## Project Euler #719: Number Splitting

## Solved December 2, 2021

We define an S-number to be a natural number, n, that is a perfect square and its square root can be obtained by splitting the decimal representation of n into two or more numbers then adding the numbers.

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For example, 81 is an S-number because \sqrt{81}=8+1. 6724 \text{ is an } S\text{-number: } \sqrt{6724}=6+72+4. 8281 \text{ is an } S\text{-number: } \sqrt{8281}=82+8+1. 9801 \text{ is an } S\text{-number: } \sqrt{9801}=98+0+1. Further we define T(N) to be the sum of all S numbers n \leq N. You are given T(10^4)=41333. Find T(10^{12}).
```

## Solution

128088830547982
• <u>T</u>(10^12)

```
N = 10^12;

g (generic function with 1 method)

• function g(n, s)

• n ≤ s && return n == s

• for i in 1:ndigits(n)-1

• g(n % 10^i, s - n ÷ 10^i) && return true

• end

• return false

• end

T (generic function with 1 method)

• T(N) = sum(n^2 for n in 2:isqrt(N) if g(n^2, n))
```

```
BenchmarkTools.Trial: 6 samples with 1 evaluation. Range (min ... max): 10.401 s ... 12.052 s | GC (min ... max): 0.00% ... 0.00% Time (median): 11.486 s | GC (median): 0.00% Time (mean \pm \sigma): 11.365 s \pm 636.055 ms | GC (mean \pm \sigma): 0.00% \pm 0.00% \pm 10.4 s | Histogram: frequency by time | 12.1 s <
```

Memory estimate: 0 bytes, allocs estimate: 0.

## **Validation**

• **@assert** <u>T</u>(10^4) == 41333