

Extracting Line random effects and estimates from linear mixed models

As suggested by Thomas and Rudolf we can extract the Line estimates and their SE using the *mixedup* package. This package can retrieve either random effects (deviations from the intercept) or random coefficients (fixed effects + random effects — similar to the Pop estimates we have used so far). However, random coefficients can only be extracted from linear models that have been generated using *lme4::lmer* — we have used *afex::lmer* since it computes a *p* value. Below we investigate whether random effects would be sufficient for trait correlations and the remaining analyses.

We load the DrosEU data and run a simplified model with Line as random factor using wing area from Banu's lab.

```
##### load data
droseu <- readRDS("Data/droseu_master_list_2022-05-02.rds")

##### run lme4 model for left wings
wl_lme4 <- lme4::lmer(CentroidSizeLeft_micrometers ~ Population + (1|Line),
                     data = filter(droseu$wa, Supervisor.PI == "Onder"))

##### extract random effects and coefficients
wl_re <- extract_random_effects(wl_lme4, re = "Line")
wl_coef <- extract_random_coefs(wl_lme4, re = "Line")
```

lme4::lmer results

```
## Linear mixed model fit by REML ['lmerMod']
## Formula: CentroidSizeLeft_micrometers ~ Population + (1 | Line)
## Data: filter(droseu$wa, Supervisor.PI == "Onder")
## REML criterion at convergence: 142044.4
## Random effects:
## Groups Name Std.Dev.
## Line (Intercept) 45.64
## Residual 211.14
## Number of obs: 10477, groups: Line, 167
## Fixed Effects:
## (Intercept) PopulationGI PopulationKA PopulationMA PopulationMU
## 2641.879 31.815 33.228 75.693 37.614
## PopulationRE PopulationUM PopulationVA PopulationYE
## 119.512 75.204 33.043 -2.331
```

Random effects

```
## # A tibble: 6 x 7
## group_var effect group value se lower_2.5 upper_97.5
## <chr> <chr> <fct> <dbl> <dbl> <dbl> <dbl>
## 1 Line Intercept AK1 0.747 23.4 -45.1 46.6
## 2 Line Intercept AK10 -64.6 23.0 -110. -19.6
## 3 Line Intercept AK11 -17.4 23.4 -63.3 28.4
## 4 Line Intercept AK12 40.3 23.4 -5.52 86.2
## 5 Line Intercept AK13 77.4 23.4 31.6 123.
```

```
## 6 Line      Intercept AK14    40.2    23.4    -5.66    86.1
```

Random coefficients

```
## # A tibble: 6 x 7
##   group_var effect      group value      se lower_2.5 upper_97.5
##   <chr>      <chr>      <fct> <dbl> <dbl>      <dbl>      <dbl>
## 1 Line      Intercept AK1    2643.  26.2    2591.    2694.
## 2 Line      Intercept AK10   2577.  25.9    2527.    2628.
## 3 Line      Intercept AK11   2624.  26.2    2573.    2676.
## 4 Line      Intercept AK12   2682.  26.2    2631.    2734.
## 5 Line      Intercept AK13   2719.  26.2    2668.    2771.
## 6 Line      Intercept AK14   2682.  26.2    2631.    2734.
```

By summing the intercept from the model (here = 2641.879) and the Line random effects we find the Line random coefficients. Below is an example for AK10, with random effect = -64.61 and random coefficient = 2577.26.

```
ak10 <- round(as.numeric(fixef(wl_lme4)[1] + wl_re$value[wl_re$group == "AK10"]), 2)
identical(ak10, round(wl_coef$value[wl_coef$group == "AK10"], 2))
```

```
## [1] TRUE
```

```
print(ak10)
```

