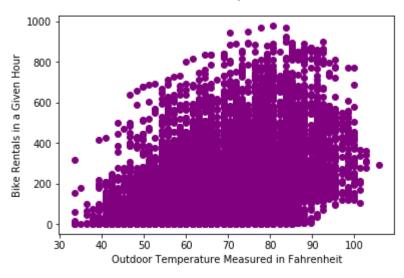
```
In [1]: import rpy2.rinterface
         import os
         import pandas as pd
         import numpy as np
         import seaborn as sns
         import matplotlib.pyplot as plt
         from matplotlib import pyplot
         import statsmodels as sm
         import statsmodels.formula.api as smf
         from scipy.stats import t as tdist
         from scipy import interpolate
         from statsmodels.stats.outliers influence import summary table
In [58]: | %reload_ext rpy2.ipython
In [59]: #Current working directory in Python
         os.getcwd()
Out[59]: 'C:\\Users\\Erin Canada\\Documents\\USF\\Fall 2018\\Regression\\Lab'
In [61]: #Set working directory in Python
         os.chdir('C:\\Users\\Erin Canada\\Documents\\USF\\Fall 2018\\Regression\\Lab')
In [5]: ##Reading in relevant file in Python
         bike = pd.read_csv('bike_share.csv')
         ## y = count, t = temp, h = humidity, w = windspeed
         y = bike['count'] #the number of bike rentals in a given hourly period
         t = bike['temp'] # outdoor temperature(measured in Fahrenheit)
         h = bike['humidity'] #relative humidity(as a percentage)
         w = bike['windspeed'] # wind speeds (miles per hour)
```

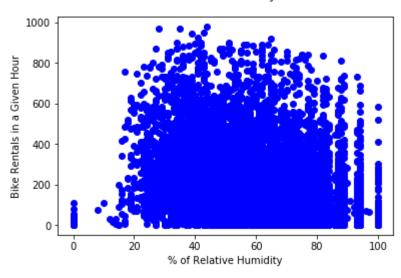
In [6]: #Part A ##Constructing a scatterplot of these data in Python #Count VS Temp temp_fig = plt.figure() plt.scatter(t,y, c = 'purple') temp fig.suptitle('Count vs Temperature') plt.ylabel('Bike Rentals in a Given Hour') plt.xlabel('Outdoor Temperature Measured in Fahrenheit') #Count VS Humidity humid_fig = plt.figure() plt.scatter(h,y, c = 'blue') humid_fig.suptitle('Count vs Humidity') plt.ylabel('Bike Rentals in a Given Hour') plt.xlabel('% of Relative Humidity') #Count vs Windspeed #Count VS Temp wind fig = plt.figure() plt.scatter(w,y, c = 'orange') wind_fig.suptitle('Count vs Windspeed') plt.ylabel('Bike Rentals in a Given Hour') plt.xlabel('Wind Speeds (MPH)')

Out[6]: Text(0.5,0,'Wind Speeds (MPH)')

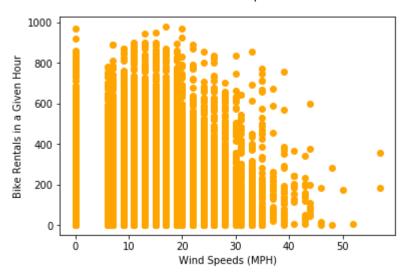




Count vs Humidity



Count vs Windspeed



In [7]: ## Calculation of the Correlation Coefficient in Python

#Count vs Temperature
temp_co = np.corrcoef(t,y)[0,1]
print temp_co

#Count vs Humidity
humid_co = np.corrcoef(h,y)[0,1]
print humid_co

#Count vs Wind Speed
wind_co = np.corrcoef(w,y)[0,1]
print wind_co

- 0.3944536449672491
 -0.31737147887659445
- 0.10136947021033277
- In [8]: ##Describe the Linear Relationship (Part A continued)

. . .

Count vs Temperature have a strong positive relationship as seen by the correl ation

coefficients. It is moderately close to 1 and is in a positive direction.

