy individuals [7]. The effect on vaccination likelihood has been studied extensively and is generally concluded to positively associate with the degree of health literacy, which is, in turn heavily dependent on one's educational attainment and socioeconomic status [6]. Another salient association exists between the medical risk and the likelihood of vaccination inasmuch as the rate of hospitalization. It is difficult to characterize this factor succinctly, especially in the older adult population with a wide range of health complications and comorbidities, however a portion of the medical risk germane to this specific group of people could in part be

attributed to medication non-adherence and overdose [5, 2] that further aggravate existing health conditions. Moreover, the increased awareness and acknowledgement of one's frailty or physical vulnerability toward an infectious disease, such as influenza, is shown to positively associate with the rate of immunization among the elderly with chronic health conditions, such as diabetes.

Cardiac and stroke, cerebrovascular, pneumonia/influenza, as well as other cause of death related hospitalizations were found to be diminished significantly with seasonal influenza vaccinations in the group of 65 years old or above. During the flu season these hospitalizations comprise close to 2.2% of the vaccinated subpopulation, compared to 3% for the unvaccinated study subjects, compared to the 10%-15% overall baseline hospitalization rate [9].

## 2 The Causal Model and Causal Question

We thus pose the causal question of interest, what would the effect of the receipt of any vaccination in 2015 on the hospital admission in 2016 be, if all adults 65+ with with diabetes had been vaccinated, as compared to the case where none of these adults had been vaccinated?

### Endogenous variables:

- A: Vaccination in 2015
- Y: Hospital admission in 2016
- W1: Income + Net worth
- W2: College education above/below
- W3: Age
- W4: Medical risk score
- W5: Sex

- No independence assumptions
- Exclusion restriction: W5 on A

### Structural Equations:

$$\begin{aligned}
 A &= f_A(W1, W2, W3, W4, U_A) \\
 Y &= f_Y(W1, W2, W3, W4, W5, U_Y) \\
 W1 &= f_{W1}(W2, W5, U_{W1}) \\
 W2 &= f_{W2}(W5, U_{W2}) \\
 W3 &= f_{W3}(U_{W3}) \\
 W4 &= f_{W4}(W3, U_{W4}) \\
 W5 &= f_{W5}(U_{W5})
 \end{aligned}$$

$$U = (U_{W1}, U_{W2}, U_{W3}, U_{W4}, U_{W5}, U_A, U_Y) \sim P_U$$

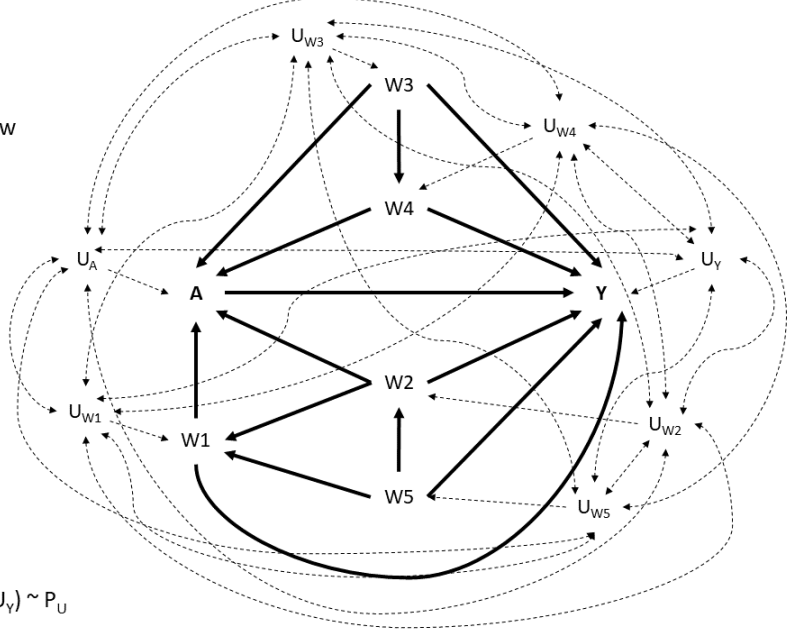


Figure 1: Directed acyclic graph showing the proposed structural causal model with structural equations for the effect of vaccination on hospital admission in the following year among older adults with diabetes (2015-2016).

