Fall 2015 CIS 515

Fundamentals of Linear Algebra and Optimization Jean Gallier

Project 1

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Problem P1.

- (1) Refer to the MATLAB program Part1.m.
- (2) Except for the first and last control points, pairs of de Boor control points, b_0^{i+1} and b_3^i , have common equations in terms of d_{i+1} , and often d_i and/or d_{i+2} . By taking the coefficients of each d term and placing them in a matrix, A, the equation Ad = x can then be written in a manner which satisfies all of the equations in terms of d.

$$6b_0^2 = \frac{3}{2}d_1 + \frac{7}{2}d_2 + (1)d_3$$

$$6b_0^i = (1)d_{i-1} + (4)d_i + (1)d_{i+1}; (3 \le i < N - 3)$$

$$6b_0^{N-2} = (1)d_{N-3} + \frac{7}{2}d_{N-2} + \frac{3}{2}d_{N-1}$$

Since the range of superscript values on the left side of the above equations is 2 to N-2, and the subscripts of d have a range 1 to N-1, a vector can be made for d which ranges 2 to N-2 and the remaining values of d (since they each only occur in a single equation) can be included in the x vector.

Problem P2.

Refer to the MATLAB program Part2_1.m and Part2_2.m.