

# Homework 1

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```
library(tidyverse)
```

```
## -- Attaching packages -----
```

```
## v ggplot2 3.2.0    v purrr  0.3.2
## v tibble  2.1.3    v dplyr  0.8.1
## v tidyr   0.8.3    v stringr 1.4.0
## v readr   1.3.1    v forcats 0.4.0
```

```
## -- Conflicts ----- tidy
```

```
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()    masks stats::lag()
```

1. Consider observing  $n = 10$  pairs of points where no clear predictor/response relationship is obvious. Supposing that the relationship between the two variables appears to be linear, find the range of  $r$  (correlation coefficient) for which the null hypothesis  $H_0 : \text{corr} = 0$  will not be rejected at  $\alpha = .05$ . (Refer to the t-test given at the end of lecture notes 2). (If you want to get quantiles from a t-distribution in R, you can use `qt(quantile,df)` where `quantile` is a number between 0 and 1 and `df` is the degrees of freedom.)

```
#find quantiles for df=8 where we reject the null hypothesis @ alpha=0.05. Remember two-tailed
qt(0.025, 8)
```

```
## [1] -2.306004
```

```
qt(0.975,8)
```

```
## [1] 2.306004
```

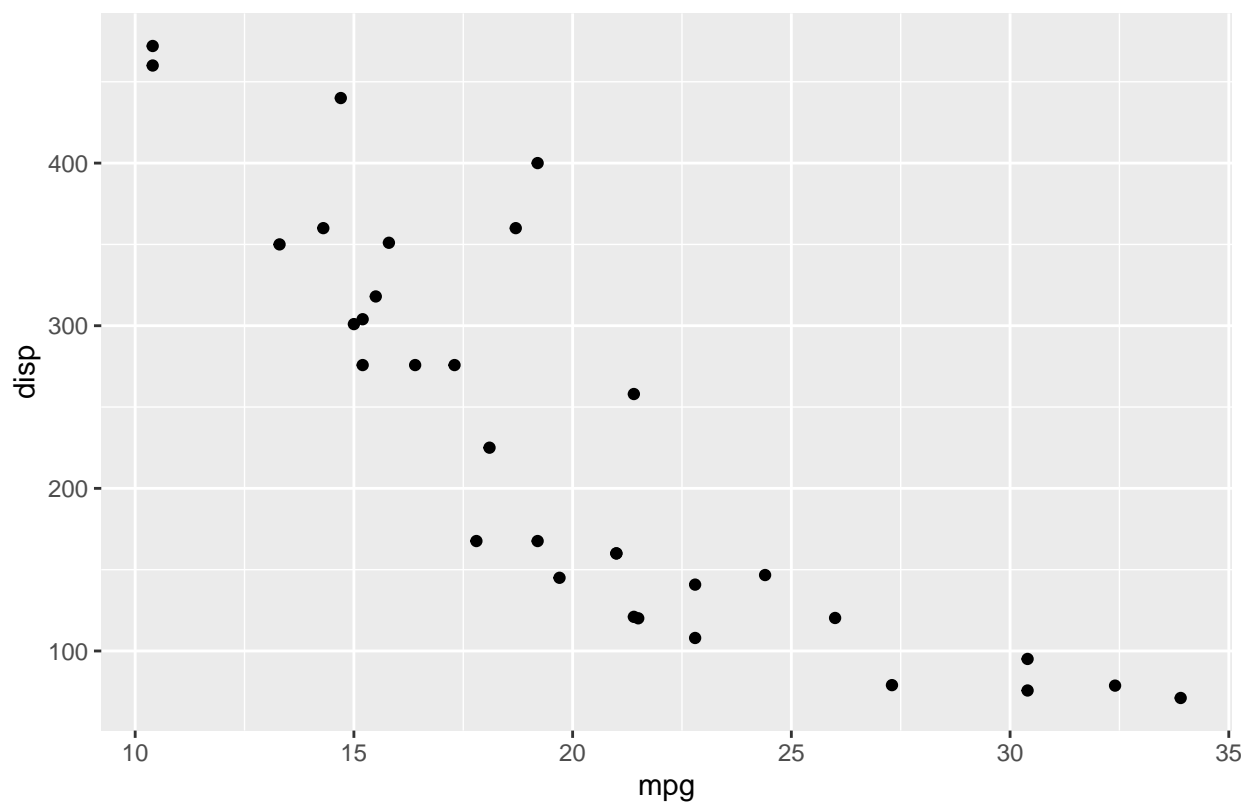
6. Using the data set `mtcars` (`data(mtcars)`) in R, find a transformation of the variables `mpg` (fuel efficiency) and `disp` (engine size) that allows for reasonable application of our linear model.