The base SCM model shown in Figure 1. The observed baseline covariates include: income

(annual and net worth), binary college education, continuous age in years starting at 65, medical insurance-based continuous medical risk score, and sex. The SCM does not include any independence assumptions, but does contain one exclusion restriction for sex on the vaccination status. The unmeasured background factors  $U$  are distributed according to the distribution  $P_U$ .

The target causal parameter compatible with the model  $\mathcal{M}^{\mathcal{F}}$  described in the figure above is the Average Treatment Effect, with the counterfactual outcomes  $Y_1$  and  $Y_0$ .

$$\Psi^F(P_{U,X}) = \mathbb{E}_{U,X}[Y_1 - Y_0]$$

The ATE describes the average difference in the counterfactual number of hospital admissions for any reason between the case if adults 65 years old and above with diabetes had they all received at least one immunization in the previous year, as compared to a scenario where none of them were immunized.

### 3 Data Description

In Figure 1 and Section 2 above, we detail the data obtained from the Texas A&M University Medical Insurance study that we use in our analysis. For the purpose of this analysis, we further decided to work with the original continuous version of hospital admissions in 2016 as well as a binarized version where the binarized version would give us a measure of the chance of hospitalization. In Table 1, we see a large summary of the data. With 26779 overall data points, we show the counts of the binary observed baseline covariates as well as the mean and standard deviations of the continuous variables. We further show the percentage of the subjects in each specific stratum and find that the largest stratum are women with no college education who were not vaccinated while the smallest stratum are men with college education who were vaccinated. While this disparity in the largest and smallest stratum seem shocking, it is important to note that around 78% of the subjects had elected to not receive vaccination and only around 7% of the subjects had a college education. However, even with these asymmetric proportions, because of the large data size, we have a sizable amount of data points for each stratum.

### 4 Identifiability

There is one issue with our currently proposed causal model as we can see in the original DAG of Figure 1 - we entirely lack identifiability. Due to the expressive nature of the graph and the growing complexity of the nodes and edges, we can easily fail the backdoor-criteria, wherein the treated and untreated individuals are not exchangeable and the assignment

		Vaccinated		Gender		College		Overall
		N	Y	F	M	N	Y	
Wealth Index	count	20904	5875	14055	12724	24843	1936	26779
	% in stratum	78.06%	21.94%	52.48%	47.51%	92.77%	7.23%	100%
	mean	11.73	11.94	11.54	12.03	11.75	12.10	11.78
	sd	1.51	1.53	1.57	1.41	1.51	1.48	1.51
Age	mean	74.66	74.68	74.87	74.43	74.75	73.51	74.66
	sd	6.61	6.32	6.74	6.32	6.57	6.11	6.55
Medical Risk Score	mean	1.20	1.11	1.17	1.19	1.18	1.10	1.18
	sd	0.98	0.87	0.94	0.98	0.96	0.96	0.96
No. Hospital Visits	mean	0.34	0.29	0.32	0.33	0.33	0.28	0.33
	sd	0.94	0.83	0.90	0.93	0.92	0.86	0.92

		Vaccinated							
		No				Yes			
		Gender				Gender			
		F		M		F		M	
		College		College		College		College	
		N	Y	N	Y	N	Y	N	Y
Wealth Index	count	10133	763	9308	700	2901	258	2501	215
	% of total	37.84%	2.85%	34.76%	2.61%	10.83%	0.96%	9.34%	0.80%
	mean	11.47	11.79	11.97	12.27	11.70	12.18	12.15	12.55
	sd	1.56	1.52	1.39	1.44	1.58	1.43	1.44	1.34
Age	mean	75.01	73.18	74.45	73.82	74.95	73.42	74.58	73.80
	sd	6.83	6.05	6.40	6.28	6.60	5.91	6.04	6.01
Medical Risk Score	mean	1.20	1.12	1.20	1.10	1.09	1.00	1.15	1.16
	sd	0.96	0.97	1.00	1.01	0.86	0.81	0.90	0.92
No. Hospital Visits	mean	0.34	0.30	0.34	0.30	0.28	0.17	0.31	0.25
	sd	0.93	0.95	0.95	0.92	0.82	0.50	0.88	0.66

Table 1: Data Overview



implying that  $\{W_1, W_2, W_5\} \perp\!\!\!\perp \{W_3, W_4\}$  in every statistical model compatible with  $\mathcal{M}^{\mathcal{F}^*}$ . We thus have a semi-parametric statistical model where we have not assumed that there is a finite number of unknown parameters.

