Failure Models

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Stevens Institute of Technology
Including materials by K. Birman

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SOURCES OF FAILURE

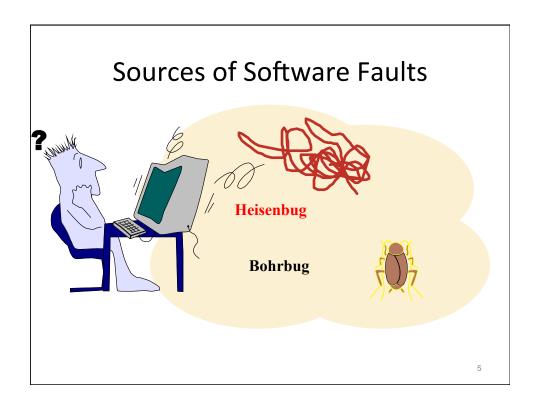
Why do Systems Fail?

 Gray: "Conventional well-managed transaction processing systems fail about once every two weeks. The ninety minute outage outlined above translates to 99.6% availability for such systems. 99.6% availability sounds wonderful, but hospital patients, steel mills, and electronic mail users do not share this view – a 1.5 hour outage every ten days is unacceptable. Especially since outages usually come at times of peak demand."

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Why do Systems Fail?

- Operator Errors
 - Gray: 42% in a transaction processing system
 - Patterson: 59% among 3 anonymous Web sites
 - Three Mile Island
 - Fly-by-wire (Airbus)
- Autonomic computing
- Automation irony



Sources of Heisenbugs

- Poor Algorithms
- Missing Deadlines
- Race Conditions
- Roundoff Error Build Up
- Memory Leaks
- Broken Pointers
- Register Misuse (embedded software)

Bugs in a typical distributed system

- Component crash or network partition
- Other components depend on it
- Chain of dependencies
 - Gradual failover

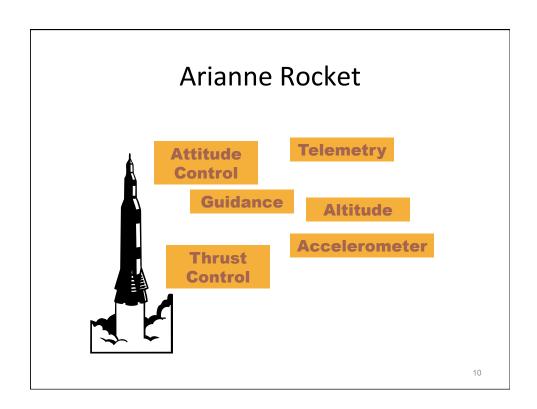
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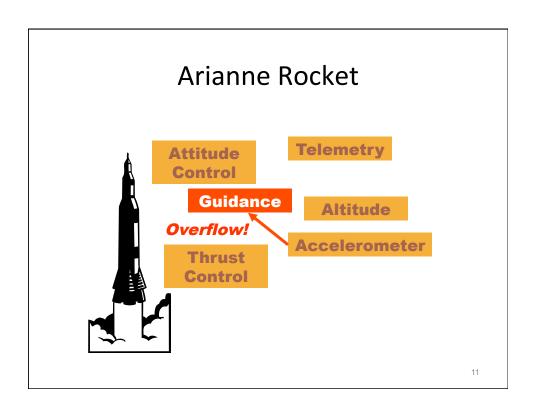
Leslie Lamport

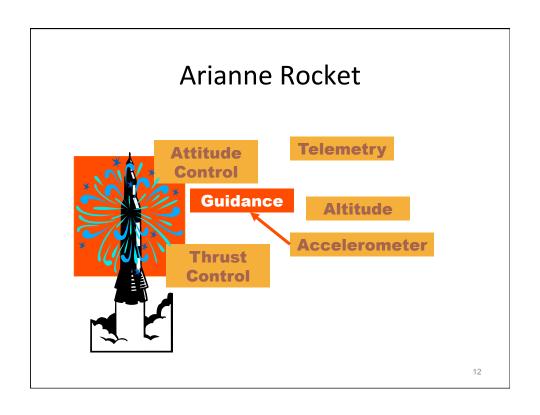
- "A distributed system is one in which the failure of a machine you have never heard of can cause your own machine to become unusable."
- Dependency on critical components

