

Dynamic and adaptive body schema by learning to predict the sensory consequences of actions

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Overview

Systems-level approach to develop a body schema and agency:

- The basal ganglia will select an action based on the desired state (see Baladron and Hamker, 2020).
- The central pattern generator will be execute the action (see Nassour et al., 2020).
- The cerebellum will learn to predict the sensory consequences of the motor action in all modalities (vision, touch, proprioception) i.e. the body schema (see Schmid et al., 2019).
- The **prediction error** will be used to improve the prediction and to train action selection in the basal ganglia.

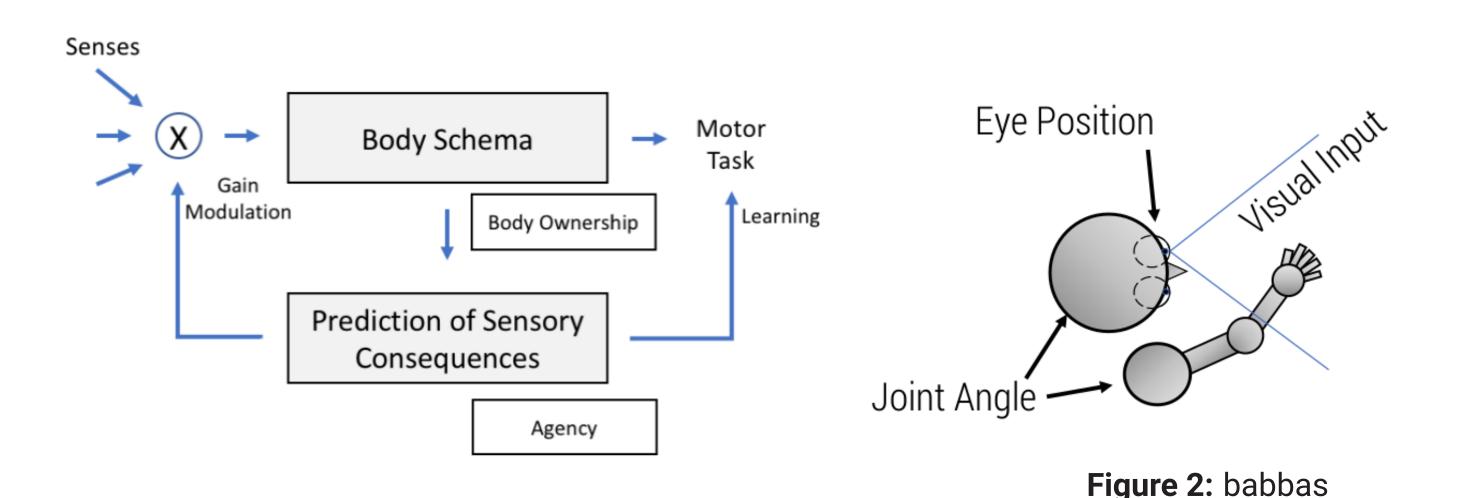


Figure 1: babbas

Sensory Integration¹

Recurrent Basis Functions (RBF):

RBF have been proposed as a model for multisensory integration and transformation between these frames of reference (Pouget et al., 2002). Figure 2 shows an example where the position of the eyes and a joint are used to predict the position of a stimulus in retinocentric coordinates and vice versa.

