

Module 11: Two-way ANOVA Assignment

Alex Schlesener

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0.1 Instructions

In a post-apocalyptic world overrun by zombies, a human factors psychologist was curious about the relative effectiveness of various weapons for killing zombies, but also suspected that skill level could be an important factor in zombie killing effectiveness. The human factors psychologist collected data from a sample of 20 survivors. The survivors were asked, “what is your preferred weapon for killing zombies?” Interestingly, there were only three categories (katana, crossbow, flamethrower). The researcher asked an independent weapons expert, who was unaware of the purpose of the study, to classify each survivor’s skill level with the weapon (novice vs. expert). The dependent variable was the number of zombies killed with their preferred weapon since the beginning of the apocalypse.

You will analyze the data in parts (pun intended). Use SPSS and R.

0.2 Import data

```
# Import Packages
library(haven)
library(car)
```

```
## Loading required package: carData
```

```
library(emmeans)
library(lsr)
library(effects)
```

```
## lattice theme set by effectsTheme()
## See ?effectsTheme for details.
```

```
library(interactions)

# Import the .sav data file
Zombie.data <- read_sav("Data/Zombies.sav")

# Summarize Data
str(Zombie.data)
```

```
## tibble [20 x 3] (S3: tbl_df/tbl/data.frame)
## $ number: num [1:20] 17 3 22 4 14 4 11 6 13 3 ...
## ..- attr(*, "label")= chr "Number of Zombies Killed"
## ..- attr(*, "format.spss")= chr "F8.0"
## $ weapon: dbl+lbl [1:20] 3, 1, 3, 1, 2, 2, 3, 1, 3, 2, 1, 1, 2, 1, 3, 1, 2, 3, 1, 2
## ..@ label      : chr "Preferred Weapon"
## ..@ format.spss: chr "F8.0"
## ..@ labels     : Named num [1:3] 1 2 3
## .. ..- attr(*, "names")= chr [1:3] "katana" "crossbow" "flamethrower"
## $ skill : dbl+lbl [1:20] 2, 1, 2, 1, 2, 1, 2, 1, 1, 1, 1, 2, 2, 2, 1, 1, 2, 1, 2, 1
## ..@ label      : chr "Rated Skill Level"
## ..@ format.spss : chr "F8.0"
## ..@ display_width: int 7
## ..@ labels     : Named num [1:2] 1 2
## .. ..- attr(*, "names")= chr [1:2] "novice" "expert"
```

```
summary(Zombie.data)
```

```
##      number      weapon      skill
## Min.   : 2.00   Min.   :1.0   Min.   :1.00
## 1st Qu.: 4.00   1st Qu.:1.0   1st Qu.:1.00
## Median :11.00   Median :2.0   Median :1.00
## Mean   :10.50   Mean   :1.9   Mean   :1.45
## 3rd Qu.:15.25   3rd Qu.:3.0   3rd Qu.:2.00
## Max.   :22.00   Max.   :3.0   Max.   :2.00
```

Based on this summary, we know that this data frame contains 20 rows and 3 columns. The variables are *number*, *weapon*, and *skill*. Variables *weapon* and *skill* should be converted into factors.

0.3 Convert Categorical Variables to Factors

```
# Convert "weapon" and "skill" into factors.
Zombie.data$weapon <- factor(Zombie.data$weapon, labels = c("katana", "crossbow", "flamethrower"))
Zombie.data$skill <- factor(Zombie.data$skill, labels = c("novice", "expert"))

# Use effects coding, aka "deviation" coding, to code the factors
contrasts(Zombie.data$weapon) <- "contr.sum"
contrasts(Zombie.data$skill) <- "contr.sum"
contrasts(Zombie.data$weapon)
```

```
##           [,1] [,2]
## katana      1    0
## crossbow    0    1
## flamethrower -1   -1
```

```
contrasts(Zombie.data$skill)
```

```
##           [,1]
## novice      1
## expert     -1
```

0.4 Calculate Descriptive Statistics

```
# Use the base R function "aggregate()" to calculate descriptive statistics by condition
aggregate(number ~ weapon + skill, data = Zombie.data, mean)
```

```
##           weapon skill  number
## 1      katana novice  3.60000
## 2   crossbow novice  4.00000
## 3 flamethrower novice 16.33333
## 4      katana expert 15.66667
## 5   crossbow expert 11.33333
## 6 flamethrower expert 16.66667
```

```
aggregate(number ~ weapon, data = Zombie.data, mean)
```

```
##           weapon  number
## 1      katana  8.125000
## 2   crossbow  7.666667
## 3 flamethrower 16.500000
```

```
aggregate(number ~ skill, data = Zombie.data, mean)
```

```
##           skill  number
## 1 novice  7.181818
## 2 expert 14.555556
```

