

Improving GPipe Partitioning

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Outline

- Project Introduction
- Technical Requirements
 - Timeline Profiling
 - Dynamic-Programming Partitioning
 - Throughput Estimation

Outline

- Experiments
 - Comparison with other Methods
 - Load Balancing
- Conclusion
 - Future Work
- References

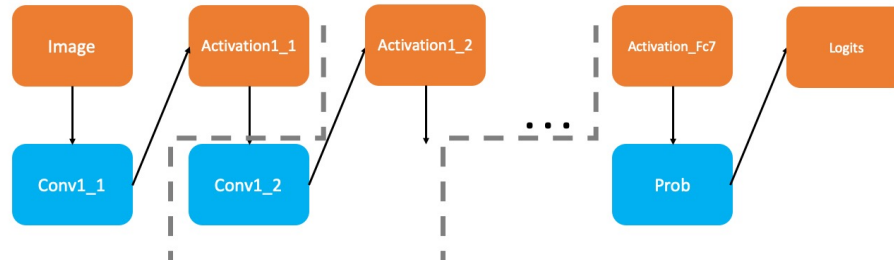
Project Introduction

Goal

- Facilitate GPipe parallel training process of giant neural networks to get better training throughput

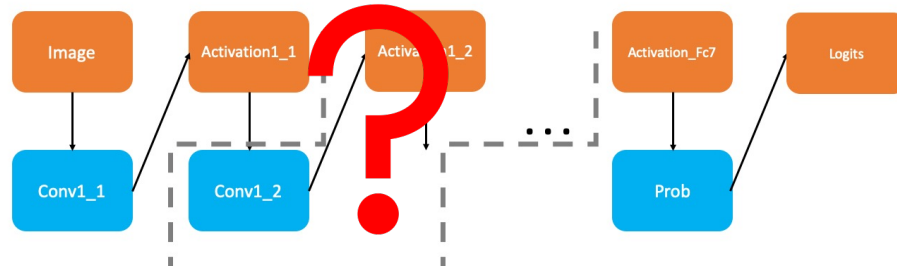
Motivation

1. GPipe heuristic-based partitioning algorithm



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1. GPipe heuristic-based partitioning algorithm



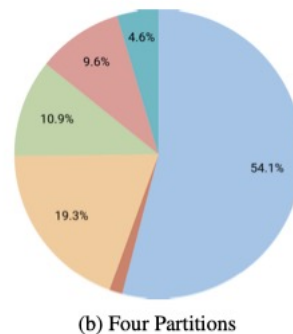
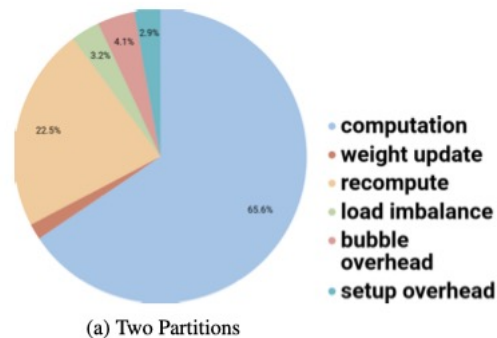
2. Imbalanced partition results in waiting time for next batch

Motivation

1. GPipe heuristic-based partitioning algorithm



2. Imbalanced partition results in waiting time for next batch



2 machines -> 4 machines
Overhead 3.2% -> 10.9%

Proposed Solution

- Facilitate GPipe parallel training process of giant neural networks to get better training throughput

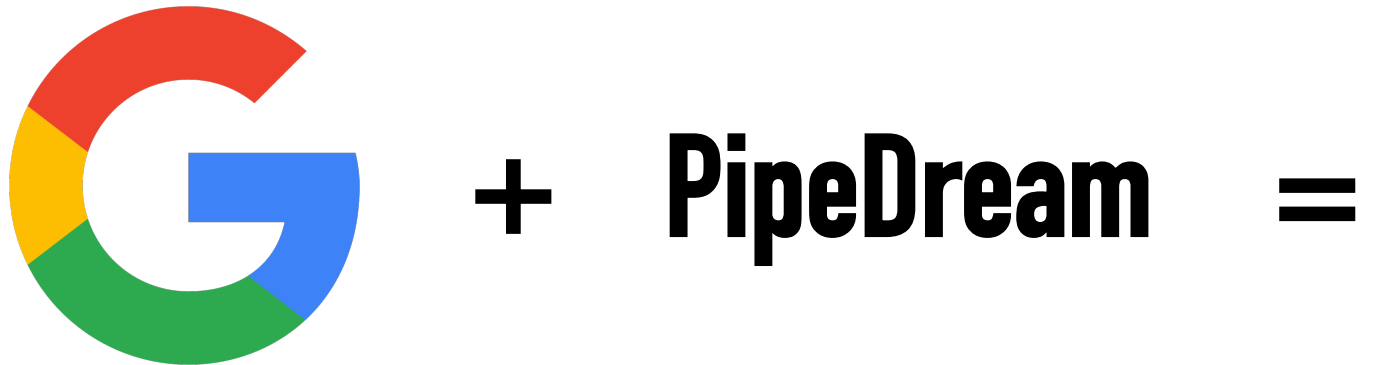
Proposed Solution

- Facilitate GPipe parallel training process of giant neural networks to get better training throughput



Proposed Solution

- Facilitate GPipe parallel training process of giant neural networks to get better training throughput





Proposed Solution – Black GPipe

- Facilitate GPipe parallel training process of giant neural networks to get better training throughput



+

PipeDream

=





Proposed Solution – Black GPipe

- Facilitate GPipe parallel training process of giant neural networks to get better training throughput
- To see if we can beat **DP** and **Naïve GPipe** on throughput



+ PipeDream =



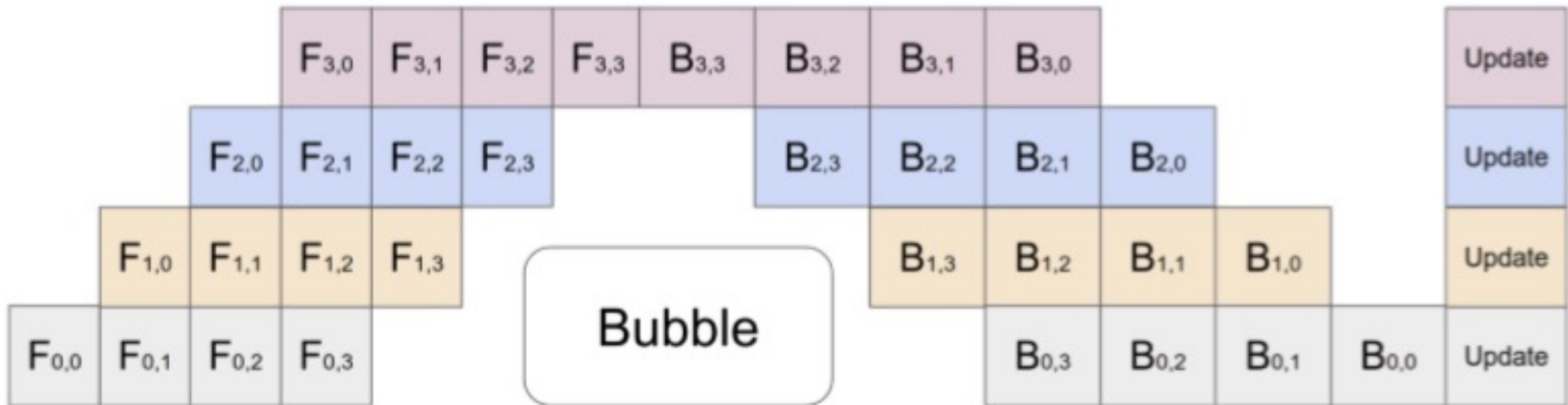


GPipe Micro-batch Recap



GPipe Micro-batch Recap

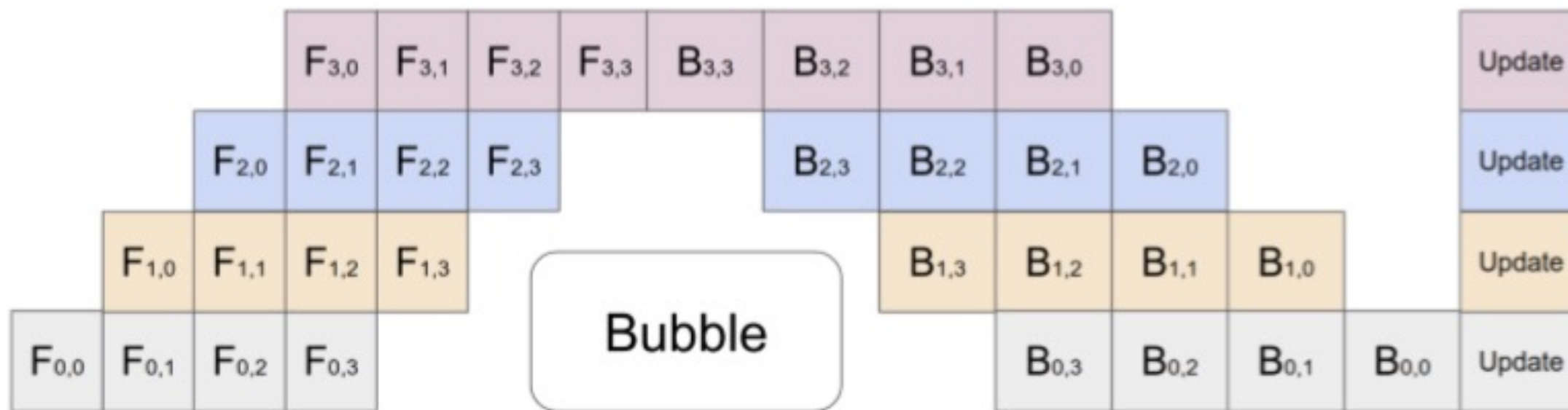
- Split mini-batch into several micro-batches





GPipe Micro-batch Recap

- We need time information for a micro-batch to estimate training time
- Execution time & Communication time





Black GPipe Workflow



Black GPipe Workflow

1. Specify *number of machines* and *number of micro-batches*
 - Micro-batch size = Batch size / Number of micro-batches



Black GPipe Workflow

1. Specify *number of machines* and *number of micro-batches*
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2. Profile **Resnet-152** and **VGG19** to get time information w.r.t the micro-batch size



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3. Use our algorithm to determine partition scheme (DP + MP)



Black GPipe Workflow

1. Specify *number of machines* and *number of micro-batches*
 - Micro-batch size = Batch size / Number of micro-batches
2. Profile **Resnet-152** and **VGG19** to get time information w.r.t the micro-batch size
3. Use our algorithm to determine partition scheme (DP + MP)
4. For each stages, obtain its execution time and get the throughput of the model by estimation
 - Including backward and forward pass
 - Moreover in backward we implement re-computation



Timeline Profiling

Dynamic-Programming Partitioning

Throughput Estimation



What to Get?

- Profiles the DNN model with **micro-batch size N/T** , and records
 - T_l : the total computation time across the forward pass for layer l
 - C_l : the communication time to send output from layer l and input to layer $l+1$
 - a_l : the size of the activations of layer l
 - w_l : the size of parameters for layer l

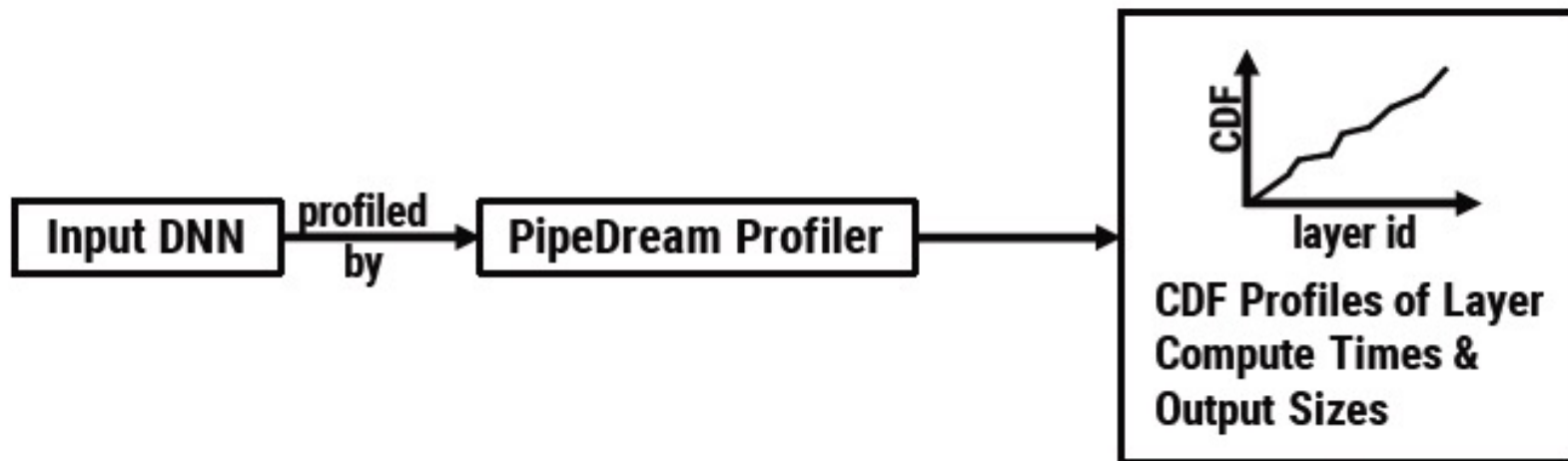
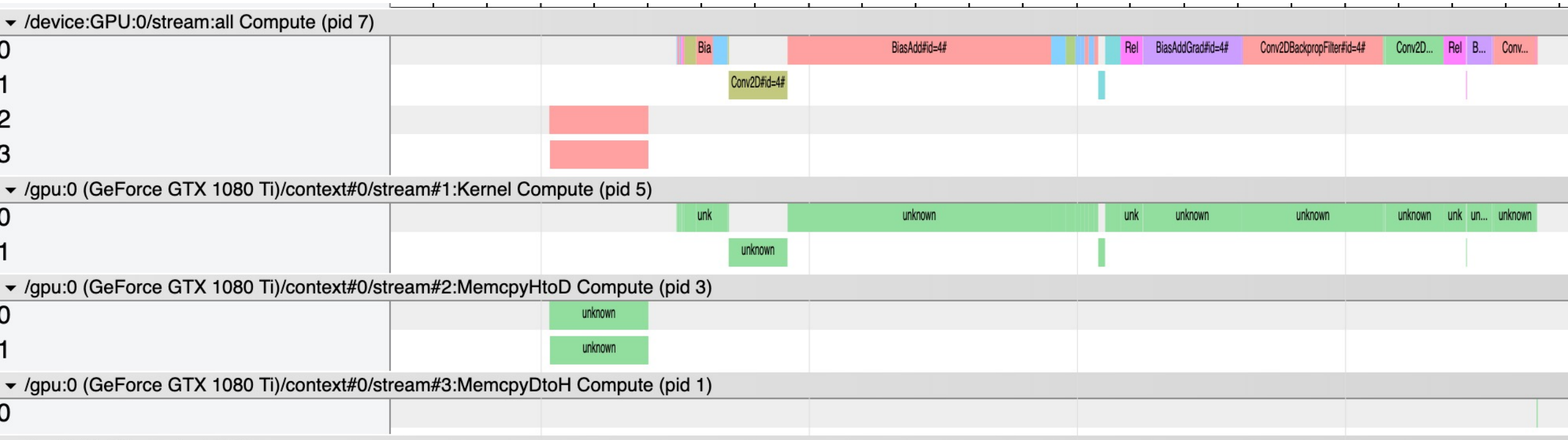


Fig. referred from [4].



How We Get?

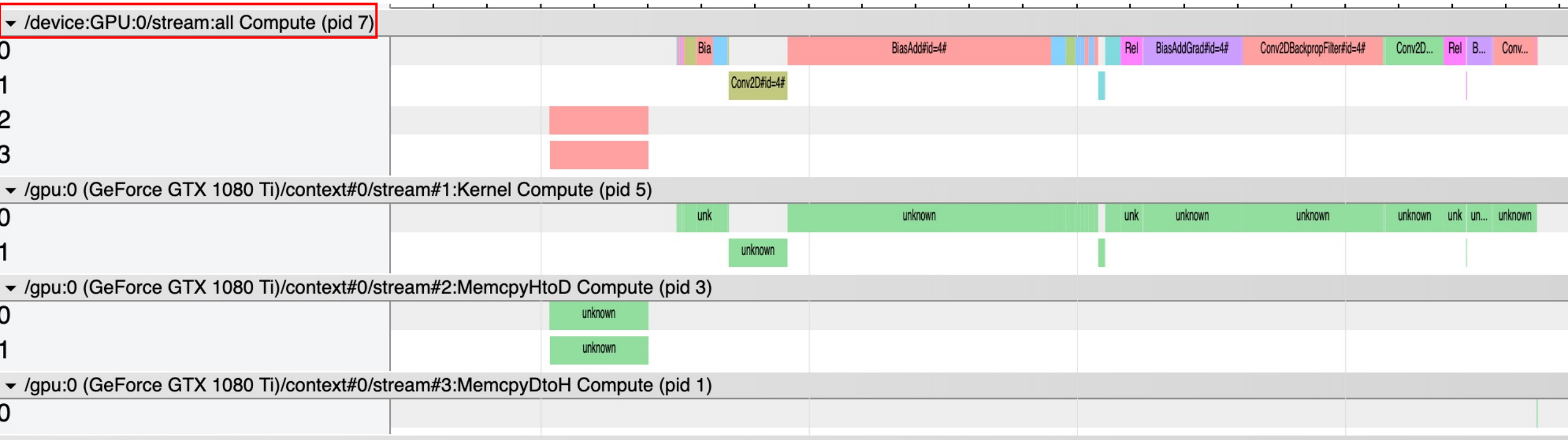
- TensorFlow *Timeline* Object





How We Get?

