

Prime factorization

Time complexity is $O(\sqrt{n})$

```
/*
    Straight-forward Prime Factorization.

    Factorizes an integer n in  $O(\sqrt{n})$ .

    This can be further optimized by first precomputing all prime numbers
    up to  $\sqrt{n}$  (e.g. using Sieve of Erastosthenes) and then
    checking divisibility for these primes.
    Another optimization would be to use Euler's theorem (power modulo).

    (c) 2015 Josef Ziegler
*/

#include <cstdio>
#include <cmath>
using namespace std;

void prime_factorization(int x, int* factor, int& l){
    l= 0;
    while (x%2 == 0){
        x /= 2;
        factor[l++] = 2;
    }
    int f = 3, limit = sqrt(x)+1;
    while (f < limit){
        if (x%f == 0){

            x /= f;
            factor[l++] = f;
        }
        else {
            f += 2;
        }
    }
}
```

```
        limit = sqrt(x)+1;
    }
}
if (x > 1) factor[l++] = x;
}

int main(){
    int A[10000];
    int l;
    for (int i=1; i<=10000; ++i){
        prime_factorization(i, A, l);
        printf(" ***** %d ***** \n",i);
        for (int j=0; j<l; ++j) printf("%d ",A[j]);
        printf("\n");
    }
}
```