

moony-15

Goal :

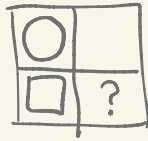
$$1+2+3+\dots+n$$

$$\approx \frac{n}{2}(n+1)$$

$$\approx \frac{n^2}{2}$$

$$= O(n^2)$$

moony-1 :
(?)

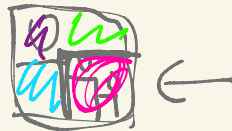
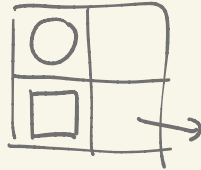


Wishful thinking

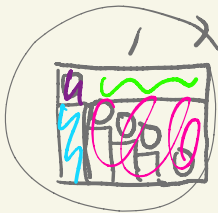
↳ base case

↳ inductive step:
 $f(n-1) \rightarrow f(n)$

moony-2 :
(n)



moony-3 :



$s.f(\frac{1}{n}, b.f(\frac{1}{n}, \square, \square),$
 $b.f(\frac{1}{n}, \square, \text{moony-2}(n-1)))$



n



$\frac{n}{2}$



$\frac{n}{4}$



$\frac{1}{3}$



n

f_n cone (n, rune) {

f_n cone_helper (n, rune, max) {

↳ n == 1

? rune

: overlay_f ($\frac{1}{n}$, $1 - \frac{n-1}{\text{max}}$
scale ($\frac{1}{n}$, rune), max
cone_helper (n-1, rune₁));

↳ cone_helper (n, rune, n);

}

$\left(\frac{1}{4}\right) \quad \frac{1}{3} \quad \frac{1}{2} \quad \frac{1}{1}$

↳ $\frac{1}{4} \quad \frac{2}{4} \quad \frac{3}{4} \quad \frac{4}{4}$

$f(n)$



beside- f ,
...

$f(n-1)$

① Base case ($n=1$)

② Inductive step

$\text{cone}(n)$ {

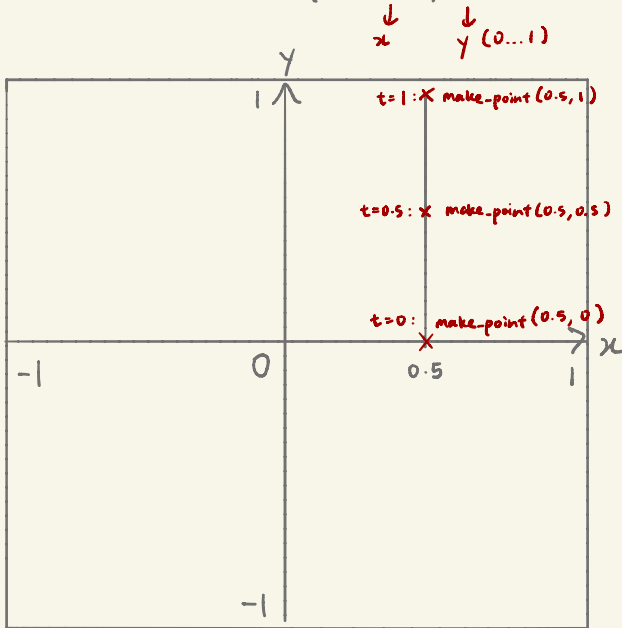
↳ $n == 1$

? 0

:

$\text{cone}(n-1)$

$t \Rightarrow \text{make_point}(0.5, t)$



$p(b, p(b, p(b, p(b, p(b, 0))))))$

$$T(n) = nT$$