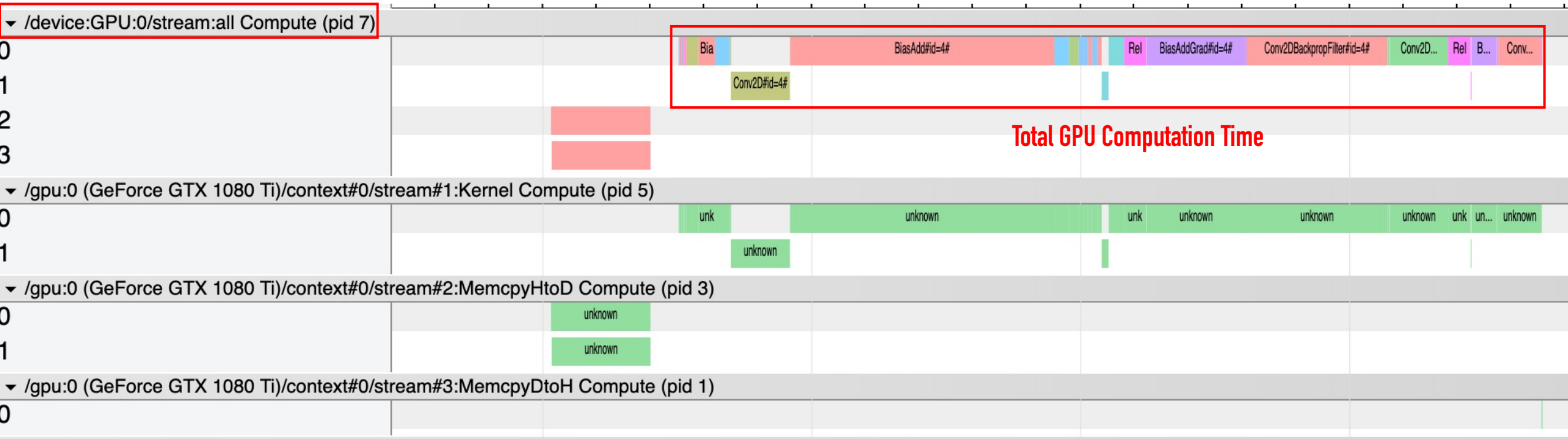
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How We Get?

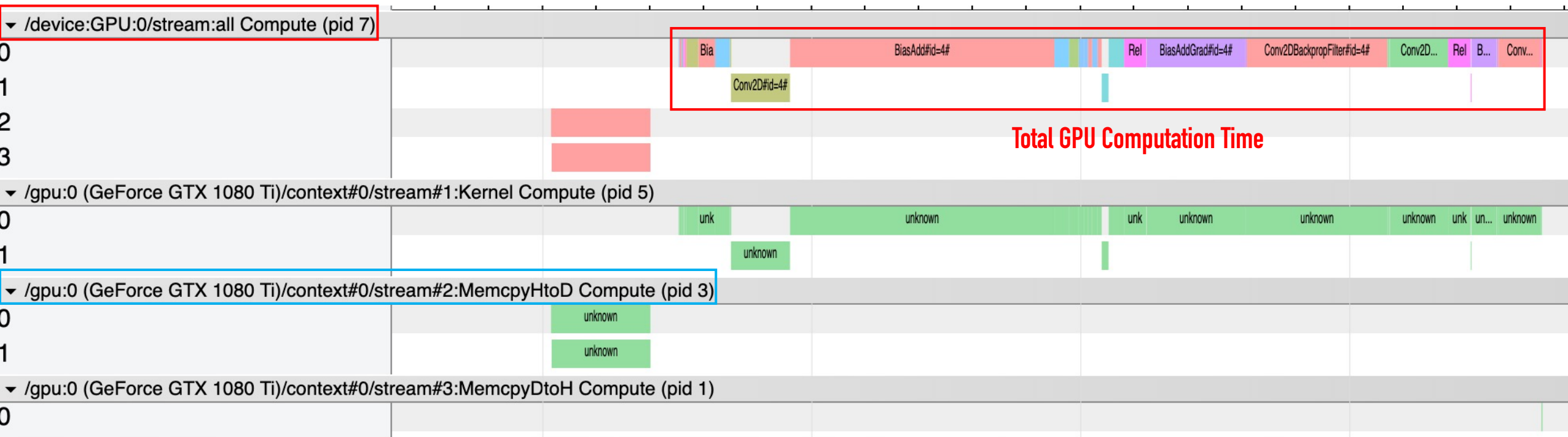
- TensorFlow *Timeline* Object





How We Get?

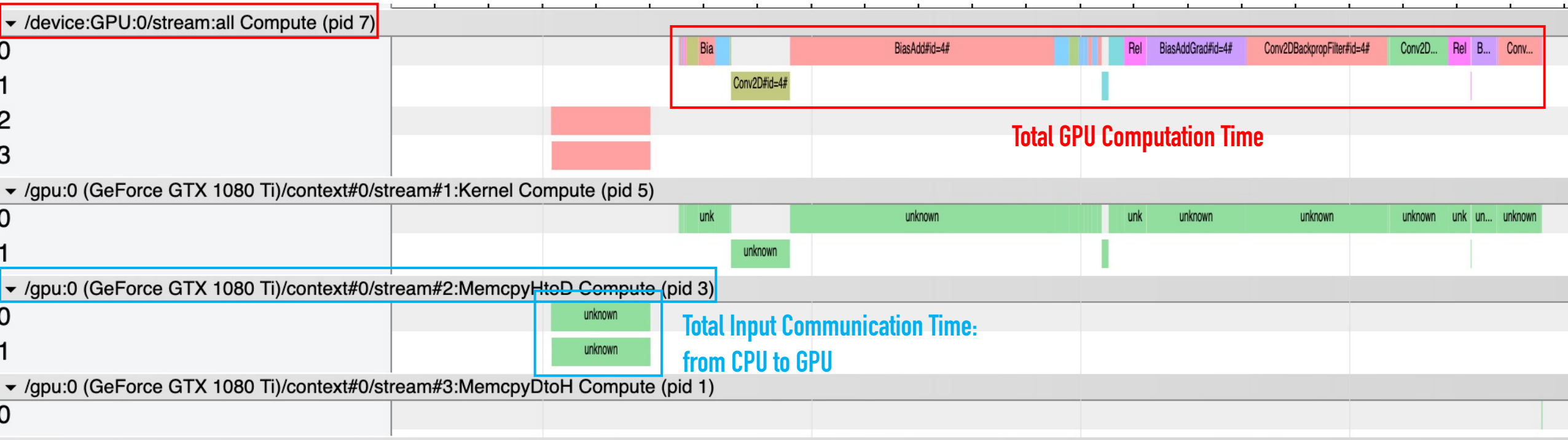
- TensorFlow *Timeline* Object





How We Get?

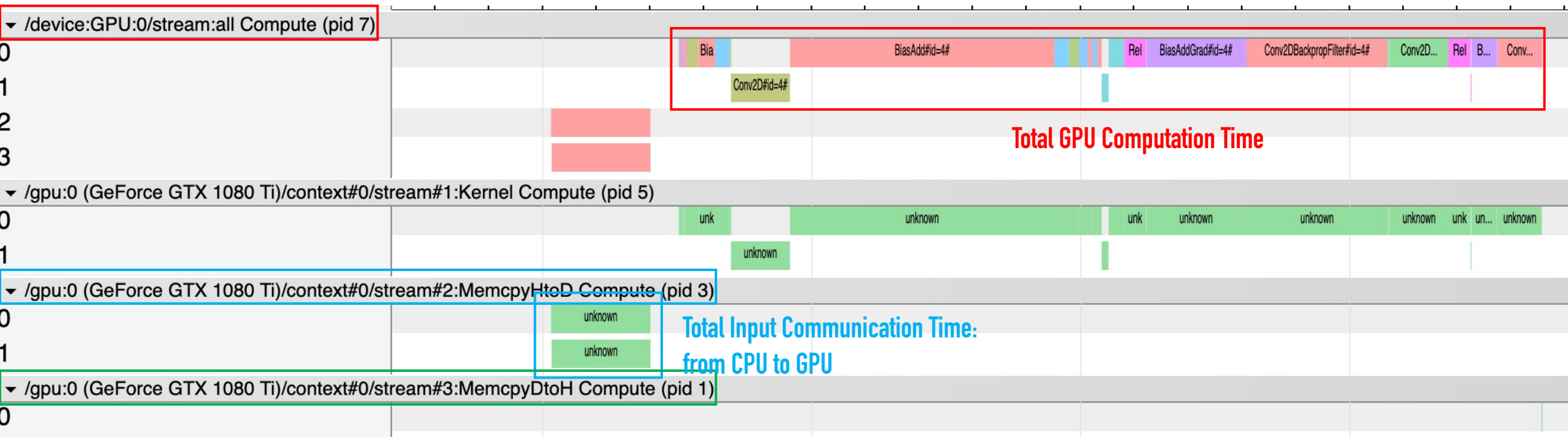
- TensorFlow *Timeline* Object





How We Get?

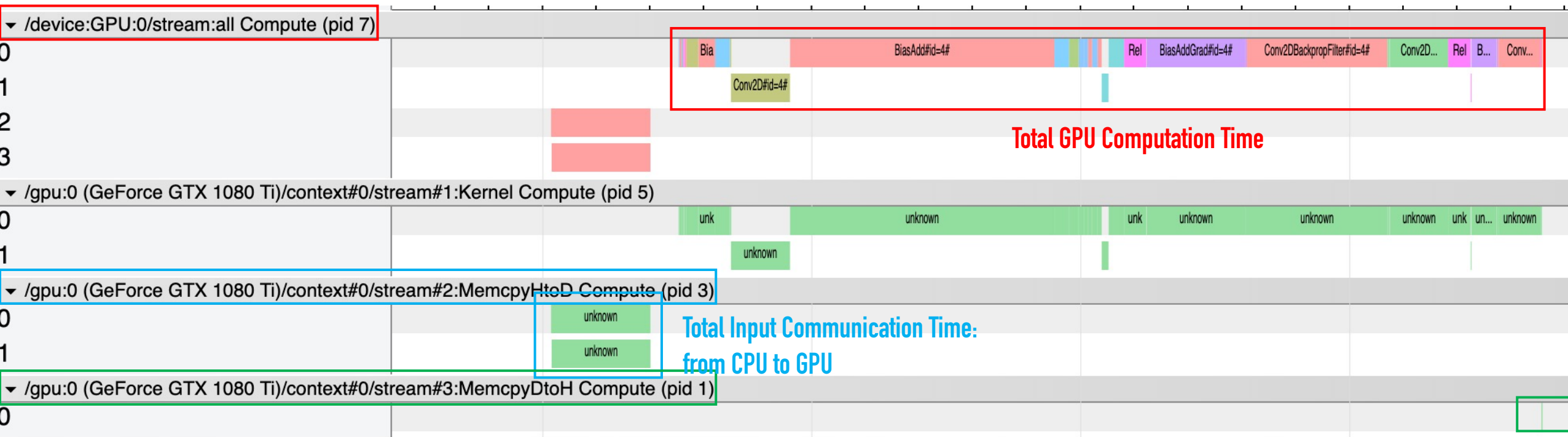
- TensorFlow *Timeline* Object





How We Get?

- TensorFlow *Timeline* Object





Why We Need This





Let's Look at A Model

- Assume no inter-connection between GPU
- Data Communication need to send between CPU and GPU

Image



Let's Look at A Model

- Assume no inter-connection between GPU
- Data Communication need to send between CPU and GPU



