

# BITWISE OPERATIONS

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## LAB: BITWISE OPERATIONS

### 1. BINARY DIGITS COUNT

You are given a positive integer number and one binary digit **B** (0 or 1). Your task is to write a program that finds the number of binary digits (**B**) in a given integer.

#### EXAMPLES

Input	Output	Comments
20 0	3	20 → 10100 We have <b>3 zeroes</b> .
15 1	4	15 → 1111 We have <b>4 ones</b> .
10 0	2	10 → 1010 We have <b>2 zeroes</b> .

#### HINTS

1. Declare **two** variables (**n** and **b**).
2. Read the user input from the console.
3. Convert the **n** into **binary representation** (you can use the built-in method).
4. Count the **b** digit in the binary number.
5. Print the result on the console.

#### SOLUTION

```
namespace _01.BinaryDigitsCount
```

```
{
```

```
    internal class Program
```

```
    {
```

```

static void Main(string[] args)

{

    // Въвеждане на число

    // Console.Write("Въведете положително цяло число: ");

    int number = int.Parse(Console.ReadLine());


    // Въвеждане на бинарна цифра (0 или 1)

    // Console.Write("Въведете бинарна цифра (0 или 1): ");

    int b = int.Parse(Console.ReadLine());


    // Проверка дали входът е валиден

    if (b != 0 && b != 1)

    {

        Console.WriteLine("Невалидна бинарна цифра! Трябва да бъде 0 или 1.");

        return;

    }


    // Преобразуване в двоично

    string binary = Convert.ToString(number, 2);


    // Преброяване на цифрите

    int count = 0;

    foreach (char digit in binary)

    {

        if (digit == b.ToString()[0])

        {

            count++;

        }

    }


    // Извеждане на резултата

```

```

        Console.WriteLine($"Цифрата {b} се среща {count} пъти в двоичното представяне на числото {number} ({binary}).");
    }
}
}

```

## 2. BIT AT POSITION 1

Write a program that prints the bit at **position 1** of the given integer. We use the standard counting: from right to left, starting from 0.

### EXAMPLES

Input	Output	Comments
2	1	000000 <b>1</b> 0 → <b>1</b>
51	1	001100 <b>1</b> 1 → <b>1</b>
13	0	000011 <b>0</b> 1 → <b>0</b>
24	0	000110 <b>0</b> 0 → <b>0</b>

### HINTS

1. Declare **two** variables (**n** and **bitAtPosition1**).
2. **Read** the user input from the console.
3. **Find** the **value** of the **bit at position 1** (position 1 is the second bit from right to left: [7, 6, 5, 4, 3, 2, 1, 0]):
  - a. **Shift** the number **n** times to the **right** (where **n** is the position, in this case, it is **1**) by using the **>>** operator. In that way, the bit we want to check will be at position **0**;
  - b. **Find** the bit at **position 0**. Use **& 1** operator expression to extract the value of a bit. By using the following **formulae** (**bitAtPosition1 & 1**), you **check** whether the bit at **position 0** is equal to **1** or **not**. If the bit is **equal** to **1** the **result** is **1**, if the bit is **not equal** – the **result** is **0**;
  - c. **Save** the result in **bitAtPosition1**;
4. **Print** the result on the console.

### SOLUTION

```
namespace _2.BitAtPosition1
```

```

{
    internal class Program
    {
        static void Main(string[] args)
        {
            // Console.Write("Въведете цяло число: ");

            int number = int.Parse(Console.ReadLine());

            // Позицията на бита, който искаме да вземем (в случая 1)

```

```

int position = 1;

// Изместваме числото надясно с 1 позиция и взимаме последния бит с & 1

int bit = (number >> position) & 1;

// Извеждаме резултата

Console.WriteLine($"Битът на позиция {position} е: {bit}");

}

}

}

```

### 3. P-TH BIT

Write a program that prints the bit at position **p** of the given integer. We use the standard counting: from right to left, starting from **0**.

