```
1 #%%
 2 # Setup
 3 import numpy as np
 5|F = (0, 0, 0)
 6 | G = (-2, -1, 1)
 7 \mid H = (1, -3, -2)
 8
 9 #%%
10 # Find normal vector to find equation of plane
11 FG = [g - f \text{ for } f, g \text{ in } zip(F, G)]
12 GH = [h - g \text{ for } g, h \text{ in } zip(G, H)]
13 \mid n = np.cross(FG, GH)
14 print(f"normal vec: {n}")
15 \mid \# u = n / np.linalg.norm(n)
16 | # print(f"unit normal vec: {u}")
17
18 # %%
19 # Determine if point Q is inside triangle FGH
20 P = (7.0 / 3, 11.0 / 3, 14.0 / 3)
21 FP = [p - f \text{ for } f, p \text{ in } zip(F, P)]
22 A FPG = 0.5 * np.linalg.norm(np.cross(FG, FP))
23
24 | GP = [p - g \text{ for } g, p \text{ in } zip(G, P)]
25 A GPH = 0.5 * np.linalg.norm(np.cross(GH, GP))
26
27 | HF = [f - h \text{ for } h, f \text{ in } zip(H, F)]
28 HP = [p - h \text{ for } h, p \text{ in } zip(H, P)]
29 A_HPF = 0.5 * np.linalg.norm(np.cross(HF, HP))
30
31 FH = [h - f \text{ for } f, h \text{ in } zip(F, H)]
32 A_FGH = 0.5 * np.linalg.norm(np.cross(FG, FH))
33
34 print(
        f"Area of triangle FGH: {A FGH}\nSum of area of triangles FPG, GPH, HPF:
   {A_FPG+A_GPH+A_HPF}"
36)
37
38 # %%
39
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1 of 1 2/6/20, 15:16