0.5 Conduct a two-way analysis of variance (ANOVA) in R

```
# Use lm() to conduct a two-way ANOVA
Zombie.2way <- lm(number ~ weapon + skill + weapon:skill, Zombie.data)
summary(Zombie.2way)
```

```
##
## Call:
## lm(formula = number ~ weapon + skill + weapon:skill, data = Zombie.data)
##
```

```
## Residuals:
##      Min       1Q   Median       3Q      Max
## -5.6667 -1.1500 -0.3333  1.3500  5.3333
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)    11.2667     0.7249  15.543 3.18e-10 ***
## weapon1        -1.6333     0.9878   -1.653 0.120477
## weapon2        -3.6000     1.0433   -3.451 0.003899 **
## skill1         -3.2889     0.7249   -4.537 0.000465 ***
## weapon1:skill1  -2.7444     0.9878   -2.778 0.014800 *
## weapon2:skill1  -0.3778     1.0433   -0.362 0.722676
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 3.183 on 14 degrees of freedom
## Multiple R-squared:  0.8238, Adjusted R-squared:  0.7608
## F-statistic: 13.09 on 5 and 14 DF,  p-value: 7.313e-05
```

```
# Use Anova() to obtain the Type III sum-of-squares
Anova(Zombie.2way, type=3)
```

```
## Anova Table (Type III tests)
##
## Response: number
##              Sum Sq Df F value    Pr(>F)
## (Intercept) 2448.09  1 241.5874 3.176e-10 ***
## weapon      261.79  2  12.9171 0.0006624 ***
## skill       208.61  1  20.5865 0.0004649 ***
## weapon:skill 114.97  2   5.6727 0.0156893 *
## Residuals   141.87 14
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
# Check Homogeneity of Variance Assumption
leveneTest(number ~ weapon*skill, data = Zombie.data, center = mean)
```

```
## Levene's Test for Homogeneity of Variance (center = mean)
##      Df F value Pr(>F)
## group 5  1.5646 0.2335
##      14
```

```
# Understanding the Main Effect:
# a) Post Hoc comparisons to understand the main effect of "weapon"
emmeans(Zombie.2way, pairwise ~ weapon)
```

```
## NOTE: Results may be misleading due to involvement in interactions
```

```
## $emmeans
##      weapon      emmean    SE df lower.CL upper.CL
## katana      9.63 1.16 14      7.14      12.1
```

```
## crossbow      7.67 1.30 14      4.88      10.5
## flamethrower 16.50 1.30 14     13.71      19.3
##
## Results are averaged over the levels of: skill
## Confidence level used: 0.95
##
## $contrasts
## contrast      estimate    SE df t.ratio p.value
## katana - crossbow      1.97 1.74 14    1.128  0.5134
## katana - flamethrower  -6.87 1.74 14   -3.938  0.0040
## crossbow - flamethrower -8.83 1.84 14   -4.806  0.0008
##
## Results are averaged over the levels of: skill
## P value adjustment: tukey method for comparing a family of 3 estimates
```

