Data Preparation

Motivation

In real applications the data tend to be inconsistent, incomplete and/or wrong

- What happens when the data is not correct?
- Can the knowledge extracted from the data be trusted?
- Obstacles to knowledge discovery: poor data

GIGO law: Garbage In, Garbage Out

Data Preparation

• Set of steps that may be necessary to carry out before any further analysis takes place on the available data

• It is estimated that data preparation takes 70-80% of all development effort of a data mining project

Good data preparation is key to produce valid and reliable models

Data Preparation - Goals

- Understanding the nature of the data
- Solve problems inherent to the data
- Adapting the data according to the Data Mining algorithms
- Provide more meaningful data analysis and extract knowledge with meaning
- Know what useful information exists in a particular data set, so when random samples are formed from it, the information is preserved

Major Tasks in Data Preparation

Data Selection

Creates the appropriate set of data to explore

Data Cleaning

 Handling missing values, smooth noisy data, identify or remove outliers and resolve inconsistencies

Data Transformation

Data conversion, data scaling/normalisation

Data Reduction

Obtains reduced representation in volume but produces the same or similar analytical results

Data Selection

Sampling

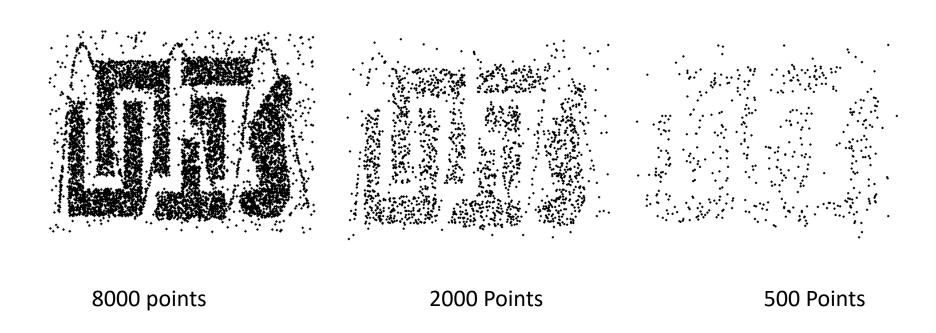
- Sampling is the main technique employed for data selection
 - It is often used for both the preliminary investigation of the data and the final data analysis

 Sampling is used in data mining because processing the entire set of data of interest may be too expensive or time-consuming

Sampling ...

The key principle for effective sampling is the following:

- using a sample will work almost as well as using the entire data set, if the sample is representative
- a sample is representative if it has approximately the same properties (of interest) as the original set of data



Types of Sampling

Simple random sampling

There is an equal probability of selecting any particular item

Sampling without replacement

As each item is selected, it is removed from the population

Sampling with replacement

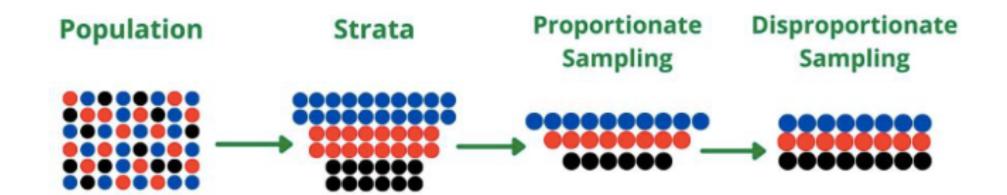
Objects are not removed from the population as they are selected for the sample. The same object can be picked up more than once

Stratified sampling

Split the data into several partitions; then draw random samples from each partition

Stratified random sampling

The sample is created preserving the target variable's proportion from the original population



Data Cleaning

Missing Values

- Missing data can appear in several forms:
 - -<empty field> "0" "." "999" "NA" ...
 - Standardize missing value code(s)

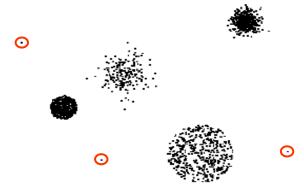
Dealing with Missing Values

if in a small number:

- ignore records with missing values
- manually fill in the missing values
- Fill in with common values:
 - mode for categorical data
 - median for ordered values
- Use the most likely value according to a model based on the values of other attributes:
 - Linear Regression
 - Instance-Based Learning
 - Mean of the k-nearest neighbours for numerical data

Outliers

• They have distinct characteristics from most of the other objects in the dataset, but **they are valid**



