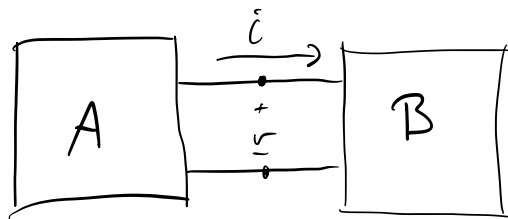


Midsemester test

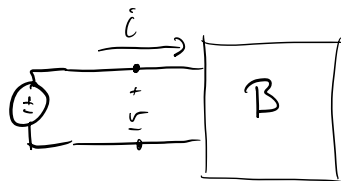
①



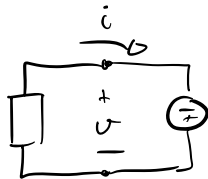
$$i = 20 \text{ mA}$$

$$v = -5$$

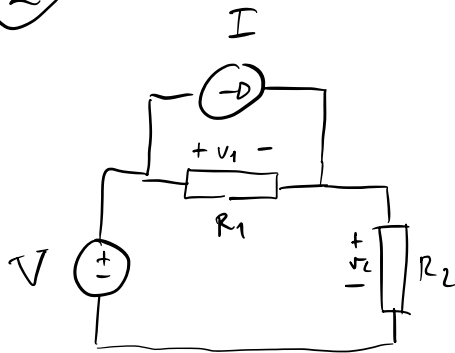
For at $i > 0$ må



men da er $v > 0$, så
derfor må kredsen se
slik ut:



②



$$V = 5 \text{ V}$$

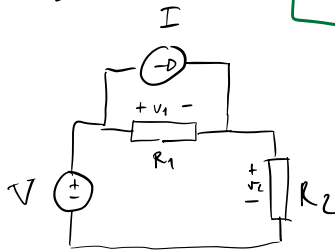
$$I = 1 \text{ mA}$$

$$R_1 = 1 \text{ k}\Omega$$

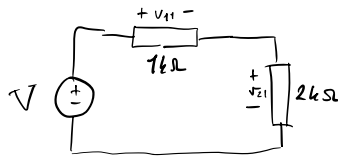
$$R_2 = 2 \text{ k}\Omega$$

a)

Vi bruke superposisjonsprinsippet

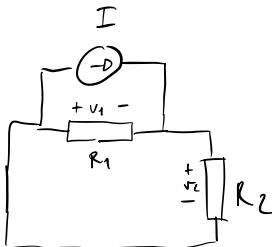


→

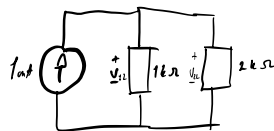


$$V_{11} = 5 \text{ V} \cdot \frac{1 \text{ k}\Omega}{1 + 2 \text{ k}\Omega} = \frac{5}{3} \text{ V}$$

$$V_{21} = 5 \text{ V} \cdot \frac{2 \text{ k}\Omega}{1 + 2 \text{ k}\Omega} = \frac{10}{3} \text{ V}$$



→



$$i_{12} = 1 \text{ mA} \cdot \frac{2 \text{ k}\Omega}{1 + 2 \text{ k}\Omega} = \frac{2}{3} \text{ mA} \rightarrow V_{12} = \frac{2}{3} \text{ mA} \cdot 1 \text{ k}\Omega = \frac{2}{3} \text{ V}$$

$$i_{22} = 1 \text{ mA} \cdot \frac{1 \text{ k}\Omega}{1 + 2} = \frac{1}{3} \text{ mA} \rightarrow V_{22} = \frac{1}{3} \text{ mA} \cdot 2 \text{ k}\Omega = \frac{2}{3} \text{ V}$$

