

# Shopify Summer 2022 Data Science Intern Challenge Q1

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Project Portfolio: <https://ester-tsai.github.io/>

```
In [1]: import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
```

## Question 1:

On Shopify, we have exactly 100 sneaker shops, and each of these shops sells only one model of shoe. We want to do some analysis of the average order value (AOV). When we look at orders data over a 30 day window, we naively calculate an AOV of \$3145.13. Given that we know these shops are selling sneakers, a relatively affordable item, something seems wrong with our analysis.

### Load dataset

```
In [2]: data = pd.read_csv("2019 Winter Data Science Intern Challenge Data Set.csv")
data
```

```
Out[2]:
```

	order_id	shop_id	user_id	order_amount	total_items	payment_method	created_at
	0	1	53	746	224	2	cash
	1	2	92	925	90	1	cash
	2	3	44	861	144	1	cash
	3	4	18	935	156	1	credit_card
	4	5	18	883	156	1	credit_card
...	...	...	...	...	...	...	...
	4995	4996	73	993	330	2	debit
	4996	4997	48	789	234	2	cash
	4997	4998	56	867	351	3	cash
	4998	4999	60	825	354	2	credit_card
	4999	5000	44	734	288	2	debit

5000 rows × 7 columns

### Check for null values

```
In [3]: dataset_contains_null = data.isnull().values.any()
does_or_does_not = "does" if dataset_contains_null else "does not"
reas_or_not_reas = "not reasonable" if dataset_contains_null else "reasonable"
print(f"The dataset {does_or_does_not} contain any null value, so it is {reas_or_not_reas} to proceed o
nward.")
```

The dataset does not contain any null value, so it is reasonable to proceed onward.

### Calculate original AOV

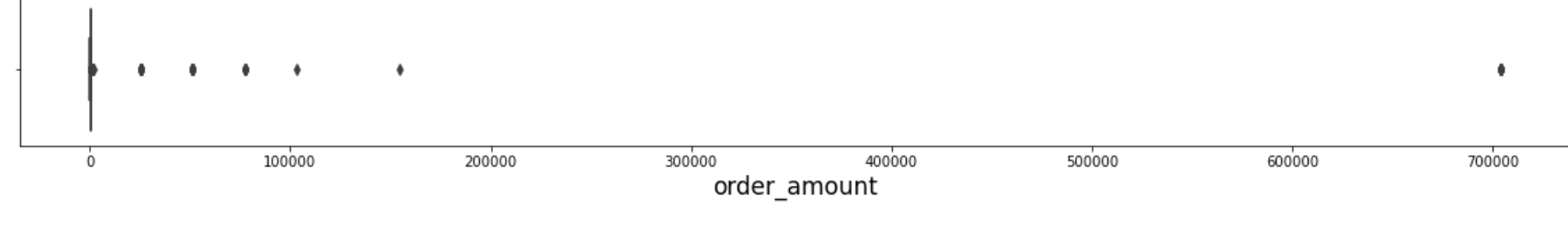
```
In [4]: average_order_value = data.get('order_amount').mean()
print(f"Without considering the total_items in each order, \
it appears that the average order value (AOV) is ${round(average_order_value, 2)}")
```

Without considering the total\_items in each order, it appears that the average order value (AOV) is \$3145.13

### Descriptive data analysis

```
In [5]: plt.rcParams["figure.figsize"] = (20,2)
boxplot = sns.boxplot(x=data['order_amount'])
boxplot.axes.set_title("Distribution of order_amount", fontsize=20)
boxplot.set_xlabel("order_amount", fontsize=17)
plt.show()

quantitative_data = data[['order_amount', 'total_items']]
quantitative_data.describe()
```



```
Out[5]:
```

	order_amount	total_items
count	5000.000000	5000.000000
mean	3145.128000	8.78720
std	41282.539349	116.32032
min	90.000000	1.00000
25%	163.000000	1.00000
50%	284.000000	2.00000
75%	390.000000	3.00000
max	704000.000000	2000.00000

A boxplot and summary of the dataset reveals that there are several **extreme outliers** with abnormally high *total\_items* and *order\_amount*.