#### EXAMPLES

Input	Output	Comments
2145 5	1	0000100001100001 → 1
512 0	0	0000001000000000 → 0
111 8	0	0000000001101111 → 0
255 7	1	0000000011111111 → 1

#### HINTS

1. Declare **three** variables (**n**, **p** and **bitAtPositionP**).
2. **Read** the user input from the console.
3. **Find** the **value** of the **bit at position p**:
  - a. **Shift** the number **p** times to the **right** (where **p** is the position) by using the **>>** operator. In that way the bit we want to check will be at position **0**;
  - b. **Find** the bit at **position 0**. Use **& 1** operator expression to extract the value of a bit. By using the following **formula** (**bitAtPositionP & 1**) you **check** whether the bit at **position 0** is equal to **1** or **not**. If the bit is **equal** to **1** the **result** is **1** if the bit is **not equal** – the **result** is **0**;
  - c. **Save** the result in **bitAtPosition1**;
4. **Print** the result on the console.

### 4. BIT DESTROYER

Write a program that sets the bit at **position p** to **0**. Print the resulting integer.

## EXAMPLES

Input	Output	Comments
1313 5	1281	010100100001 → 010100000001
231 2	227	000011100111 → 000011100011
111 6	47	000001101111 → 000000101111
111 4	111	000001101111 → 000001101111

## HINTS

1. Declare **four** variables (**n**, **p**, **mask**, and **newNumber**).
2. **Read** the user input from the console.
3. **Set** the **value** of the **bit at position p** to **0**:
  - a. **Shift** the number **1**, **p** times to the **left** (where **p** is the position) by using the **<<** operator. In that way, the bit we want to delete will be at position **p**. Save the resulting value in a **mask**;
  - b. **Invert** the **mask** (e.g., we move the number **1**, **3** times, and we get **00001000**, after inverting, we get **11110111**).
  - c. Use **& mask** operator expression to **set** the **value** of a number to **0**. By using the following **formulae** (**n & mask**), you **copy all** the **bits** of the **number**, and you **set** the bit at **position p** to **0**;
  - d. **Save** the result in **newNumber**;
4. **Print** the result on the console.

## 5. \*ODD TIMES

You are given an **array of positive integers** in a single line, separated by a space (' '). All numbers occur an even number of times except one number, which occurs an odd number of times. Find it using only bitwise operations.

## EXAMPLES

Input	Output
1 2 3 2 3 1 3	3
5 7 2 7 5 2 5	5

## HINTS

1. Read an array of integers.
2. Initialize a variable **result** with a value of **0**.
3. Iterate through all numbers in the array.
4. Use **XOR (^)** of the **result** and **all numbers** in the **array**.
  - a. **XOR of two elements** is **0** if **both elements** are the **same**, and **XOR** of a number **x** with **0** is **x**
5. Print the **result**.

Think about why the above algorithms are correct.

## 6. \* TRI-BIT SWITCH

Write a program that inverts the **3 bits** from position **p** to the left with their XOR opposites (e.g., **111** -> **000**, **101** -> **010**) in a 32-bit number. Print the resulting integer on the console.

#### EXAMPLES

Input	Output	Comments
1234 7	1874	00000000000000000000000001 <b>001</b> 1010010 → 00000000000000000000000001 <b>110</b> 1010010
44444 4	44524	0000000000000000000000000101011011 <b>001</b> 1100 → 0000000000000000000000000101011011 <b>110</b> 1100

#### HINTS

1. **Shift** the number **7** (the number 7 has the bits 111, which we use to get 3 consecutive values), **p** times to the **left** (where **p** is the position) by using the **<<** operator. In that way, the **3 bits** we want to **invert** will be at position **p**. Save the resulting value in the **mask**.
2. Use the **^ mask** operator expression to **invert** the **values** of the **three bits** starting from position **p**. By using the following **formulae** ( $n \wedge \text{mask}$ ), you **copy** all the **bits** of the **number**, and you **invert** the bits at position **p**, **p+1**, and **p+2**.
3. Save the result in **result**.