Count vs Humidity have a strong negative relationship where the correlation coefficients are again moderately close to 1 but in a negative direction.

Count vs Wind Speed have a weak postive relationship. The correlation coefficients are very close to zero but in a positive direction.

```
In [9]: #Part B
        #Calculate Beta Hat 0 and Beta Hat 1 in Python
        #Count vs Temp
        beta1_hat_temp = np.corrcoef(t,y)[0,1] * np.std(y) / np.std(t)
        print 'Beta Hat 1--Temp'
        print beta1 hat temp
        print
        beta0_hat_temp = np.mean(y) - beta1_hat_temp * np.mean(t)
        print 'Beta Hat 0 --Temp'
        print beta0_hat_temp
        print
        #Checking answers
        lm_t = smf.ols('y~t', data = bike)
        model_t = lm_t.fit()
        print model t.summary()
        #Count vs Humidity
        beta1 hat humid = np.corrcoef(h,y)[0,1] * np.std(y) / np.std(h)
        print 'Beta Hat 1--Humidity'
        print beta1 hat humid
        print
        beta0_hat_humid = np.mean(y) - beta1_hat_humid * np.mean(h)
        print 'Beta Hat 0 --Humidity'
        print beta0 hat humid
        print
        #Checking answers
        lm_h = smf.ols('y~h', data = bike)
        model h = lm h.fit()
        print model h.summary()
        #Count vs Wind Speed
        beta1_hat_wind = np.corrcoef(w,y)[0,1] * np.std(y) / np.std(w)
        print 'Beta Hat 1--Wind Speed'
        print beta1 hat wind
        print
        beta0_hat_wind = np.mean(y) - beta1_hat_temp * np.mean(w)
        print 'Beta Hat 0 --Wind Speed'
        print beta0 hat wind
        print
        #Checking answers
        lm_w = smf.ols('y~w', data = bike)
        model_w = lm_w.fit()
        print model w.summary()
```

Beta Hat 1--Temp 5.094744711903571

Beta Hat 0 -- Temp -156.98561782130787

OLS Regression Results

=							
Dep. Variable:			у	R-squa	ared:		0.15
6	•			·			
Model:	0LS			Adj. R-squared:			0.15
6	_						
Method:	Le	ast Squa	ares	F-statistic:			200
6.	T	11 Can 3	0010	Deals	/		0.6
Date:	rue,	ii sep z	7018	Prob	(F-statistic)):	0.0
0 Time:		10.17	7.10	Log-L:	ikelihood:		-7112
5.		10.17	.19	LUG-L.	ikeiinood.		-/112
No. Observations:		10	9886	AIC:			1.423e+0
5		10	7000	AIC.			1.425010
Df Residuals:		16	884	BIC:			1.423e+0
5							
Df Model:			1				
Covariance Type:		nonrob	oust				
===========		======			========	=======	=======
=	c				5. 1.1	FO 025	0.07
	oet s	td err		t	P> t	[0.025	0.97
5] 							
_							
Intercept -156.98	356	7.945	-19	759	0.000	-172.560	-141.41
2	,,,,	, , , , ,			0.000	2,2,300	
	947	0.114	44	.783	0.000	4.872	5.31
8							
==========	======	======	=====	=====		=======	=======
=							
Omnibus:		1871.	687	Durbi	n-Watson:		0.36
9							
Prob(Omnibus):		0.	.000	Jarque	e-Bera (JB):		3221.96
6	4 465						
Skew:	1.123		Prob(JB):		0.0	
0	4 424		424				2.4
Kurtosis:		4.	434	Cond.	NO.		34
8.							
======================================	======	======	-====	=====			