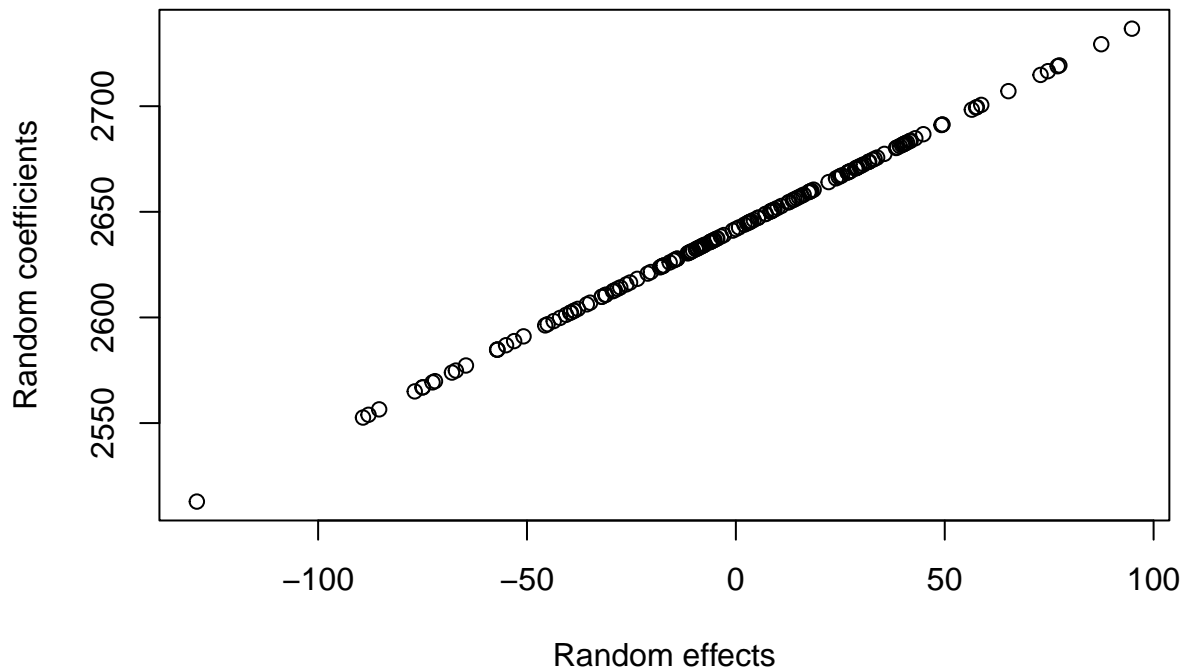
```
## [1] 2577.26
```

For a given trait, Line random effects and Line random coefficients should be correlated

```
cor.test(wl_re$value, wl_coef$value)
```

```
##
## Pearson's product-moment correlation
##
## data: wl_re$value and wl_coef$value
## t = Inf, df = 165, p-value < 2.2e-16
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
##  1 1
## sample estimates:
## cor
## 1
```

```
plot(wl_re$value, wl_coef$value, xlab = "Random effects", ylab = "Random coefficients")
```



Now let's produce similar data for the right wings and look at correlations between left and right wings Line random effects, and left and right wings Line random coefficients. Both correlation coefficients and p values should be similar.

Correlation between left and right wings random effects

```
cor.test(wl_re$value, wr_re$value)

##
## Pearson's product-moment correlation
##
## data: wl_re$value and wr_re$value
## t = 228.34, df = 165, p-value < 2.2e-16
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
##  0.9978568 0.9988375
## sample estimates:
##      cor
## 0.9984215
```

Correlation between left and right wings random coefficients

```
cor.test(wl_coef$value, wr_coef$value)

##
## Pearson's product-moment correlation
##
## data: wl_coef$value and wr_coef$value
## t = 228.34, df = 165, p-value < 2.2e-16
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
##  0.9978568 0.9988375
## sample estimates:
##      cor
## 0.9984215
```

Using random effects or random coefficients does not make any difference regarding trait correlations. Since we are not really interested in knowing the Line coefficients (we want to know how lines differ from each other, not their actual value) we can probably use the random effects for the remaining analyses.