CPU

GPU



Let's Look at A Model





Let's Look at A Model



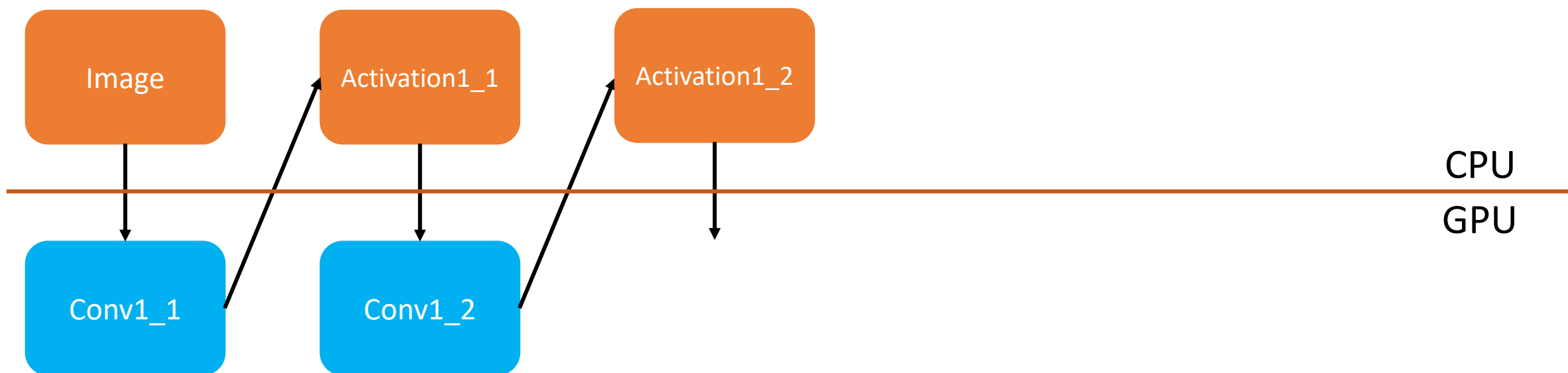


Let's Look at A Model



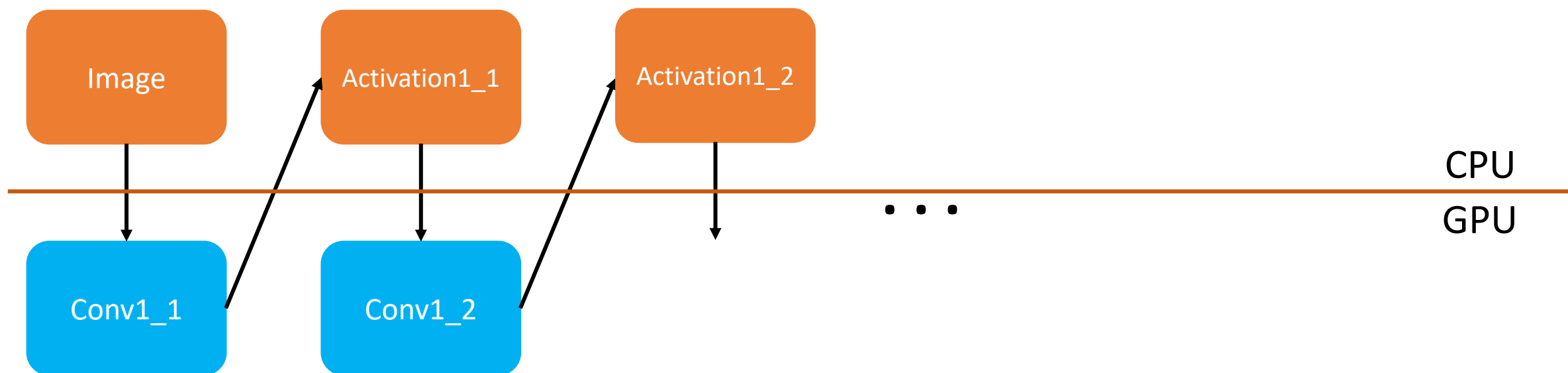


Let's Look at A Model



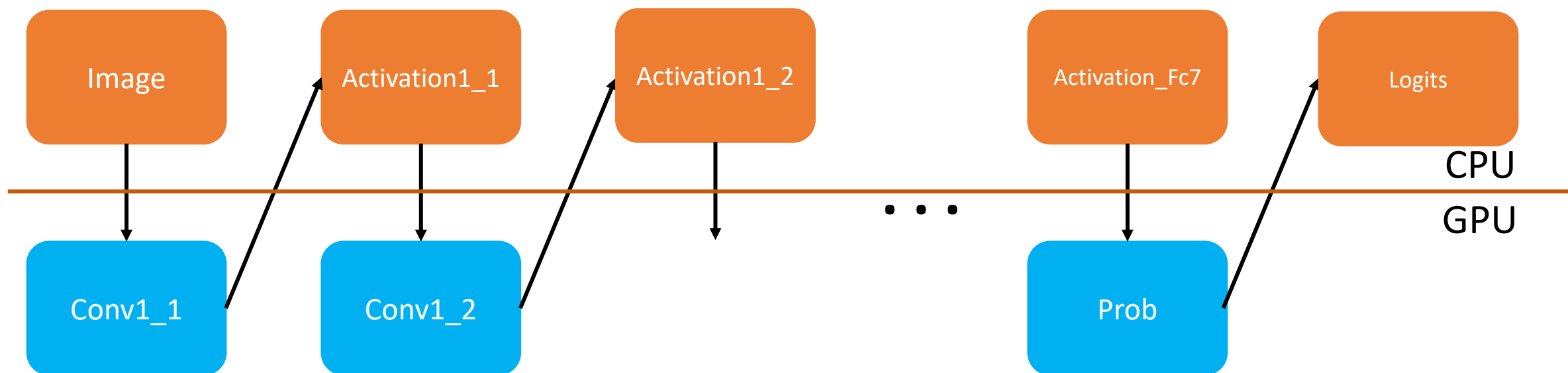


Let's Look at A Model





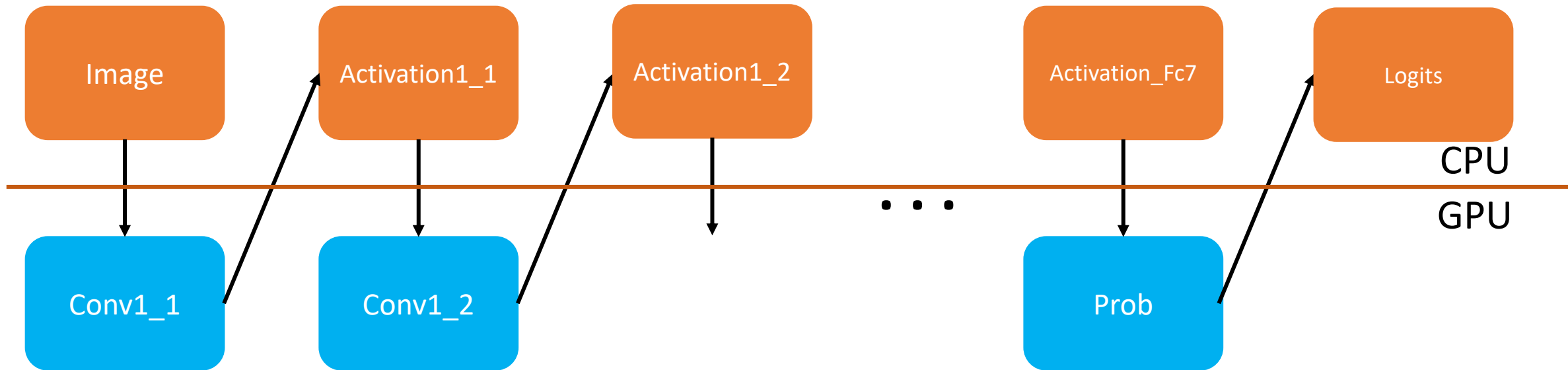
Let's Look at A Model





What We Want

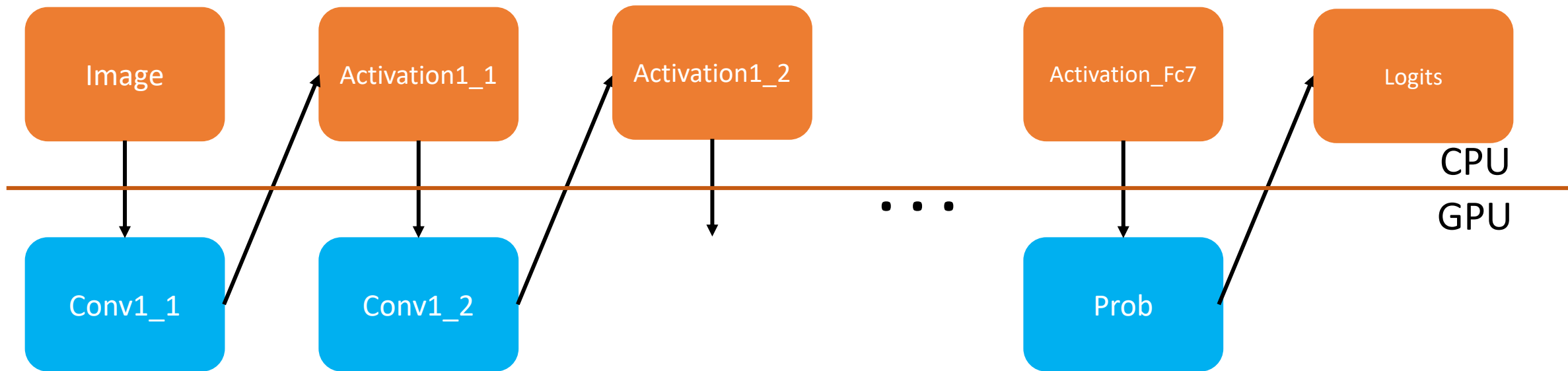
- We need each layer's communication time which are
 - the time to send activations from GPU to CPU w.r.t current layer
 - and time to send these activations from CPU back to GPU w.r.t next layer





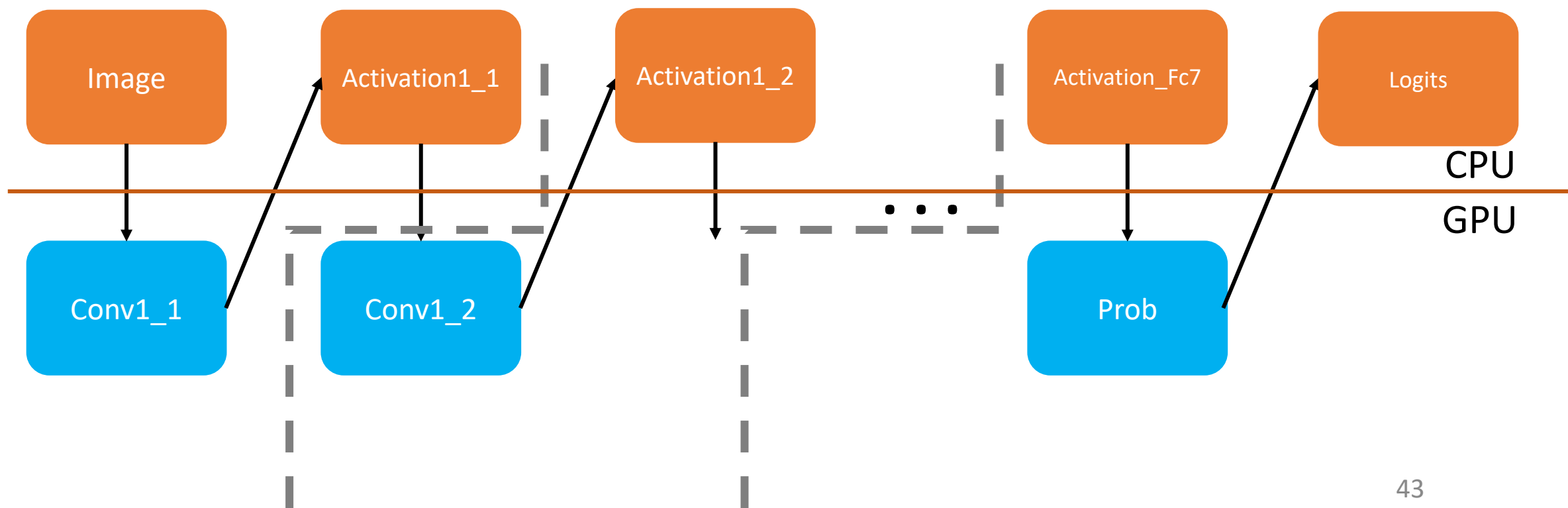
What We Want

- Since we want to find a split point to split model into stages
- We need this communication time to determine the cost of this split point





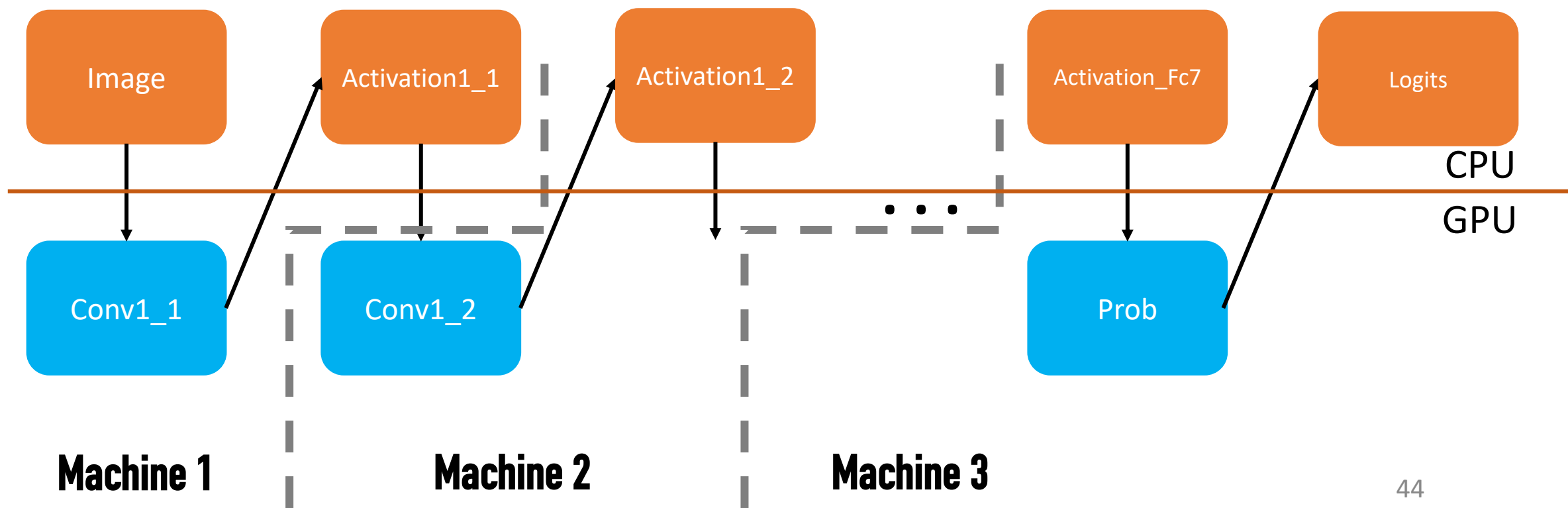
Split Model into Stages





Split Model into Stages

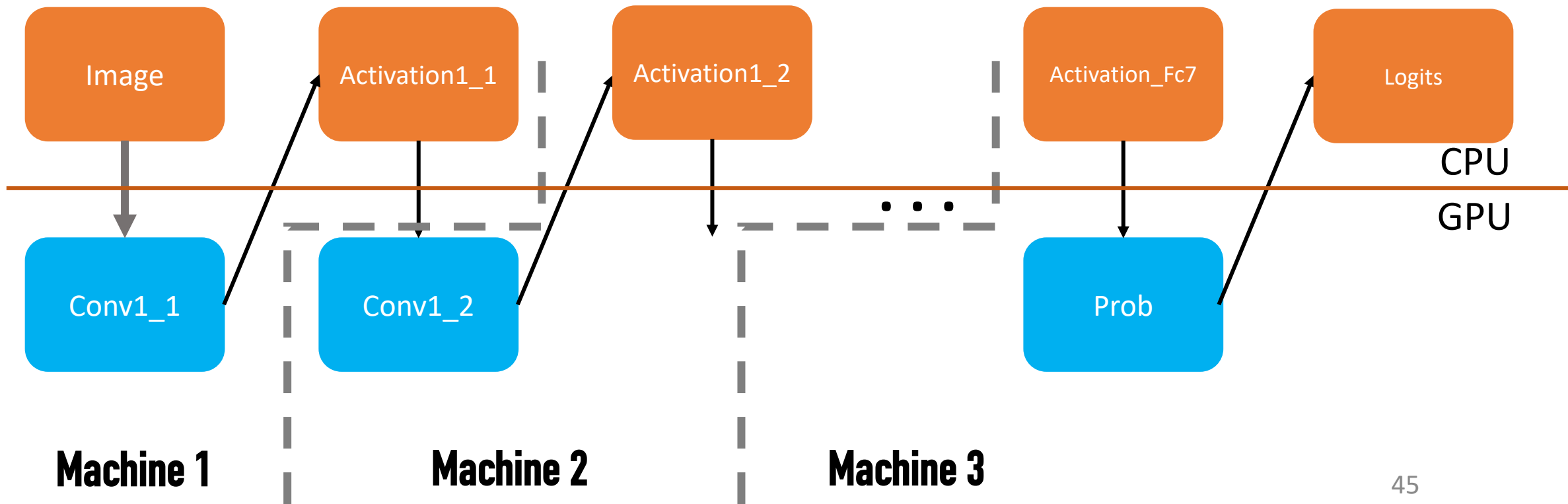
- We have 3 machines computing this model





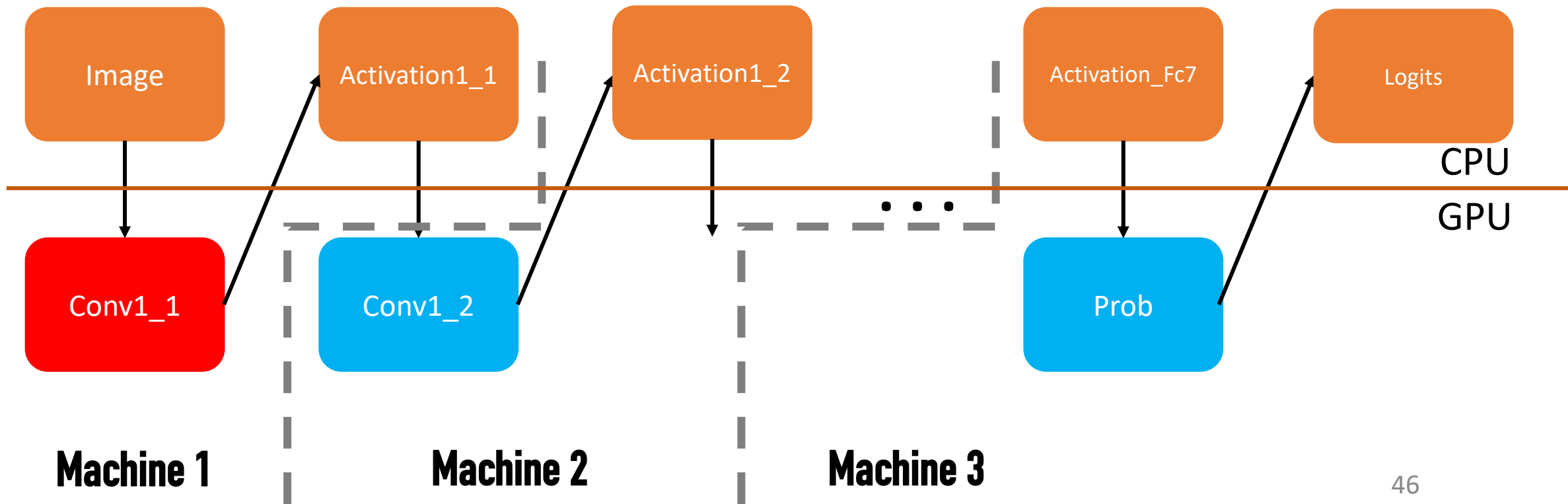
Dataflow Explain

- Input image communication (ignore this operation cost)