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Beta Hat 1--Humidity

-2.987268578534409

Beta Hat 0 --Humidity 376.44560833036167

OLS Regression Results

______ y R-squared: Dep. Variable: 0.10 Model: 0LS Adj. R-squared: 0.10 Method: Least Squares F-statistic: 121 9. Date: Tue, 11 Sep 2018 Prob (F-statistic): 2.92e-25 3 Time: 18:17:19 Log-Likelihood: -7146 8. 1.429e+0 No. Observations: 10886 AIC: Df Residuals: 10884 BIC: 1.430e+0 Df Model: 1 Covariance Type: nonrobust ______ t P>|t| coef std err [0.025 0.97 51 ______ Intercept 376.4456 5.545 67.890 0.000 365.577 387.31 -2.9873 0.086 -34.915 0.000 -3.155 -2.82 ______ Omnibus: 2068.515 Durbin-Watson: 0.35 Prob(Omnibus): 0.000 Jarque-Bera (JB): 3709.73 Skew: 1.210 Prob(JB): 0.0 Kurtosis: 4.525 Cond. No. 21 Warnings: [1] Standard Errors assume that the covariance matrix of the errors is correc tly specified. Beta Hat 1--Wind Speed 2.2490579173365712

Beta Hat 0 --Wind Speed 126.36447984745188

9/11/2018

Lab1 OLS Regression Results

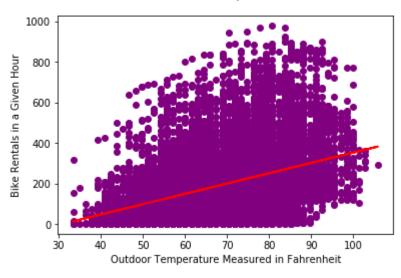
Dep. Variable: y R-squared: 0.01 0 Model: OLS Adj. R-squared: 0.01 0 Method: Least Squares F-statistic: 113. 0 Date: Tue, 11 Sep 2018 Prob (F-statistic): 2.90e-2 6 Time: 18:17:19 Log-Likelihood: -7198 9. No. Observations: 10886 AIC: 1.440e+0 5 Df Residuals: 10884 BIC: 1.440e+0 5 Df Model: 1 Covariance Type: nonrobust	========	=======		=====	=====		=======	=======
Model: OLS Adj. R-squared: 0.01 0 Method: Least Squares F-statistic: 113. 0		ole:		у	R-sq	uared:		0.01
Method: Least Squares F-statistic: 113.00 Date: Tue, 11 Sep 2018 Prob (F-statistic): 2.90e-26 6 Time: 18:17:19 Log-Likelihood: -7198 9. No. Observations: 10886 AIC: 1.440e+05 5 Df Residuals: 10884 BIC: 1.440e+0 5 Df Model: 1 Covariance Type: nonrobust	Model:			OLS	Adj.	R-squared:		0.01
Date: Tue, 11 Sep 2018 Prob (F-statistic): 2.90e-2 6 Time: 18:17:19 Log-Likelihood: -7198 9. No. Observations: 10886 AIC: 1.440e+0 5 Df Residuals: 10884 BIC: 1.440e+0 5 Df Model: 1 Covariance Type: nonrobust	Method:		Least Squa	ares	F-st	atistic:		113.
Time: 18:17:19 Log-Likelihood: -7198 9. No. Observations: 10886 AIC: 1.440e+0 5 Df Residuals: 10884 BIC: 1.440e+0 5 Df Model: 1 Covariance Type: nonrobust	Date:		Tue, 11 Sep 2	2018	Prob	(F-statistic)	:	2.90e-2
No. Observations: 10886 AIC: 1.440e+0 5 Df Residuals: 10884 BIC: 1.440e+0 5 Df Model: 1 Covariance Type: nonrobust	Time:		18:17	7:19	Log-l	Likelihood:		-7198
Df Residuals: 10884 BIC: 1.440e+0 5 Df Model: 1 Covariance Type: nonrobust	No. Observa	tions:	16	9886	AIC:			1.440e+0
Covariance Type: nonrobust	Df Residual	s:	16	9884	BIC:			1.440e+0
coef std err t P> t [0.025 0.97 5] Intercept 162.7876 3.212 50.682 0.000 156.492 169.08 4 w 2.2491 0.212 10.630 0.000 1.834 2.66 4 Comnibus: 2086.612 Durbin-Watson: 0.32 2 Prob(Omnibus): 0.000 Jarque-Bera (JB): 3633.79 9 Skew: 1.247 Prob(JB): 0.0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	Df Model:			1				
= coef std err t P> t [0.025 0.97 5]	Covariance	Type:	nonrob	oust				
coef std err t P> t [0.025 0.97 5]	========	=======	:=======		.====:		=======	=======
Intercept 162.7876 3.212 50.682 0.000 156.492 169.08 w 2.2491 0.212 10.630 0.000 1.834 2.66 —————————————————————————————————		coet	std err		t	P> t	[0.025	0.97
4 w 2.2491 0.212 10.630 0.000 1.834 2.66 4	-							
4 ====================================	-	162.7876	3.212	56	.682	0.000	156.492	169.08
= Omnibus: 2086.612 Durbin-Watson: 0.32 2 Prob(Omnibus): 0.000 Jarque-Bera (JB): 3633.79 9 Skew: 1.247 Prob(JB): 0.0 6 Kurtosis: 4.338 Cond. No. 28.		2.2491	0.212	10	.630	0.000	1.834	2.66
2 Prob(Omnibus): 0.000 Jarque-Bera (JB): 3633.79 9 Skew: 1.247 Prob(JB): 0.0 0 Kurtosis: 4.338 Cond. No. 28. 3	_	=======	.=======	=====	:====:		=======	=======
Prob(Omnibus): 0.000 Jarque-Bera (JB): 3633.79 9 Skew: 1.247 Prob(JB): 0.0 0 Kurtosis: 4.338 Cond. No. 28. 3 ====================================			2086.	612	Durb:	in-Watson:		0.32
Skew: 1.247 Prob(JB): 0.0 0 Kurtosis: 4.338 Cond. No. 28. 3 28.	Prob(Omnibu	ıs):	0.	.000	Jarqı	ue-Bera (JB):		3633.79
Kurtosis: 4.338 Cond. No. 28.	Skew:		1.	. 247	Prob	(JB):		0.0
	Kurtosis:		4.	.338	Cond	. No.		28.
		=======		=====	:====:		======	=======