Da blir spenningen

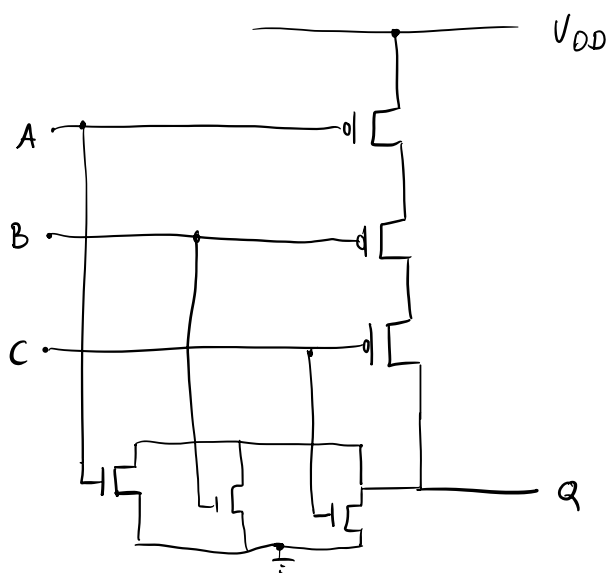
$$V_1 = V_{11} + V_{12} = \frac{5}{3} \text{ V} + \frac{2}{3} \text{ V} = \frac{7}{3} \text{ V}$$

$$V_2 = V_{21} + V_{22} = \frac{10}{3} \text{ V} + \frac{2}{3} \text{ V} = \frac{12}{3} \text{ V} = 4 \text{ V}$$

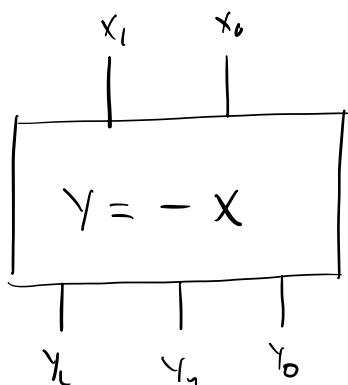
b) Effekt er $P = \frac{E}{T}$ som betyder at modstandene vil modtage effekt fra spennings- og strømkilden som da leverer Energi, og Energi per tid, til kredsen.

③

A	B	C	Q
0	0	0	1
0	0	1	0
0	1	0	0
1	0	0	0
0	1	1	0
1	0	1	0
1	1	0	0
1	1	1	0



(4)



a)

x_0	x_1	y_1	y_2	y_0
0	0	0	0	0
0	1	1	1	1
1	0	1	1	0
1	1	1	0	1

$$y = -x$$

b)

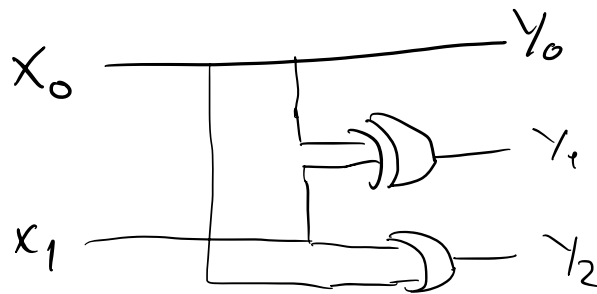
$$y_0 = \bar{x}_0 x_1 + x_0 x_1$$

$$= x_1 (\bar{x}_0 + x_0) = \underline{\underline{x_1}}$$

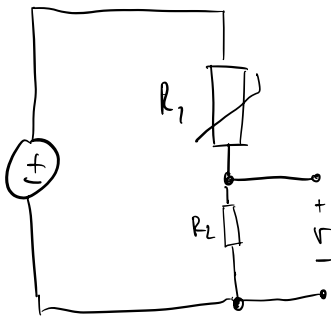
$$y_2 = x_1 \bar{x}_0 + x_0 \bar{x}_1$$

$$y_2 = \overline{\overline{y_2}} = \overline{\overline{x_0 x_1}} = \overline{\overline{x_0 + x_1}} = \underline{\underline{x_0 + x_1}}$$

c)



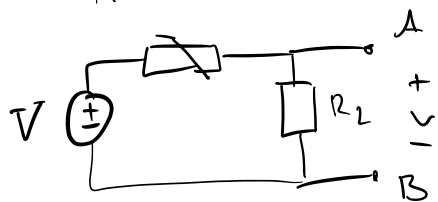
5



$$R_1 = R_0 - aT$$

a)

$$R_1 = R_0 - aT$$



$$V = V_{R_2} = V \cdot \frac{R_2}{R_1 + R_2}$$

$$= V \cdot \frac{R_2}{R_2 + R_0 - aT} //$$

b)

Derivom $\lim_{T \rightarrow \infty} v_i | v \text{ ge mot } \frac{R_2}{-\infty} \text{ allsi mot } 0$