- **Isolated values** in some applications often indicate critical situations with high costs, requiring preventive or corrective actions. Example, fraud detection applications
- Other applications may view isolated values as **noise or outliers**, often treating them as errors and requiring their removal from the analysis
- Outliers don't affect decision trees and support vector machines, but they can have a significant impact on distance calculation-based models

Methods to Detect Outliers

Univariate methods: focus on examining each variable individually for outliers

Z-Score

 calculate the z-score for each data point and identify those with z-scores exceeding a certain threshold

Tukey's Method (IQR)

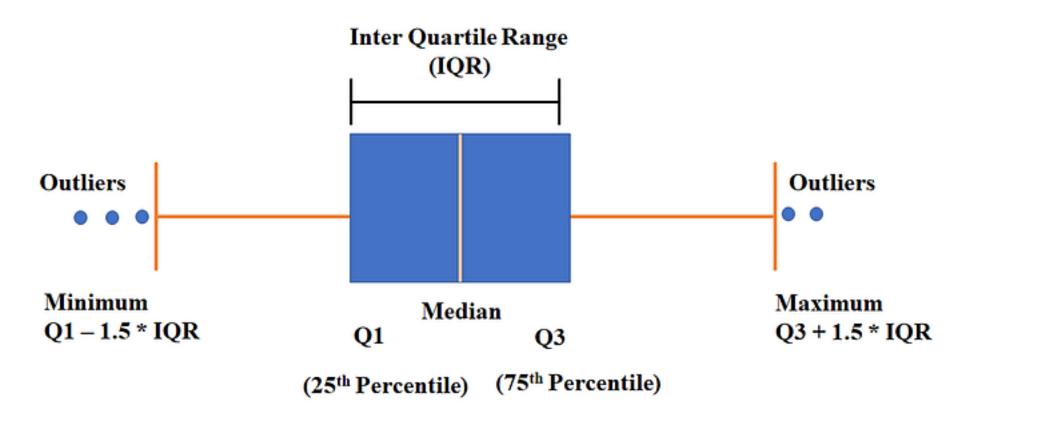
– outliers are defined as data points that fall below Q1 - 1.5 * IQR or above Q3 + 1.5 * IQR, where Q1 and Q3 are the first and third quartiles, respectively, and IQR is the interquartile range

Outliers Identification

Graphical analysis with Boxplot

Outliers are extreme values any values out of range:

$$[Q1-1.5 \times IQR, ..., Q3 + 1.5 \times IQR]$$



Methods to Detect Outliers

Model-Based methods: These methods involve building a predictive model and identifying data points with large residuals or prediction errors

Regression (Residuals)

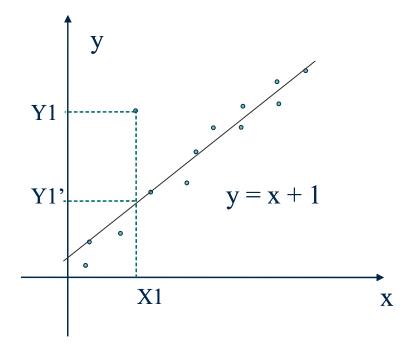
For regression models, identify data points with large residuals, with large vertical distances between observed and predicted values

Cluster-Based Methods

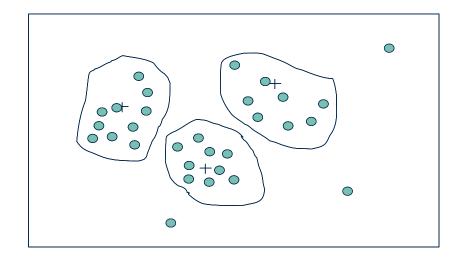
Use clustering algorithms to group similar data points and identify outliers as points that do not belong to any cluster or belong to sparse clusters

Outliers Identification

Regression



Clustering



Data Transformation

Conversion: Nominal to Numeric

• Some methods can deal with nominal values; other methods (neural nets, regression, nearest neighbours) require only numeric inputs

- In such methods, it is necessary to convert nominal fields to a numeric value
- Converting a nominally ordered attribute (e.g., grade) to a number is necessary to preserve its *natural* order, to be able to use ">" and "<" comparisons on these fields

• If no sequential order exists, it should be careful not to create one

Conversion: Nominal to Numeric

• Binary attributes: encoded 0/1

```
df[feature] = (df[feature].values == 'Yes').astype(int)
diag_map = {'M':1, 'B':0}
df['diagnosis']= df['diagnosis'].map(diag_map)
```

