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BER for binary signals in AWGN channel

AIM:

To perform Monte Carlo simulation using matlab for finding BER of a binary signal in AWGN channel and verify the same by Theoretical BER.

Signal tx and rx

$$z = \begin{cases} a_1 + n_0 & \text{if } s_1(t) \text{ (bit } = '1') \text{ is transmitted,} \\ a_2 + n_0 & \text{if } s_2(t) \text{ (bit } = '0') \text{ is transmitted,} \end{cases}$$

Theoretical BER

- 1. Consider the antipodal signalling, that is, a2 = -a1.
- 2. Let a1 =[0.25, 0.5, 0.75, 1, 1.25, 1.5, 1.75, 2, 2.5, 3, 3.5].
- 3. Noise variance =1.
- 4. Using matlab function erfc, calculate theoretical BER for each value of a1.
- 5. Plot the theoretical BER as a function of SNR. While plotting use loglog function instead of plot

BER expression

$$p_b = Q\left(\frac{a_1 - a_2}{2\sigma_0}\right)$$

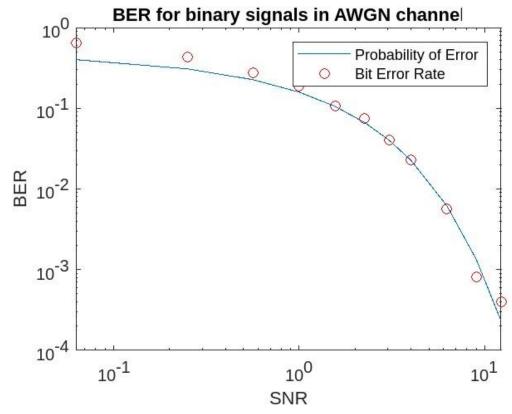
Monte carlo simulation

- 1. Consider a1=- a2
- 2. Generate a signal randomly from [a1, a2]. USe rand or randi matlab function
- 3. Generate noise using the randn function.
- 4. Generate z using signal a and noise.
- 5. If z> (a1+a2)/2, declare the received signal as bit 1 else as bit 0.
- 6. Repeat the above process 10000 times. The count number of times bit 1 is tx. count number of times
- 7. z = bit 1.
- 8. Sim BER = 1-(z=bit 1)/(#times bit 1 tx)

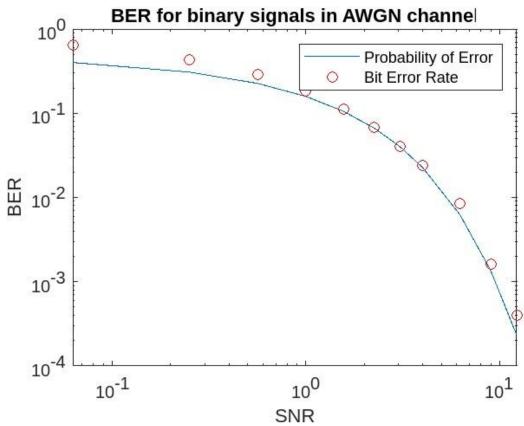
Working Code

```
%BER for binary signals in AWGN channel
clear all; close all; clc; % Clear all data
%Task 1: Theoretical BER
a1 =[0.25, 0.5, 0.75, 1, 1.25, 1.5, 1.75, 2, 2.5, 3, 3.5];
% Different sample of Amplitude of 1 bit
a2 = -a1; % Different sample of Amplitude of 0 bit
NoiseVariance = 1; %Noise variance =1.
% Number of sample
numsamp = 5000;
%pb -> probability of error(BER)
q=(a1-a2)./(2); %% For computation of Qfunc from ERFC
pb = 1/2 .* erfc(q./sqrt(2));
%snr ->signal to noise ratio
snr=(a1.^2)./NoiseVariance;
%plot snr vs probability of error
loglog(snr,pb);
%Monte carlo simulation
ber = zeros(1,length(a1)); %initialise BER count to zero
for i = 1:length(a1) %sample of amplitude
       ber(i) = 0;
       tx1count = 0;
       rx1count = 0;
   for j = 1:numsamp
       x = randi([0 1]);
       if x==1
           s=a1(i);
       else
           s = a2(i);
       end
       n0 = randn();%Generate AWGN
       z = s + n0; % addition of gaussian noise
       bound = (a1(i)+a2(i))/2; % boundary
       if z \ge bound
           rx1count = rx1count+1;% Num of 1 bit received for a(i)Amp
           if(s == al(i))
               tx1count = tx1count+1;% Num of 1 bit received for a(i)Amp
           end
       end
 ber(i) = abs(1- (rx1count/tx1count)); %calculation of BER
end
%plot snr vs ber
hold on;
loglog(snr,ber,"ro");
hold off
xlabel('SNR'); % label x axis
ylabel('BER'); % label y axis
title('BER for binary signals in AWGN channel');% Title
legend('Probability of Error', 'Bit Error Rate');% Legend
```

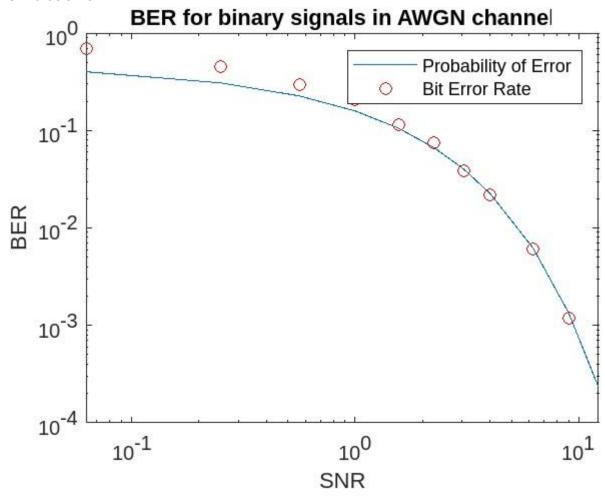
Simulation 1



Simulation 2



Simulation 3:



Observation:

- The Monte Carlo simulation is performed for finding BER of a binary signal in AWGN and verified with the Theoretical BER.
- The simulated BER is within the range of Theoretical BER.
- The BER decreases exponentially with the increase in SNR.