

# PSY9511: Seminar 4

## The basics of regression and classification

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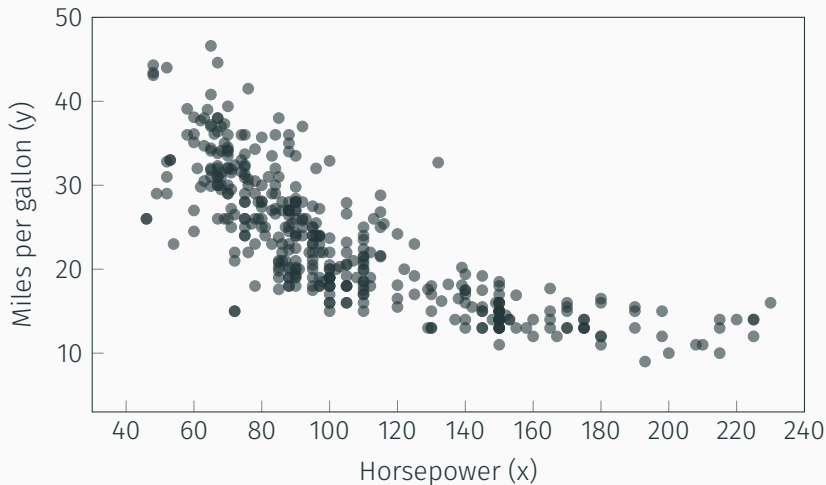
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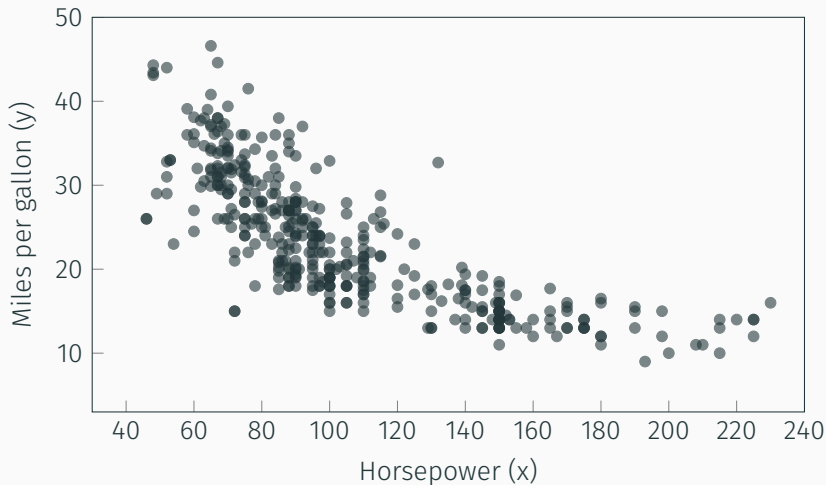
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# Recap