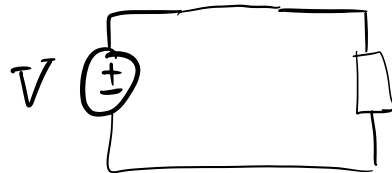
Derivom $\lim_{T \rightarrow 0} v_i | v \text{ ge mot } \frac{R_2}{R_0 + R_2}$

Derfor vil U øke når T blir mindre
og synke når T blir større

c)

$$V = 9V, R_1 = 10k\Omega, R_0 = 20k\Omega \text{ og } \alpha = 400\Omega/^\circ C$$

$$R_2 = R_0 - \alpha T = 20k\Omega - 0.4k\Omega/^\circ C \cdot 25^\circ C = 10k\Omega$$

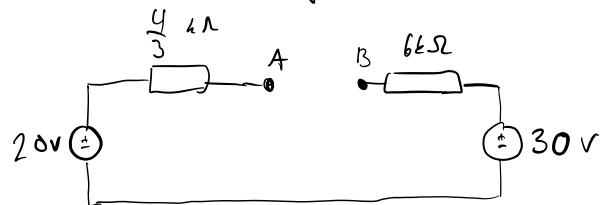
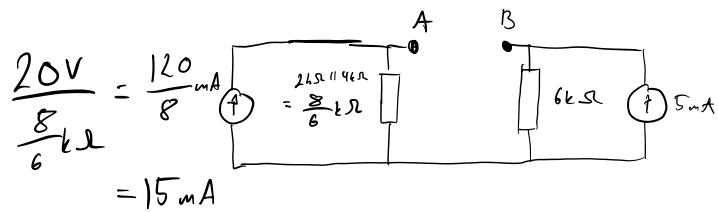
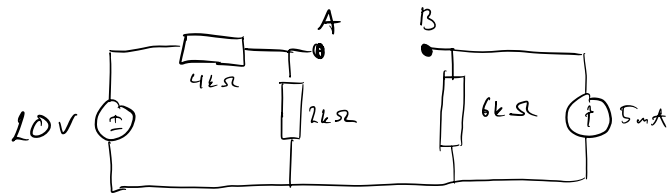

$$R_1 \parallel R_2 = \frac{R_1 R_2}{R_1 + R_2} = \frac{10 \cdot 10}{10 + 10} k\Omega = 5k\Omega$$

$$U = RI \Rightarrow I = \frac{U}{R} = \frac{9V}{5k\Omega} = 1.8mA$$

$$h = \frac{0.5Ah}{1.8 \cdot 10^{-3}A} = 278h$$

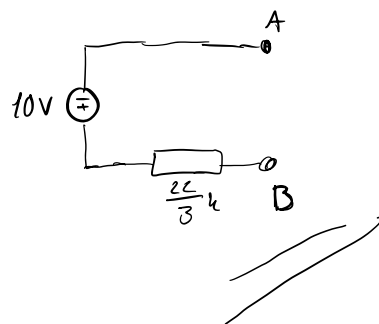
Batteriet vil vare i 278 timer

7

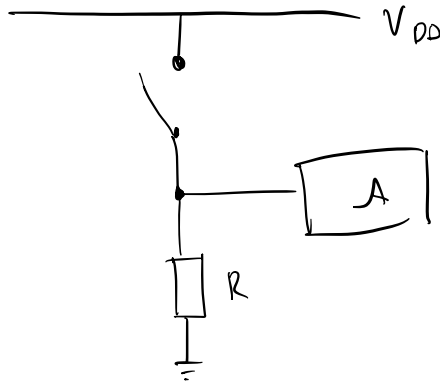


$$R_{tot} = \frac{4}{3}k\Omega + 6k\Omega = \frac{22}{3}k\Omega$$

$$V_{tot} = 20V - 30V = -10V$$



8)



a) $R=0$ kan potensielt kortslutte elementer i A. Kommer man på hva det er i A. Fordelen er bare at man slipper en motstand

b) $R=\infty$ er det samme som å kalle av jord og da blir $I = \frac{V}{\infty} \approx 0$
Derfor det er ønskelig å ha strøm i A er dette en dårlig ide.

c) $R=1\Omega$ betyr at $I = \frac{V}{1\Omega}$ og dermed får de fort mye strøm gjennom motstanden og vil bli ekstremt varme.

d) $R=1k\Omega$ betyr at vi får koblet til jord og vil oppløse normale verdier i nedtrekksmotstanden.