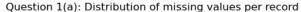
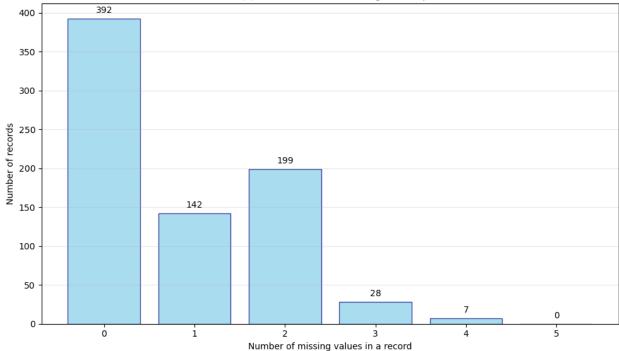
```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from collections import Counter
```

Question 1:

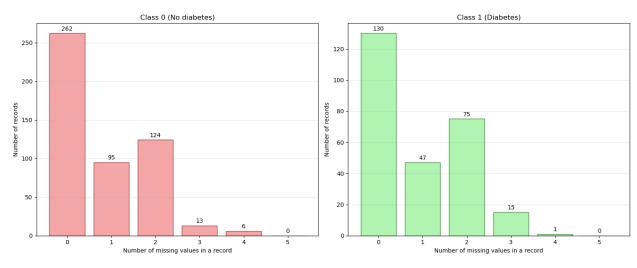
```
# Question 1(a): Missing values distribution across records
df = pd.read csv('diabetes.csv')
# Attributes with missing values
missing_attrs = ['Glucose', 'BloodPressure', 'SkinThickness',
'Insulin', 'BMI']
# Count missing values per record
missing_per_record = []
for _, row in df.iterrows():
    count = sum(1 for attr in missing attrs if row[attr] == 0)
    missing per record.append(count)
# Distribution of missing counts
missing distribution = Counter(missing per record)
# Plot
plt.figure(figsize=(10, 6))
x values = list(range(6))
y values = [missing distribution.get(i, 0) for i in x values]
plt.bar(x values, y values, color='skyblue', edgecolor='navy',
alpha=0.7
plt.xlabel('Number of missing values in a record')
plt.vlabel('Number of records')
plt.title('Question 1(a): Distribution of missing values per record')
plt.xticks(x values)
plt.grid(axis='y', alpha=0.3)
# Add value labels on bars
for i, v in enumerate(y values):
    plt.text(i, v + 5, str(v), ha='center', va='bottom')
plt.tight layout()
plt.show()
```





```
# Question 1(b): Missing values distribution by class
# Read data
df = pd.read csv('diabetes.csv')
missing_attrs = ['Glucose', 'BloodPressure', 'SkinThickness',
'Insulin', 'BMI']
# Split by class
class 0 = df[df['Outcome'] == 0]
class 1 = df[df['Outcome'] == 1]
def get_missing_distribution(data):
    """Calculate missing values distribution for given data"""
    missing counts = []
    for _, row in data.iterrows():
        count = sum(1 for attr in missing attrs if row[attr] == 0)
        missing counts.append(count)
    return Counter(missing counts)
# Get distributions for each class
dist class 0 = get missing distribution(class 0)
dist class 1 = get missing distribution(class 1)
# Plot both classes
fig, (ax1, ax2) = plt.subplots(1, 2, figsize=(15, 6))
```

```
x \text{ values} = list(range(6))
y values 0 = [dist class 0.get(i, 0) for i in x values]
y_values_1 = [dist_class_1.get(i, 0) for i in x_values]
# Class 0 plot
ax1.bar(x values, y values 0, color='lightcoral', edgecolor='darkred',
alpha=0.7)
ax1.set xlabel('Number of missing values in a record')
ax1.set_ylabel('Number of records')
ax1.set title('Class 0 (No diabetes)')
ax1.set xticks(x values)
ax1.grid(axis='y', alpha=0.3)
for i, v in enumerate(y_values_0):
    ax1.text(i, v + 2, str(v), ha='center', va='bottom')
# Class 1 plot
ax2.bar(x_values, y_values_1, color='lightgreen',
edgecolor='darkgreen', alpha=0.7)
ax2.set xlabel('Number of missing values in a record')
ax2.set vlabel('Number of records')
ax2.set title('Class 1 (Diabetes)')
ax2.set xticks(x values)
ax2.grid(axis='y', alpha=0.3)
for i, v in enumerate(y values 1):
    ax2.text(i, v + 1, str(v), ha='center', va='bottom')
plt.tight layout()
plt.show()
```



```
# Question 1(c): Conditional probability P(X=0|Y=0)

df = pd.read_csv('diabetes.csv')
```

```
missing attrs = ['Glucose', 'BloodPressure', 'SkinThickness',
'Insulin', 'BMI']
# Create conditional probability table
prob table = pd.DataFrame(index=missing attrs, columns=missing attrs)
for attr x in missing attrs:
    for attr y in missing attrs:
        if attr x == attr y:
            \# P(X=0|X=0) = 1
            prob table.loc[attr x, attr y] = 1.0
        else:
            # Calculate P(X=0|Y=0) = P(X=0 \text{ and } Y=0) / P(Y=0)
            # Count records where Y=0
            y zero count = (df[attr y] == 0).sum()
            # Count records where both X=0 and Y=0
            xy zero count = ((df[attr x] == 0) & (df[attr y] ==
0)).sum()
            # Calculate conditional probability
            if y zero count > 0:
                prob = xy zero count / y zero count
            else:
                prob = 0
            prob table.loc[attr x, attr y] = prob
print("Conditional Probability Table P(X=0|Y=0)")
print("Rows represent X attributes, columns represent Y attributes")
print()
# Convert to numeric and display with 4 decimal places
prob table numeric = prob table.astype(float)
print(prob table numeric.round(4))
Conditional Probability Table P(X=0|Y=0)
Rows represent X attributes, columns represent Y attributes
                        BloodPressure SkinThickness Insulin
               Glucose
                                                                   BMI
Glucose
                   1.0
                               0.0000
                                              0.0000
                                                       0.0107
                                                               0.0000
BloodPressure
                   0.0
                               1.0000
                                              0.1454
                                                       0.0936
                                                               0.6364
SkinThickness
                   0.0
                               0.9429
                                              1.0000
                                                       0.6070
                                                               0.8182
Insulin
                                              1.0000
                                                        1.0000
                                                                0.9091
                   0.8
                               1.0000
BMI
                               0.2000
                                              0.0396
                                                       0.0267 1.0000
                   0.0
```