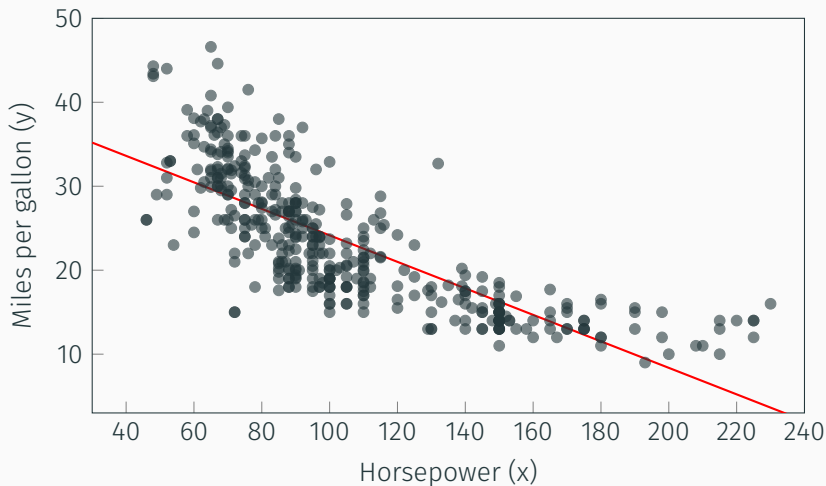
# Recap



$$\hat{y} = \hat{f}(x)$$



# Recap

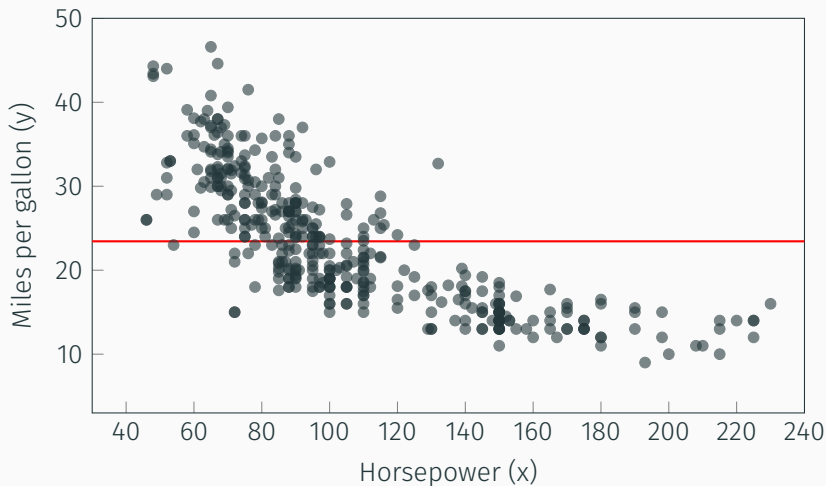


$$\hat{y} = 39.93 - 0.1578x$$





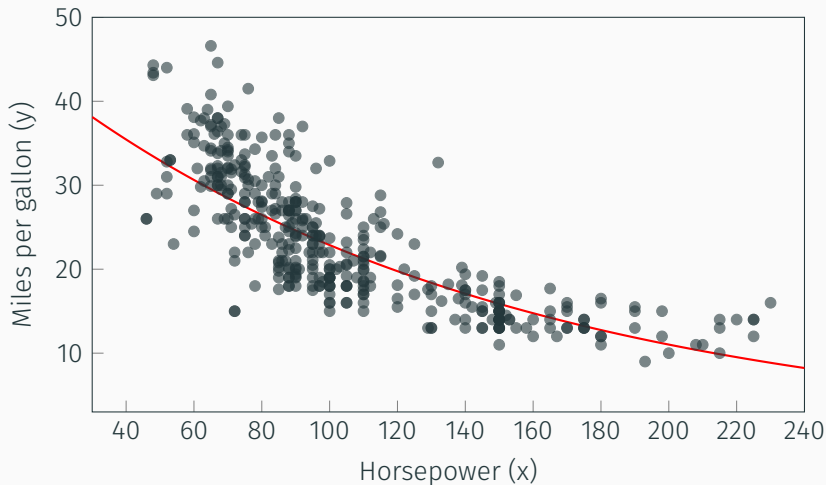
# Recap



$$\hat{y} = 23.44$$



# Recap



$$\hat{y} = e^{3.86 - 0.0073x}$$



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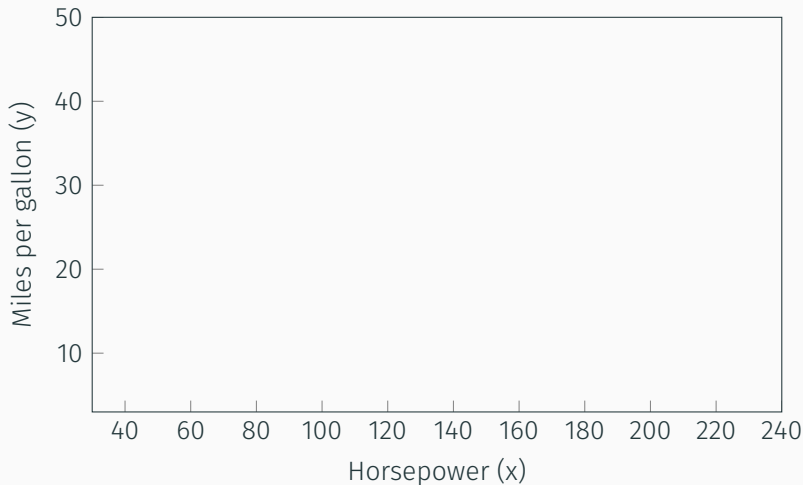
## Plan for future lectures:

- How do we evaluate how good our models are? (Lecture 3)
- Complex solutions to regression and classification problems (Lecture 4 and onwards)

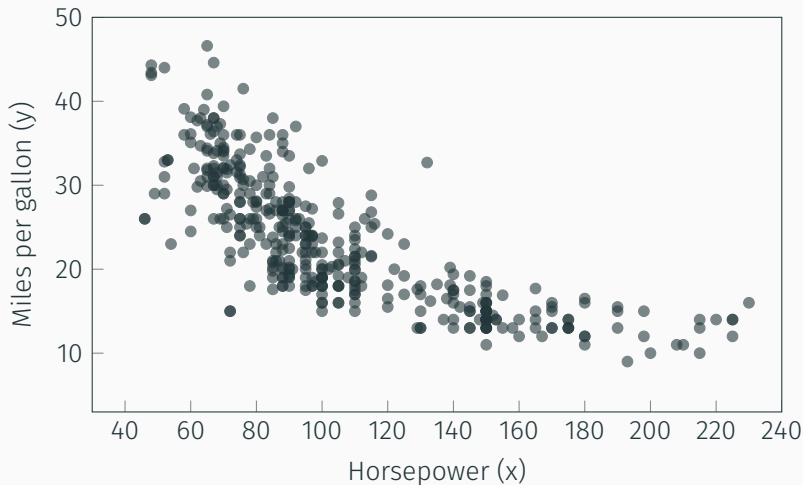
# Regression vs classification



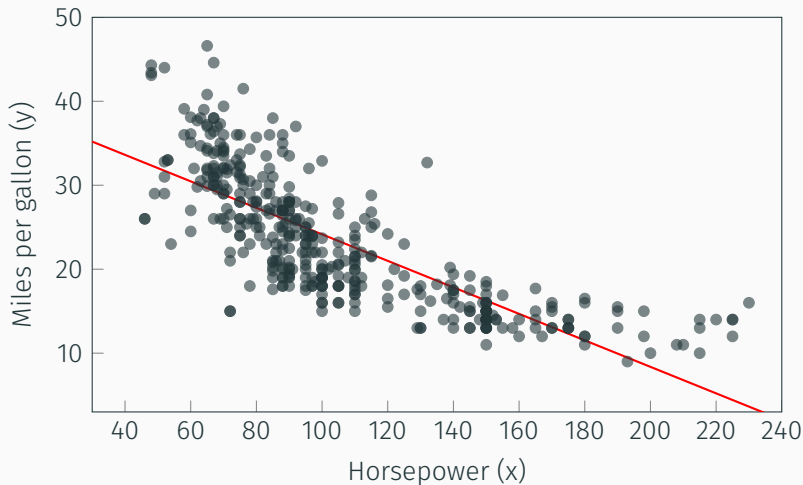
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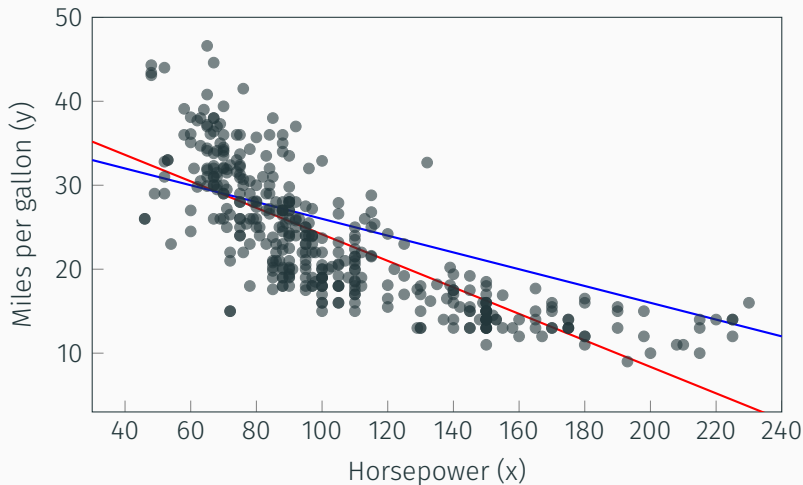