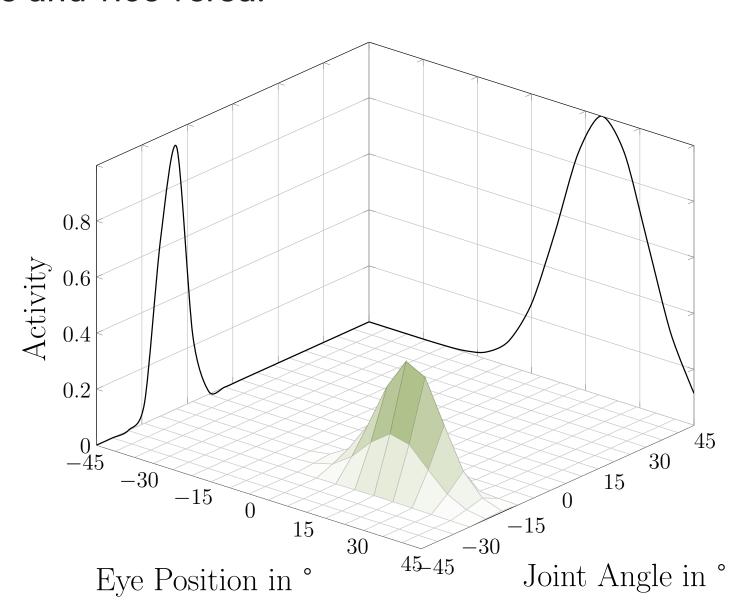


Figure 3: Representation of a RBF population code

Rate-coded Neural Network:

Our network simulates neural activity in continuous time and is driven by unsupervised (anti-)Hebbian learning (empty citation). Excitatory neurons learn to represent the statistical features of their inputs while inhibitory interneurons decorrelate the excitatory responses leading to a sparse neural code.

Neuron Model:

$$\tau^m \frac{dm_j}{dt} + m_j = \sum_j w_{ij} \cdot r_i - \sum_k c_{kj} \cdot r_k$$

$$\tau^{\theta} \frac{d\theta_j}{dt} + \epsilon \cdot sign(\theta_j) = (r_j - r_{Target})$$

$$r_j = \left[\alpha \left(\frac{2}{1 + e^{-\beta(m_j - \theta_j)}} - 1\right)\right]$$

Learning a Body Schema¹

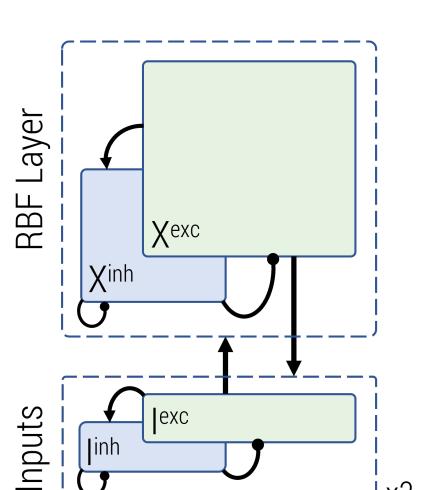


Figure 4: Network Architecture

Synaptic Learning Rules:

Excitatory:

$$\tau^w \frac{dw_{ij}}{dt} = (r_i - \hat{r}_i) \cdot r_j - \alpha_j^w r_j^2 w_{ij}$$

$$r_j = \left[\alpha \left(\frac{2}{1 + e^{-\beta(m_j - \theta_j)}} - 1\right)\right]^+$$

$$\tau^\alpha \frac{d\alpha_j^w}{dt} = \left([r_j - \gamma]^+\right)^2 - \alpha_j^w \text{ with: } w_{ij} = [w_{ij}]^+$$

Inhibitory:

$$\tau^c \frac{dc_{kj}}{dt} = r_k \cdot r_j - \alpha_j^c r_j c_{kj} \text{ with: } c_{kj} = \left[w_{kj} \right]^+$$

Results:

RBF-Neurons develop receptive fields (RF) and show shifting gain fields. This behavior is also found in the cortex (Pouget et al., 2002).

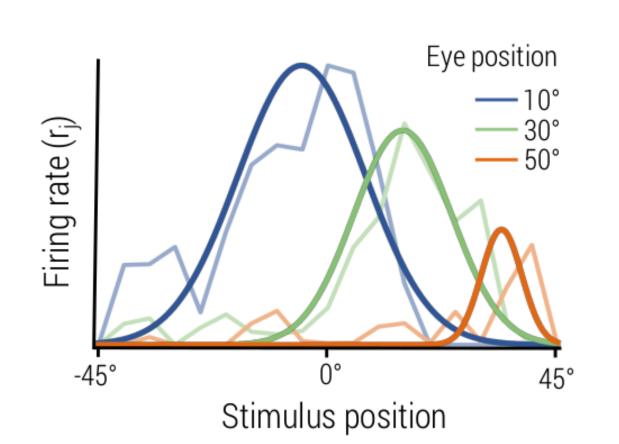


Figure 5: Gain Fields

Basal Ganglia²

The 3-factor learning principles are primarily determined by presynaptic and postsynaptic neuron activity, as well as the dopamine signal.