## 5 Methodology

The estimand, or parameter of the observed data distribution, that we have committed to is

$$\Psi(\mathbb{P}_0) = \mathbb{E}_{W,0}[\mathbb{E}_0(Y|A=1, W) - \mathbb{E}_0(Y|A=0, W)]$$

or equivalently

$$\Psi(\mathbb{P}_0) = \mathbb{E}_0\left(\frac{\mathbb{1}\{A=1\}}{g_0(A=1|W)}Y\right) - \mathbb{E}_0\left(\frac{\mathbb{1}\{A=0\}}{g_0(A=0|W)}Y\right).$$

$\Psi(\mathbb{P}_0)$  is identified with our target causal parameter  $\Psi^{\mathcal{F}}(\mathbb{P}_{U,X})$  by the G-computation formula under the convenience assumptions above. The estimators we will use to get an estimate of  $\Psi(\mathbb{P}_0)$  are detailed below.

### 5.1 Simple Substitution Estimator

The simple substitution estimator is

$$\hat{\Psi}(\mathbb{P}_n) = \frac{1}{n} \sum_{i=1}^n \left[ \hat{\mathbb{E}}(Y_i | A_i = 1, W_i = w_i) - \hat{\mathbb{E}}(Y_i | A_i = 0, W_i = w_i) \right]$$

where  $\hat{\mathbb{E}}(Y_i | A_i = a, W_i = w_i)$  is the predicted outcome for subject  $i$  given (possibly counterfactual) treatment level  $a$  and the observed background covariate vector  $w_i$ . This estimator, based on the G-computation formula, will be consistent for  $\Psi(\mathbb{P}_0)$  so long as we consistently estimate  $\mathbb{E}_0(Y|A, W)$ .

### 5.2 Inverse Probability of Treatment Weighted Estimator (IPTW)

We use two IPTW estimators. The first is the standard Horvitz-Thompson estimator:

$$\hat{\Psi}(\mathbb{P}_n) = \frac{1}{n} \sum_{i=1}^n \frac{\mathbb{1}\{A_i = 1\}}{g(A_i | W_i)} Y_i - \frac{1}{n} \sum_{i=1}^n \frac{\mathbb{1}\{A_i = 0\}}{g(A_i | W_i)} Y_i.$$

The second is the stabilized Horvitz-Thompson estimator, which can help with near violations of the positivity assumption:

$$\hat{\Psi}(\mathbb{P}_n) = \frac{\sum_{i=1}^n \frac{\mathbb{1}\{A_i=1\}}{g(A_i|W_i)} Y_i}{\sum_{j=1}^n \frac{\mathbb{1}\{A_j=1\}}{g(A_j|W_j)}} - \frac{\sum_{i=1}^n \frac{\mathbb{1}\{A_i=0\}}{g(A_i|W_i)} Y_i}{\sum_{j=1}^n \frac{\mathbb{1}\{A_j=0\}}{g(A_j|W_j)}}.$$

In either case, these estimators will be consistent for  $\Psi(\mathbb{P}_0)$  so long as we consistently estimate the treatment mechanism  $g_0(A|W)$ .

### 5.3 TMLE

The TMLE is a substitution estimator which involves estimating both  $E_0(Y|A, W)$  and  $g_0(A|W)$ , resulting in a doubly robust, targeted estimate of  $\Psi(\mathbb{P}_0)$ . The algorithm is:

1. Estimate  $\bar{Q}_0(A, W) = E_0(Y|A, W)$  using Super Learner, giving  $\bar{Q}_n^0(A, W)$ .
2. Estimate the treatment mechanism  $g_0(A|W)$  by Super Learner, giving  $g_n(A|W)$ .
3. Define the clever covariate for each subject  $i$ :

$$H_n(A_i, W_i) \equiv \left( \frac{\mathbb{1}\{A_i = 1\}}{g_n(A_i = 1|W_i)} - \frac{\mathbb{1}\{A_i = 0\}}{g_n(A_i = 0|W_i)} \right).$$

4. Run logistic regression with the model

$$\text{logit}\{E(Y_i|A_i, W_i)\} = \text{logit}\{\bar{Q}_n^0(A_i, W_i)\} + \epsilon H_n(A_i, W_i)$$

to find the estimate  $\epsilon_n$  of the clever covariate coefficient that minimizes the squared error loss.