Warnings:

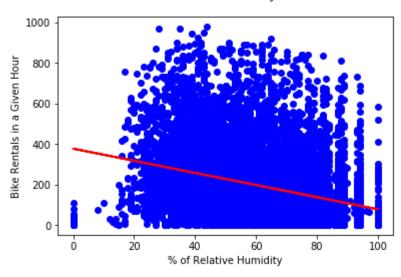
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

In [10]: #Part C -- Add fitted regression lines #Count VS Temp temp fig = plt.figure() plt.scatter(t,y, c = 'purple') temp_fig.suptitle('Count vs Temperature') plt.ylabel('Bike Rentals in a Given Hour') plt.xlabel('Outdoor Temperature Measured in Fahrenheit') temp_fitted_line, = plt.plot(t, model_t.fittedvalues, '-', color = "red", line width = 2, label = "Fitted Values") #Count VS Humidity humid_fig = plt.figure() plt.scatter(h,y, c = 'blue') humid fig.suptitle('Count vs Humidity') plt.ylabel('Bike Rentals in a Given Hour') plt.xlabel('% of Relative Humidity') humid_fitted_line, = plt.plot(h, model_h.fittedvalues, '-', color = "red", lin ewidth = 2, label = "Fitted Values") #Count vs Windspeed wind_fig = plt.figure() plt.scatter(w,y, c = 'orange') wind_fig.suptitle('Count vs Windspeed') plt.ylabel('Bike Rentals in a Given Hour') plt.xlabel('Wind Speeds (MPH)') wind fitted line, = plt.plot(w, model w.fittedvalues, '-', color = "black", li newidth = 2, label = "Fitted Values")

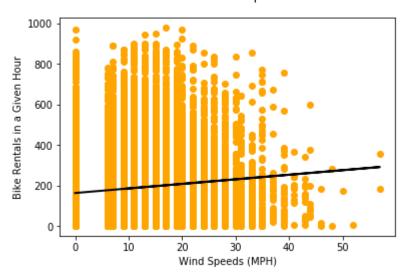
Count vs Temperature



Count vs Humidity



Count vs Windspeed



In [11]: #Part D

. . .