### Identify the abnormality

```
In [6]: data.sort_values(by='order_amount', ascending=False).head(20)
```

```
Out[6]:
```

	order_id	shop_id	user_id	order_amount	total_items	payment_method	created_at
	2153	2154	42	607	704000	2000	credit_card
	3332	3333	42	607	704000	2000	credit_card
	520	521	42	607	704000	2000	credit_card
	1602	1603	42	607	704000	2000	credit_card
	60	61	42	607	704000	2000	credit_card
	2835	2836	42	607	704000	2000	credit_card
	4646	4647	42	607	704000	2000	credit_card
	2297	2298	42	607	704000	2000	credit_card
	1436	1437	42	607	704000	2000	credit_card
	4882	4883	42	607	704000	2000	credit_card
	4056	4057	42	607	704000	2000	credit_card
	15	16	42	607	704000	2000	credit_card
	1104	1105	42	607	704000	2000	credit_card
	1562	1563	42	607	704000	2000	credit_card
	2969	2970	42	607	704000	2000	credit_card
	4868	4869	42	607	704000	2000	credit_card
	1362	1363	42	607	704000	2000	credit_card
	691	692	78	878	154350	6	debit
	2492	2493	78	834	102900	4	debit
	3724	3725	78	766	77175	3	credit_card

A closer look at the sorted dataframe shows that there is **a significant number of unexpectedly huge orders coming from the same user and same store**. It means that our original AOV was heavily pulled toward the higher end because of these extreme outliers. To reduce the effect these extreme outliers have on our metric, it is crucial to take total\_items into consideration.

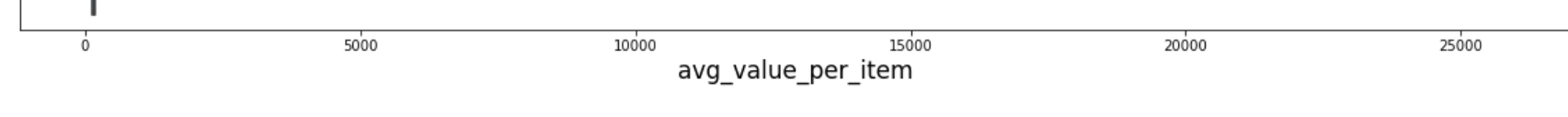
The AOV is so high largely because of orders with more than one total\_items. It might help to divide order\_amount by total\_items for each order, so we can have a better idea how much each item costed on average.

### Calculate average value per item

```
In [7]: data_with_avg_value_per_item = data.copy(deep=True)
data_with_avg_value_per_item['avg_value_per_item'] = data.get('order_amount') / data.get('total_items')
```

```
In [8]: plt.rcParams["figure.figsize"] = (20,2)
boxplot = sns.boxplot(x=data_with_avg_value_per_item['avg_value_per_item'])
boxplot.axes.set_title("Distribution of avg_value_per_item", fontsize=20)
boxplot.set_xlabel("avg_value_per_item", fontsize=17)
plt.show()
```

```
data_with_avg_value_per_item[['avg_value_per_item']].describe()
```



```
Out[8]:
```

	avg_value_per_item
count	5000.000000
mean	387.742800
std	2441.963725
min	90.000000
25%	133.000000
50%	163.000000
75%	169.000000
max	25725.000000

The bonxplot and table above show that **there is still something peculiar with the average value per item**. The max of \$25725 seems abnormally large for a pair of sneakers. So I will take a look at whether these abnormal orders show any patterns.

```
In [9]: data_with_avg_value_per_item.sort_values(by='avg_value_per_item', ascending=False).head(50)
```

```
Out[9]:
```