The labels high and low indicate whether the pre- and post-activity is more than or less than a given threshold (for example, mean population activity).

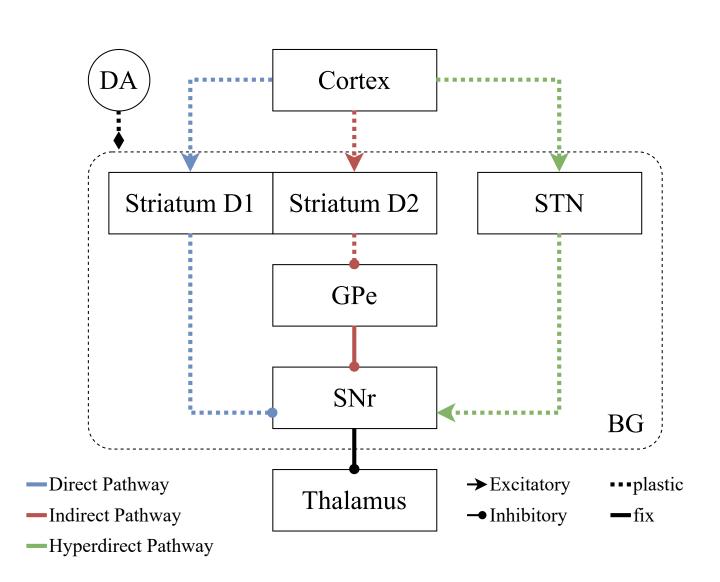


Figure 6: Modeling of segregated basal ganglia pathways

DA+ and DA- labels indicate if SNc activity is above or below a given threshold. A sign specifies the weight changes in the relevant projections for each combination of these criteria (+,, no sign). Table S8 contains the real mathematical explanation of plasticity, in addition to the general description offered.