```
# b) Post Hoc comparisons to understand the main effect of "skill"
emmeans(Zombie.2way, pairwise ~ skill)
```

```
## NOTE: Results may be misleading due to involvement in interactions
```

```
## $emmeans
## skill emmean    SE df lower.CL upper.CL
## novice  7.98 0.988 14     5.86    10.1
## expert 14.56 1.061 14    12.28    16.8
##
## Results are averaged over the levels of: weapon
## Confidence level used: 0.95
##
## $contrasts
## contrast      estimate    SE df t.ratio p.value
## novice - expert  -6.58 1.45 14   -4.537  0.0005
##
## Results are averaged over the levels of: weapon
```

```
# Understanding the Interaction Effect
```

```
# a) Interaction effect of "katana"
```

```
simple.katana <- lm(number ~ skill, data = Zombie.data, subset = weapon == "katana")
simple.katana
```

```
##
## Call:
## lm(formula = number ~ skill, data = Zombie.data, subset = weapon ==
##      "katana")
##
## Coefficients:
## (Intercept)      skill1
##      9.633      -6.033
```

```
# b) Interaction effect of "crossbow"
```

```
simple.crossbow <- lm(number ~ skill, data = Zombie.data, subset = weapon == "crossbow")
simple.crossbow
```

```
##
## Call:
## lm(formula = number ~ skill, data = Zombie.data, subset = weapon ==
##      "crossbow")
##
## Coefficients:
## (Intercept)      skill1
##      7.667      -3.667

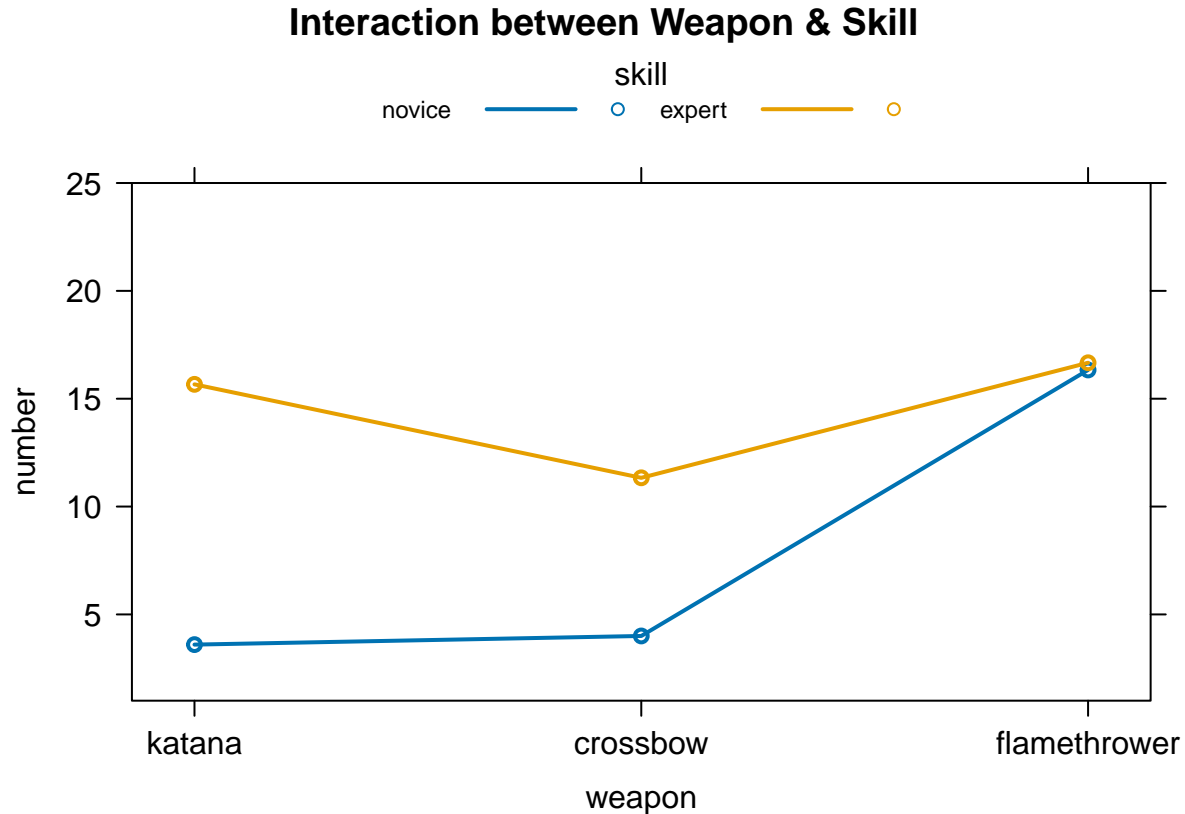
# c) Interaction effect of "flamethrower"
simple.flamethrower <- lm(number ~ skill, data = Zombie.data, subset = weapon == "flamethrower")
simple.flamethrower

##
## Call:
## lm(formula = number ~ skill, data = Zombie.data, subset = weapon ==
##      "flamethrower")
##
## Coefficients:
## (Intercept)      skill1
##      16.5000      -0.1667

# Determine the Effect Size
etaSquared(Zombie.2way)

##              eta.sq eta.sq.part
## weapon      0.3466152  0.6629380
## skill       0.2967391  0.6273939
## weapon:skill 0.1428157  0.4476314

# Plot Data
plot(Effect(c('weapon', 'skill'), Zombie.2way),
     xlab = 'weapon',
     main = 'Interaction between Weapon & Skill',
     lines = list(multiline=TRUE), ylim = c(1, 25))
```