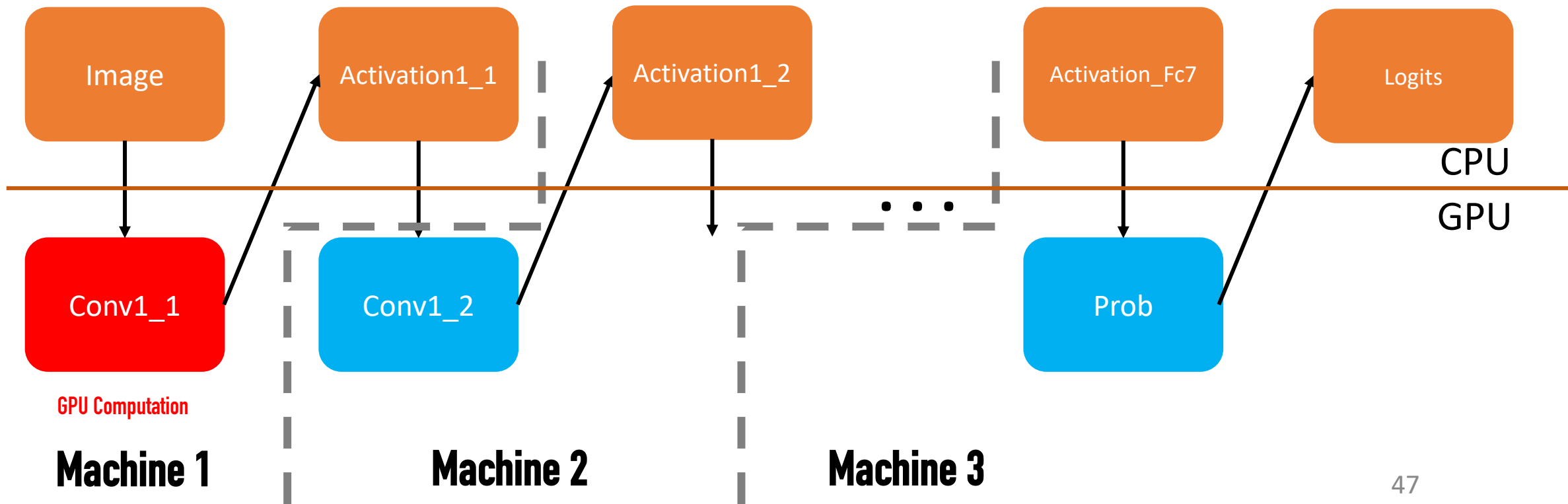
Dataflow Explain





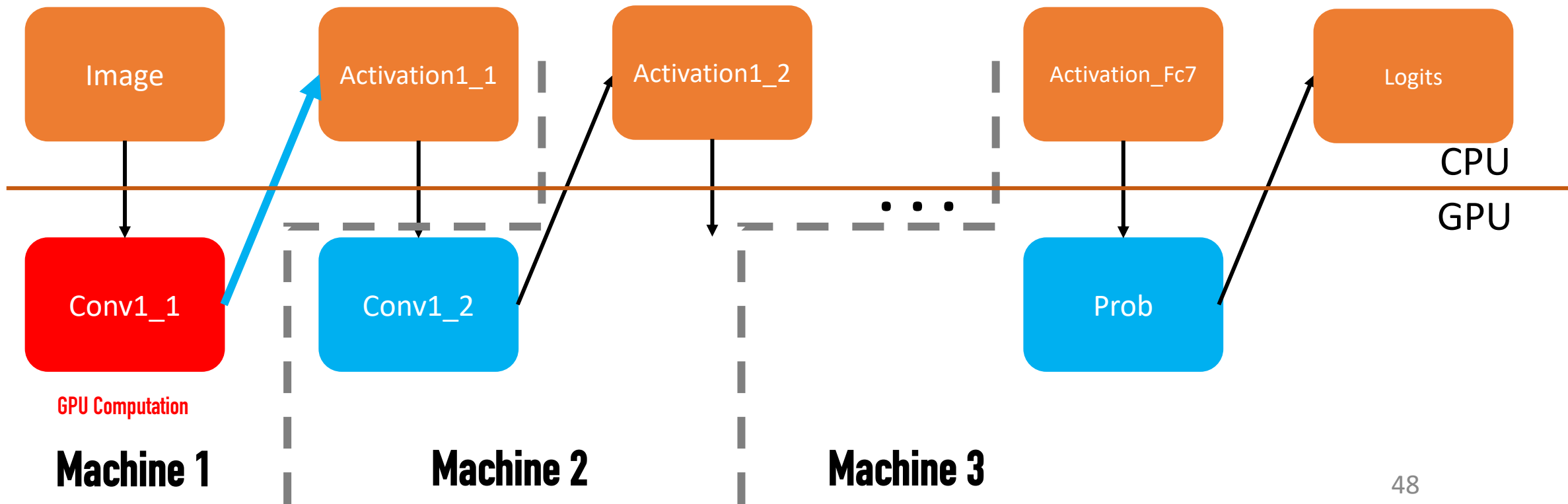
Dataflow Explain

- Layer Conv1_1 computation time





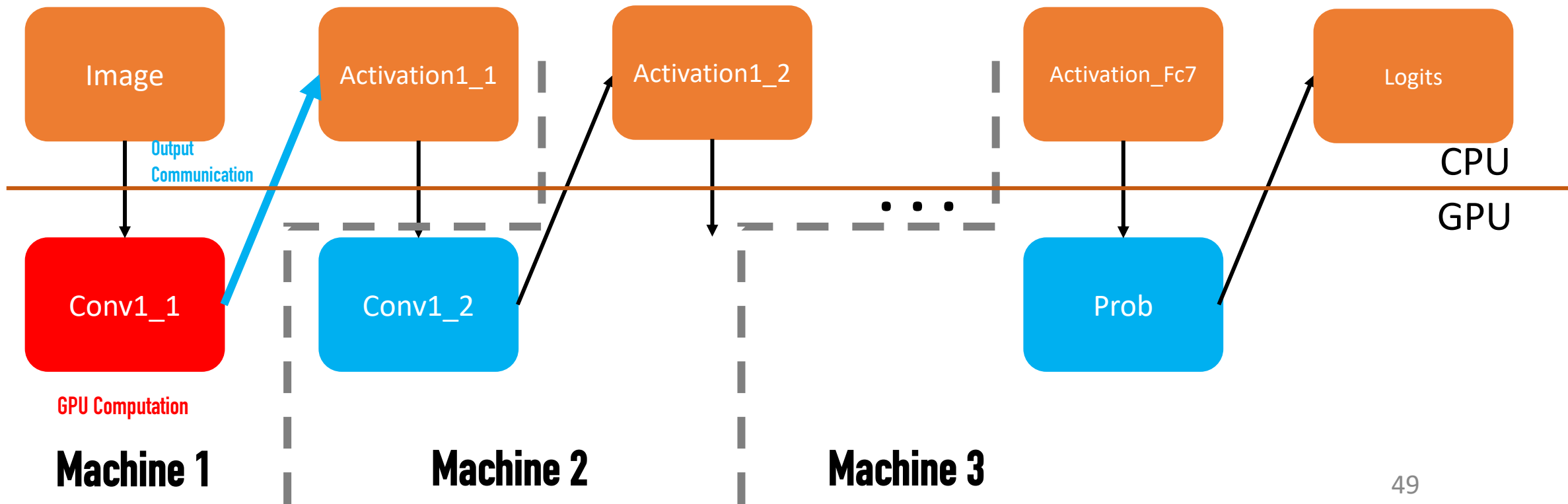
Dataflow Explain





Dataflow Explain

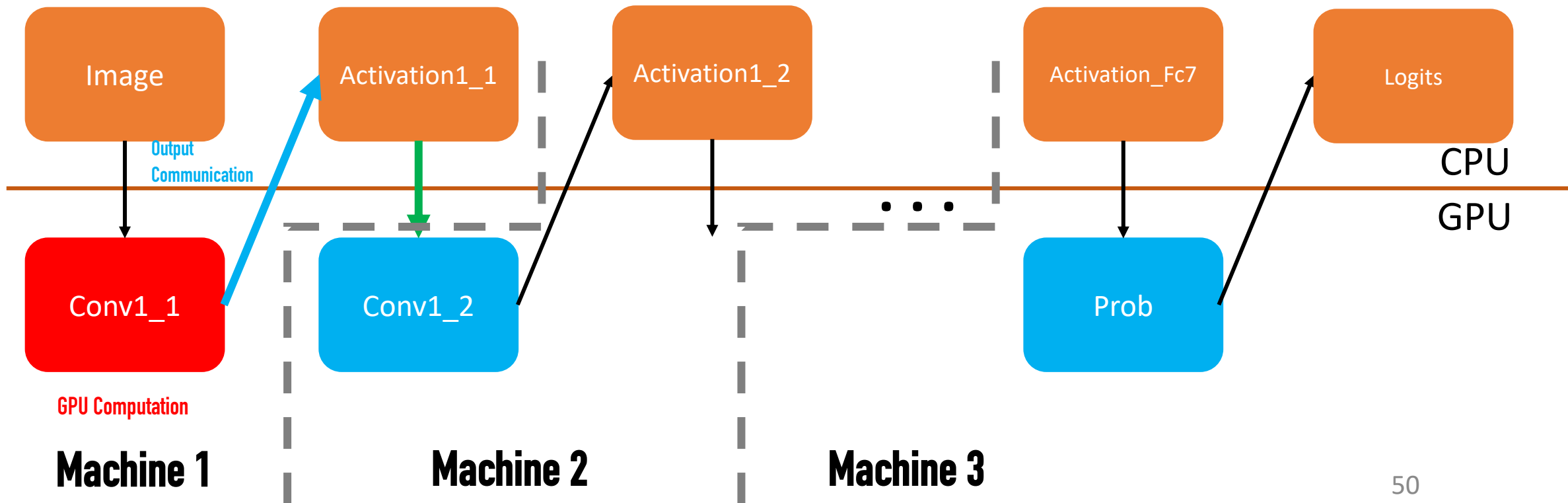
- Output activation of layer Conv1_1 communication time





Dataflow Explain

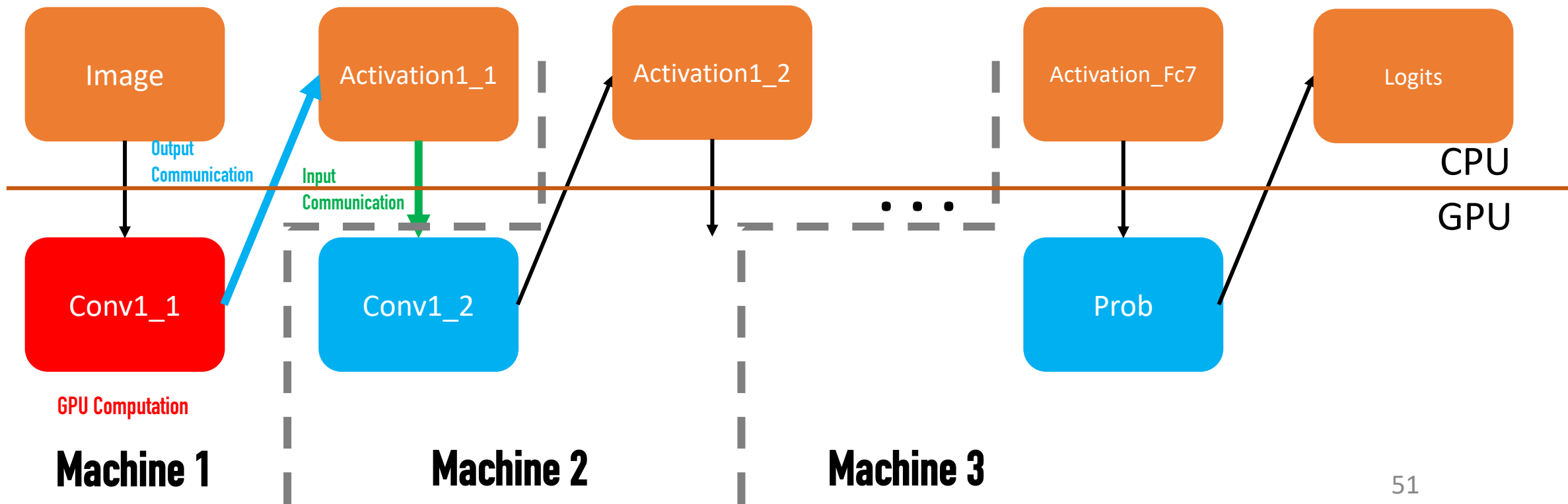
- Output activation of layer Conv1_1 communication time





Dataflow Explain

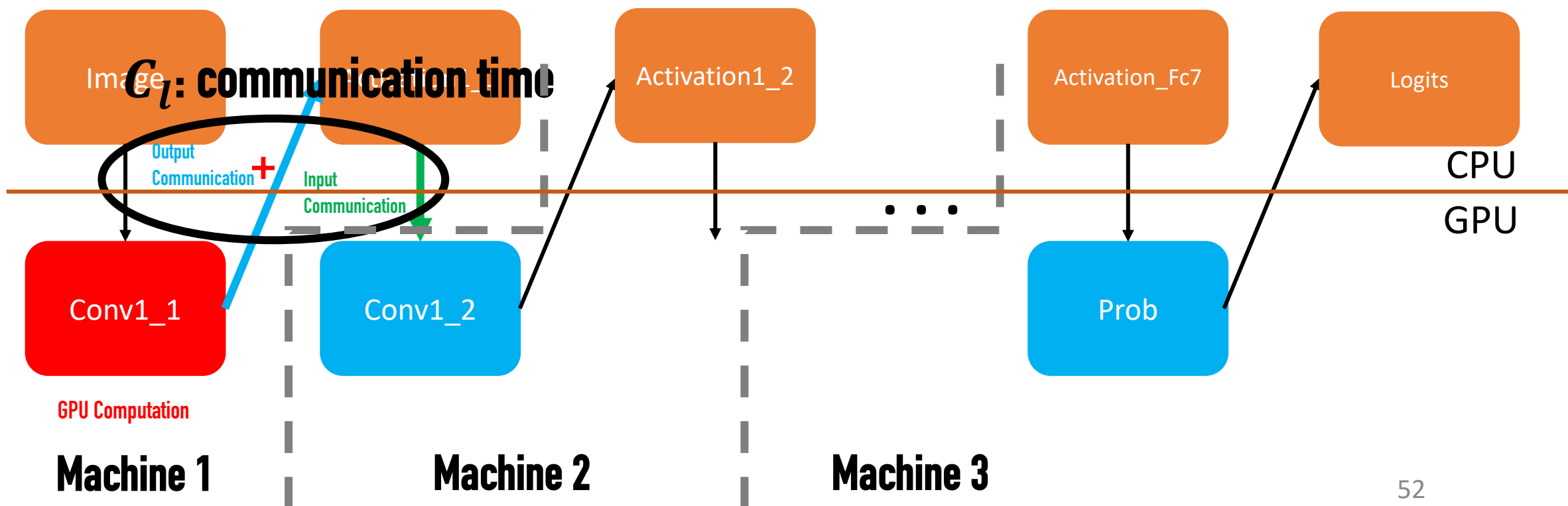
- Output activation of layer Conv1_1 communication time
- Input activation of next layer Conv1_2 communication time





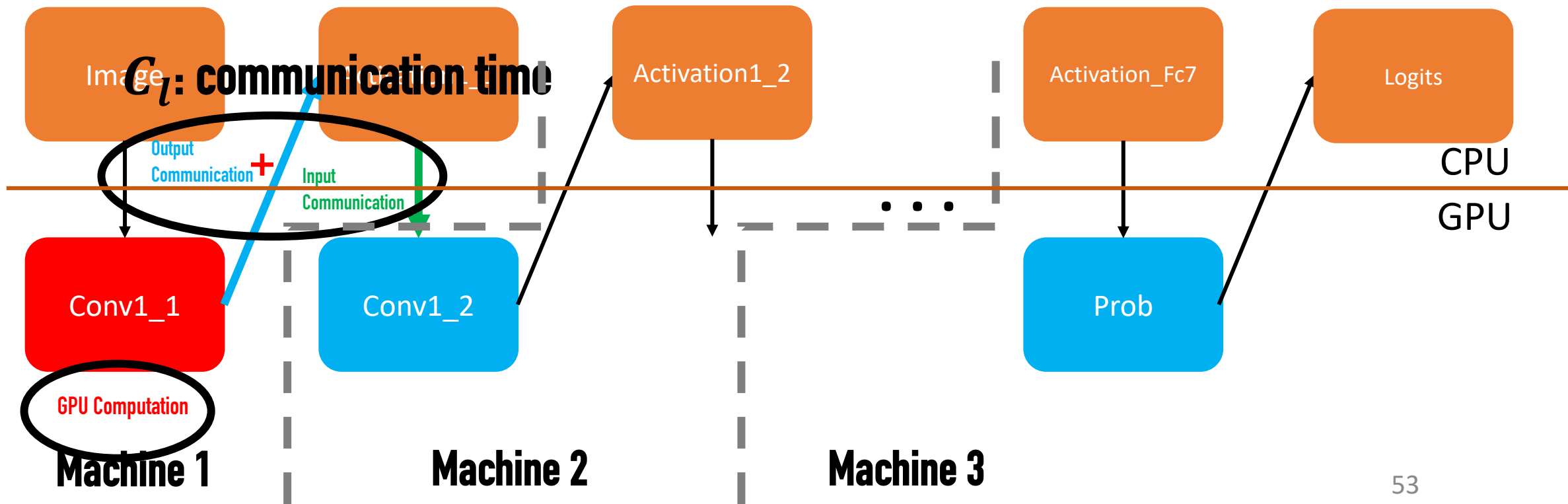
Dataflow Explain

- Output activation of layer Conv1_1 communication time
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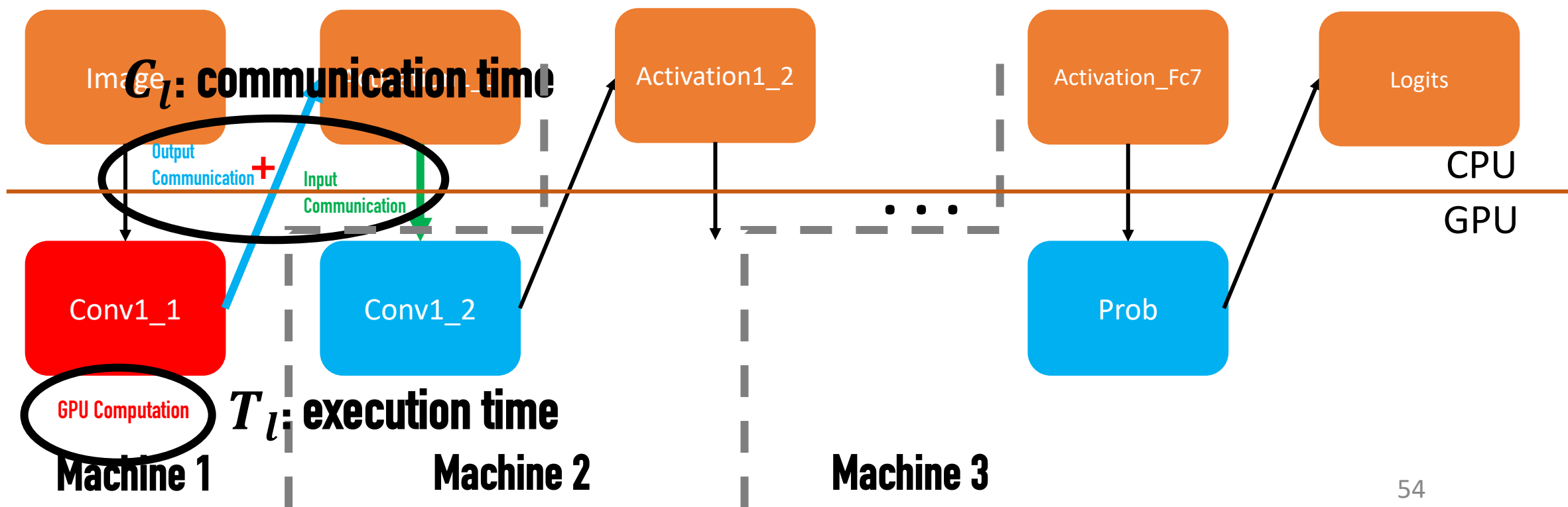