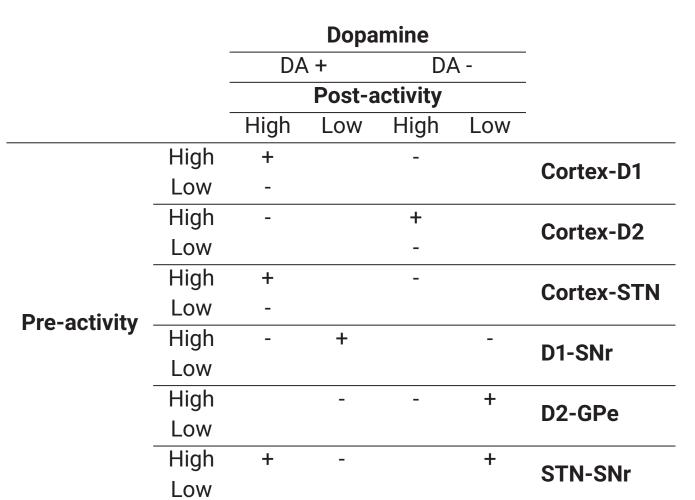
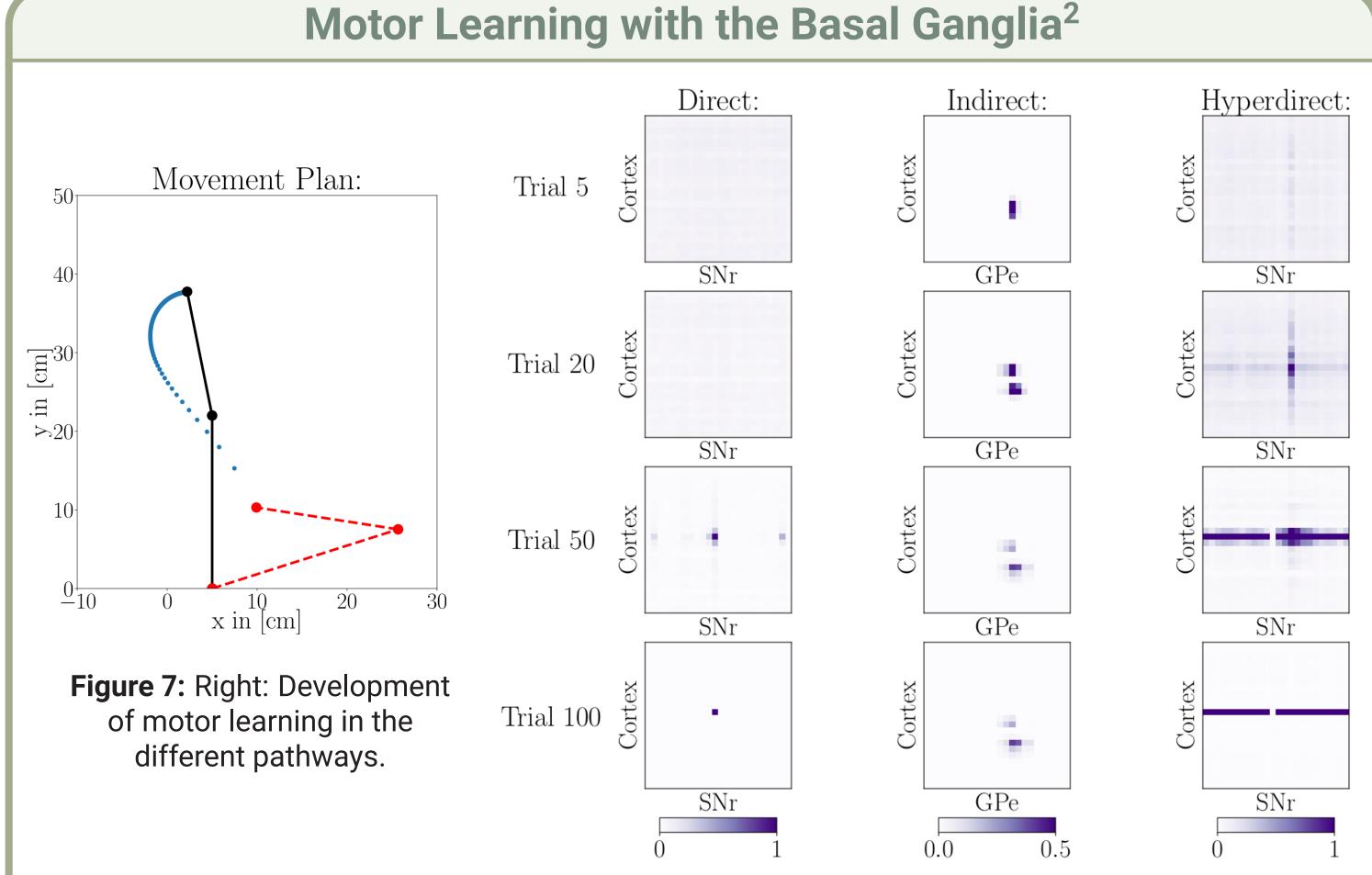


Table 1: +: LTP; -: LTD; no sign: no weight change



This goal informs both, amotor cortex-basalganglia loop and the cerebellum. The motor cortex-basal ganglia loop selects aconcrete action, which determines the parameters of the CPG in the brainstem. Learning occurs when an achieved hand position is novel through dopamine-

A goal position (black) has to modulated Hebbian plasticity that reinforces the associbe reached from a starting po- ation between the executed action and the reached hand sition (red). position.

References

Baladron, J., & Hamker, F. H. (2020). Habit learning in hierarchical cortex-basal ganglia loops. European Journal of Neuroscience, 52(12), 4613-4638. https://doi.org/10.1111/ejn.14730 Nassour, J., Duy Hoa, T., Atoofi, P., & Hamker, F. (2020). Concrete Action Representation Model: From Neuroscience to Robotics. IEEE Transactions on Cognitive and Developmental Systems, 12(2), 272-284. https://doi.org/10.1109/TCDS.2019.2896300

Pouget, A., Deneve, S., & Duhamel, J.-R. (2002). A computational perspective on the neural basis of multisensory spatial representations. Nature Reviews Neuroscience, 3(9), 741–747. https://doi.org/10.1038/nrn914

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