Attributes with 3 or more values: dummy encoding

participant_id	race	asian	black	hispanic	height
1	Asian	1	0	0	67
2	Black	0	1	0	69
3	Hispanic	0	0	1	66
4	White	0	0	0	68

df= pd.get_dummies(df, drop_first=True)

Data Scaling

Data is scaled to fall within a small, specified range, typically [0, 1] or [-1, 1]

- min-max transformation
- transformation by decimal scaling

•

Prevent attributes with large ranges outweigh ones with small ranges

• Example: income has range 3000-200000 and age has range 10-80

The scaling of the data affects only its scale and not its distribution It simply forces the values into a certain range

Min-Max Transformation

Performs a linear transformation from the original dataset to a new specific dataset (typically 0-1):

- the old minimum (min₁) is mapped to a new minimum: min₂
- the old maximum (max₁) is mapped to a new maximum: max₂

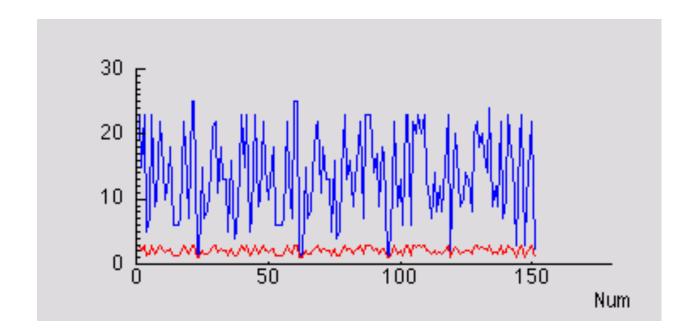
All points between these extremes are mapped to the new scale

The mathematical formula for the Min-Max normalization:

$$y' = \frac{y - \min_{y}}{\max_{y} - \min_{y}}$$

Advantages of the Min-Max transformation

- Preserves exactly all initial relationships of data values
- Doesn't introduce any changes in the data the form of the histogram is maintained
- doesn't work well in samples with isolated values



Data Normalization

- The normalization of the data affects its distribution and its scale
- Normalizing the data forces them to have a Normal distribution or a Gaussian distribution
- The normalization of data is only useful when the models require the data to be normal. For example, linear discriminant analysis (LDA) or regression

Zscore Normalization

Also referred as medium-zero normalization or uni-variant normalization, transforms data so that:

- the average is zero
- the standard deviation is one

The formula applied is as follows:

$$x' = \frac{x - \mu}{\sigma}$$

The zscore normalization works well when:

the sample has isolated values that dominate the normalization Min-max

Sigmoidal Normalization

Transforms the non-linear input data into the range [-1,1] using the sigmoid function

The formula applied by this type of normalization is as follows:

$$y' = \frac{1 - e^{-\alpha}}{1 + e^{-\alpha}} \qquad \alpha = \frac{1 - \mu}{\sigma}$$

The sigmoid normalization is appropriate to:

- Incorporate isolated points into the data set for analysis
- Prevent the most common values from being compressed without losing the ability to represent outliers

Data Reduction

Reducing the dimension of the data set

- Some data mining methods may be unable to handle very large data sets
- The computation time to obtain a certain model may be too large for the application
- We may want simpler models

Some strategies

- Reduce the number of instances
- Reduce the number of features

Instances Reduction

Discretization

The goal of discretization is to reduce the number of values for a continuous attribute assumed by grouping them into a small number of intervals (bins)

Any discretization process consists of two steps:

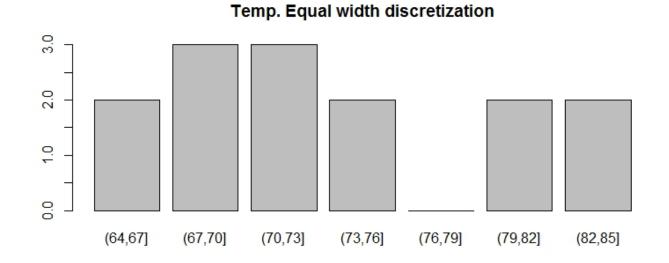
- 1st, the number of discrete intervals needs to be decided
- 2nd, the width (boundary) of each interval must be determined

Number of discrete intervals:

- large number: more of the original information is retained
- small number: looses information but is "easier" for the learning algorithms

