Parámetro	media	varianza	estadístico	Intervalo de confianza
μ con σ conocida	μ	$\sigma_1^2$	$z = \frac{\bar{x} - \mu}{\sigma / \sqrt{n}}$	$\bar{x} \pm Z_{\alpha/2} \frac{\sigma}{\sqrt{n}}$
μ con σ desconocida	μ	$s_1^2$	$t_{n-1} = \frac{\bar{x} - \mu}{s / \sqrt{n}}$	$\bar{x} \pm t_{\frac{\alpha}{2},n-1} \frac{s}{\sqrt{n}}$
Proporción	Р	$\frac{Pq}{n}$	$z = \frac{\overline{\sigma/\sqrt{n}}}{\sigma/\sqrt{n}}$ $t_{n-1} = \frac{\overline{x} - \mu}{s/\sqrt{n}}$ $z = \frac{\hat{p} - P}{\sqrt{\frac{Pq}{n}}}$	$\hat{p}\pm Z_{lpha/2}\sqrt{rac{\hat{p}(1-\hat{p})}{n}}$
Varianza			$\chi^2_{(n-1)} \sim \frac{(n-1)S^2}{\sigma^2}$	$\frac{(n-1)s^2}{x_{\frac{\alpha}{2},n-1}^2} < \sigma^2 < \frac{(n-1)s^2}{x_{1-\frac{\alpha}{2},n-1}^2}$
$\mu_1 - \mu_2 \operatorname{con}$ $\sigma_1^2 \ y \ \sigma_2^2$ conocidas	$\mu_1 - \mu_2$	$\left(\frac{\sigma_1^2}{n_1}\right) + \left(\frac{\sigma_2^2}{n_2}\right)$	$Z = \frac{\bar{X}_1 - \bar{X}_2 - (\mu_1 - \mu_2)}{\sqrt{\left(\frac{\sigma_1^2}{n_1}\right) + \left(\frac{\sigma_2^2}{n_2}\right)}}$	$(\bar{X}_1 - \bar{X}_2) \pm Z_{\frac{\alpha}{2}} \sqrt{\left(\frac{\sigma_1^2}{n_1}\right) + \left(\frac{\sigma_2^2}{n_2}\right)}$
$\mu_1 - \mu_2 \operatorname{con}$ $\sigma_1^2 \ y \ \sigma_2^2$ Desconocidas pero iguales	$\mu_1 - \mu_2$	$s_{p}^{2} = \left[ \frac{(n_{1} - 1) S_{1}^{2} + (n_{2} - 1) S_{2}^{2}}{n_{2} + n_{1} - 2} \right]$	$t_{(n_1+n_2-2)} = \frac{\bar{X}_1 - \bar{X}_2 - (\mu_1 - \mu_2)}{s_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}}$	$(\bar{X}_1 - \bar{X}_2) \pm t_{\frac{\alpha}{2},v} S_p \sqrt{\left(\frac{1}{n_1}\right) + \left(\frac{1}{n_2}\right)}$
$\mu_1 - \mu_2 \operatorname{con}$ $\sigma_1^2 \ y \ \sigma_2^2$ Desconocidas y diferentes	$\mu_1 - \mu_2$	$\left(\frac{s_1^2}{n_1}\right) + \left(\frac{s_2^2}{n_2}\right)$	$Z = \frac{\bar{X}_1 - \bar{X}_2 - (\mu_1 - \mu_2)}{\sqrt{\left(\frac{s_1^2}{n_1}\right) + \left(\frac{s_2^2}{n_2}\right)}}$	$(\bar{X}_1 - \bar{X}_2) \pm t_{\frac{\alpha}{2}, v} \sqrt{\left(\frac{s_1^2}{n_1}\right) + \left(\frac{s_2^2}{n_2}\right)}$ $v = \frac{\left(\left(\frac{s_1^2}{n_1}\right) + \left(\frac{s_2^2}{n_2}\right)\right)^2}{\frac{\left(\frac{s_1^2}{n_1}\right)^2}{n_1 - 1} + \frac{\left(\frac{s_2^2}{n_1}\right)^2}{n_2 - 1}}$
Diferencias pareadas $\mu_d$	$ar{d}$		$t_{(n-1)} = \frac{\bar{d} - \mu_d}{sd/\sqrt{n}}$	$\bar{d} \pm t_{\frac{\alpha}{2}, n-1} \frac{s_d}{\sqrt{n}}$
Diferencia de proporciones	$\widehat{p_x} - \widehat{p_y}$	$\left(\frac{p_x q_x}{n_x}\right) + \left(\frac{p_y q_y}{n_y}\right)$	$Z = \frac{\left(\widehat{p_x} - \widehat{p_y}\right) - (p_x - p_y)}{\sqrt{\left(\frac{p_x q_x}{n_x}\right) + \left(\frac{p_y q_y}{n_y}\right)}}$	$\left(\widehat{p_x} - \widehat{p_y}\right) \pm Z_{\frac{\alpha}{2}} \sqrt{\left(\frac{\widehat{p_x}\widehat{q_x}}{n_x}\right) + \left(\frac{\widehat{p_y}\widehat{q_y}}{n_y}\right)}$
Razón de varianzas			$F = \frac{S_1^2}{S_2^2}$	$\frac{S_1^2}{S_2^2} * f_{\frac{\alpha}{2}, n_1 - 1, n_2 - 1} < \frac{\sigma_1^2}{\sigma_2^2} < \frac{S_1^2}{S_2^2} * f_{1 - \frac{\alpha}{2}, n_2 - 1, n_1 - 1}$

## Tamaños de muestra

Tamaño de muestra	finita	infinita
media	$Z^2\sigma^2$	$NZ^2\sigma^2$
	$n = \frac{1}{e^2}$	$n = \frac{1}{(N-1)e^2 + Z^2\sigma^2}$
Proporción	$Z^2pq$	$NZ^2pq$
	$n = \frac{1}{e^2}$	$n = \frac{1}{(N-1)e^2 + Z^2pq}$

## Funciones de distribución de probabilidad en software

Distribución	Forma	Rstudio	Excel
t	P(x > c)	=pt(cuantil;gl,lower.tail = F)	DISTR.T.CD(cuantil;gl)
F	P(x > c)	=DISTR.F.CD(cuantil;gl1;gl2)	pf(q=2.73, df1=15,df2=17, lower.tail=FALSE)
Normal	$P(x \le c)$	=DISTR.NORM.ESTAND.N(C;VERDADERO)	pnorm(c,mean=0,sd=1)
Chi <sup>2</sup>	P(x > c)	=DISTR.CHICUAD.CD(c;gl)	pchisq(C,GL, lower.tail = FALSE)

## Resumen de algunas pruebas de hipótesis

Pruebas de hipótesis	Nula H <sub>0</sub>	Alternativa H <sub>1</sub>
Normalidad	$x_i$ variables aleatorias normales	$x_i$ variables aleatorias no normales
Significancia de los parámetros	$\beta_i = 0$	$\beta_i \neq 0$
Correlación	r = 0	$r \neq 0$
Carencia de ajuste	$E(Y X) = \beta_0 + \beta_1 X$	$E(Y X) \neq \beta_0 + \beta_1 X$
Prueba de independencia	Datos son independientes	Datos no son independientes
Varianza constante	Varianza constante	No varianza constante