5. Update the estimate of  $\bar{Q}_0(A, W)$ :

$$\bar{Q}_n^*(A, W) = \text{expit}\{\text{logit}(\bar{Q}_n^0) + \epsilon_n H_n(A, W)\}.$$

6. Use  $\bar{Q}_n^*(A, W)$  to get predicted values under each treatment level for each individual:  $\bar{Q}_n^*(1, W_i)$  and  $\bar{Q}_n^*(0, W_i)$ .

The final estimator for  $\Psi(\mathbb{P}_0)$  is

$$\hat{\Psi}(\mathbb{P}_n) = \frac{1}{n} \sum_{i=1}^n [\bar{Q}_n^*(1, W_i) - \bar{Q}_n^*(0, W_i)]$$

which is consistent if either  $E_0(Y|A, W)$  or  $g_0(A|W)$  are estimated consistently, and if both are then it is also efficient.



## 6 Results

### 6.1 Positivity Assumption

In order to identify the G-computation formula with  $\Psi(P_{U,X})$ , we must have

$$\min_{a \in \mathcal{A}} \mathbb{P}_0(A = a | W = w) > 0,$$

for all  $w$  for which  $\mathbb{P}_0(W = w) > 0$ . In other words, for all values on the support of the joint distribution of the background covariates  $W$ , there must be a non-zero probability of both levels of treatment (vaccinated/not vaccinated in 2015). As all of our subjects were insured in 2015 and thus had ready access to low-cost or free vaccination, we assume that the theoretical positivity assumption is met.

However, we have to be wary of practical positivity violations or near violations, which can at best make our estimators more variable (high variance weights) and at worst bias our estimators (extrapolation to unobserved regions of  $(A, W)$ ), or even undo identifiability in the case of the G-computation estimator. To evaluate practical positivity we examine the distribution of propensity scores, IPTW weights, and stabilized IPTW weights.

Figure 3 shows the distribution of estimated propensity scores  $g_n(A = 1|W)$ , the probability of vaccination in 2015 given background covariates, for all 26779 subjects. The minimum and maximum scores are 0.084 and 0.336. Importantly, the scores are neither very small nor very large, and as a result  $g_n(A_i = 0|W_i) = 1 - g_n(A_i = 1|W_i)$  will also not be very small. As we will see next, this precludes extreme weights in the IPTW estimators.

Figure 4a gives the distribution of IPTW weights, defined as

$$\hat{\omega}_i = \frac{1}{g_n(A_i = a_i | W_i)}$$

where  $a_i$  is the true vaccination status of subject  $i$ . The left mode corresponds to the much larger portion of the data that was not vaccinated in 2015. The minimum and maximum of the IPTW weights was 1.09 and 10.7. No weight is unreasonably large and, in combination with the fact that there are no outright violations of positivity, we conclude that the practical positivity assumption is also satisfied.

Figure 4b also shows the distribution of the stabilized IPTW weights. The shape of the distribution is remarkably similar to the unstabilized version. This is because the sums in the denominators of the weights for those that were vaccinated and those that weren't were quite close: about 26803 and 26778, respectively. There are far fewer subjects that were vaccinated in 2015 and their weights are higher than the weights of those that were not vaccinated to compensate, balancing the sums.

