```
1 import numpy as np
 2 import matplotlib.pyplot as plt
 3 import sys
 4
 5 # 2.4e
 6
7 # mu = 0.060, gamma = 0.06531584901232429
8 # mu = 0.061, gamma = 0.059478472832076835
9 # mu = 0.062, gamma = 0.05033007132854761
10 # mu = 0.063, gamma = 0.040706178156078014
11 # mu = 0.064, gamma = 0.03071758583638221
12 # mu = 0.065, gamma = 0.019671518608965637
13
14 # mu = 0.06591, gamma = 0.004898948029599108
15 # mu = 0.06592, gamma = 0.004620674420854347
16 # mu = 0.06593, gamma = 0.0045464915511753004
17 # mu = 0.06594, gamma = 0.004219778084911094
18 # mu = 0.06595, gamma = 0.003887937972174111
19 # mu = 0.06596, gamma = 0.0037182289028526564
20 # mu = 0.06597, gamma = 0.003512188654658859
21 # mu = 0.06598, gamma = 0.003105918259005926
22 # mu = 0.06599, gamma = 0.002830588306209588
23
24 mu1 = np.array([0.060, 0.061, 0.062, 0.063, 0.064, 0.065])
25 gammas = np.array([0.06531584901232429, \]
26
           0.059478472832076835, \
27
           0.05033007132854761, \
28
           0.040706178156078014, \
29
           0.03071758583638221, \
30
           0.019671518608965637])
31
32 \text{ mu_c} = 0.066
33 mu_array = np.abs(mu1-mu_c)
34 coef = np.polyfit(np.log(mu_array),np.log(gammas),1)
35 poly = np.poly1d(coef)
36 # print(poly)
37
38 u = (np.sqrt(((mu1*(mu1+4)+9)*mu1**2+5)) + 2*mu1-1)/(mu1 + 2)
39 Tmu_estimate = np.log(1/gammas)/u
40
41 # fig, ax = plt.subplots(figsize=(7,7))
42 # ax.plot(np.log(mu_array),np.log(gammas))
43 # ax.plot(mu array,gammas)
44 # ax.set_xscale('log')
45 # ax.set_yscale('log')
46 # plt.show()
47
48 # Answer: a = 0.6813, A = 0.7669
49
50
51 # 2.4f
52 a = 0.6813
53 A = 0.7669
54
55 \text{ mu2} = \text{np.linspace}(0.06, 0.065, 50)
56 \, \text{mu c} = 0.066
57 mu_abs = np.abs(mu2-mu_c)
58 gammas = mu2**a + A
59 u = (np.sqrt(((mu2*(mu2+4)+9)*mu2**2+5)) + 2*mu2-1)/(mu2 + 2)
```

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```
Tmu_theory = np.log(1/gammas)/u

fig, ax = plt.subplots(figsize=(6,6))
ax.plot(mu_abs, Tmu_theory, label='Estimate')

# ax.plot(mu_array, Tmu_estimate, label='Numerical')
ax.set_ylabel('$T_{\mu}$')
ax.set_xlabel('$|\mu-\mu_{c}|$')

# ax.set_xscale('log')

# ax.set_yscale('log')

plt.legend(loc="upper left")
plt.savefig('24f.png', bbox_inches='tight')
plt.show()
```