Example

- Arianne rocket: modular design
- Guidance system
 - Flight telemetry
 - Rocket engine control
 - Etc
- Upgraded some rocket components
- Hidden assumptions invalidated





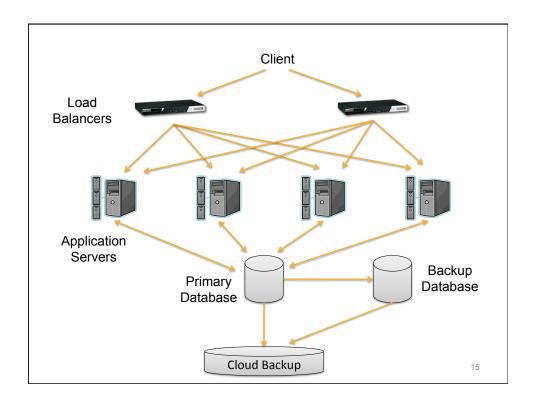


Insights?

- Correctness depends on the environment
- Components make hidden assumptions

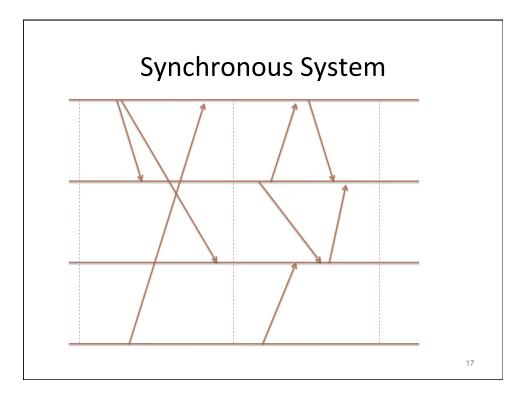
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FAILURE MODELS



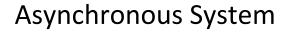
System Models

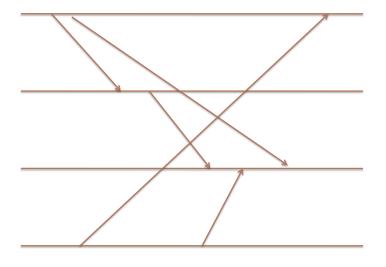
- Synchronous System
 - Bounded message delivery time
 - Bound on clock drift
 - Bound on computing time
 - Strong assumptions (too strong?)
- Asynchronous System
 - No bounds
 - Very weak model
- Partial Synchrony
 - Approximate bounds on delays, but unknown



System Models

- Synchronous System
 - Bounded message delivery time
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Categories of failures

- Fail-stop failures
 - System support
 - Overcome message loss by resending packets
 - must be uniquely numbered
 - Easy to work with... but rarely supported

Categories of failures

- Network Partition
 - Failure of router isolates subnet
 - Danger: Processes in subnet continue
 - Result: inconsistency
 - Solutions: Quorum consensus, etc.

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Categories of failures

- Crash faults, message loss
 - Common in real systems
 - Cannot be directly detected
 - Classic impossibility results!

Categories of failures

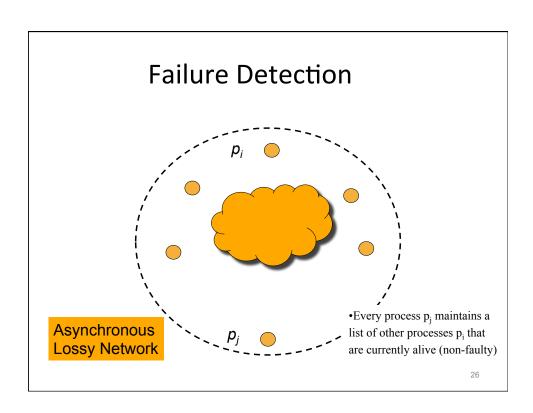
- Non-malicious Byzantine failures
 - Pretty much anything
 - Random failure, not coordinated
 - Common mode of failure