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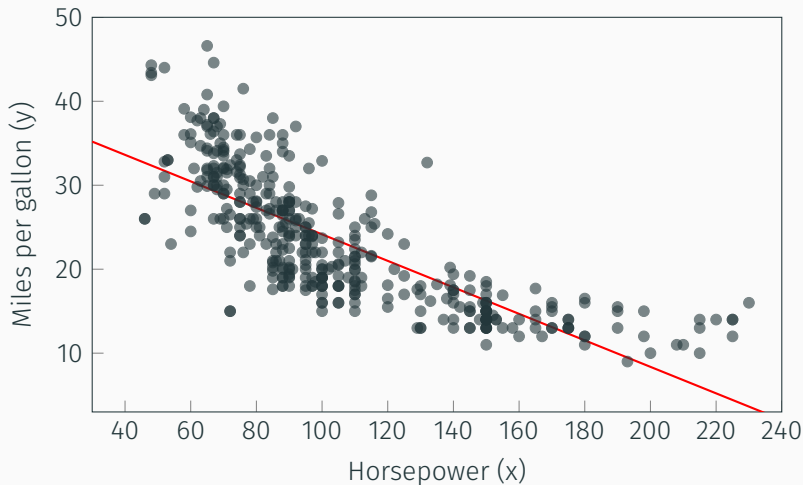
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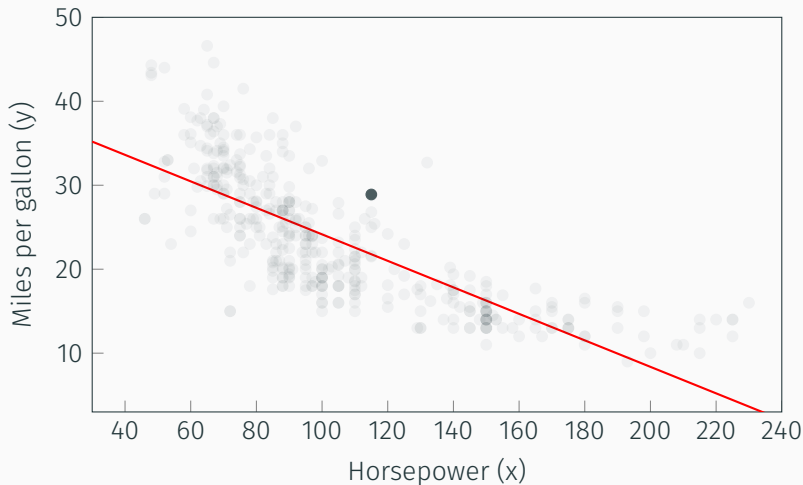
$$\hat{y} = 36 - 0.1x$$

