

Lab2

Control



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Section: 7

Step A, Closed-loop Transfer Function

Theoretical:

$$\begin{aligned} J\ddot{\theta} + B\dot{\theta} &= T_c, \quad \therefore T_c = K(\theta_r - \theta) \\ \therefore J\ddot{\theta} + B\dot{\theta} &= K(\theta_r - \theta) \\ \therefore J\theta(s)S^2 + B\theta(s)S &= K\theta_r - K\theta(s) \\ \therefore \underset{\substack{\uparrow \\ \text{o/p}}}{\theta(s)} [JS^2 + BS + K] &= \underset{\substack{\uparrow \\ \text{i/p}}}{K\theta_r}, \quad \text{we need } \theta \text{ to track } \theta_r \\ \therefore \boxed{T.F = \frac{\theta(s)}{\theta_r} = \frac{K}{JS^2 + BS + K}} &\neq \text{Second order system.} \end{aligned}$$

Matlab:

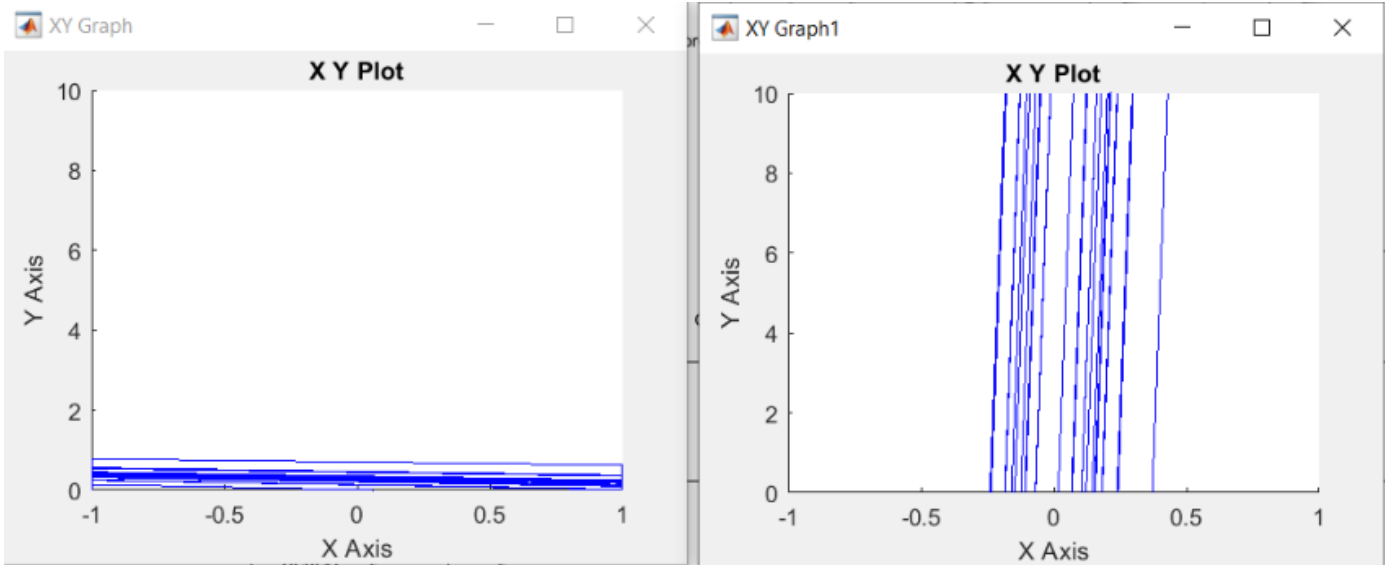
```
1 %-----a)-----%
2 j = 600000;
3 b = 20000;
4 k = 1;
5
6 TF = tf(k, [j b k])
7
8
```

