

PseudoCode

Dot Product:

- input: 2 vectors, u & v
- output: one scalar, dotProduct
- take transpose of one vector:
 $u = u^T$
- need to initialize our dotProduct to be zero
so we can sum in for loop
- for i from 1 to the length of the vectors
multiply i^{th} element of each vector $\begin{matrix} (u\text{-across}) \\ (v\text{-down}) \end{matrix}$
add it to dotProduct
- end

Matrix-Vector Multiplication

- input: 1 matrix A , 1 vector x
- output: 1 vector, prod
- use dot product code for each element of our vector prod
- for i from 1 to the # of rows of A ($\text{size}(A, 1)$)
to get i^{th} element of prod, call
perform Dot Product with i^{th} column
of A & vector x
- end

Matrix-Matrix Multiplication

- input: 2 matrices, A & B
- output: 1 matrix, AB
- we will use dot product for each
element of our matrix

Matrix-Matrix Mult Cont

```
- for i from 1 to # of rows in A  
  (size(A,1)) → will be # of rows in AB)  
    for j from 1 to # of cols in B  
      (size(B,2)) → will be # of cols in AB  
        element (i,j) of AB will call  
        perform Dot-Product of  $i^{\text{th}}$  row  
        of A and  $j^{\text{th}}$  col of B.  
    end  
  end  
end
```

Chutes & Ladders

- Split into 2 codes:

- 1) play the game 1 time & output the # of turns it took
- 2) calls 1st code in a for loop the # of times we want to play, save the counts in a vector, plot probability distribution

1) Play the Game

- no inputs
- output: # of turns it took, ct
- initialize count to be zero (before we start)
- need to keep track of what space we are on, call variable space
 - ↳ initialize to be zero
- keep track of chutes & ladders in 2 matrices:

Play Game cont.

- both are 9×2 matrices, 1st col are where the chutes/ladders start, 2nd col are where they end
- while loop to play until space = 100
 - roll # between 1 & 6 \rightarrow use rand function
 - add roll to space so we move forward
 - check if we landed on chute/ladder \Rightarrow if^{else} statement!, also must be in for loop b/c we have to check all 9 of each
 - for i from 1 - 9
 - if space is a chute, - change space to corresponding 2nd col element & break loop
 - elseif space is a ladder, change space to corresponding 2nd col element & break loop
 - end
 - for each iteration, we are taking a turn, so add to the count!
 - check if we went past 100, then # we have to go back to space before we rolled
- end

2) Probability function

- no inputs
- no outputs (plot distribution later)
- set N to be the # of times we play the game
- create a vector to store the frequency of each count (# of turns it takes), call it `ctVec` & initialize it as a zero vector.
Make it long (size should be greater than the max # of turns a game will take)
- for i from 1 to N
 - play the game! call the function & store the # of turns it took as a scalar, `playGame`
 - add 1 to the `ctVec` location that matches the # of turns it took (`ctVec(playGame, 1)`)
- end
- find the probability: $\frac{\text{ctVec}}{N}$ $N \leftarrow (\# \text{ of games played})$
- create a vector to store the # of turns: `1:1:length(ctVec)`
- plot distribution:
 - $x = \# \text{ of turns vector}$
 - $y = \text{probability vector}$
- add titles, x & y labels, change linewidth & marker size

★ For No chutes & No Ladders, codes are the same except for:

- in playing-the-game code, remove chute or ladder vector & corresponding if/else if statement
- in probability function, change code that is called to play the game & some parameters (N , size of $ctVec$)