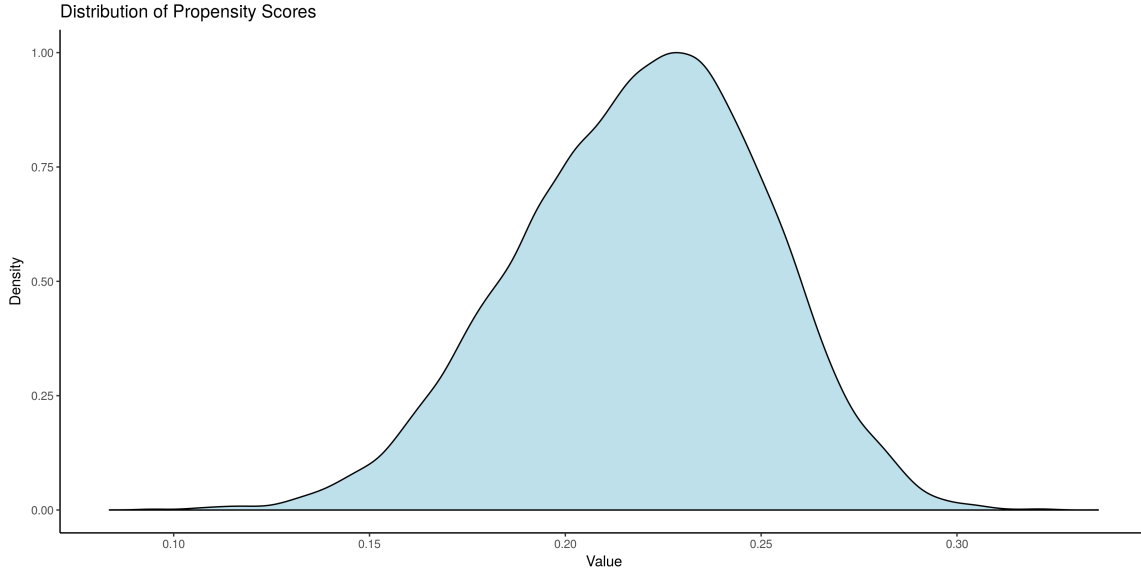


Figure 3: Probability of vaccination in 2015, given background covariates.

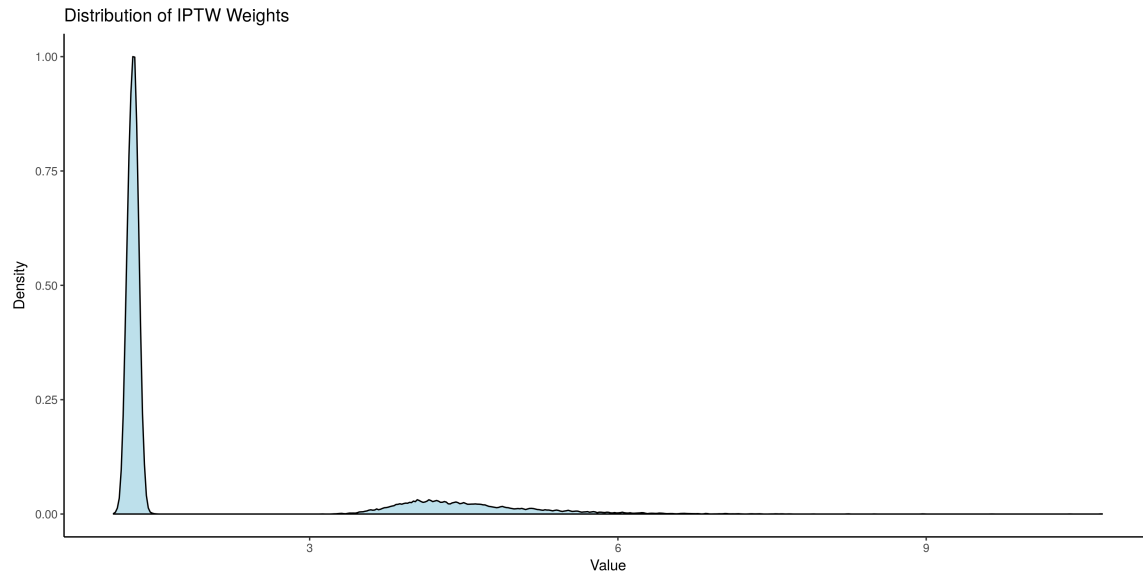
Estimand	Outcome			
	Binary		Continuous	
	$\hat{\Psi}$	SE	$\hat{\Psi}$	SE
G-Computation	-0.0116	0.00525	-0.0373	0.0125
IPTW	-0.0127	0.00534	-0.0394	0.0130
Stabilized IPTW	-0.0139	0.00531	-0.0397	0.0130
TMLE (SuperLearner)	-0.0107	0.00550	-0.0318	0.0127