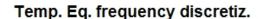
Discretization: Equal-width

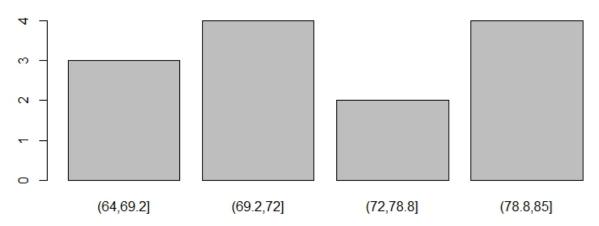
df.plot.box(by='Interval', column='tempdiscr')



May produce clumping

Discretization: Equal-frequency





Discretization considerations

- Equal Width is simplest, good for many classes
 - can fail miserably for unequal distributions

- Equal frequency gives better results
- Class-dependent can be better for classification
 - Note: decision trees build discretization on the fly
 - Naïve Bayes requires initial discretization

Many other methods exist ...

Features Reduction

Features to remove

- Features with no or little variability
 - remove a feature where almost all values are the same

- Key fields
 - where all the values are distinct, as they haven't any semantic associated
- False predictors or information "leakers"
 - attributes similar to the goal attribute but with different values

Features to remove

- Two highly correlated predictors represent the same underlying information and often add more complexity to the model than information
- The removal of one of them does not compromise the model's performance and may lead to a model that is easier to interpret
- It is possible to obtain relationships of collinearity among several predictors at the same time (multicollinearity) represented by a **correlation matrix**
- The **Pearson correlation** between two attributes A and B measures the linear relationship between these two attributes

$$r_{A,B} = \frac{\sum (A - \bar{A})(B - \bar{B})}{(n-1)\sigma_A \sigma_B} \qquad \bar{A} = \frac{\sum A}{n} \qquad \sigma_A = \sqrt{\frac{\sum (A - \bar{A})^2}{n-1}}$$

Correlation Matrix

```
plt.figure(figsize=(12,6))
corr = df.select dtypes(include='number').corr()
sns.heatmap(corr, annot=True, square=True, cmap='coolwarm')
plt.show()
                                                                                                             -1.0
                                                         0.42
                                                                        0.36
                                                                                             0.33 -0.013
                                       diagnosis -
                                                                                                             - 0.8
                                     radius mean -
                                                                                        0.82 0.15 -0.31
                                                         0.32
                                                                             0.51
                                    texture_mean - 0.42 0.32
                                                              0.33 0.32
                                                                             0.24
                                                                                            0.071 -0.076
                                                                                                             - 0.6
                                                                                   0.72 0.85 0.18 -0.26
                                                                       0.21
                                  perimeter mean - 0.74
                                                         0.33
                                      area mean -
                                                    0.99 0.32
                                                                        0.18
                                                                                       0.82 0.15 -0.28
                                                                                                             - 0.4
                                 smoothness_mean - 0.36 0.17
                                                         -0.023
                                                              0.21 0.18
                                                                             0.66 0.52
                                                                                       0.55
                                                                       0.66
                                compactness_mean - 0.6
                                                    0.51
                                                        0.24
                                                              0.56
                                                                   0.5
                                                                                                             - 0.2
                                                              0.72 0.69 0.52
                                                         0.3
                                                                                             0.5 0.34
                                                              0.85 0.82
                               concave points mean - 0.78 0.82 0.29
                                                                        0.55
                                                                                             0.46 0.17
                                                                                                             - 0.0
                                                   0.15 0.071 0.18 0.15 0.56
                                  symmetry mean - 0.33
                             fractal dimension mean --0.013
                                                   -0.31 -0.076 -0.26 -0.28
                                                                        0.58
                                                                             0.57 0.34 0.17 0.48
```

Feature Selection

Feature Selection

- Feature selection is the process of selecting a subset of features from the total variables in a data set to train machine learning algorithms
- Feature selection techniques do not alter the original representation of the variables, but merely select a subset of them

Aims of Feature Selection:

- Improve model performance
- Create faster and cost-effective models
- Facilitate understanding of predictions

Feature selection methods

Filter methods

Select features based on the intrinsic characteristics of the data, ignoring their interaction with the ML model, they are **model agnostic**

Wrapper methods

They generate multiple feature subsets and then evaluate their performance based on the classification or regression model

Embedded methods

The selection of features is made in the training or induction of the predictive model by the ML algorithm that has a way to discriminate among the features

Filter methods

Filter methods involves:

- Ranking features based on some criteria
- Selecting high-ranking features

Features can be ranked based on:

- how well they separate the classes
- how well they correlate with the target

- This can be achieved by using statistical tests like:
 - ANOVA, Chi-square, or correlation, among others