Dataflow Explain





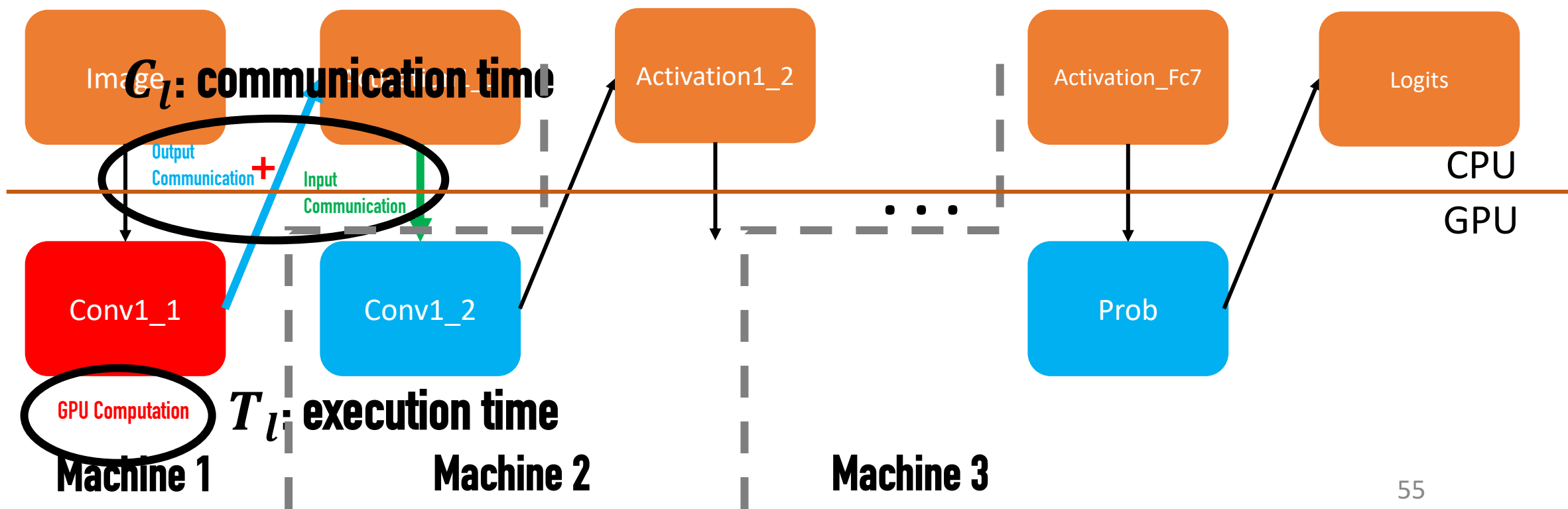
Dataflow Explain





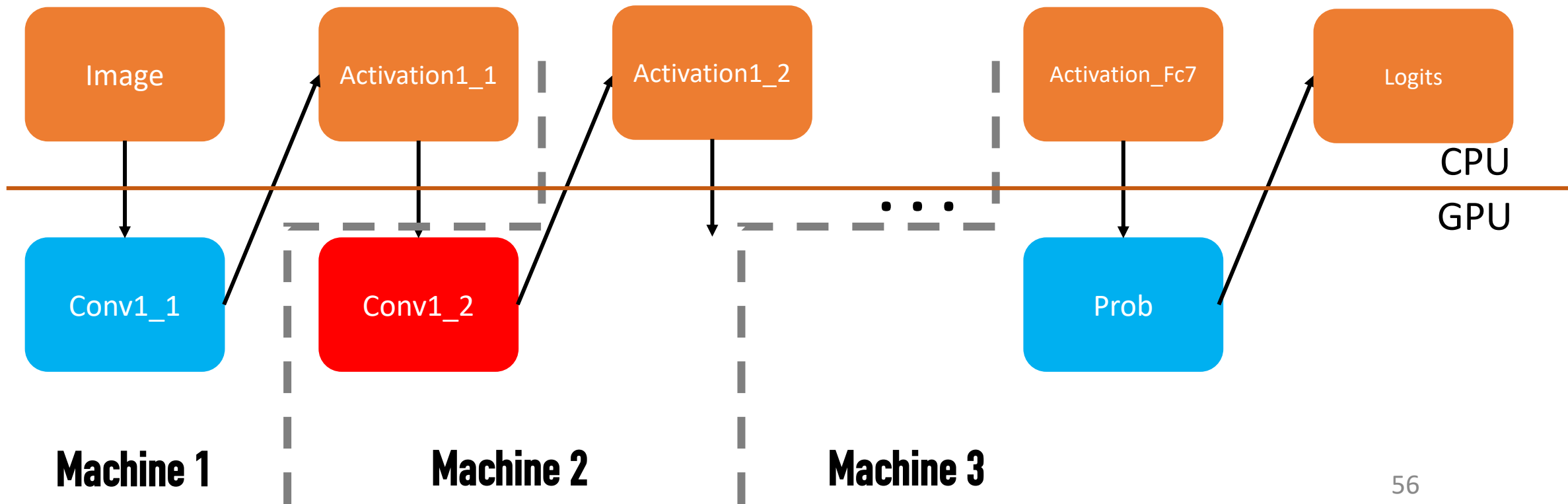
Dataflow Explain

- So, we can model the stage 1's execution time and communication time
- And we know if we split in here, we have cost of C_l to transmit data to other GPU





Dataflow Explain





Move On to Partitioning

- We now have
 - T_l : the total computation time across the forward pass for layer l
 - C_l : the communication time to send output from layer l and input to layer $l+1$
 - a_l : the size of the activations of layer l
 - w_l : the size of parameters for layer l
- for micro-batch size N/T



Move On to Partitioning

- We now have
 - T_l : the total computation time across the forward pass for layer l
 - C_l : the communication time to send output from layer l and input to layer $l+1$
 - a_l : the size of the activations of layer l
 - w_l : the size of parameters for layer lfor micro-batch size N/T
- With this information we can split model into stages to obtain the lowest computation time and load balancing among GPUs



Timeline Profiling

Dynamic-Programming Partitioning

Throughput Estimation



Profiling

- Profiles the DNN model with 1000 mini-batches, and records
 - T_l : the total computation time across the forward pass for layer l
 - a_l : the size of the activations of layer l
 - w_l : the size of parameters for layer l
- } C_l : communication time

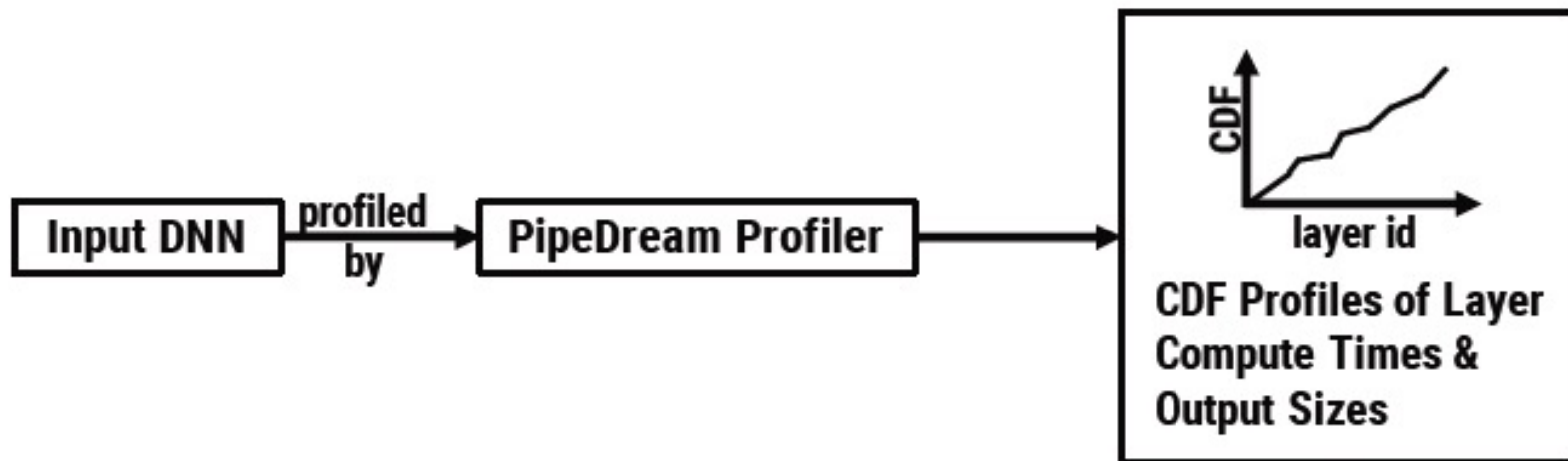


Fig. taken from [4].



Profiling

- Profiles the DNN model with **micro-batch size N/T** , and records
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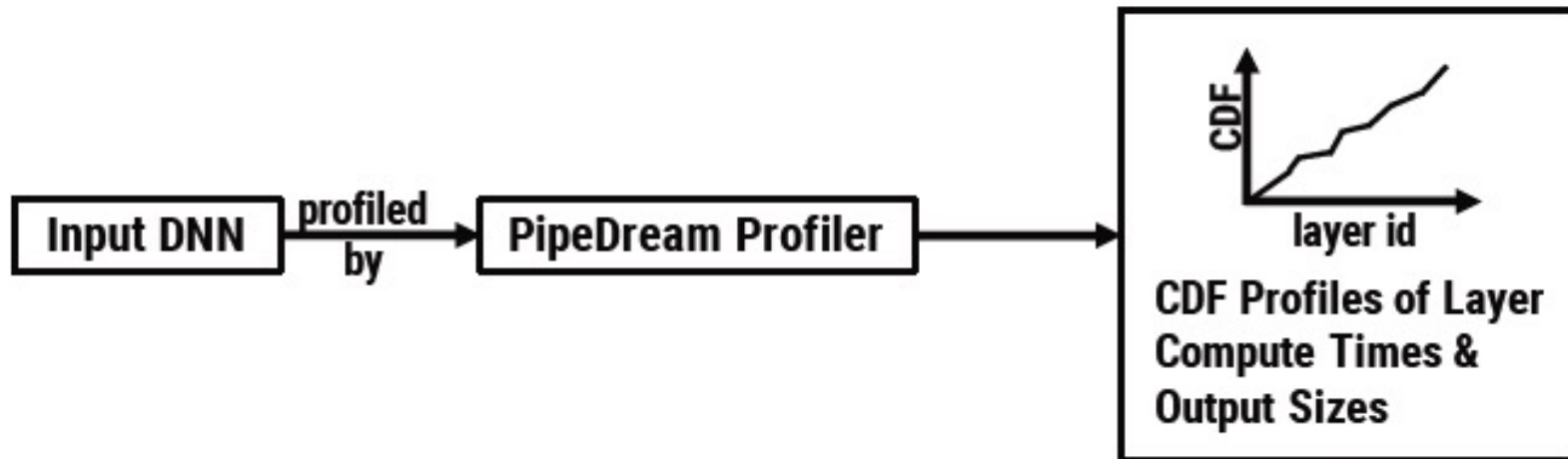


Fig. referred from [4].



Partitioning

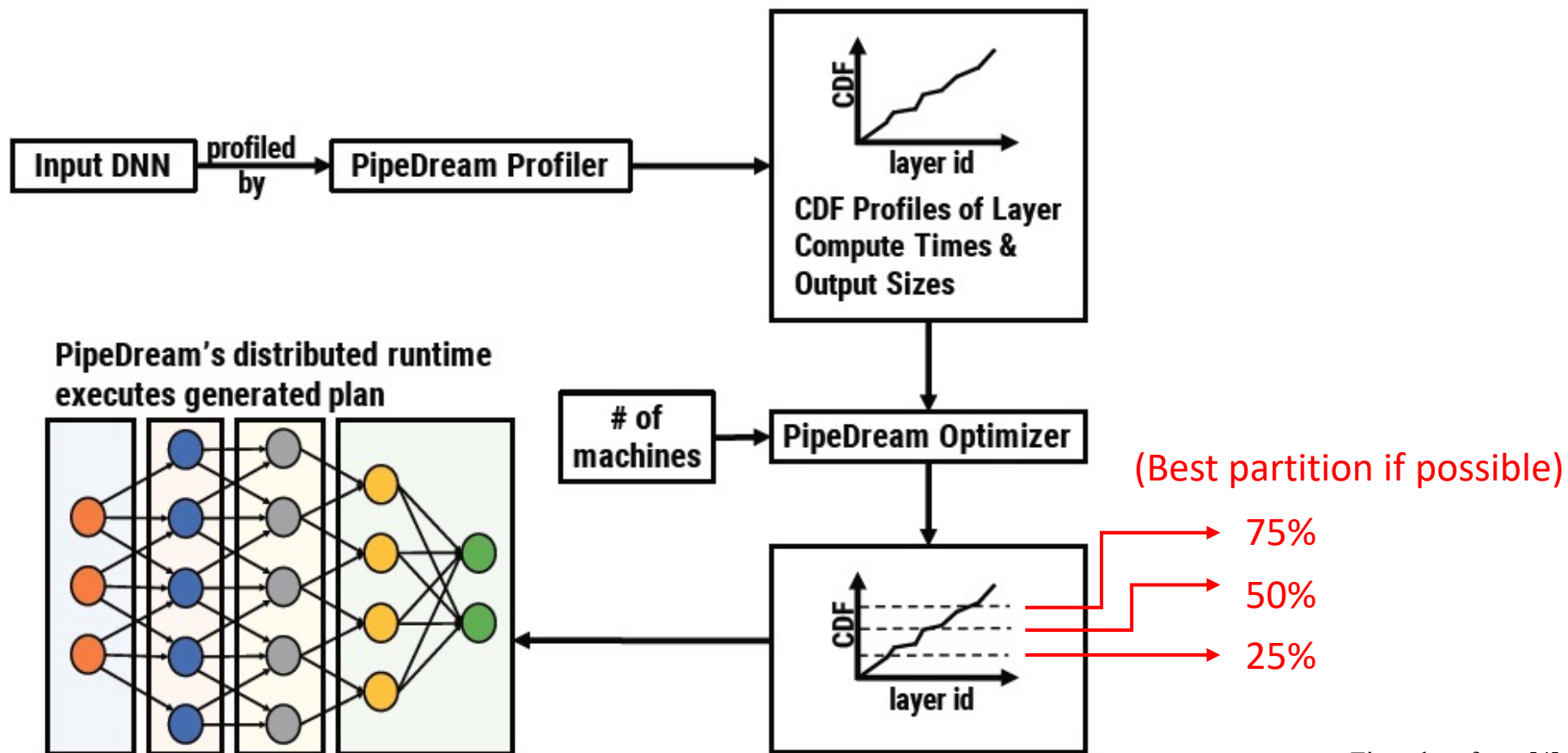
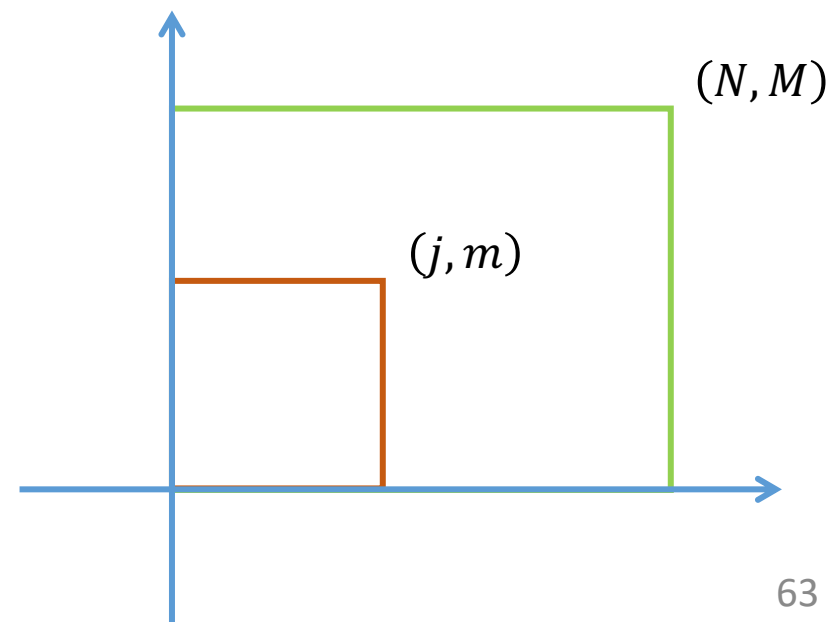


Fig. taken from [4].



Partitioning

- Find an optimal partition of N neural network layers among M machines with dynamic programming.
- Goal: minimize the time taken by the slowest stage.
- Sub-problem: partition layer 1 to j among m machines.
- Complexity
 - #subproblem: $O(NM)$
 - Complexity per subproblem: $O(NM)$
 - Overall complexity: $O(N^2M^2)$





Partitioning Algorithm with DP

$A(j, m)$: min(bottleneck stage_cost). j layers, m machines in total.

$T(i \rightarrow j, m)$: compu_cost(stage(layer i to j)), replicated over m machines.