Table 2: Estimation Results

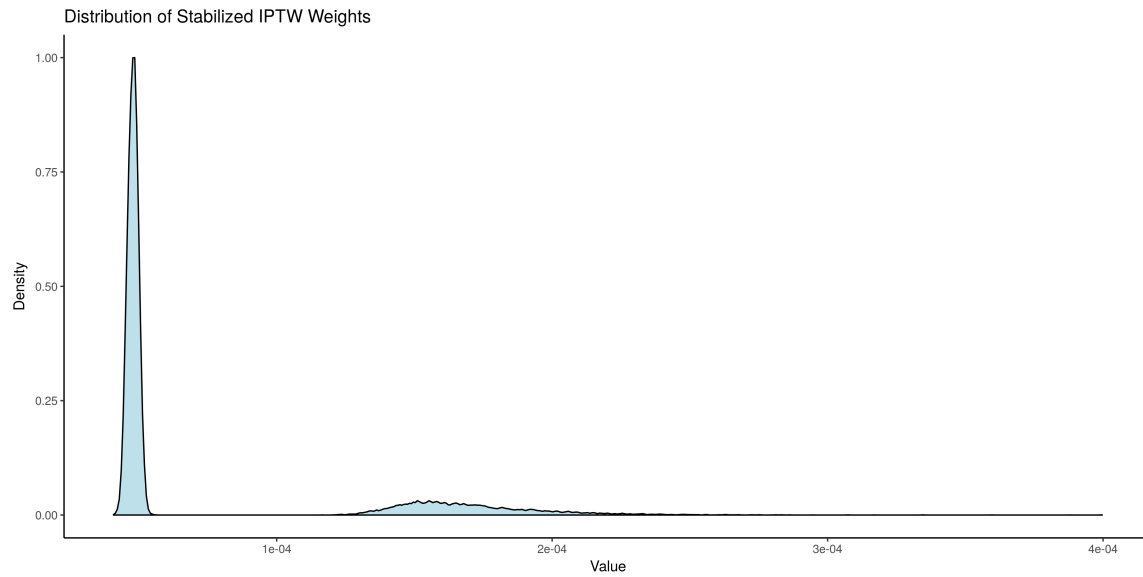
## 6.2 Estimation

In Table 2 we see the results of our estimation. The standard errors for the G-Computation, IPTW, and Stabilized IPTW for both binary and continuous were computed via the non-parametric bootstrap with 500 bootstrap samples. The standard error reported for TMLE is from the influence curve as computed from the `ltmle` package via the SuperLearner where our SuperLearner library was the following `SL.glm`, `SL.glm.interaction`, `SL.step`, `SL.gam`, `SL.rpartPrune`, `SL.mean`. We can see that the estimates were all relatively well behaved and similar to each other as it definitely seems like we had Central Limit Theorem working for our large sample size.

Table 3 shows the cross-validated risk and ensemble learner coefficients for each algorithm in our library when estimating  $g_0$  and  $\bar{Q}_0$ . In the binary outcome case, SuperLearner gives



(a) IPTW Weights



(b) Stabilized IPTW weights.

Figure 4: Inverse Probability of Treatment, Weighted

Name	Binary				Continuous			
	$g_n$		$\bar{Q}_n^0$		$g_n$		$\bar{Q}_n^0$	
	cvRisk	coef	cvRisk	coef	cvRisk	coef	cvRisk	coef
gam	0.170	1	0.135	0.882	0.170	1	0.005	0.389
glm	0.170	0	0.135	0	0.170	0	0.005	0
glm.interaction	0.170	0	0.135	0.049	0.170	0	0.005	0.611
mean	0.171	0	0.144	0	0.171	0	0.006	0
rpartPrune	0.171	0	0.139	0.069	0.171	0	0.011	0
step	0.170	0	0.135	0	0.170	0	0.005	0

Table 3: Performance Assessment

all the weight to `SL.gam` in estimating  $g_0$  and combines `SL.gam`, `SL.glm.interaction` and `SL.rpartPrune` to estimate  $\bar{Q}_0$ , with `SL.gam` receiving nearly 90% of the weight. The continuous case again places all weight on `SL.gam` when estimating  $g_0$ , but only chooses `SL.gam` and `SL.glm.interaction`, place much less weight on `SL.gam`, with the majority ( $\approx 60\%$ ) going to `SL.glm.interaction`.