From the correlation coefficients to most weakly associated to most strongly associated:

Count vs Wind Speeds 0.10136947021033277

Count vs Humidity -0.31737147887659445

Count vs Temperature 0.3944536449672491

Here we can see a pretty strong correlation between the number of bike rentals and the

temperature as wells as the humidity, but a very weak correlation between the count and

wind speeds making it seem as though windspeed has no effect on the number of bike rentals.

In [12]: #Part E

The expected number of bike rentals when the temperature is 70 degrees: 199.

The expected number of bike rentals when the wind speed is at 10 mph: 148.86 The expected number of bike rentals when the humidity is 40%: 256.95

In []: #Part F

. . .

The risk when predicting the ouside the range of observed explanatory variable s values

is that it may be assuming to much and be outside the scope of the prediction value.

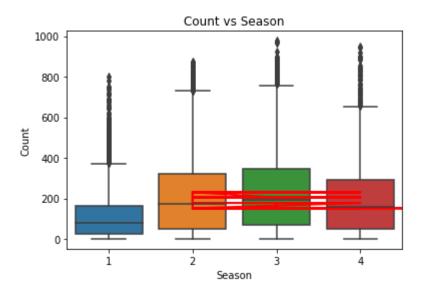
It could produce very wrong or inconsistant results.

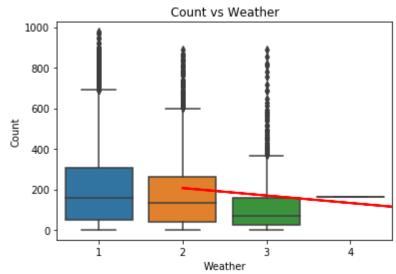
, , ,

In [43]: #Part G & H #Count vs Season boxplot bplot = plt.figure() cs = bike['season'] bplot_cs= sns.boxplot(cs,y,data = bike) bplot cs.axes.set title("Count vs Season") bplot cs.set xlabel("Season") bplot_cs.set_ylabel("Count") lm_cs = smf.ols('y~cs', data = bike) model cs = lm cs.fit() season_fitted_line, = plt.plot(cw, model_cs.fittedvalues, '-', color = "red", linewidth = 2, label = "Fitted Values") #Count vs Season correlation coefficient count_season = np.corrcoef(cs,y)[0,1] print count season #Count vs Weather boxplot bplot cw = plt.figure() cw = bike['weather'] bplot_cw =sns.boxplot(cw,y,data=bike) bplot cw.axes.set title("Count vs Weather") bplot_cw.set_xlabel("Weather") bplot_cw.set_ylabel("Count") lm_cw = smf.ols('y~cw', data = bike) model cw = lm cw.fit() weather_fitted_line, = plt.plot(cw, model_cw.fittedvalues, '-', color = "red", linewidth = 2, label = "Fitted Values") #Count vs Weather count_weather = np.corrcoef(cw,y)[0,1] print count weather

0.16343901657636173

-0.1286552010385064





In []: | ##Part G and H continued and I

. . .

From the boxplots, we can tell a little about the information. It seems for season 3, that there are a higher average number of bike rentals, probably due

to that it is nicer outside meaning summer and summer vacation. If the season is not so nice, there are less bike rentals which could be related to count vs weather.

Here there are higher bike rentals when there is the #1 type of weather(assuming nice and sunny)

and lower to no number of bike rentals when the weather is like #4.

These interetations are not really useful because it just states the average f or each

type of season or weather and can not really make any concrete predictions and

there is no real visual telling anything but just assumptions like I made above.

As seen in the correlation coefficients, the relationships are very weak for b oth boxplots and

there is no real evidence to continue with this data.

The linear regression in h is inappropriate because it establishes no relation ship between the season variables but tells

us a singular patter between one season and count. The linear regression does not really exit because there

is a lack of relationship between the seasons in response to the count with a boxplot.

Perhaps a scatterplot of each individual season would be more appropriate.

. . .