TF =

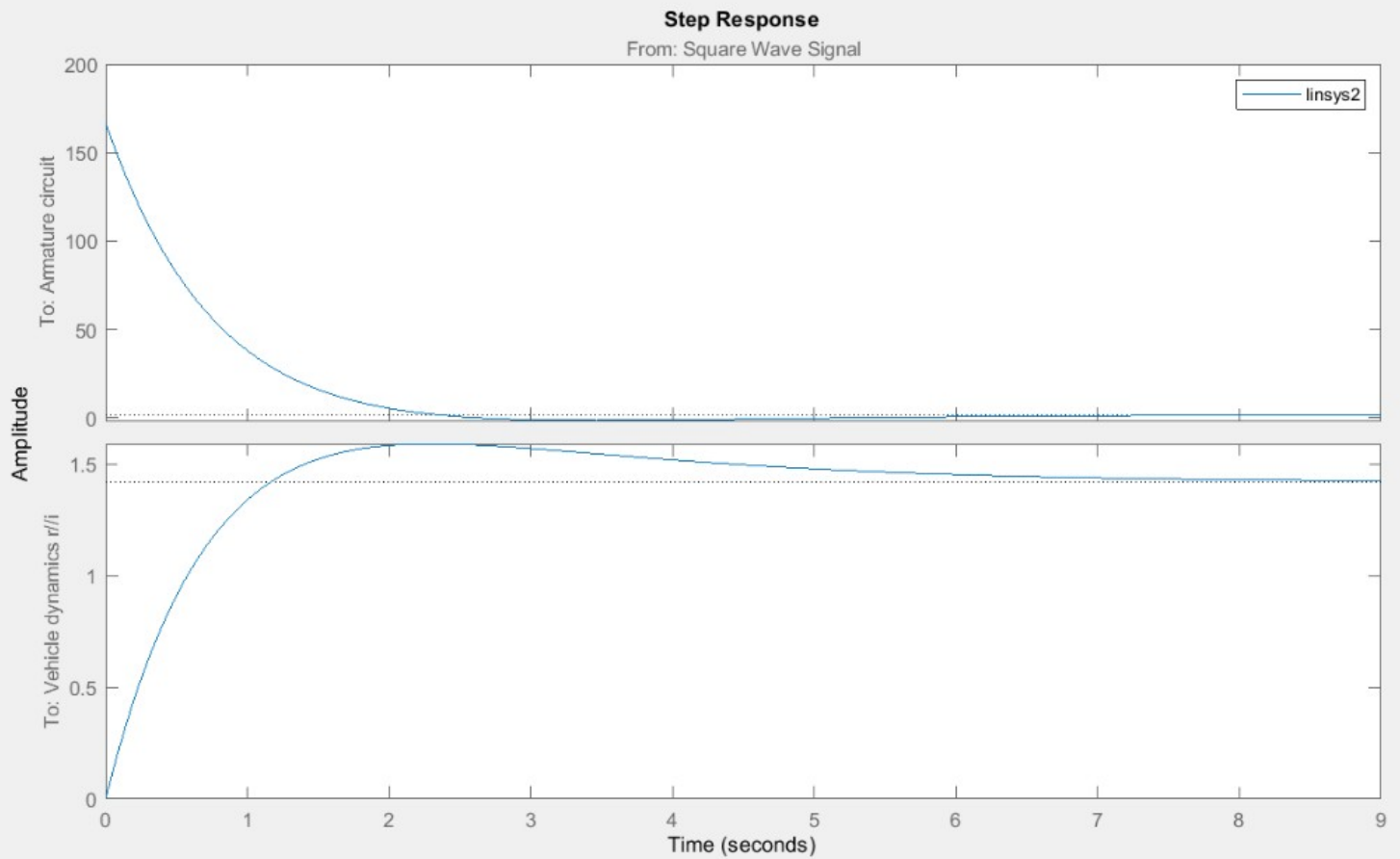
$$\frac{1}{600000 s^2 + 20000 s + 1}$$

Continuous-time transfer function.