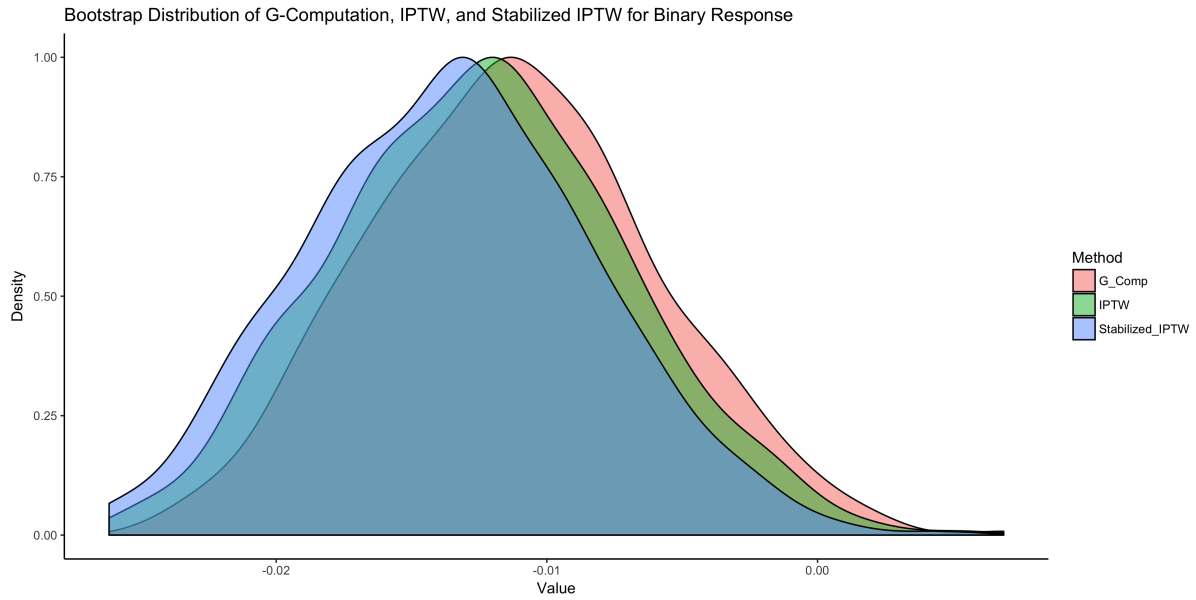
The average risk from `CV.SuperLearner` in the continuous case was 0.789 for Super Learner, followed closely by the discrete winner `SL.gam` at 0.79. The other algorithms in the library had risk between 0.79 and 0.8, substantially better than the 0.84 risk of `SL.mean`. Super Learner places non-zero weight on `SL.gam` and `SL.rpartPrune`.

In the binary outcome case, the MSE of the ensemble learner was actually  $10^{-5}$  higher than `SL.gam`, but both were around 0.135. The other algorithms also had MSE hovering just above 0.135, other than `SL.rpartPrune` at 0.141, which was still better than `SL.mean`'s MSE of 0.144. Super Learner places non-zero weight on `SL.glm.interaction`, `SL.gam`, and – in spite of its poor performance – a small weight on `SL.rpartPrune`.

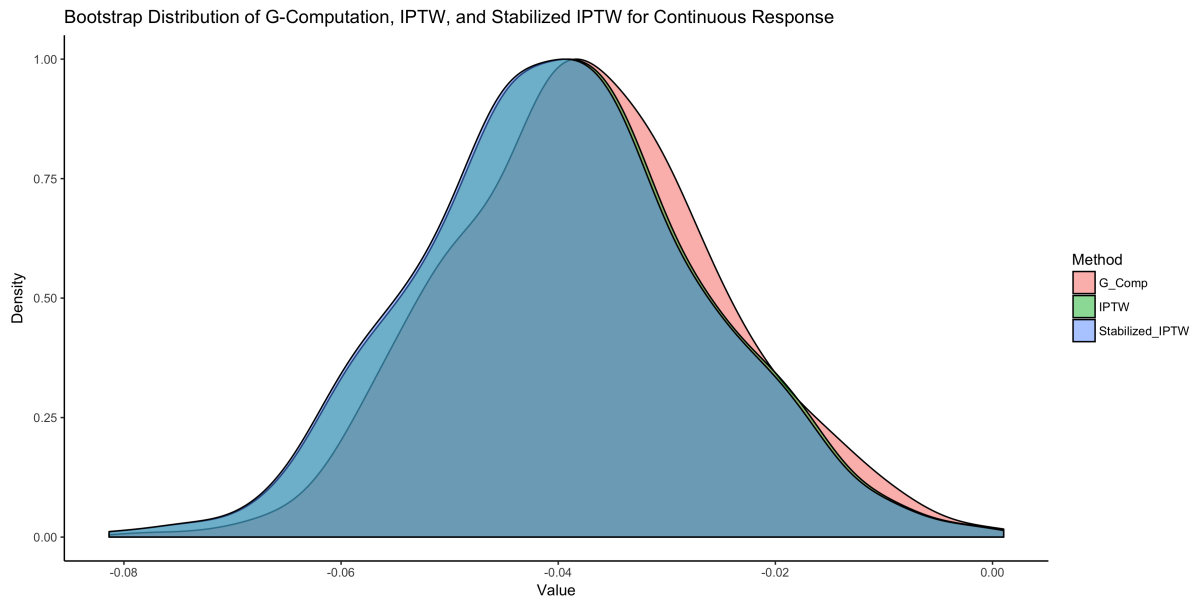
In Figures 5a and 5b we take a look at the bootstrapped distributions for the G-Computation, IPTW, and Stabilized IPTW estimators for both binary and continuous response. They all look relatively similar to each other and are practically normally distributed. This further provides evidence to our suggestion that the large sample size is allowing for well behaved CLT type behavior.

