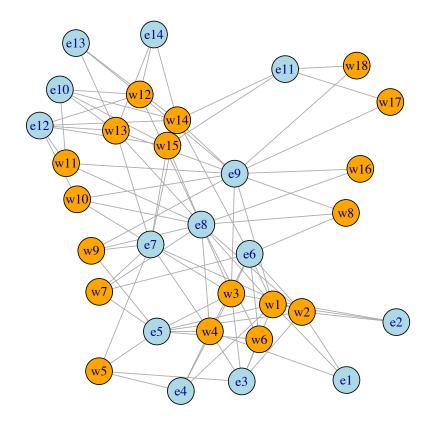
southern_women

April 28, 2015



Straight off the bat, the force-directed layout above uncovers some structure that we will be looking at in more detail later.

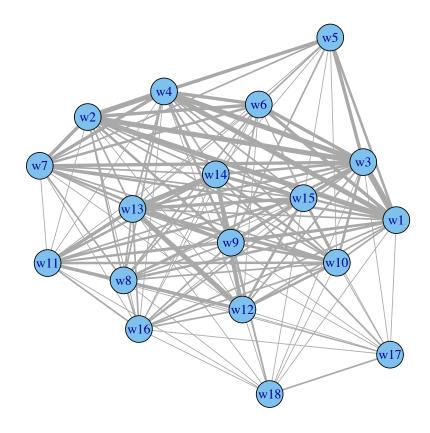
0.1 One-mode projections

So far we looked at two-mode networks. One thing we can do with two-mode networks is to project them to a single mode.

```
In [6]: library(tnet)
Loading required package: survival
tnet: Analysis of Weighted, Two-mode, and Longitudinal networks.
Type ?tnet for help.
In [7]: w2e.net <- as.tnet(df, type="binary two-mode tnet")</pre>
```

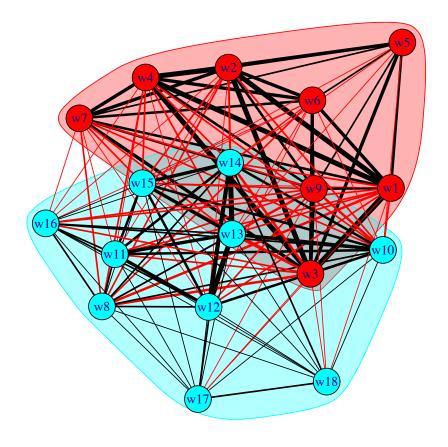
women.projected <- projecting_tm(w2e.net, method="sum")</pre>

```
In [8]: women.graph <- graph.edgelist(as.matrix(women.projected[,c(1,2)]))</pre>
        E(women.graph)$weight <- as.numeric(women.projected[,3]) / 2</pre>
        women.undirected <- as.undirected(women.graph)</pre>
In [9]: get.adjacency(women.undirected, attr="weight")
Out[9]: 18 x 18 sparse Matrix of class "dgCMatrix"
         [1,] . 6 7 6 3 4 3 3 3 2 2 2 2 2 1 2 1 1
         [2,] 6 . 6 6 3 4 4 2 3 2 1 1 2 2 2 1 . .
         [3,] 76.644434322332211
         [4,] 6 6 6 . 4 4 4 2 3 2 1 1 2 2 2 1 . .
         [5,] 3 3 4 4 . 2 2 . 2 1 . . 1 1 1 . . .
         [6,] 4 4 4 4 2 . 3 2 2 1 1 1 1 1 1 1 . .
         [7,] 3 4 4 4 2 3 . 2 3 2 1 1 2 2 2 1 . .
         [8,] 3 2 3 2 . 2 2 . 2 2 2 2 2 2 1 2 1 1
         [9,] 3 3 4 3 2 2 3 2 . 3 2 2 3 2 2 2 1 1
        [10,] 2 2 3 2 1 1 2 2 3 . 3 3 4 3 3 2 1 1
        [11,] 2 1 2 1 . 1 1 2 2 3 . 4 4 3 3 2 1 1
        [12,] 2 1 2 1 . 1 1 2 2 3 4 . 6 5 3 2 1 1
        [13,] 2 2 3 2 1 1 2 2 3 4 4 6 . 6 4 2 1 1
        [14,] 2 2 3 2 1 1 2 2 2 3 3 5 6 . 4 1 2 2
        [15,] 1 2 2 2 1 1 2 1 2 3 3 3 4 4 . 1 1 1
        [16,] 2 1 2 1 . 1 1 2 2 2 2 2 2 1 1 . 1 1
        [17,] 1 . 1 . . . . 1 1 1 1 1 1 2 1 1 . 2
        [18,] 1 . 1 . . . . 1 1 1 1 1 1 2 1 1 2 .
In [10]: plot.igraph(women.undirected, layout=layout.fruchterman.reingold,
                     vertex.label=sprintf("w%d", V(women.undirected)),
                     edge.width=E(women.undirected)$weight)
```

