

Bakery Algorithm

Multiple Process Solutions

- Peterson's solution solves the critical-section problem for two processes, in software
- For multiple processes we have "Bakery Algorithm"
- Used in bakeries etc

Bakery Algorithm

- The basic idea is that of a bakery
- On entering the bakery, Customers take tokens
- Whoever has the lowest token gets service next.
- “Service” means entry to the critical section.

Bakery Algorithm

- **int token[n];**
- **token[0]** = token given to Process 0
- **token[1]** = token given to Process 1
- ...
- ...
- **token[n-1]** = token given to Process n – 1

Algorithm

```
while(TRUE)
{
    //1. Receive a token
    token[OwnID]= max(token[0:n-1])+1;
    //2. Wait for turn
    for (OthersID = 0;OthersID<n;OthersID++)
        while(token[OthersID]!=0 &&(token[OthersID],OthersID)<
            (token[OwnID],OwnID));
    //3. Enter Critical section
    critical_section();
    //4. Leave Critical Section
    token[OwnID] = 0;
}
```

Why multiple waits?

Because, have to wait for multiple processes

Receive a token

- Initially $\text{token}[0] \dots \text{token}[n-1]$ are set to zero
- Process i chooses $\text{token}[i]$ as
 - ▣ $\max(\text{token}[0], \text{token}[1], \dots, \text{token}[n-1]) + 1;$
- Let $n = 5;$
- Let the order of execution be $P_0, P_3, P_4, P_1, P_2, P_3, P_4 \dots$
- P_0 gets $\text{token}[0] = \max(0, 0, 0, 0, 0) + 1 = 0 + 1 = 1$
- P_3 gets $\text{token}[3] = \max(1, 0, 0, 0, 0) + 1 = 1 + 1 = 2$
- P_4 gets $\text{token}[4] = \max(1, 0, 0, 2, 0) + 1 = 2 + 1 = 3$
- P_1 gets $\text{token}[1] = \max(1, 0, 0, 2, 3) + 1 = 3 + 1 = 4$
- P_2 gets $\text{token}[2] = \max(1, 4, 0, 2, 3) + 1 = 4 + 1 = 5$
- P_3 gets $\text{token}[3] = \max(1, 4, 5, 2, 3) + 1 = 5 + 1 = 6$
- P_4 gets $\text{token}[4] = \max(1, 4, 5, 6, 3) + 1 = 6 + 1 = 7$

Wait for turn

- P_i waits until it has the lowest token of all the processes waiting to enter the critical section.
 - Bakery Algorithm does not guarantee that two processes do not receive the same token
 - In case of a tie, the process with the lowest ID is served first.
- ```
for (OthersID = 0; OthersID < n ; OthersID++)
 while(token[OthersID] != 0 && (token[OthersID], OthersID) <
 (token[OwnID], OwnID));
```
- $(a,b) < (c,d) = \text{TRUE}$  if  $a < c$  or if both  $a = c$  and  $b < d$
  - $\text{token}[\text{OwnID}] = 0 \Rightarrow$  Process is not trying to enter the critical section

```
while(TRUE)
```

```
{//1. Receive a token
```

```
token[OwnID]= max(token[0],token[1],..,token[n-1])+1;
```

```
token[0] = 1
```

```
//2. Wait for turn
```

```
for (OthersID = 0; OthersID < T && F < OthersID++)
```

```
while(token[OthersID] != 0
```

```
&&(token[OthersID], OthersID) < (token[OwnID], OwnID));
```

```
//3. Enter critical section
```

```
critical_section();
```

Timeout

```
while(TRUE)
```

```
{//1. Receive a token
```

```
token[OwnID]= max(token[0],token[1],..,token[n-1])+1;
```

```
token[1] = 1
```

```
//2. Wait for turn
```

```
for (OthersID = 0; OthersID < F && T < OthersID++)
```

```
while(token[OthersID] != 0 &&(token[OthersID], OthersID) <
```

```
(token[OwnID], OwnID));
```

```
//3. Enter critical section
```

```
critical_section();
```



# Bakery Algorithm

```
while(TRUE)
{
 //1. Receive a token
 choosing[OwnID] = true;
 token[OwnID] = max(token[0], token[1], ..., token[n-1]) + 1;
 choosing[OwnID] = false;
 //2. Wait for turn
 for (OthersID = 0; OthersID < n; OthersID++)
 while(choosing[OthersID]);
 while(token[OthersID] != 0 && (token[OthersID], OthersID) <
 (token[OwnID], OwnID));
 //3. Enter Critical section
 critical_section();
 //4. Leave Critical Section
 token[OwnID] = 0;
}
```

# Bakery Algorithm

- The reason for **choosing** is to prevent the second **while** loop being *entered* when process  $P_{\text{OthersID}}$  is setting its **token[OthersID]**.
- **choosing[OthersID]** is true if  $P_{\text{OthersID}}$  is choosing a token.
- If a process  $P_{\text{OthersID}}$  is choosing a token when  $P_i$  tries to look at it,  $P_i$  waits until  $P_{\text{OthersID}}$  has done so before looking