Lab 3 Exercises

- 1 Derive the DH parameters <u>for each of the manipulators provided</u>. Use these to generate a model of the manipulator using the Robot Toolbox in MATLAB.
- 1.1 Work out the DH Parameters.

	Θ_{j}	dj	aj	$\alpha_{\rm j}$	
Link 1	θ_1	d ₁	a ₁	α_1	_
÷	÷	:	:	÷	
Link n	θ_{n}	d_n	an	$lpha_{n}$	

1.2 In MATLAB, generate the robot model with the Robot Toolbox. Check that it matches the example provided.

```
L1 = Link('d',___,'a',___,'alpha',___,'offset',___,'qlim', [__,__]);
robot = SerialLink([L1 ... Ln],'name','myRobot');
q = zeros(1,n);  % This creates a vector of n joint angles at 0.
workspace = [-x +x -y +y -z +z];
scale = 1;
robot.plot(q,'workspace',workspace,'scale',scale);
```

1.3 You can manually play around with the robot.

```
robot.teach();
```

1.4 Get the current joint angles based on the position in the model.

```
q = robot.getpos()
```

1.5 The forward transformation matrix at the current joint configuration is given by:

```
T = robot.fkine(q)
```

1.6 We can also reverse this, given the current transformation T, and finding the joint angles q.

```
q = robot.ikine(T); % N.B. DOES NOT WORK FOR 3DOF MANIPULATORS
```

1.7 Get the Jacobian matrix. This maps joint velocities to end-effector velocities.

```
J = robot.jacob0(q);

J = J(1:3,1:3); % For the 3-Link robots, we only need the first 3 rows. Ignore this line for 6DOF robots.
```

1.8 Try and invert the Jacobian.

```
inv(J)
```

1.9 At certain joint configurations like this below the Jacobian can't be inverted. Are there other configurations where this happens?

```
q = zeros(1,n)
J = robot.jacob0(q)
inv(J)
```

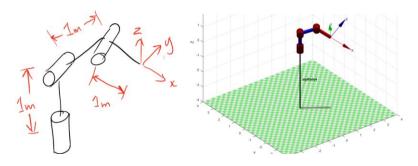
1.10 You can visualise how fast the end-effector can move in Cartesian space with the following command:

```
robot.vellipse(q);
```

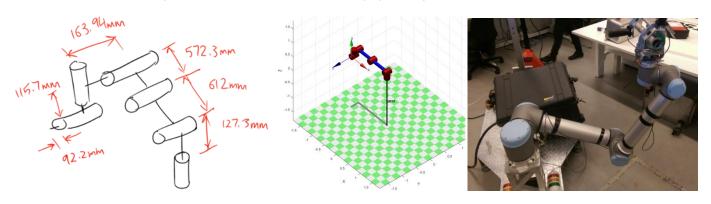
1.11 Show what the velocity ellipse look like when the Jacobian "J" can't be inverted?

ROBOT 1: 3-Link 3D Robot

Note the orientation of the end-effector frame.

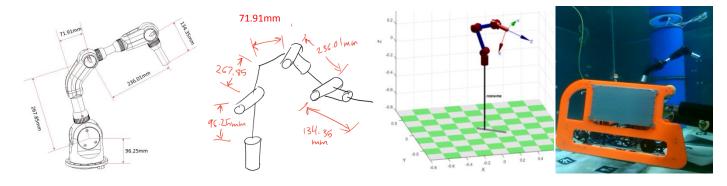


ROBOT 2: AAN-BOT (Assistance As Needed BOT) (6DOF)[1][2]



ROBOT 3: Submerged Pile Inspection Robot (SPIR)[3]

Note: this arm has 2DOF joints.



(Bonus) ROBOT 4: Sawyer Robot (7DOF)

These are brand new arms in CAS. We don't have any DH Parameters for them yet. Try and work them out for us!







¹ https://www.uts.edu.au/research-and-teaching/our-research/centre-autonomous-systems/cas-research/projects/assistive-robotic

 $^{^2\,\}underline{\text{https://www.uts.edu.au/research-and-teaching/our-research/centre-autonomous-systems/cas-research/projects/assistive-robot-0}$

³ https://www.uts.edu.au/research-and-teaching/our-research/centre-autonomous-systems/cas-research/projects/intelligent-0

2 Consider a Denso VM-6083D-W industrial robot shown in the PDF available on UTSOnline^[4]

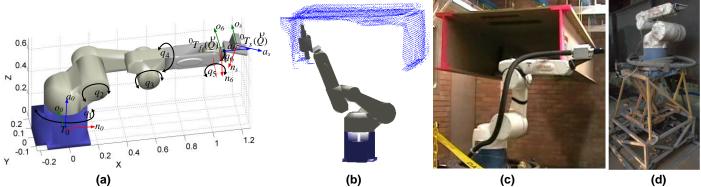
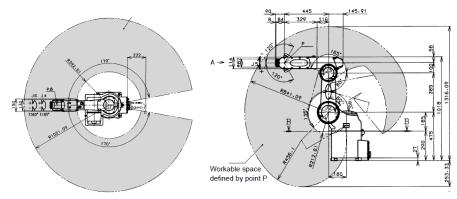


Fig 1. (a)^[5] Simulated robot model: joints and coordinate frames (i.e. robot base, end-effector and sensor), (b)^[6] Blasting of a simulated environment constructed from exploration data, (c)^[5] (d^[7]) Grit-blasting system: a 6DOF manipulator on 2DOF base.

- 2.1 Download the PDF of the robot from UTSOnline
- 2.2 Determine the D&H parameters based upon the link measurements on the PDF
- 2.3 Determine and include the joint limits in your model
- 2.4 Sample the joint angles within the joint limits at 30 degree increments between each of the joint limits (note: from *jacob0* or *teach* you see that joint 6 is irrelevant to the position so don't iterate through it).
- 2.5 Use fkine to determine the point in space for each of these poses, so that you end up with a big list of points
- 2.6 Create a 3D model showing where the end effector can be over all these samples. (hint: it should look similar to the top and side workspace view on the PDF)



- 2.7 (Bonus) Get the start of the blast using fkine (to get end effector transform)
- 2.8 (Bonus) Get the end of the stream with TR * transl (blast stream length (i.e. 1m along z)
- 2.9 (Bonus) Project a line out of the end effector (i.e. a mock grit-blasting stream)
- 2.10 (Bonus) Create a surface plane that goes through [1.5,0,0] with a normal [-1,0,0]

```
[Y,Z] = meshgrid(-2:0.1:2,-2:0.1:2);
X = repmat(1.5, size(Y,1), size(Y,2));
surf(X,Y,Z);
```

2.11 (Bonus) Determine if and where the blast stream intersects with the surface plane

⁴ https://online.uts.edu.au/bbcswebdav/pid-1370187-dt-content-rid-7998363_1/xid-7998363_1

⁵ http://dx.doi.org/10.1016/j.autcon.2012.08.007

⁶ http://hdl.handle.net/10453/9096

⁷ http://hdl.handle.net/10453/16384