## 6.3 Inference

In Table 4, we see that for all of our hypothesis test except for binary response TMLE, we would reject the null of no average treatment effect. In general, influence curve based inference for TMLE tended to be more conservative in the amount of evidence supplied by the  $p$ -value to reject the null than the non-parametric based inference.



(a) Binarized Response



(b) Continuous Response

Figure 5: Bootstrap Distribution of the Estimates under Binarized and Continuous Response

Estimand	Outcome	
	Binary	Continuous
	$p$ -value	$p$ -value
G-Computation	0.0271	0.00285
IPTW	0.0174	0.00244
Stabilized IPTW	0.00885	0.00226
TMLE	0.052	0.0123

Table 4:  $p$ -values from Bootstrapped and IC-based Inference

## 6.4 Discussion

Based on Tables 2 and 4, we make the conclusion that under our independence and convenience assumptions, the average treatment effect of hospitalization under the treatment of vaccination is significantly nonzero and in fact negative. For binarized response, we find that there is around a 1% decrease in hospitalization under treatment of vaccination, whereas for the continuous response we find a reduction of about 3 – 4 hospitalizations per 100.

We note, however, that influence curve based inference for TMLE tended to be more conservative than bootstrap based estimation for G-Computation, IPTW, and Stabilized IPTW. We ultimately made our conclusion of the significance of the average treatment effect based on the non-parametric bootstrap for a couple reasons. Firstly, because the weights were relatively well behaved and the bootstrapped IPTW and Stabilized-IPTW distributions were so similar, we have reason to believe that along with our large sample size, the non-parametric bootstrap was more accurately able to estimate the sampling distribution of the ATE. Secondly, because of our large sample size, we had to be relatively careful with our SuperLearner library due to computational constraints. We conjecture that had we used a more robust SuperLearner library, the influence curve based inference for TMLE would have been similar to that of the bootstrapped based inference for the other estimators.

## 7 Conclusion

In this analysis, we sought to study the impact of vaccination on subsequent hospitalization among older adults with diabetes. Motivated by existing studies, we sought to frame the question in a causal manner where the intervention of interest was the existence of vaccination. Due to the nature of the data set, in particular that we had a large sample, we were able to construct a very expressive structural causal model, but we also needed to make a few independence and convenience assumptions due to the lack of identifiability.

After doing so, we estimated our causal parameter of interest: the average treatment effect

via the G-Computation, IPTW, Stabilized IPTW, and TMLE estimators. When assessing the positivity assumptions, we found that everything was relatively well behaved. We can do so by examining the distribution of propensity scores of the IPTW and stabilized IPTW weights. As shown before, we have no particularly extreme weight and the distributions of both the IPTW and stabilized IPTW weights were remarkably similar. We further saw this stability in the actual analysis where the results rather similar and the bootstrap distributions of the estimates were very similar too.

At the end of our analysis, we perform inference and deduce that with strong evidence, vaccination does seem to significantly affect hospitalization among older adults with diabetes. Toward this end, we suggest that older adults get their vaccinations, especially influenza vaccines. There are, however, a few limitations to our study. First, it is the number of convenience assumptions we had to make. Second, the target population is rather limited. This particular population was chosen with the hope of minimizing confounding when possible, so we cannot comment on the validity of the results had this study been replicated on a different target population.

## 7.1 Reproducibility

In order to reproduce our results, please see the instructions at [https://github.com/erickim/PH252D\\_final\\_project](https://github.com/erickim/PH252D_final_project).

## 7.2 Contributions

Denys - Brainstorm the project direction; a third of the presentation slides; Sections 1 and 2 in the write up.

James - Brainstorm the project direction; half of the coding; a third of the presentation slides; Sections 5, 6.1 in the write up.

Eric - Half of the coding; a third of the presentation slides; Sections 3, 4, 6.2-6.4 and 7 in the write up.

David - Brainstorm the project direction; acquired the data set.

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