XY Graph:



Step response:



Transfer functions:

```
>> tf(linsys1)

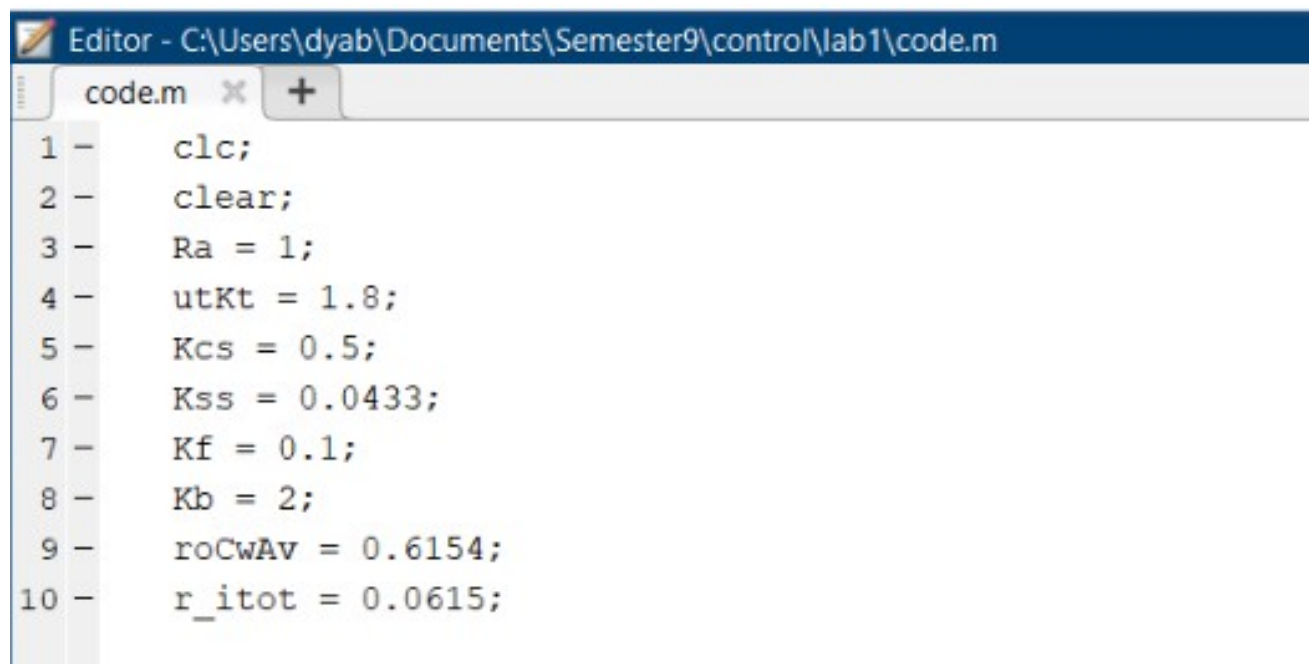
ans =

From input "Square Wave Signal" to output...
      166.7 s^3 + 169.8 s^2 + 43.18 s + 0.7631
Armature circuit:  -----
                   s^3 + 2.4 s^2 + 1.807 s + 0.4314

                   2.553 s^2 + 2.553 s + 0.6128
Vehicle dynamics r//i: -----
                   s^3 + 2.4 s^2 + 1.807 s + 0.4314

Name: Linearization at model initial condition
Continuous-time transfer function.
```

Part2: Matlab



```
Editor - C:\Users\dyab\Documents\Semester9\control\lab1\code.m
code.m x +
1 -   clc;
2 -   clear;
3 -   Ra = 1;
4 -   utKt = 1.8;
5 -   Kcs = 0.5;
6 -   Kss = 0.0433;
7 -   Kf = 0.1;
8 -   Kb = 2;
9 -   roCwAv = 0.6154;
10 -  r_itot = 0.0615;
```