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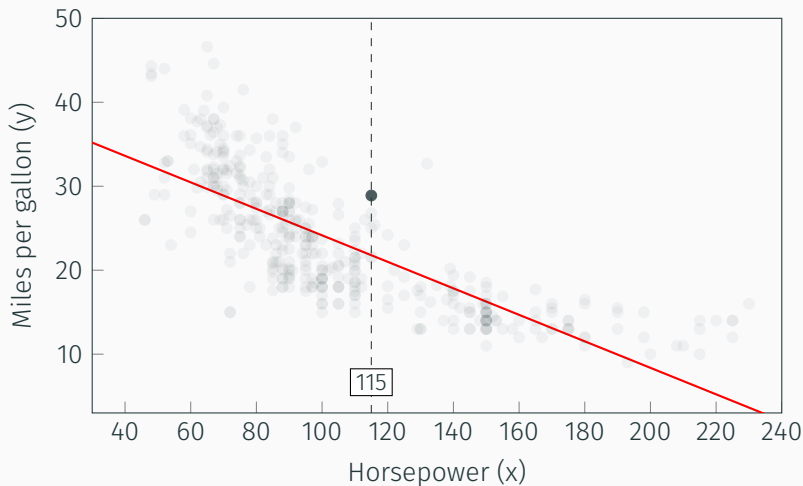
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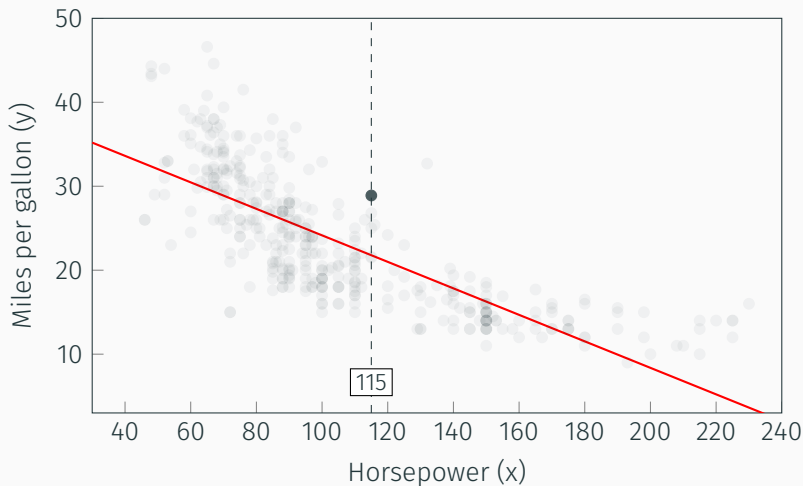


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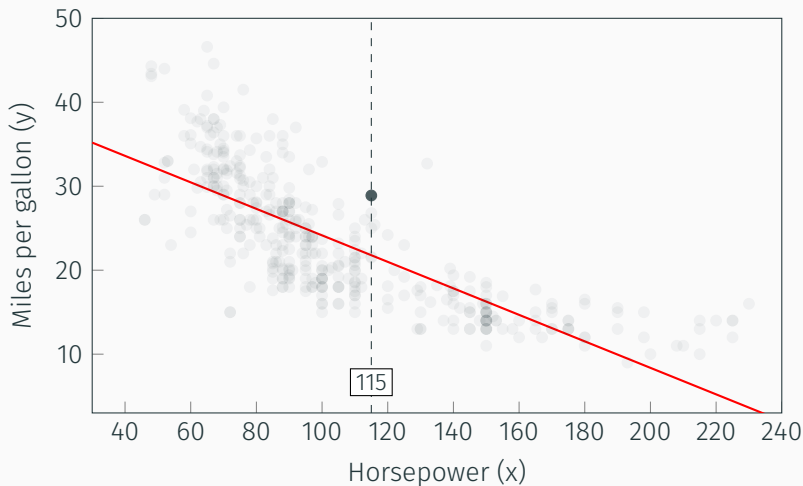
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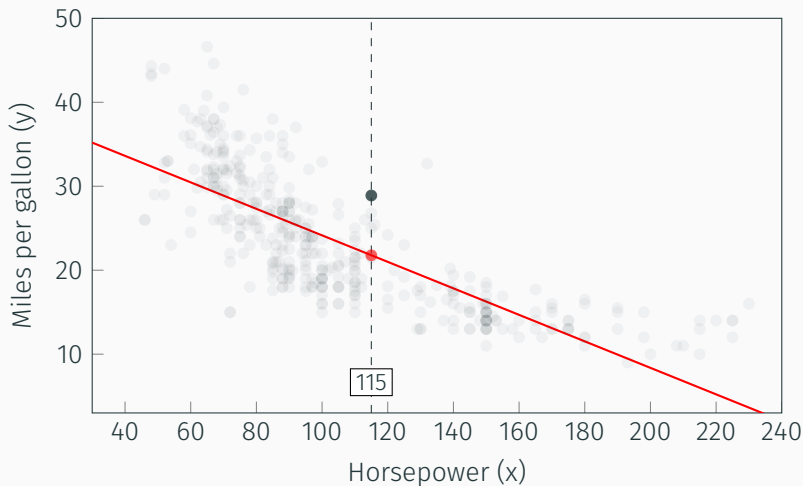
$$\hat{y} = 39.93 - 0.1578 * 115$$