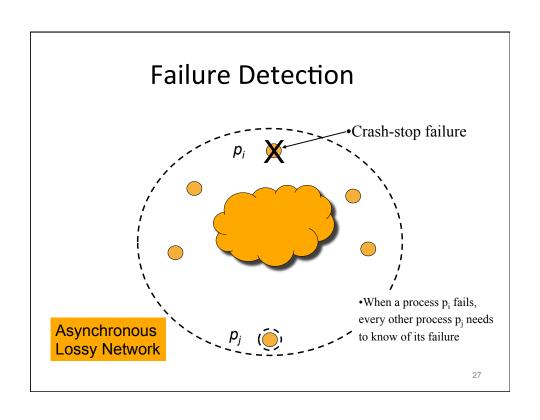
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Categories of failure

- Malicious (Byzantine?) failures
 - Very costly to defend against
 - Typically used in very limited ways
 - e.g. key mgt. server

FAILURE DETECTION





How is it Useful?



Metrics for Protocols

Completeness

Correctness

Accuracy

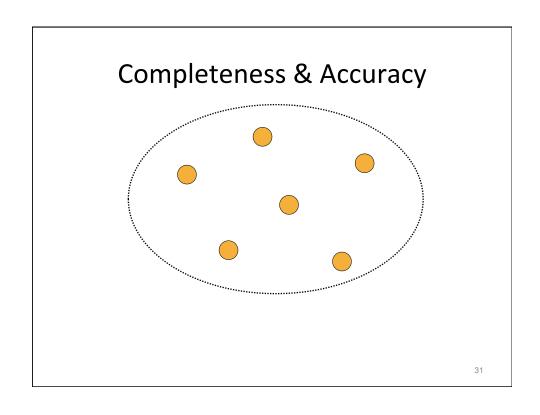
- Speed
 - First detection time
 - Dissemination time
- Scalability
 - Load : network load, per node overhead
 - How above metrics change with N
- Resilience
 - Performance under many failures

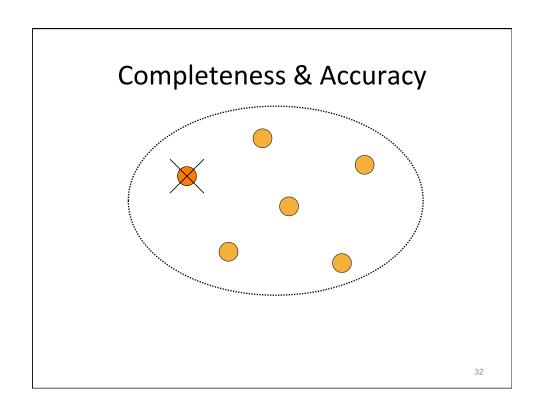
Performance

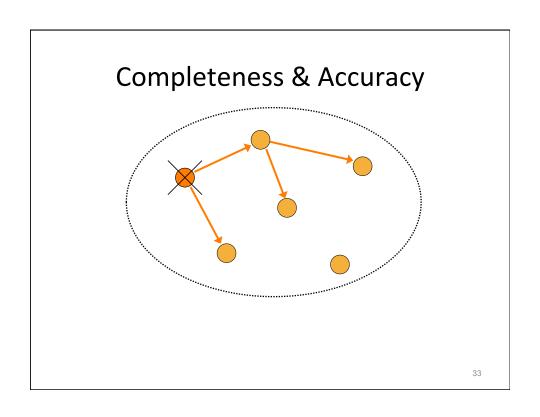
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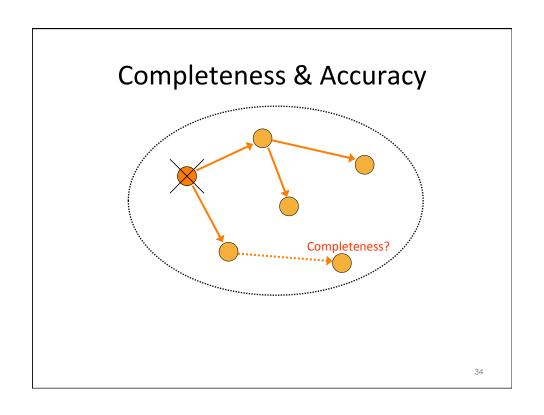
Metrics for Protocols