	order_id	shop_id	user_id	order_amount	total_items	payment_method	created_at	avg_value_per_item
	4420	4421	78	969	77175	3	debit	25725.0
	2906	2907	78	817	77175	3	debit	25725.0
	4505	4506	78	866	25725	1	debit	25725.0
	493	494	78	983	51450	2	cash	25725.0
	2452	2453	78	709	51450	2	cash	25725.0
	1452	1453	78	812	25725	1	credit_card	25725.0
	3167	3168	78	927	51450	2	cash	25725.0
	3403	3404	78	928	77175	3	debit	25725.0
	4918	4919	78	823	25725	1	cash	25725.0
	2773	2774	78	890	25725	1	cash	25725.0
	2492	2493	78	834	102900	4	debit	25725.0
	2495	2496	78	707	51450	2	cash	25725.0
	1384	1385	78	867	25725	1	cash	25725.0
	4079	4080	78	946	51450	2	cash	25725.0
	3705	3706	78	828	51450	2	credit_card	25725.0
	1259	1260	78	775	77175	3	credit_card	25725.0
	1193	1194	78	944	25725	1	debit	25725.0
	3151	3152	78	745	25725	1	credit_card	25725.0
	2564	2565	78	915	77175	3	debit	25725.0
	1529	1530	78	810	51450	2	cash	25725.0
	3440	3441	78	982	25725	1	debit	25725.0
	4412	4413	78	756	51450	2	debit	25725.0
	2548	2549	78	861	25725	1	cash	25725.0
	2821	2822	78	814	51450	2	cash	25725.0
	4192	4193	78	787	77175	3	credit_card	25725.0
	2512	2513	78	935	51450	2	debit	25725.0
	511	512	78	967	51450	2	cash	25725.0
	2818	2819	78	869	51450	2	debit	25725.0
	490	491	78	936	51450	2	debit	25725.0
	3724	3725	78	766	77175	3	credit_card	25725.0
	1204	1205	78	970	25725	1	credit_card	25725.0
	1419	1420	78	912	25725	1	cash	25725.0
	4311	4312	78	960	51450	2	debit	25725.0
	2690	2691	78	962	77175	3	debit	25725.0
	617	618	78	760	51450	2	cash	25725.0
	3101	3102	78	855	51450	2	credit_card	25725.0
	1056	1057	78	800	25725	1	debit	25725.0
	3780	3781	78	889	25725	1	cash	25725.0
	4584	4585	78	997	25725	1	cash	25725.0
	160	161	78	990	25725	1	credit_card	25725.0
	2922	2923	78	740	25725	1	debit	25725.0
	2270	2271	78	855	25725	1	credit_card	25725.0
	4715	4716	78	818	77175	3	debit	25725.0
	691	692	78	878	154350	6	debit	25725.0
	4040	4041	78	852	25725	1	cash	25725.0
	3085	3086	78	910	25725	1	cash	25725.0
	3697	3698	42	839	352	1	debit	352.0
	1929	1930	42	770	352	1	credit_card	352.0
	1911	1912	42	739	704	2	cash	352.0
	308	309	42	770	352	1	credit_card	352.0

It appears that all of these abnormally large avg\_value\_per\_item come from the same shop with a shop\_id of 78, although with different users.

### Part B: What metric would you report for this dataset?

Because of the extreme outliers I identified above, I can consider using **median** as the metric instead of **mean**, so the value I find would be robust to outliers.

It may be helpful to find the median for both AOV and avg\_value\_per\_item, since AOV varies greatly based on total\_items.

### Part C: What is its value?

```
In [10]: median_order_amount = data_with_avg_value_per_item.get('order_amount').median()
print(f"The median order_amount is: ${median_order_amount}")
```

the median order\_amount is: \$284.0

```
In [11]: median_avg_value_per_item = data_with_avg_value_per_item.get('avg_value_per_item').median()
print(f"The median avg_value_per_item is: ${median_avg_value_per_item}")
```

the median avg\_value\_per\_item is: \$153.0

## Q1 Conclusion

The dataset appeared to have an abnormally high AOV of \$3145.13 because:

- We did not take into account the effect of total\_items on order\_amount.
- There were nearly 50 orders with abnormally high average value per item.

### Solution:

- Use median instead of mean
- Consider both AOV and avg\_value\_per\_item

### Additional Note (for fun!)

- Please look into shop 78 for potential transaction fraud. All 46 orders at shop 78 have an average value per item of \$25725, which is abnormally expensive for a pair of sneakers.

### Final Note

```
In [12]: sns.boxplot(x=data['order_amount'], y=data['payment_method'])
```

```
Out[12]: <matplotlib.axes._subplots.AxesSubplot at 0x25a49015ac>
```



A look at the boxplots comparing different payment methods show that all three methods (cash, credit\_card, debit) contain abnormal order\_amount values. But the most abnormal value comes from a credit\_card transaction. It may be worth investigating the reasons behind these abnormalities.

The end. Thank you for reading my response.