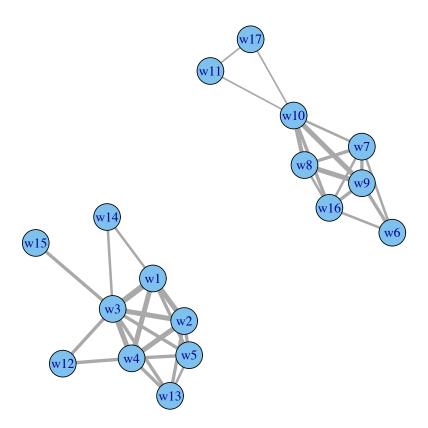


Note that almost everyone is linked to everyone, and it is difficult to discern any structure. Yet if we run a community detection algorithm, it does find structure:

```
In [11]: wc <- leading.eigenvector.community(women.undirected)</pre>
         modularity(wc)
         t(cbind(membership(wc), V(women.undirected)))
         plot(wc, women.undirected,
              layout=layout.fruchterman.reingold,
              vertex.label=sprintf("w%d", V(women.undirected)),
              edge.width=E(women.undirected)$weight
Out[11]:
  0.151865282975194
   Out[11]:
    1 1
                              9
                                 10
                                     11
                                         12 13
                                                  14
                                                      15
                                                          16
```



```
In [12]: library(disparityfilter)
In [13]: women.backbone <- get.backbone(graph=women.undirected, alpha=0.26, directed=FALSE)
Disparity Filter
alpha = 0.26
Original graph
IGRAPH U-W- 18 139 --
+ attr: weight (e/n)
Backbone graph
IGRAPH UNW- 17 35 --
+ attr: name (v/c), weight (e/n)</pre>
```

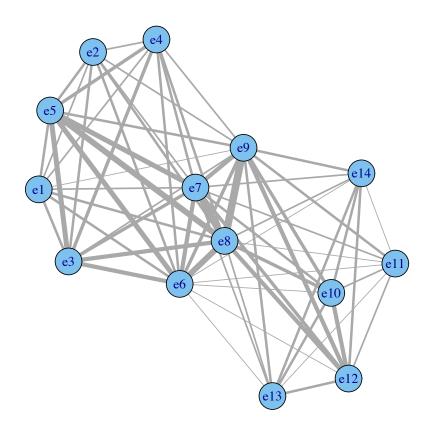


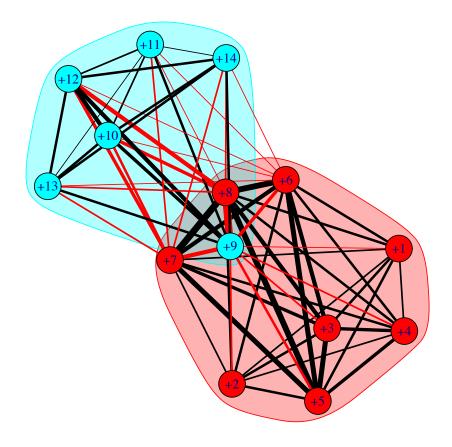
The projection backbone looks interesting, confirming our suspicion that there are two communities present, yet it is also wrong! Note that woman 3 ends up in the same group as woman 13, while they they clearly have different sets of close friends as can be seen from the force-directed layout visualization (first figure).

```
Out[17]: 14 x 14 sparse Matrix of class "dgCMatrix"

[1,] . 2 3 2 3 3 2 3 1 . . . . .
[2,] 2 . 3 2 3 3 2 3 2 . . . . .
[3,] 3 3 . 4 6 5 4 5 2 . . . . .
[4,] 2 2 4 . 4 3 3 3 2 . . . . .
[5,] 3 3 6 4 . 6 6 7 3 . . . . .
[6,] 3 3 5 3 6 . 5 7 4 1 1 1 1 1
[7,] 2 2 4 3 6 5 . 8 5 3 2 4 2 2
[8,] 3 3 5 3 7 7 8 . 9 4 1 5 2 2
[9,] 1 2 2 2 3 4 5 9 . 4 3 5 3 3
[10,] . . . . . . 1 3 4 4 . 2 5 3 3
[11,] . . . . . . 1 2 1 3 2 . 2 1 1
[12,] . . . . . . 1 2 2 3 3 1 3 . 3
[14,] . . . . . . 1 2 2 3 3 1 3 3 .
```

The events graph is a little easier to parse visually, both as as an adjacency matrix and as a graphical representation. There clearly seems to be three clusters of events, two clusters of five nodes each far apart, and one of four nodes that joins the others.





The better-separated event space also has a better modularity coefficient.