```
data(mtcars)
```

```
#diagnostic plot
```

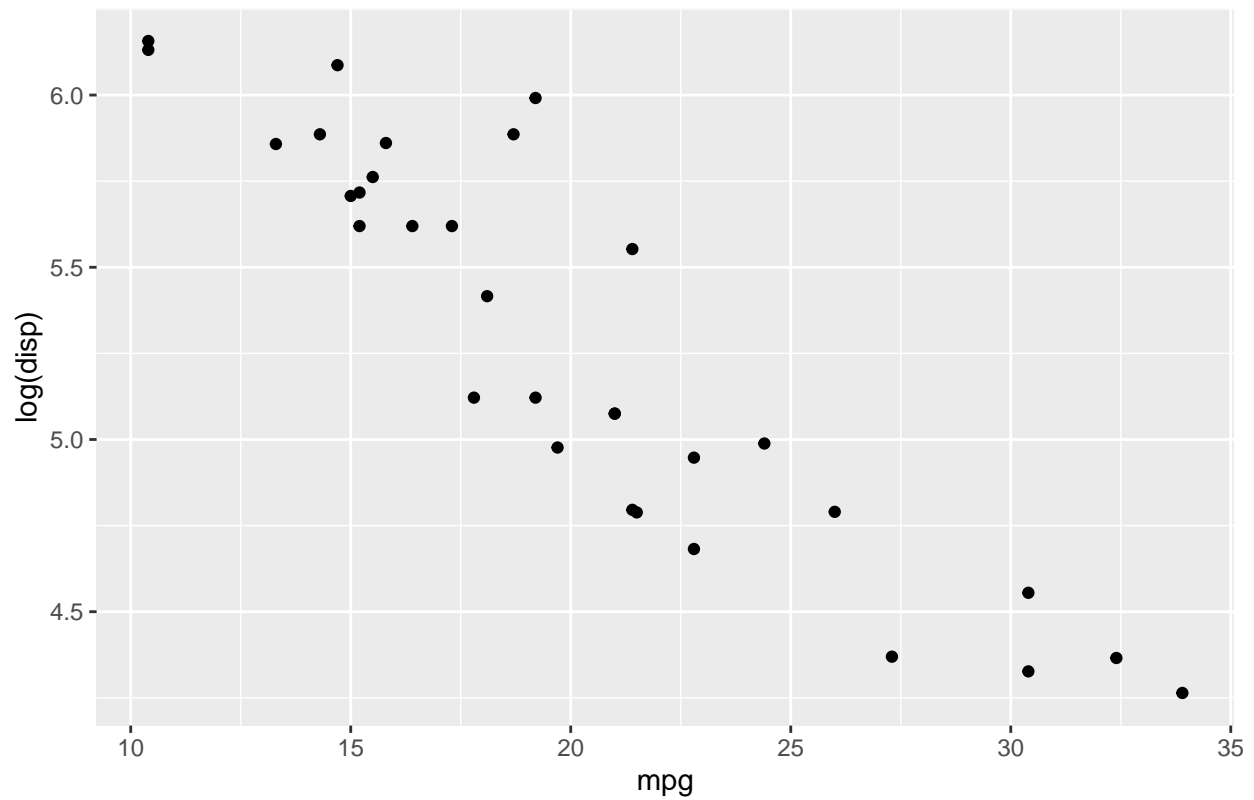
```
mtcars %>% select(mpg, disp) %>% ggplot()+geom_point(aes(x=mpg, y=disp))+ggtitle("Untransformed mpg vs d
```

Untransformed mpg vs disp from mtcars



```
#try a log transform on disp variable  
mtcars %>% select(mpg, disp) %>% ggplot()+geom_point(aes(x=mpg, y=log(disps)))+ggtitle("mpg vs Log trans")
```

mpg vs Log transformed disp from mtcars



*#The data looks quite a bit more linear now... this is more reasonable for applying our linear model*