Assignment 6

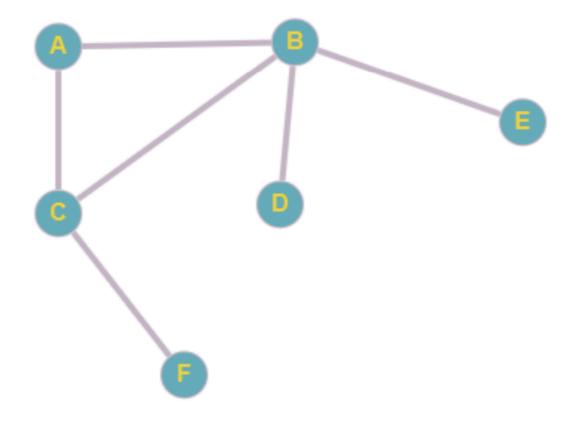
Exercise 1

- $1 \rightarrow 2 \rightarrow 3$
- $2 \rightarrow 1 \rightarrow 4 \rightarrow 5$
- $3 \rightarrow 1 \rightarrow 6 \rightarrow 7$
- **4** → **2**
- 5 → 2
- 6 → 3
- $7 \rightarrow 3$

Give an equivalent adjacency-matrix representation.

	1	2	3	4	5	6	7
1	0	1	1	0	0	0	0
2	1	0	0	1	1	0	0
3	1	0	0	0	0	1	1
4	0	1	0	0	0	0	0
5	0	1	0	0	0	0	0
6	0	0	1	0	0	0	0
7	0	0	1	0	0	0	0

Exercise 2



Note: Consider node A as a start node; the alphabetical order is prioritized in visiting nodes.

2.1

Traverse each node in the graph using Breadth First Search traversal. Show the detailed steps using a Queue. (1 point)

Step 1: Start with node A. Enqueue A and mark as visited. Queue: [A]

Step 2: Dequeue A, and enqueue its neighbors B and C in alphabetical order. Queue: [B, C]

Step 3: Dequeue B, and enqueue its neighbor D and E. Mark B as visited. Queue: [C, D, E]

Step 4: Dequeue C, and enqueue its neighbors F. Queue: [D, E, F]

Step 5: Dequeue D. D has no unvisited neighbors. Queue: [E, F]

Step 6: Dequeue E. E has no unvisited neighbors. Queue: [F]

Step 7: Dequeue F. F has no unvisited neighbors.

Queue is now empty.

Traversal order: A, B, C, D, E, F

2.2

Traverse each node in the graph using Depth First Search traversal. Show the detailed steps using a Stack. (1 point)

Step 1: Start with node A. Push A onto the stack and mark it as visited. Stack: [A]

Step 2: Pop A, push its neighbors B, C, and F onto the stack. Stack: [B, C, F]

Step 3: Pop B, and push its neighbors D and E onto the stack. Stack: [C, F, D, E]

Step 4: Pop C. C has no unvisited neighbors. Stack: [F, D, E]

Step 5: Pop F. F has no unvisited neighbors. Stack: [D, E]

Step 6: Pop D. D has no unvisited neighbors. Stack: [E]

Step 7: Pop E. E has no unvisited neighbors.

Stack is now empty.

Traversal order: A, B, C, F, D, E