0.6 Conduct a two-way analysis of variance (ANOVA) in SPSS

See full SPSS export in *Module_11_SPSS_aschles.pdf*. See Figure 1 for SPSS plot.

0.7 Summary of Results

To determine whether the type of weapon and skill level had impacts on the number of zombies killed, we conducted a two-way analysis of variance. Number of zombies killed was the dependent variable, whereas type of weapon (with three levels) and skill level (with two levels) were the independent variables.

1.) Determine whether there is an effect of skill level on the dependent variable. If there is, remember that you should report an effect size and describe the results. Assume $\alpha = .05$.

The main effect of skill level is statistically significant, $F(1) = 20.59$, $p < .001$. In addition, the effect size ($\eta^2 = .595$) indicated that 59.50% of the variance in number of zombie deaths can be explained by level of skill.

2.) Determine whether there is an effect of type of weapon on the dependent variable. If there is, remember that you should report an effect size and conduct post hoc analyses to better understand where the statistically significant differences are. Assume $\alpha = .05$.

The main effect of weapon type is statistically significant, $F(2) = 12.92$, $p < .001$. In addition, the effect size ($\eta^2 = .649$) indicated that 64.90% of the variance in number of zombie deaths can be explained by the type of weapon used.

Because type of weapon was found to be related to number of zombies killed, post hoc analyses were conducted using LSD. Based on this procedure, a flamethrower produced significantly more zombie deaths

than a crossbow ($MD = 8.83$, $SD = 1.84$, $p < .001$). A flamethrower also caused more zombie deaths than a katana ($MD = 8.38$, $SD = 1.72$, $p < .001$). There was no significant difference in zombie deaths between a katana and a crossbow.

3.) Is there an interaction between skill level and type of weapon? Report any statistically significant effects and be sure to clearly describe what you found. Assume $\alpha = .05$.

The main effect of the interaction between skill level and type of weapon is statistically significant, $F(2) = 5.67$, $p = .016$. In addition, the effect size ($\eta^2 = .448$) indicated that 44.80% of the variance in number of zombie deaths can be explained by the interaction between skill level and type of weapon.

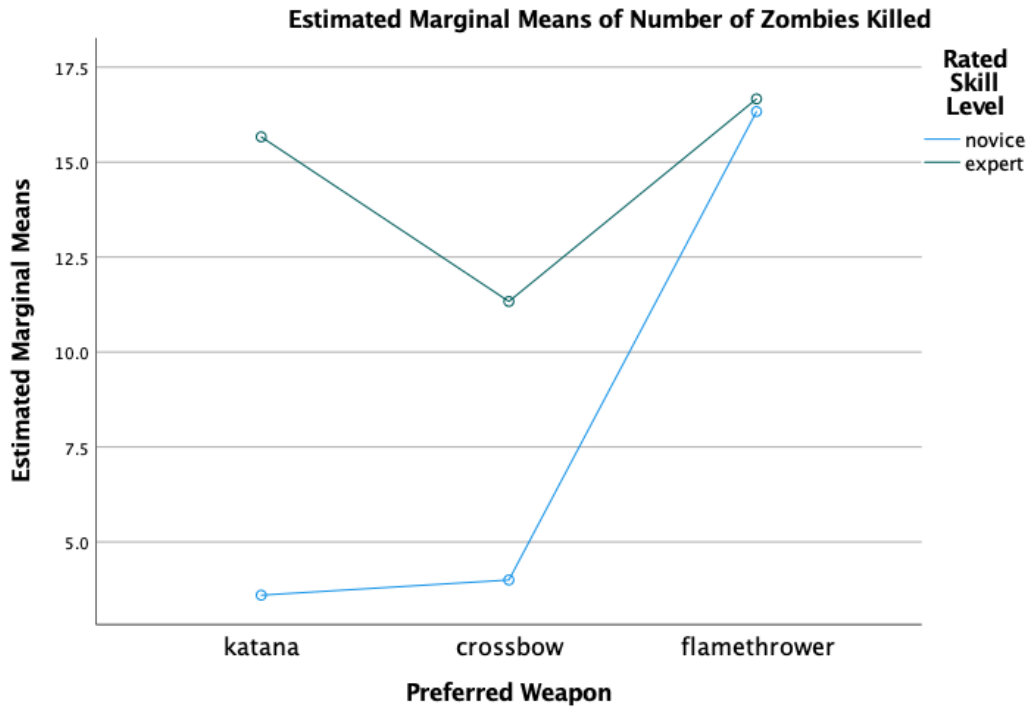


Figure 1: SPSS Plot