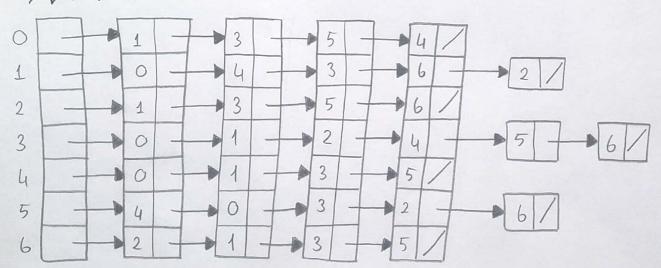
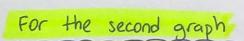
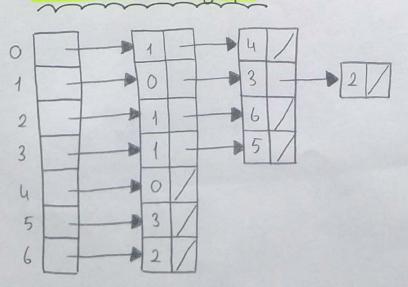


-Represent the graphs above using adjacency lists. Draw the corresponding data structure.









*Edges are represented by an array of list called adjacency lists where each list stores the vertices adjacent to a porticular vertex. -Represent the graphs above using an adjacency matrix. Draw the corresponding data structure.

For the first graph

-	1				
Co	11	1.1	n	1	2
00	/ \	v	11	1	

	[0]	[1]	[2]	[3]	[4]	[5]	[6]
[0]		1.0		1.0	1.0	1.0	
[1]	1.0		1.0	1.0	1.0		1.0
[2]		1.0		1.0		1.0	1.0
[3]	1.0	1.0	4.0		1.0	1.0	1.0
[4]	1.0	1.0		1.0		1.0	
[5]	1.0		1.0	1,0	1.0		1.0
[6]		1.0	1.0	1.0		1.0	

For the second graph

column

1		[0]	[4]	[2	7	[3]	7	[4]		[5]	[6]
30-	[0]		1.0					1.0					
	[1]	1.0		1.0		1,0	1				1		
	[2]		1.0		1							1,0	
	[3]		1.0						1	1.0			
	[4]	1.0											
	[5]				1	.0							
	[6]			1.0									

matrix uses a twodimentional array to
represent the graph.

Number of rows /

columns will be equal
to number of vertices.

Edges is indicated
by value 1.0 and
lack of an edge is

indicated by blank
space.

- For each graph above, what are the IVI=n, the IEI=m, and the density? Which representation is better for each graph? Explain your answers.

. Many thit soft not

For the first graph

2

$$\angle$$
 Number of vertex = $|v| = n = 7$

$$\propto$$
 The density of a graph is $\frac{|E|}{|V|^2} = \frac{16}{49} = 0.327$

Dense graph -> too many edges -> Density is close to 1, but less than 1.

a It will be dense graph, so adjuncency matrix representation is better.

For the second graph

For the second graph.

Sparse graph -> too few edges -> Density is much less than 1.

a It will be sparse graph, so adjacency list representation is better

- Draw DFS tree starting from vertex 2 and traversing the vertices adjacent to a vertex in descerding order (largest to smallest).

For the first graph

2, 6, 5, 4, 3, 1, 0 -> pre order traversol

- Start from vertex 2. Start explore 2. 1,3,5 and 6 adjacent to 2.
- Start exploring 6. 1,8 and 5 adjacent to 6.
- Start exploing 5. 4,0 and 3 adjacent to 5.
- Stort exploring 4. 0.1 and 3 adjacent to 4.
- Start exploring 3. 0 and 1 adjacent to 3.

Stack

- Stort exploring 1. 0 adjacent to 1.

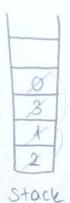
- Stort exploring O.

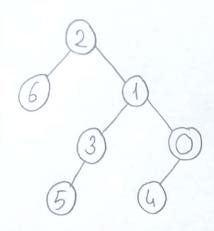
- There is no vertex to explore So go back to stack and combine the remaining edges. Finished

* The rule in depth first search is, ones you have visited one vertex and still one more remaining; leave that We will see it afterwards. We use stack for that

For the second graph

DFS: 2,6,1,3,5,0,4 -> pre order travelsal





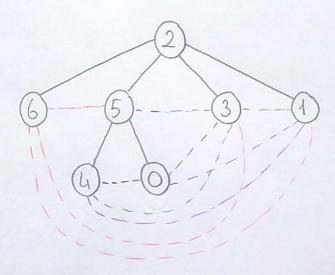
- Stort from vertex 2. Start explore 2. 6 and 1 adjacent to 2.
- Start explore 6. Nothing explore to 6. Go back to 2.
- Start explore 1. 0 and 3 adjacent to 1.
- Start explore 3. 5 adjacent to 3.
- Stort explore 5. Nothing explore to 5. Go back to 3. Nothing explore to 3. Go back to 1.
- Start explore 0. 4 adjacent to 0.
- Start explore 4. Nothing explore to 4. Go back to 0.
 Go back 1 and 2 Finished

- Draw BFS tree starting from vertex 2 and traversing the vertices adjacent to a vertex in descending order (largest to smallest).

For the first graph

BFS: 2, 6, 5, 3, 1, 4, 0 -> level order traversal

Queue 2 6 8 8 4 4 0



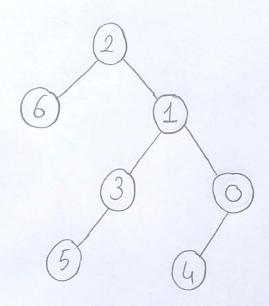
- Start from vertex 2. And write all adjacent vertices largest to smallest (6-5-3-1). 2 is completely explored.
- Explore 6.
- Explore 5. write all adjacent vertices. (4-0).
- Explore 3.
- Explore 1.
- Explore 4.
- Explore O.

Finished

For the second graph

BFS: 2, 6, 1, 3, 0, 5, 4

2613054 -> level order traversal



- Start from vertex 2. And write all adjacent vertices largest to smallest (6-1). 2 is completely explored.

- Explore 6. Nothing to explore.
- Explore 1. Write all adjacent vertices (3-0).

- Explore 3. Write all adjacent vertices (5).

- Explore O. write all adjacent vertices. (4).
- Explore 5. Nothing to explore.
- Explore 4. Nothing to explore.

Finished