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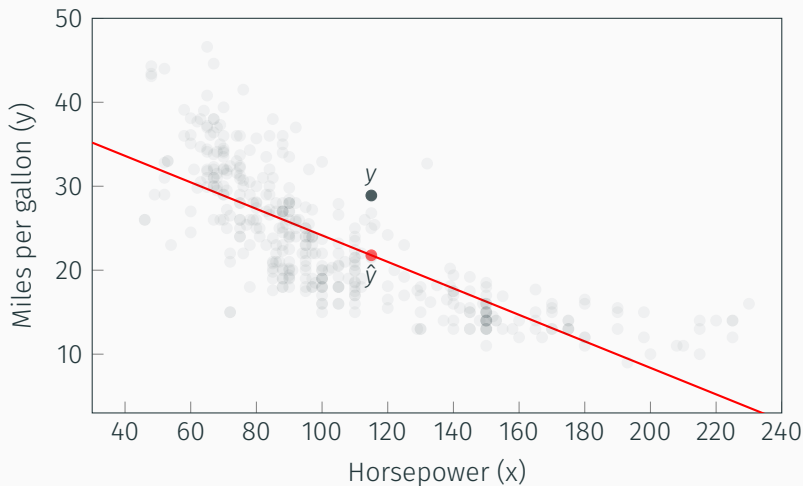
$$21.78 = 39.93 - 0.1578 * 115$$

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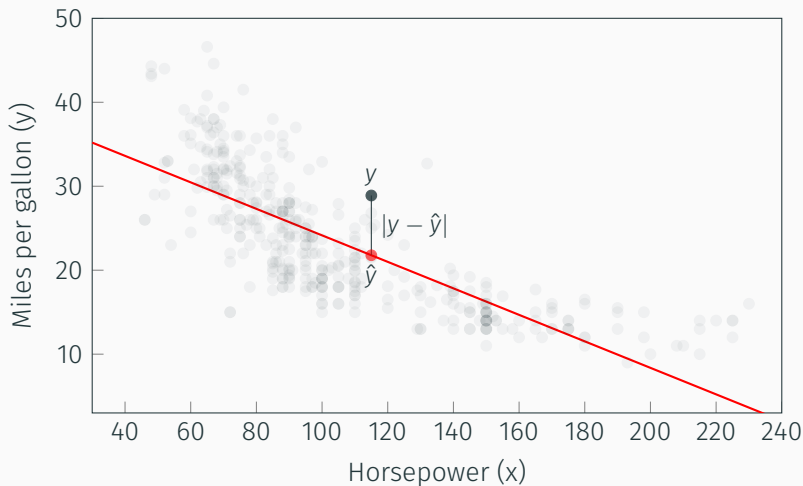


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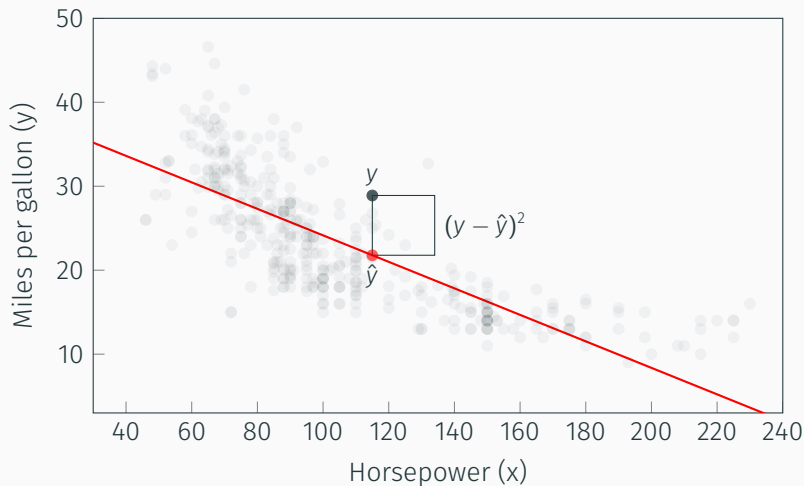
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