[Algorithm]

Case 1: Pure data parallelism (single stage)

$$A(j, m) = T(1 \rightarrow j, m)$$

Case 2: More than one stage

$$A(j, m) = \min_{1 \leq i < j} \min_{1 \leq m' < m} \max \begin{cases} A(i, m - m') \\ 2 \cdot C_i \\ T(i + 1 \rightarrow j, m') \end{cases}$$

Output: $A(N, M)$

What we have:

C_l : communication cost from layer i to $i+1$

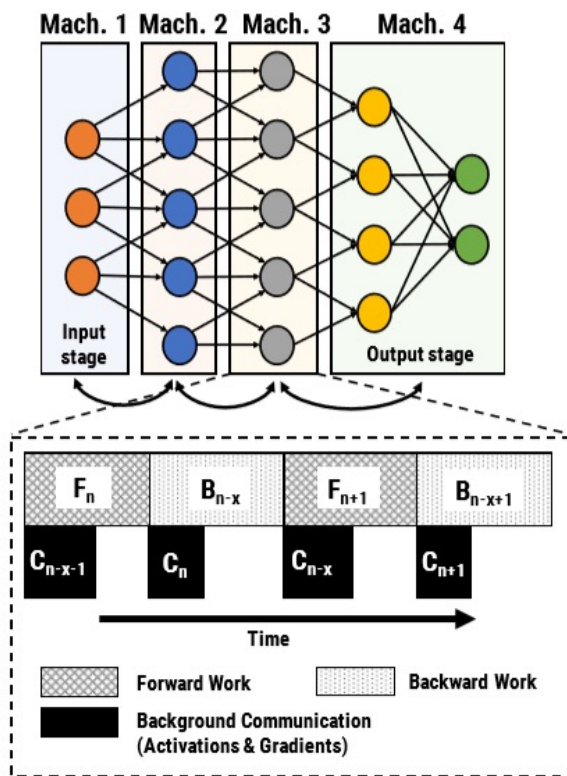
W_l^m : weight update cost for layer i

$$T(i \rightarrow j, m) = \frac{1}{m} \max \left(\sum_{l=i}^j T_l, \sum_{l=i}^j W_l^m \right)$$



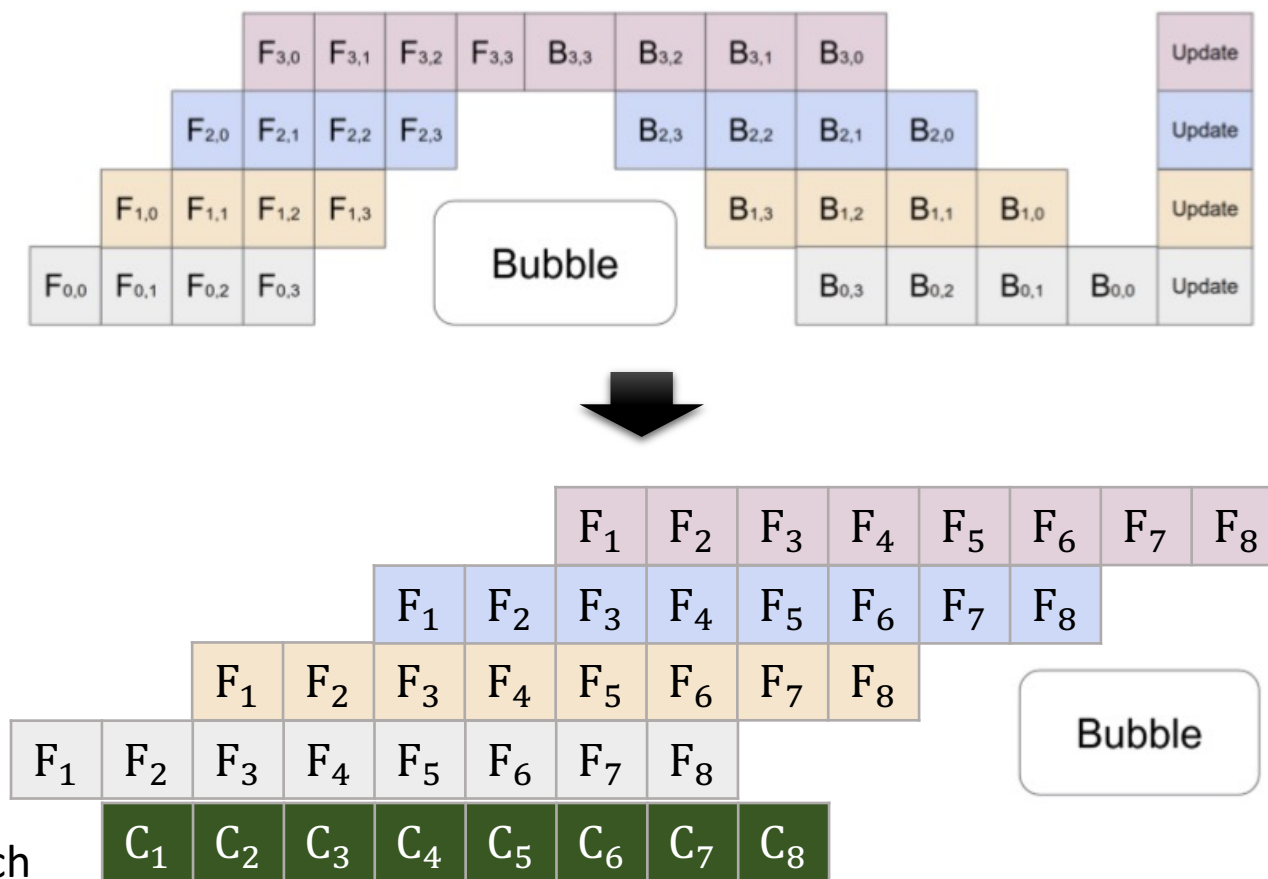
Pipelining in PipeDream vs. in GPipe

PipeDream



Hide communication latency by overlapping communication and computation of different mini-batch

GPipe





Same Order of Amortized Bubble Time

T = # of micro-batches

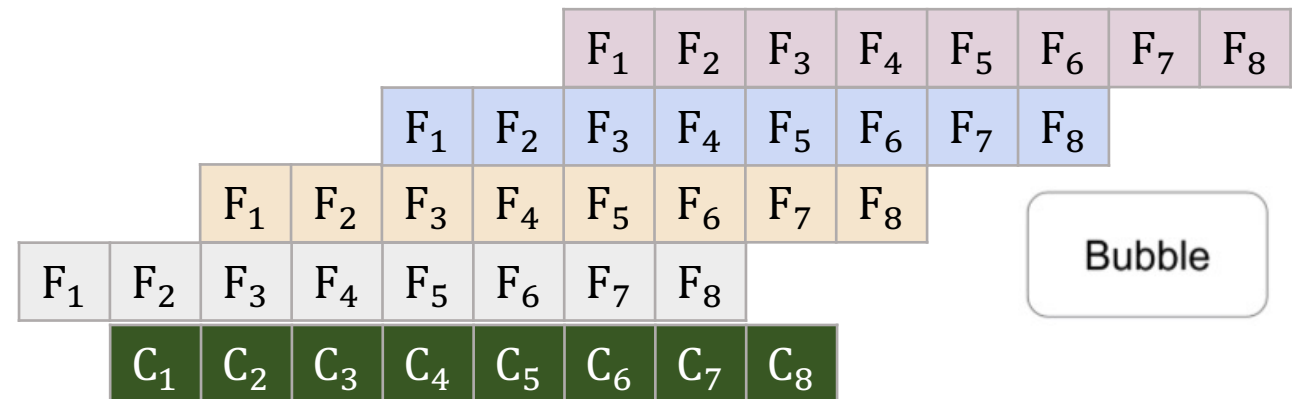
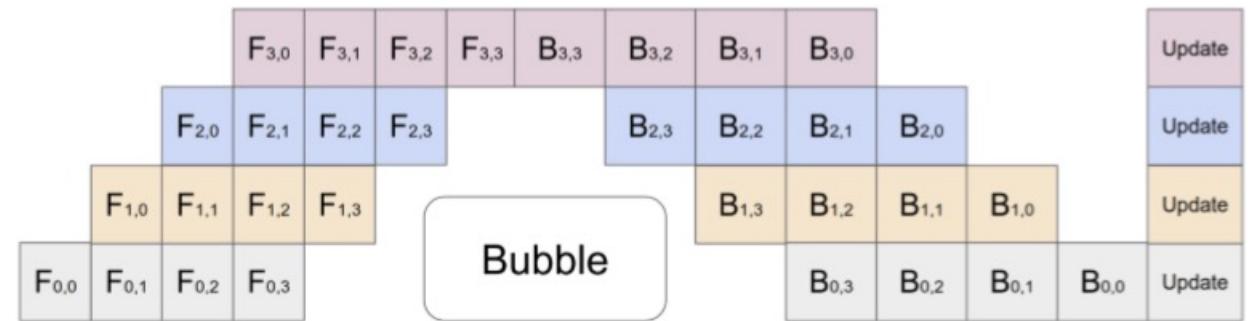
K = # of stages

$$\text{Amortized bubble time} = O\left(\frac{K-1}{T+K-1}\right)$$

$$\text{Amortized bubble time} = O\left(\frac{K-1}{T+2(K-1)}\right)$$

$$\text{As } T \gg K, O\left(\frac{K-1}{T+2(K-1)}\right) \cong O\left(\frac{K-1}{T+K-1}\right)$$

GPipe





Customized Partitioning Algorithm

$A(j, m)$: min(bottleneck stage_cost). j layers, m machines in total.

$T(i \rightarrow j, m)$: compu_cost(stage(layer i to j)), replicated over m machines.

[Algorithm]

Case 1: Pure data parallelism (single stage)

$$A(j, m) = T(1 \rightarrow j, m) \quad \underline{\text{3. if ...}}$$

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$$A(j, m) = \min_{1 \leq i < j} \min_{1 \leq m' < m} \max \left\{ \begin{array}{l} A(i, m - m') \\ \underline{2 \cdot C_i} \\ T(i + 1 \rightarrow j, m') \end{array} \right. \quad \underline{\text{3. if ...}}$$

Output: $A(N, M)$

What we have:

C_l : communication cost from layer i to $i+1$

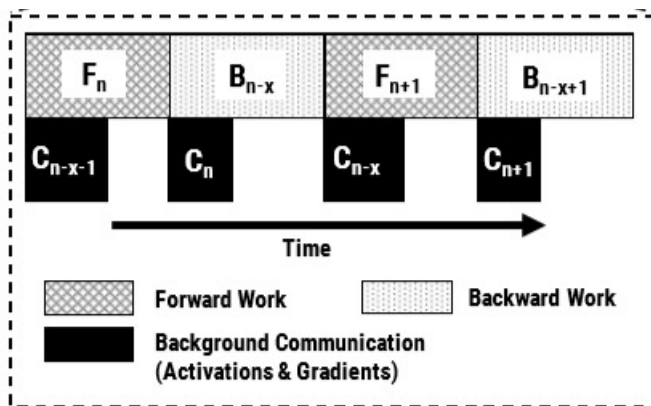
~~W_l^m : weight update cost for layer i~~

$$T(i \rightarrow j, m) = \frac{1}{m} \max \left(\sum_{l=i}^j T_l, \sum_{l=i}^j \underline{W_l^m} \right)$$



1. No Within-Stage Weight Synchronization

PipeDream

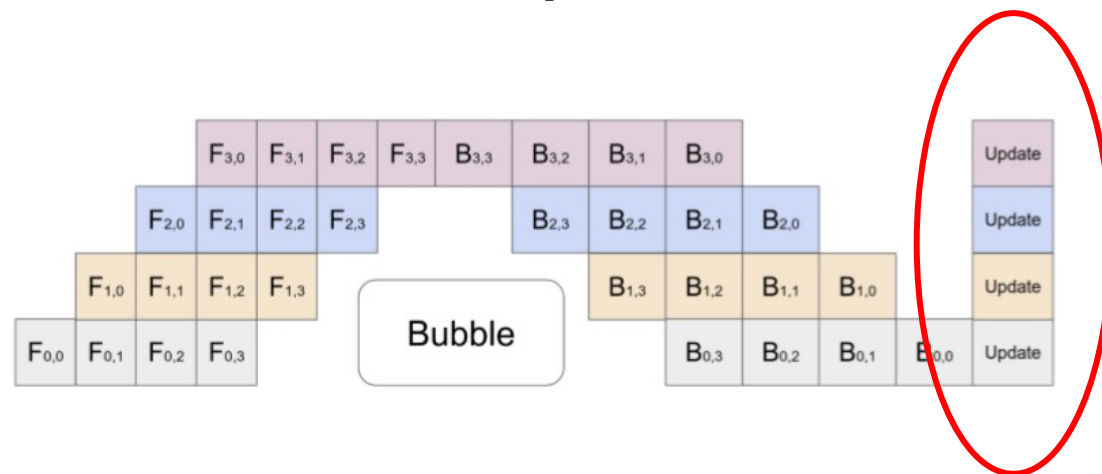


1F1B \Rightarrow within-stage weight synchronization / update
(overlapped with computation)

$$T(i \rightarrow j, m) = \frac{1}{m} \max \left(\sum_{l=i}^j T_l, \sum_{l=i}^j W_l^m \right)$$



GPipe



Weight synchronization / update is performed
at the end of each mini-batch

$$T(i \rightarrow j, m) = \frac{1}{m} \sum_{l=i}^j T_l$$



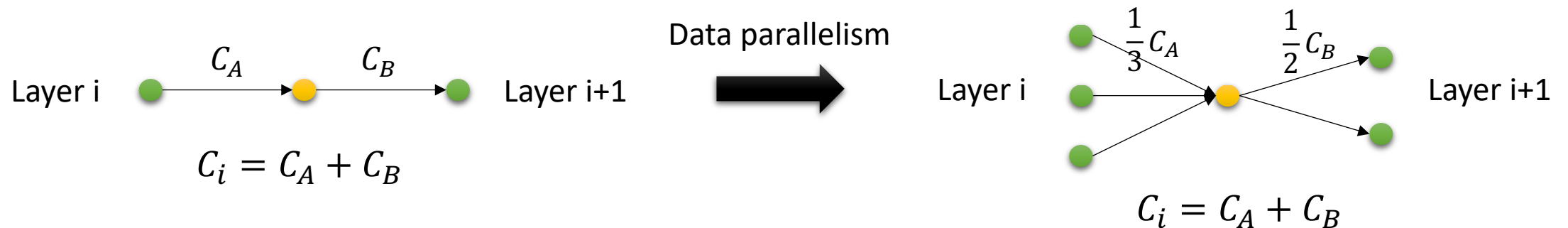
2. Communication Cost Estimator

- Inter-machine communication in PipeDream
 - ZeroMQ & Fast custom serialization
 - Cost estimator = $2C_i$, from i^{th} to $(i + 1)^{th}$ layer

- Communication cost customized for our simulation

- Communication flow goes through CPU node (limited bandwidth)
- Remains $2C_i$

● CPU
● GPU





3. Upper Bound of Device Memory Usage

- The algorithm finds the optimal solution, i.e. the most **balanced** solution
⇒ Tends to suggest pure data parallelism

- Intuitively, model parallelism more or less induces imbalance
- Mathematically, the minimal bottleneck cost is the average of the total cost

- To solve this problem, the memory limit is set
 - Filter out infeasible solution

$L(i, j) = \text{memory usage for layer } i \text{ to } j$

$$A(j, m) = T(1 \rightarrow j, m)$$

if $L(1 \rightarrow j) < \text{Memory Limit}$

$$A(j, m) = \min_{1 \leq i < j} \min_{1 \leq m' < m} \max \begin{cases} A(i, m - m') \\ 2 \cdot C_i \\ T(i + 1 \rightarrow j, m') \end{cases}$$

if $L(i + 1 \rightarrow j) < \text{Memory Limit}$



Example of Partitioning Solutions

Memory Limit (MB)	Partition	Bottleneck cost
400	1->8 9->20 21->22 23->27	13166
448	1->7 8->15 16->22 23->27	11947
512	1->10 11->17 18->27	8419
1024	1->14 15->27	7182
2048	1->27	6776

Model: VGG. Profiled with a fixed batch size.

of layers = 27

of machines = 4

```
dp> setprof -f ../case/vgg_w4mb8.txt dp> setprof -f ../case/vgg_w4mb8.txt dp> setprof -f ../case/vgg_w4mb8.txt
dp> memlim 400 dp> memlim 512 dp> memlim 2048
dp> partition dp> partition dp> partition

Profile: ../case/vgg_w4mb8.txt Profile: ../case/vgg_w4mb8.txt Profile: ../case/vgg_w4mb8.txt
===== Partition =====
# of layers : 27 # of layers : 27 # of layers : 27
# of workers: 4 # of workers: 4 # of workers: 4
stage layer reps cost stage layer reps cost stage layer reps cost
1 1-> 8 1 13166 1 1-> 10 2 8418.5 1 1-> 27 4 6775.75
2 9-> 20 1 12522 2 11-> 17 1 7848 Pipeline bottleneck cost: 6775.75
3 21-> 22 1 996 3 18-> 27 1 3159
4 23-> 27 1 625 Pipeline bottleneck cost: 8418.5
Pipeline bottleneck cost: 13166 dp>

dp> memlim 448 dp> memlim 1024
dp> partition Profile: ../case/vgg_w4mb8.txt
Profile: ../case/vgg_w4mb8.txt
===== Partition =====
# of layers : 27 # of layers : 27
# of workers: 4 # of workers: 4
stage layer reps cost stage layer reps cost
1 1-> 7 1 11337 1 1-> 14 3 7181.67
2 8-> 15 1 11947 2 15-> 27 1 5558
3 16-> 22 1 3930 Pipeline bottleneck cost: 7181.67
4 23-> 27 1 625
Pipeline bottleneck cost: 11947 dp>
```



Timeline Profiling

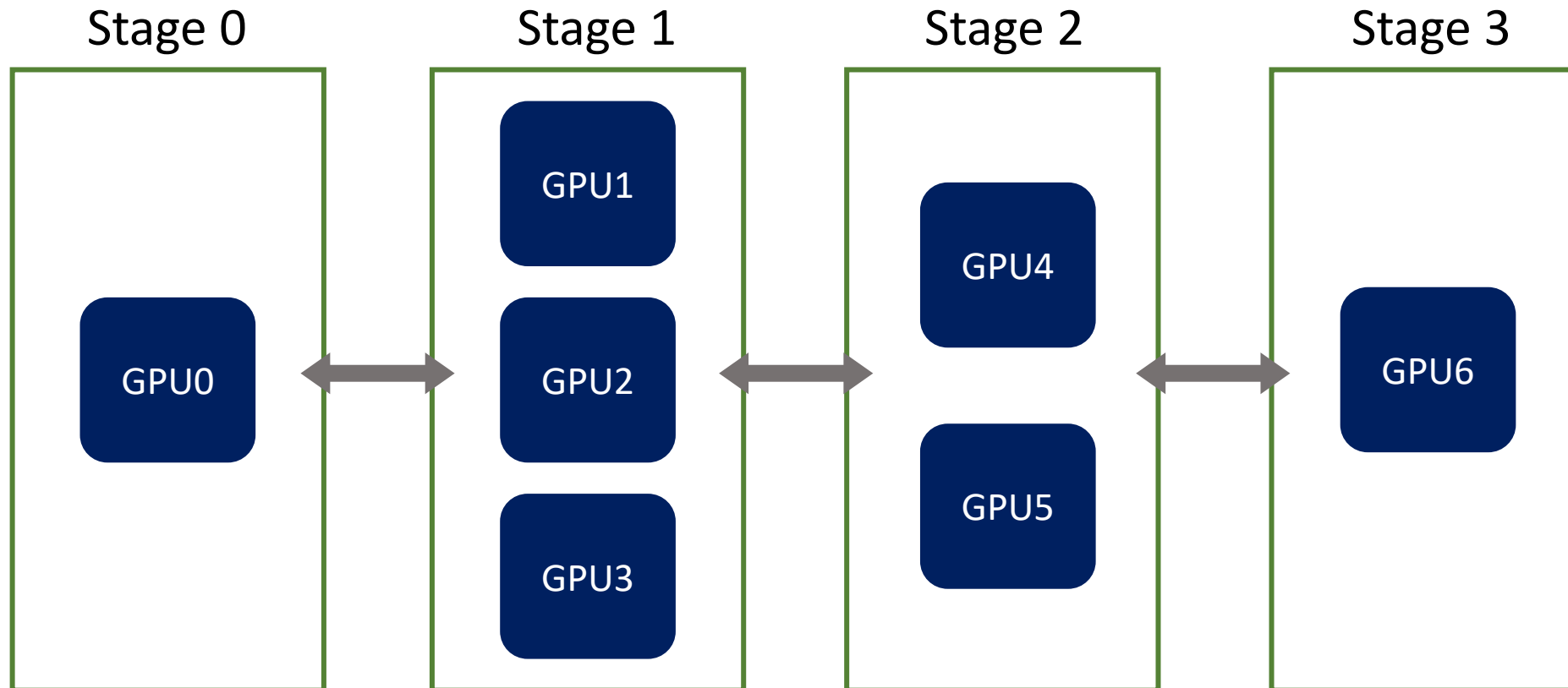
Dynamic-Programming Partitioning

Throughput Estimation



Model Partitioning

- With the obtained partition from previous steps...