Question 2:

(a) When the sample size is extremely large and the number of predictors is small.

Answer: Flexible method performs BETTER

Rationale: Large sample size prevents overfitting, allowing flexible methods to capture complex patterns. Few predictors avoid curse of dimensionality.

(b) When the number of predictors is extremely large but the number of observations is small.

Answer: Inflexible method performs BETTER

Rationale: High-dimensional data with few observations leads to overfitting with flexible methods. Inflexible methods have lower variance and provide more stable predictions.

(c) In cases where the relationship between the predictors and the response is highly non-linear.

Answer: Flexible method performs BETTER

Rationale: Inflexible methods assume linear relationships and cannot capture non-linear patterns. Flexible methods can adapt to complex non-linear relationships.

(d) When the error terms in the data have very high variance.

Answer: Inflexible method performs BETTER

Rationale: High noise causes flexible methods to fit noise rather than signal. Inflexible methods' lower variance provides more stable results in noisy environments.

Question 3:

Inference-focused Application:

Scenario: Studying the effect of education spending on student test scores

Response variable: Average standardized test scores

Predictor variables: Per-pupil spending, teacher-to-student ratio, teacher experience, school facilities quality, socioeconomic status

Why inference: The goal is to understand which factors significantly impact student performance and quantify how much additional spending improves outcomes. This helps policymakers allocate education budgets effectively by understanding causal relationships.

Prediction-focused Application:

Scenario: Stock price prediction system

Response variable: Next-day stock price

Predictor variables: Previous prices, trading volume, market indicators, company earnings,

news sentiment, economic indicators

Why prediction: The goal is accurate price forecasting for trading decisions. We don't need to understand why specific factors affect prices, only that the model predicts accurately for profit maximization.