

Maximum Flow Problem

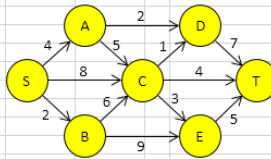
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Use the solver in Excel to find the maximum flow from node S to node T in a directed network. Points in a network are called nodes (S, A, B, C, D, E and T). Lines in a network are called arcs (SA, SB, SC, AC, etc).

Formulate the Model

The model we are going to solve looks as follows in Excel.

	A	B	C	D	E	F	G	H	I	J	K	L
1	Maximum Flow Problem											
2												
3		From	To	Flow	≤	Capacity	Nodes	Net Flow				
4		S	A	0	≤	4	S	0				
5		S	B	0	≤	2	A	0	=	0		
6		S	C	0	≤	8	B	0	=	0		
7		A	C	0	≤	5	C	0	=	0		
8		A	D	0	≤	2	D	0	=	0		
9		B	C	0	≤	6	E	0	=	0		
10		B	E	0	≤	9	T	0	=	0		
11		C	D	0	≤	1						
12		C	E	0	≤	3						
13		C	T	0	≤	4						
14		D	T	0	≤	7						
15		E	T	0	≤	5						
16		Maximum Flow		0								



Type your Excel question

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1. To formulate this maximum flow problem, answer the following three questions.

a. What are the decisions to be made? For this problem, we need Excel to find the flow on each arc. For example, if the flow on SB is 2, cell D5 equals 2.

b. What are the constraints on these decisions? The Net Flow (Flow Out - Flow In) of node A, B, C, D and E should be equal to 0. In other words, Flow Out = Flow In. Also, each arc has a fixed capacity. The flow on each arc should be less than this capacity.

c. What is the overall measure of performance for these decisions? The overall measure of performance is the maximum flow, so the objective is to maximize this quantity. The maximum flow equals the Flow Out of node S.

2. To make the model easier to understand, create the following [named ranges](#).

Range Name	Cells
From	B4:B15
To	C4:C15
Flow	D4:D15
Capacity	F4:F15
SupplyDemand	K5:K9
MaximumFlow	D17

3. Insert the following functions.

Solver Parameters

Set Objective:

To: ☒ Max ☐ Min ☐ Value Of:

By Changing Variable Cells:

Subject to the Constraints:

\$I\$5:\$I\$9 = SupplyDemand	<input type="button" value="Add"/> <input type="button" value="Change"/> <input type="button" value="Delete"/> <input type="button" value="Reset All"/> <input type="button" value="Load/Save"/>
Flow <= Capacity	

☒ Make Unconstrained Variables Non-Negative

Select a Solving Method:

Solving Method
 Select the GRG Nonlinear engine for Solver Problems that are smooth nonlinear. Select the LP Simplex engine for linear Solver Problems, and select the Evolutionary engine for Solver problems that are non-smooth.

You have the choice of typing the range names or clicking on the cells in the spreadsheet.

2. Enter MaximumFlow for the Objective.
3. Click Max.
4. Enter Flow for the Changing Variable Cells.
5. Click Add to enter the following constraint.

6. Click Add to enter the following constraint.

7. Check 'Make Unconstrained Variables Non-Negative' and select 'Simplex LP'.

8. Finally, click Solve.

Result:

The optimal solution:

Conclusion: the path SADT with a flow of 2. The path SCT with a flow of 4. The path SBET with a flow of 2. The path SCET with a flow of 2. The path SACET with a flow of 1. The path SACDT with a flow of 1. These paths give a maximum flow of 12.

5/8 Completed! [Learn much more about the solver >](#)

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