Forward Pass

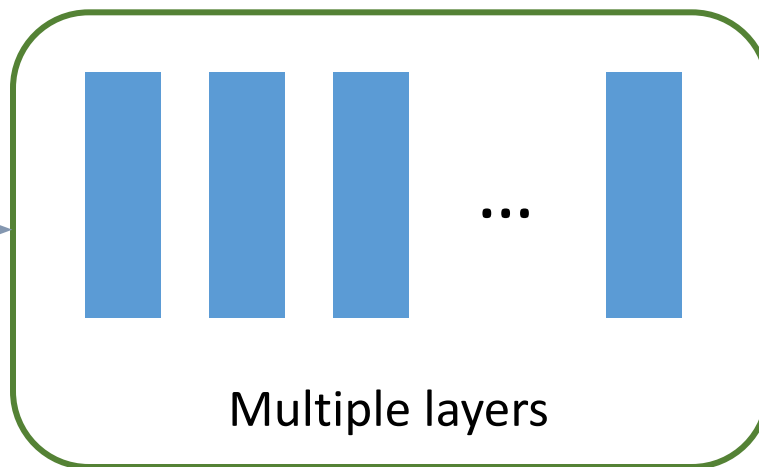
micro-batch
input activations

micro-batch
output activations

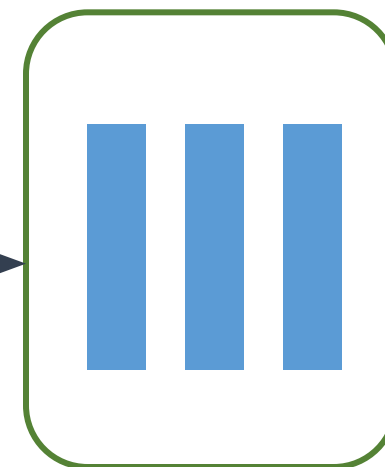
CPU

GPU

← Computation time FT_i →

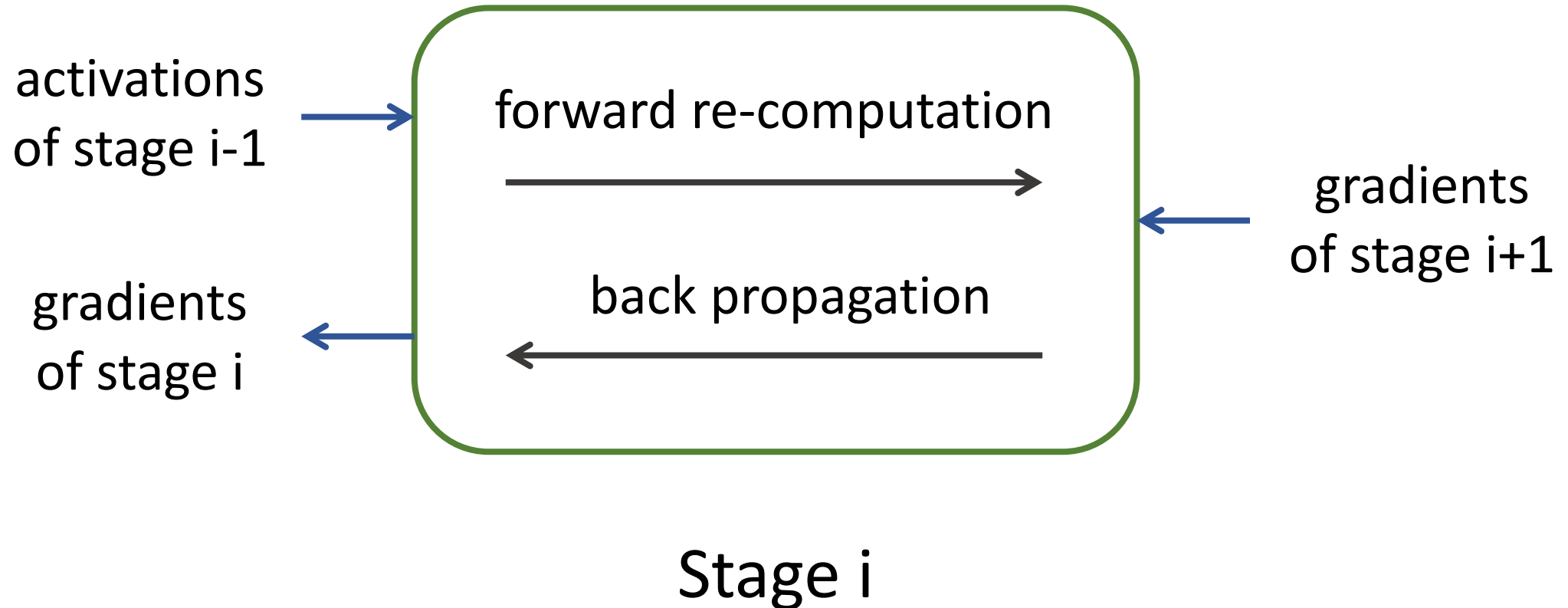


← Communication
time FC_i →



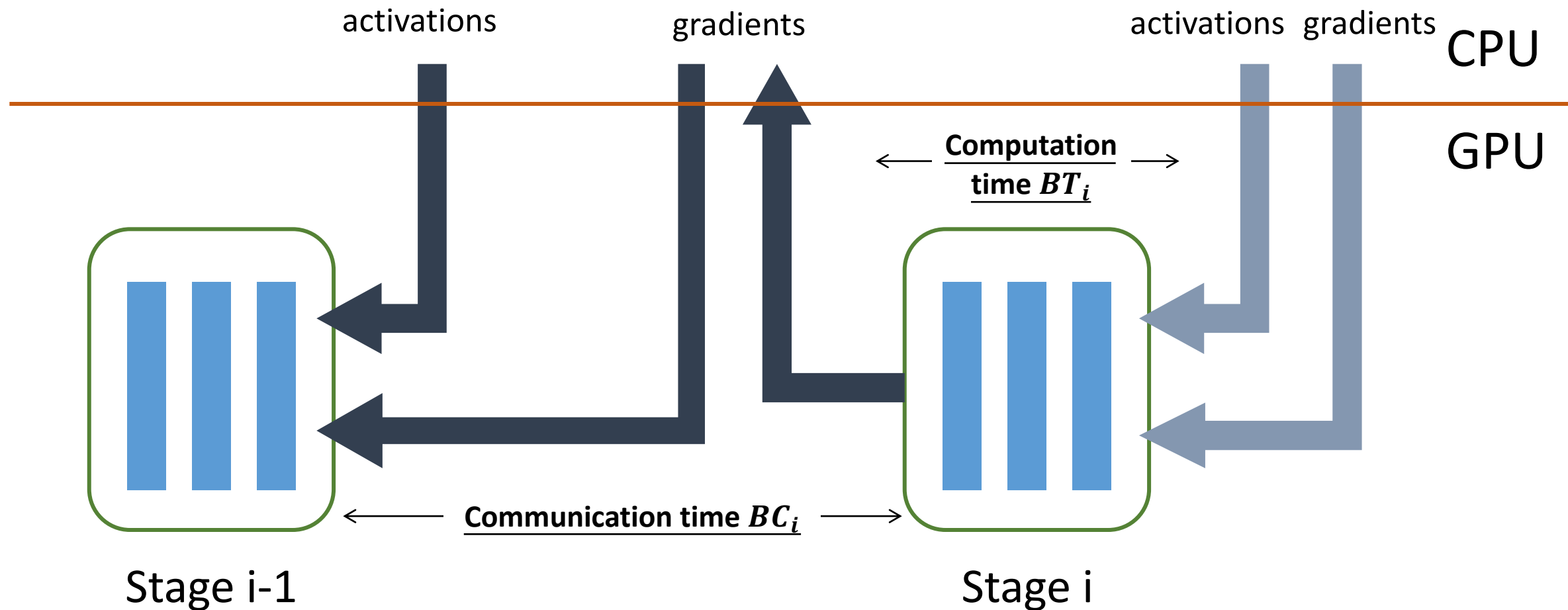


Backward Pass





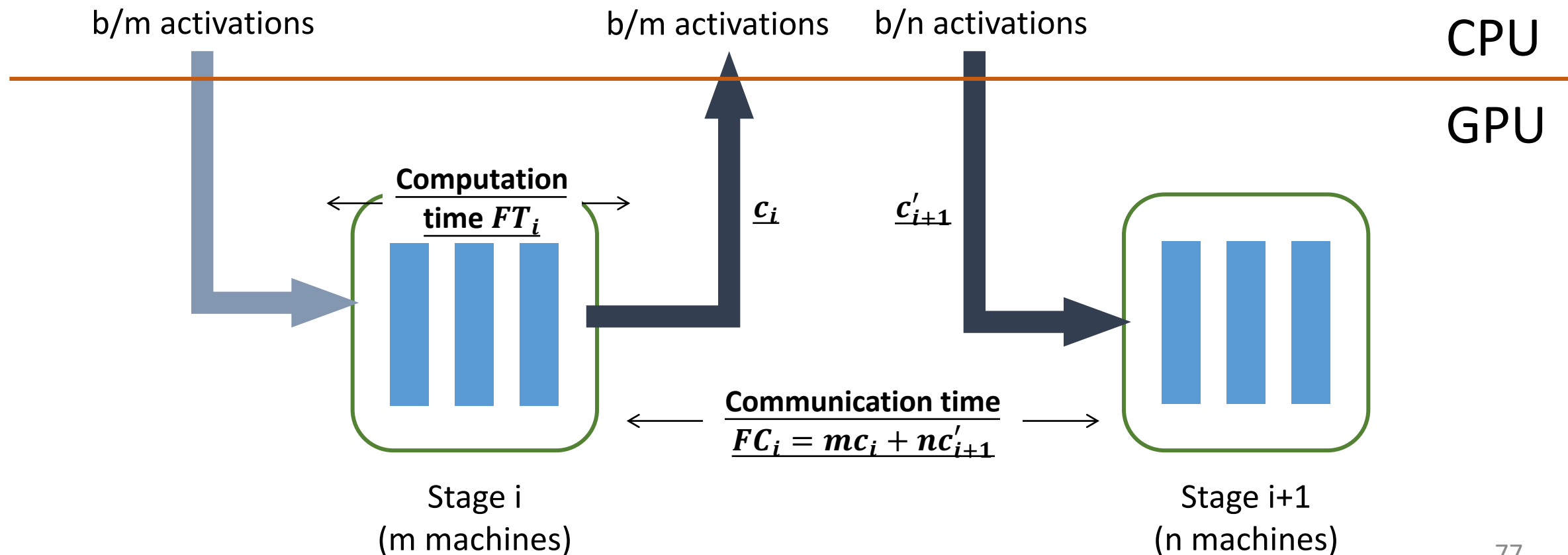
Backward Pass





DP Time Estimation

- Let micro-batch size be b

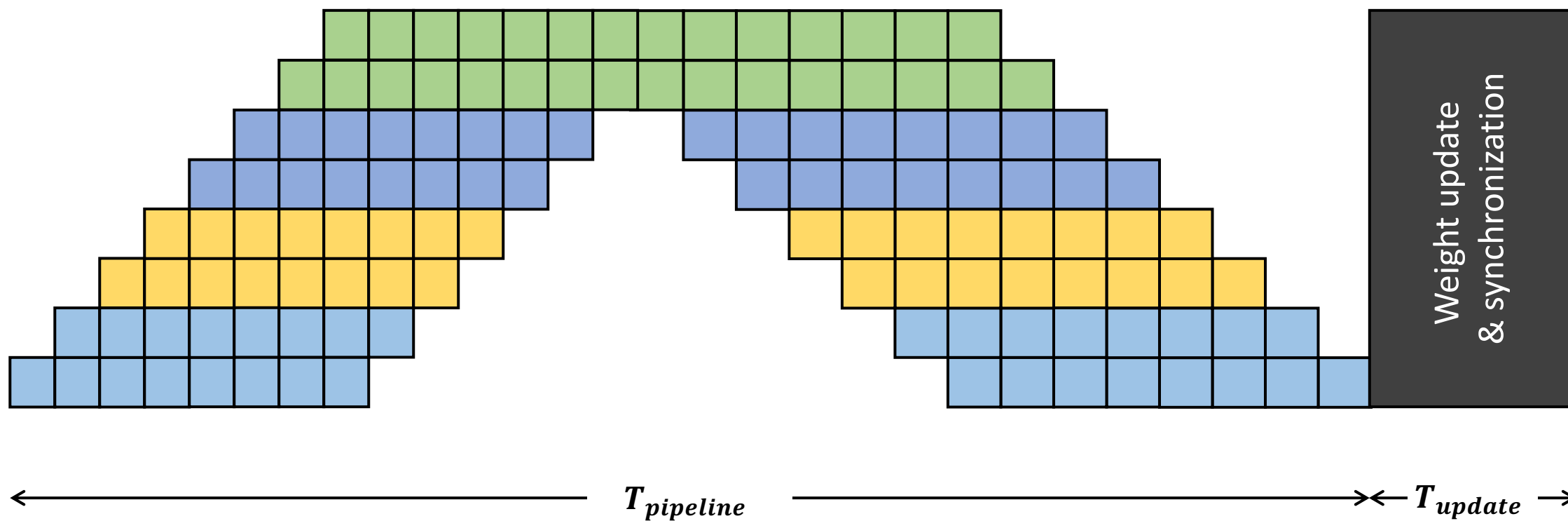




Taking $\max\{FT_0, FC_0, FT_1, FC_1\}$,
 can obtain the time required for
 time step.