Filter methods

Chi-square:

- is used to determine the association between categorical variables and categorical target
- features with large chi-square statistic or small p-values have strong associations with the target

ANOVA:

- is suitable for continuous variables and a categorical target
- selects features whose p-value is bigger than 0.05

Filter methods

Chi-square assumptions:

- the observations are independent
- the frequencies in the expected distribution must be greater than 5

ANOVA:

- Is less reliable when the target is imbalanced
- may not perform equally well in normal and skewed variables

Attention:

Statistical tests neglect feature interactions

Wrapper methods

Wrapper methods involves:

- 1. Create all possible feature subsets
- 2. Evaluate those subsets with the machine learning model
- 3. Select the best subset

For n features, the number of possible subsets is 2ⁿ

For big datasets evaluating all possible feature combinations is impossible

- Exhaustive search
- Forward feature selection
- Backward feature elimination

Embedded methods

- The search for an optimal subset of features is built into the construction of the classifier or the regression model
- Embedded approaches train only one machine learning model to select features

Embedded methods:

- Lasso Regularization
- Feature importance from decision trees (Random Forest algorithm)
- Principal Component Analysis (PCA)

Lasso Regularization

Linear regression models aim to predict the outcome based on a linear combination of the predictor variables given by:

$$y = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_n x_n + e$$

With the **Lasso or I1-regularized regression** the coefficients are estimated by minimizing the following equation:

$$minimize\{\sum_{j=1}^{N}(y_{j}-\beta_{0}-\sum_{i=1}^{n}\beta_{i}x_{ij})^{2}+\lambda\sum_{i=1}^{n}|\beta_{i}|\}$$

The Lasso regularization has the ability to set some of the coefficients to zero, allowing for **feature selection**

Features whose coefficients are zero can be safely removed

Random Forest Feature Importance

- The feature importance is calculated based on the reduction in impurity that each feature contributes to the model
- Different metrics that can be used to determine the "best" feature:
 - In classification trees, the induction algorithm minimizes the Gini index or the entropy
 - In regression trees, the induction algorithm minimizes the mean squared error, the mean absolute error, or the Poisson deviance
- Decision tree algorithms assign feature importance during model induction, selecting the highest importance features
- Scikit-learn automatically selects features greater than the mean importance of all features in the data but can be adjusted to an arbitrary number

Principal Component Analysis (PCA)

General Idea

• Substitute the set of variables by a new (smaller) set where most of the "information" on the problem is still expressed

Goal

• Find a new set of axes onto which we will project the original data points

Data Reduction

- Use a smaller set of variables that contain the relevant information that is in the complete data
- The goal is to distinguish what is similar/different from the data using a smaller set of attributes

Principal Component Analysis (PCA)

• With PCA a new set of axes y_1 , y_2 , ..., y_q are formed by linear combinations of the original variables $x_1, x_2, ..., x_n$ with q < n

$$y_1 = a_{11}x_1 + a_{12}x_2 + ... + a_{1n}x_n$$

 $y_2 = a_{21}x_1 + a_{22}x_2 + ... + a_{2n}x_n$
...
 $y_q = a_{q1}x_1 + a_{q2}x_2 + ... + a_{qn}x_n$

- We search for the linear combinations that "explain" most of the variability that existed among the data points on the original axes
- If we are "lucky" with a few of these new axes (ideally two for easy data visualization), we are able to explain most of the variability on the original data
- Each original observation is then "projected" into these new axes

Principal Component Analysis (PCA)

Algorithm

- Find a first linear combination which better captures the variability in the data
- After finding this linear combination (the first direction), PCA looks for a second linear combination that is orthogonal to the first one and tries to capture the variability not explained by the first one, and so on..
- Continue until the set of new variables explains most of the variability (frequently 90% is considered enough)

Unbalanced Classes

Class imbalance

Class imbalance occurs when one or more classes have very low proportions in the data compared to the other classes

Class imbalance frequently occurs in applications:

- Operator abandonment: 97% clients stay, 3% leave
- Medical diagnosis: 90% healthy, 10% unhealthy
- eCommerce: 99% don't buy, 1% buy
- Fraud detection: 99% of transactions are not fraudulent

In these cases, the classifier even shows a high accuracy rate (in the majority class), but with little or no usefulness

Management of Class imbalance

Two target classes

- From the initial data set, apply an appropriate sampling method
- Generate a balanced training set
- Build the models using the balanced data
- Evaluate the model on the test set with the initial data distribution this way, an honest estimate of the model's future performance is presented