- Completeness
 - Failure eventually detected by every non-faulty node
- Accuracy
 - No mistake in detection: no alive (non-faulty) node detected as failed

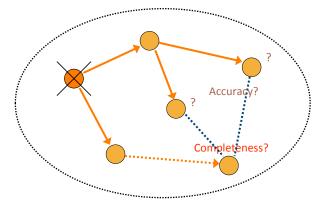








Completeness & Accuracy



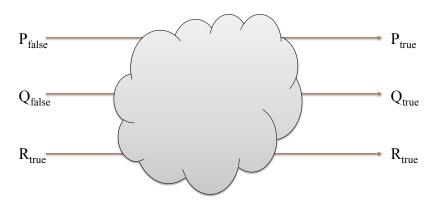
FLP Impossibility result: It is impossible to design a failure detector that is both complete and accurate in an asynchronous network [Chandra and Toueg 1990]

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DISTRIBUTED PROBLEMS

Distributed Problems

Global Consensus

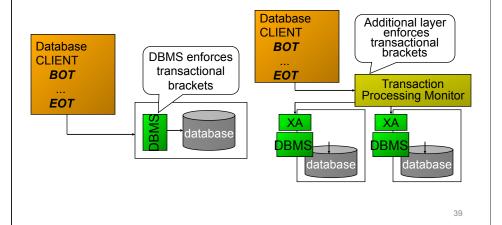


Distributed Problems

- Global Consensus
 - N peer processes, each have input true or false
 - System model: Asynchronous
 - Failure model: Crash stop
 - Agreement: Everyone agrees to output same value
 - Validity: Output value is one of the input values
 - Termination: Protocol must finish

Distributed Problems

· Non-blocking atomic commitment

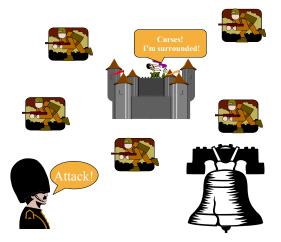


Distributed Problems

- Non-blocking atomic commitment
 - N databases, each involved in a transaction
 - Commit all updates or roll back (abort) all updates
 - System model: Asynchronous system
 - Failure model: Crash stop
 - Agreement: No two DBs can make different decisions
 - Commit Validity: Only commit if all DBs commit
 - Abort Validity: Only abort if one DB aborts
 - Termination: Every non-crashed DB must decide

Distributed Problems

• Byzantine Agreement ("Byzantine Generals")



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Distributed Problems

- Byzantine Agreement ("Byzantine Generals")
 - N generals, coordinating attack
 - Variant: One general issues orders to lieutenants
 - System model: Synchronous system
 - Failure model: Byzantine
 - Agreement: Loyal lieutenants obey same order
 - Validity: If general is loyal, lieutenants obey his order
 - Termination: Protocol must finish

Other Problems

- Leader Election
 - A leader must eventually be chosen
 - Other processes must learn of decision
- Deadlock Detection
- Termination Detection
- Garbage Collection
- ...

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Properties of Solutions

- Safety: Algorithm is guaranteed to leave an incorrect state
 - Violation: If property is violated in execution E, then there is another execution E' same as E up until property violation and property continues to be violated in E'
- Liveness: Algorithm must make progress
 - 2PC for atomic commitment

CONSENSUS AND FAILURE DETECTION

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FLP: Impossibility of Consensus

- Consensus is impossible
 - ... in asynchronous system
 - ... with crash-stop failures
- Adversary argument:
 - Any protocol cannot block
 - Delay delivery of critical message
 - Force system to reconfigure
 - Deliver message now it's no longer critical
 - Continue ad infinitum

FLP: Impossibility of Consensus

- Consensus is impossible
 - ... in asynchronous system
 - ... with crash-stop failures
- Adversary argument:
 - Relies on only one failure (message loss)
 - · ...which never actually happens!
 - Key point: protocol cannot distinguish failure from delay

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FLP: Impossibility of Consensus

- Suppose we knew exactly one failure
- If N processes, then every process broadcasts its input (true or false) to every other process
- Each process: Make decision after receiving N-1 broadcasts