Throughput Estimation



$$T_{\text{cycle}} = T_{\text{pipeline}} + T_{\text{update}}$$

$$\text{throughput} = \frac{\text{mini-batch size}}{T_{\text{cycle}}}$$



Experiments



Environments

- Intel® Core™ i7-8700 with 32G RAM
- GeForce RTX 2080 Ti (CUDA 10.1)
- Ubuntu 16.04.6 LTS
- Python2.7 with TensorFlow 1.14



Parameters

- NN models: VGG19(1.17G) and ResNet-152(3.63G) and SE-ResNeXt(0.49G) all with input image size (448, 448, 3)
- #GPU: 1, 2, 4, 8
- Mini-batch size: 16, 32, 64, 128
- #Micro-batch: 2, 4, 8, 16
- Methods: single GPU, Vanilla DP, GPipe with heuristic, Black GPipe

→ **Record throughput: #images processed per second**



Experimental Results



Observation

- on mini-batch size and #micro-batch

mini-batch size \ #micro-batch	2	4	8	16
16	7.91	10.42	9.48	5.25
32	10.27	10.25	11.62	10.39
64	-	13.51	12.06	12.34
128	same micro-batch size, larger #micro-batch → higher throughput	-	16.14	13.18

OOM due to large batch size

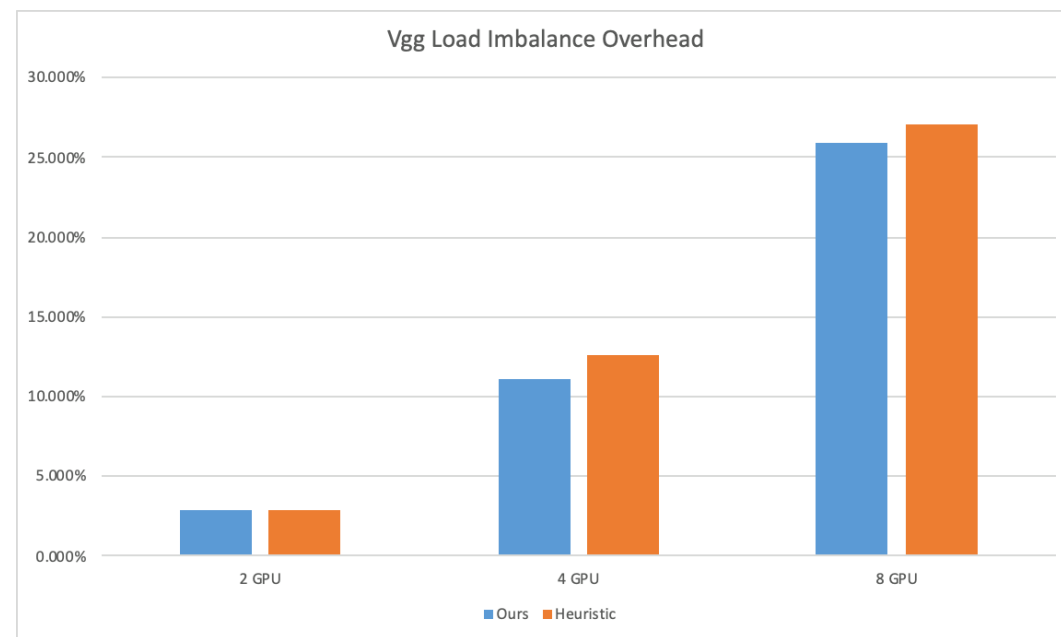
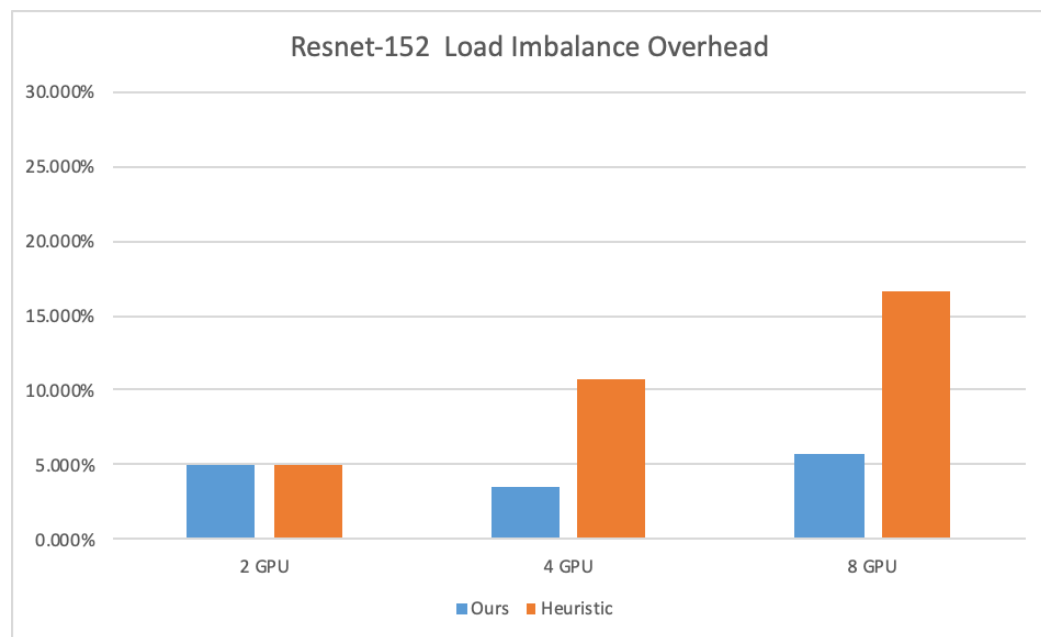
Larger batch size & more batches
→ higher throughput

same #micro-batch,
larger mini-batch size
→ higher throughput

(VGG19, 2 GPUs, Ours Partitioning)

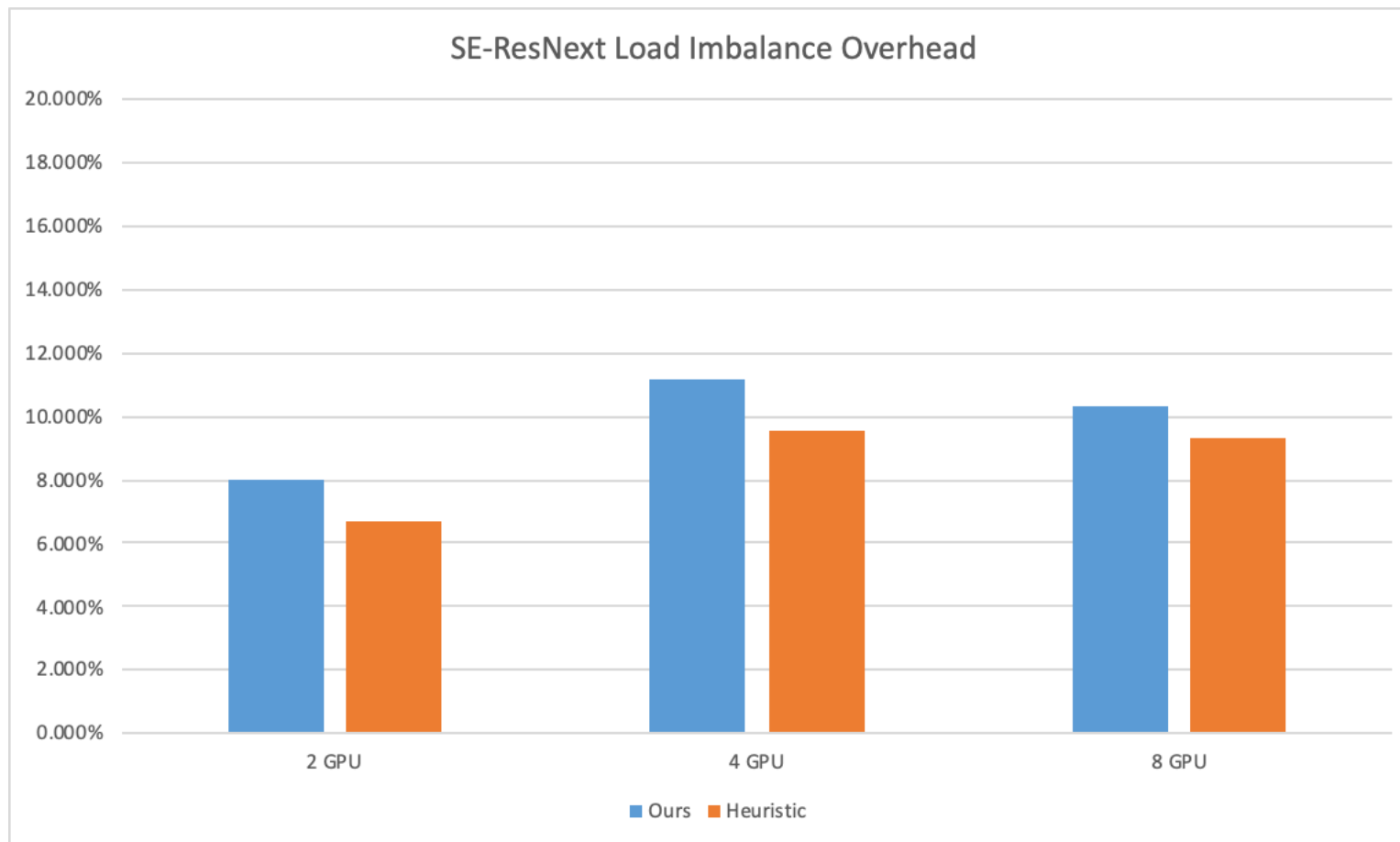


Load Balancing





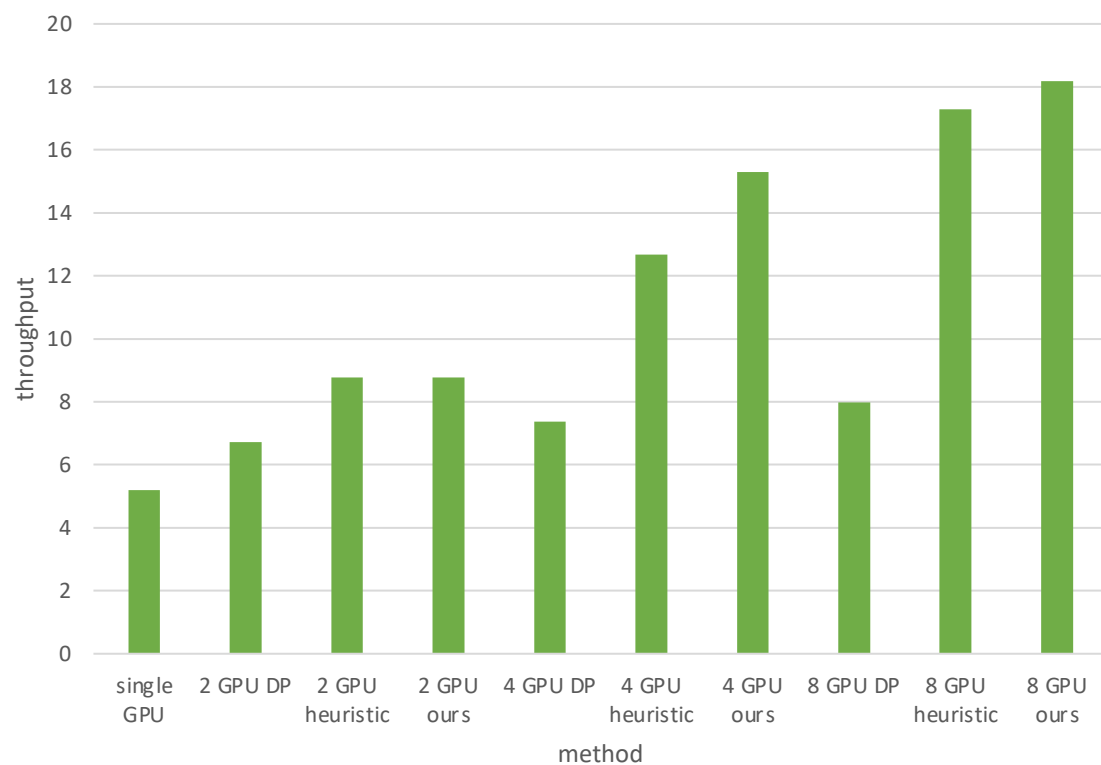
Load Balancing



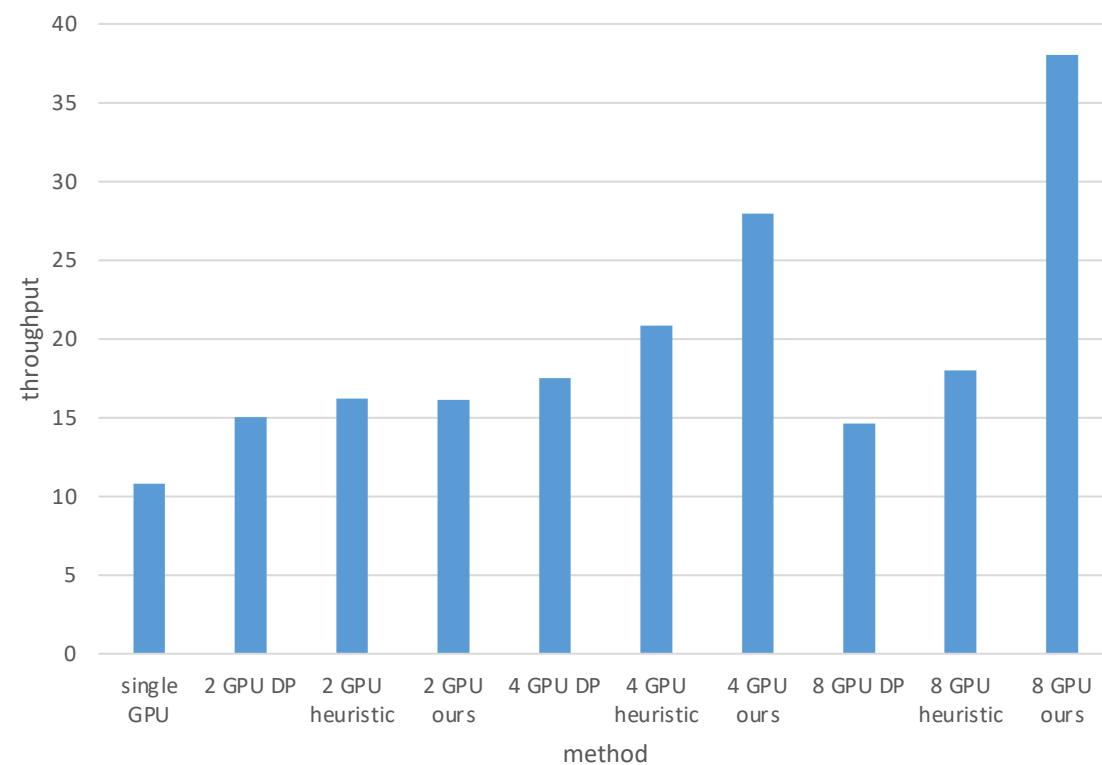


Throughput

ResNet-152

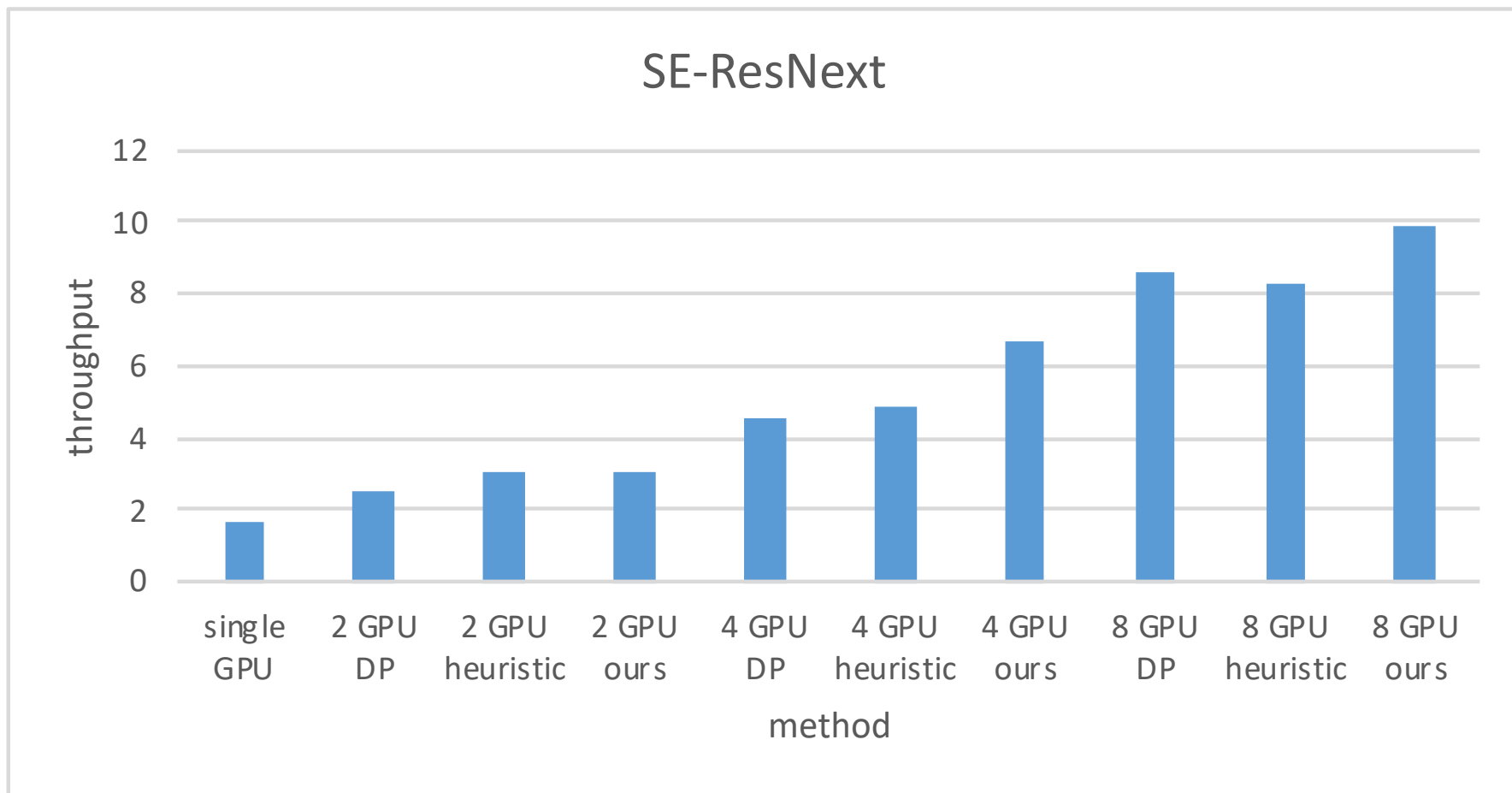


VGG19





Throughput





Conclusion



Conclusion

- We profiled the computation/communication time of each layer in a neural network, and applied PipeDream-like partitioning algorithm to split the model into different stages.
- We proposed an approach to simulate multi-GPUs system to estimate the Black GPipe training time and throughput.
- The experiments showed that our partitioning algorithm is better than the heuristic-based one when comparing the estimated throughput.
- The experiments showed that our partitioning algorithm is better than the heuristic-based one on larger models when comparing load imbalance overhead
- Black GPipe can achieve higher throughput with larger micro-batch size and larger #micro-batch.



Future Work

Some potential improvement...

- Checkpoints for re-computation
- Partitioning algorithm
 - Take #micro-batch into consideration
 - Better integration of DP overhead and BP time
 - More accurate memory constraint
- Run the experiments on multi-GPUs server



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THANKS