Multiple classes

Ensure that each class is approximately equally represented in the training set

Random Undersampling

Creates a new training set including all examples from the "positive" (minority) class and randomly select "negative" examples

Advantages:

- easy to implement
- training is faster (smaller training set)
- for some domains, it can work very well

Remove samples of majority class Original dataset

Disadvantages

Loss of data/information

Random Oversampling

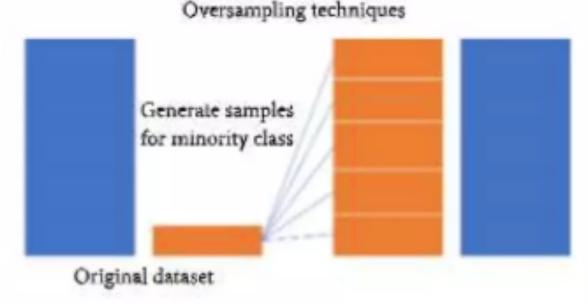
The process of sampling involves expanding the distribution of the minority class

Advantages:

- Easy to implement
- Use all the training data
- It tends to perform better on a broader dataset than subsampling

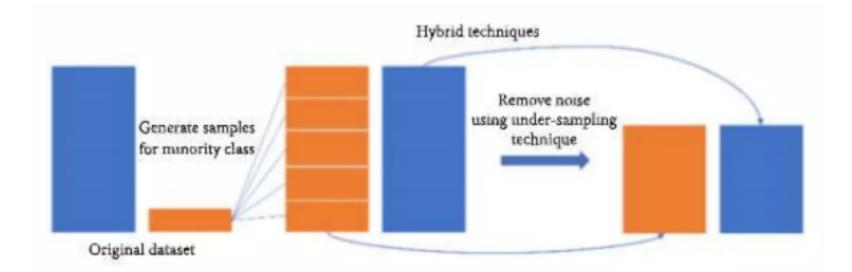
Disadvantages

- Computationally more expensive to train the classifier
- Can lead to overfitting



Hybrid approach

Combines undersampling and oversampling (subsampling) to achieve data balancing



Hybrid approach

Can offer several advantages, but it also comes with certain challenges:

- Risk of Overfitting (from Oversampling)
- Loss of Important Information (from Undersampling)
- Model Instability
- Deciding the correct ratio for oversampling and undersampling is not straightforward
- The process of removing or generating samples can distort the natural distribution of the data

Algorithms for data balancing

SMOTE (Synthetic Minority Over-sampling Technique)

Generates synthetic samples for the minority class by interpolating between existing minority class instances

Advantages:

- Reduces the risk of overfitting compared to simple duplication of minority class examples
- Often improves the model's ability to generalize when trained on highly imbalanced datasets

Challenges:

- Can lead to overfitting in noisy datasets
- May create unrealistic synthetic data, leading to a distorted decision boundary

ADASYN (Adaptive Synthetic Sampling)

Is a variant of SMOTE that generates synthetic data adaptively by focusing more on minority class examples that are difficult to classify

Advantages:

- Focuses on the most difficult examples, which helps improve classification boundaries.
- Less risk of introducing redundant or irrelevant synthetic examples

Challenges:

- May still introduce noise if too much synthetic data is generated
- Increased computational cost compared to SMOTE

Tomek Links

A data cleaning method used after oversampling. Tomek Links remove noisy examples from the dataset, particularly those that are near the decision boundary between classes

Advantages:

- Removes ambiguity and noise from the data
- Reduces the risk of overfitting by removing problematic examples after oversampling

Challenges:

 It does not inherently balance the dataset but is effective when used in combination with oversampling

Best Practices

Combination of Techniques:

Often, combining techniques like SMOTE with Tomek Links or using oversampling with undersampling can provide better results

Cross-validation: Always validate the results using cross-validation on imbalanced datasets to avoid overfitting or losing critical information during data balancing

Choosing Algorithms Based on Dataset: The choice of algorithm depends on the specific characteristics of the dataset: the size of the majority class, the degree of imbalance, and the type of classification task

Best Practices

There is no single "best" algorithm for data balancing, but rather a combination of approaches may be the most effective

Experimentation with different methods is necessary to find the optimal solution for a specific problem

Careful cross-validation, experimentation with different algorithms, and ensuring that performance metrics (like AUC, precision-recall, etc.) are evaluated on **imbalanced test data** are crucial