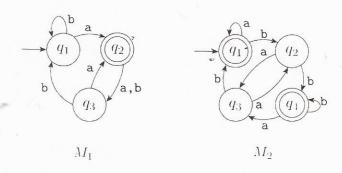
Introduction to Computation Theory Quiz 3 – In-class (20 pts)

Answer all questions

1. [10 pts] The following are the state diagrams of two DFAs, M₁ and M₂. Answer the following questions about each of these machines:



a. [1 pts] What is the start state?

M1 -> Starts at q1

M2 -> Starts at q1

b. [3 pts] What is the set of accept states?

 $M2 -> \{q1, q4\}$

c. [1 pts] What sequence of states does the machine go through on input aabb?

M2: q1->q1, q1->q1, q1->q2, q2->q4

d. [1 pts] Does the machine accept the string aabb?

M1: No, q1 is not an accept state.

M2: Yes, q4 is an accept state.

e. [1 pts] Does the machine accept the string ϵ ?

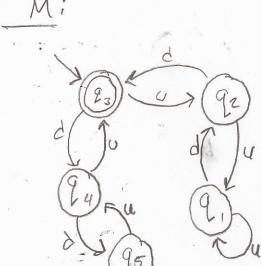
M1: No, could not get to accept state from empty string

M2: Yes, can get to an accept state from empty string

 $\frac{M4}{Q = \xi Q_1, Q_2 Q_3} \begin{cases}
\delta_1 = a b \\
Q_1, Q_2 Q_3
\end{cases}$ $\frac{M_2}{Q = \xi Q_1, Q_2 Q_3} \begin{cases}
\delta_2 = a b \\
Q_1, Q_2 Q_3
\end{cases}$ $\frac{M_2}{Q = \xi Q_1, Q_2 Q_3} \begin{cases}
\delta_2 = a b \\
Q_1, Q_2 Q_3
\end{cases}$ $\frac{M_2}{Q = \xi Q_1, Q_2 Q_3} \begin{cases}
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Q_1, Q_2, Q_3, Q_3, Q_3 Q_3
\end{cases}$ $\frac{M_2}{Q_1, Q_2$

2. [6 pts] The formal description of a DFA M is ({q1, q2, q3, q4, q5}, {u, d}, δ , q3, {q3}), where δ is given by the following table. Give the state diagram of this machine.

	u	d
$\overline{q_1}$	q_1	42
q_2	q_1	q_3
q_3	42	4
$-q_4$	q_3	q_5
q_5	q_4	q_5



1. [5 pts] Give state diagrams of DFA recognizing the following language {w | w contains an even number of 0s, or contains exactly two 1s}, the alphabet is {0,1}