Properties of Failure Detectors

- Completeness: detection of every crash
 - Strong completeness: Eventually, every process that crashes is permanently suspected by every correct process
 - Weak completeness: Eventually, every process that crashes is permanently suspected by some correct process

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Properties of Failure Detectors

- Accuracy: does it make mistakes?
 - Strong accuracy: No process suspected before it crashes.
 - Weak accuracy: Some correct process is never suspected
 - Eventual strong accuracy: there is a time after which correct processes are not suspected by any correct process
 - Eventual weak accuracy: there is a time after which some correct process is not suspected by any correct process

A sampling of failure detectors

Completeness	Accuracy			
	Strong	Weak	Eventually Strong	Eventually Weak
Strong	Perfect P	Strong S	Eventually Perfect	Eventually Strong
Weak	D	Weak W	◊ D	Eventually Weak

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Perfect Detector

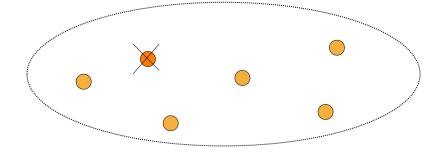
- Named *Perfect,* written *P*
- Strong completeness and strong accuracy
- Immediately detects all failures
- Never makes mistakes

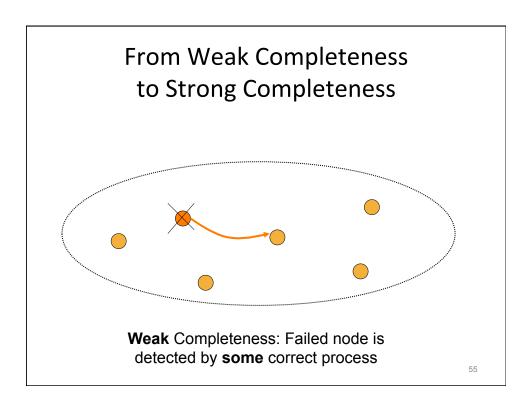
Eventually Weak Detector

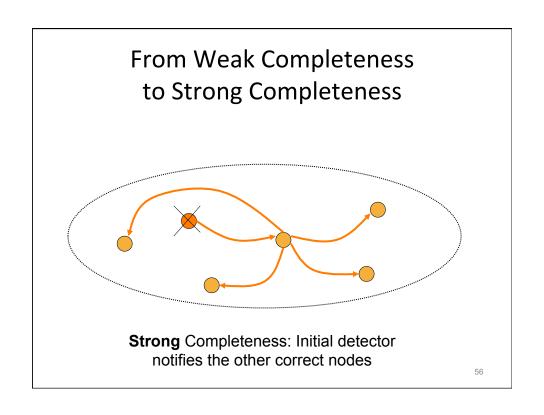
- Eventually Weak: ♦W: "diamond-W"
- Weak Completeness: There is a time after which every process that crashes is suspected by some correct process
 - If it crashes, "we eventually, accurately detect the crash"
- Eventually Weak Accuracy: There is a time after which some correct process is never suspected by any correct process
 - Think: "we can eventually agree upon a leader."
 - Failure detectors are unreliable, but mistakes are recognized

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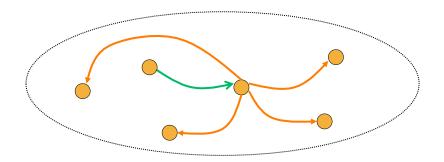
From Weak Completeness to Strong Completeness







From Weak Completeness to Strong Completeness

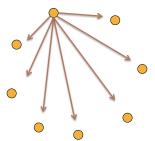


Accuracy: "Failed" node eventually notifies correct processes of their mistake

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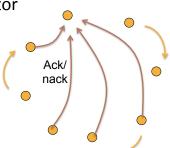
Consensus with Eventually Strong Detector

- Round i (repeat until final value):
 - Coordinator is process (i mod N)
 - Broadcast to all processes for their value
 - Wait for majority to respond (assume < N/2 fails)



Consensus with Eventually Strong Detector

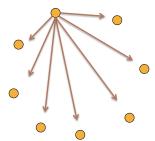
- Round i:
 - Each correct process may ack with its value...
 - ...or believe coordinator has failed, i += 1
 - ...must still send nack for termination of coordinator

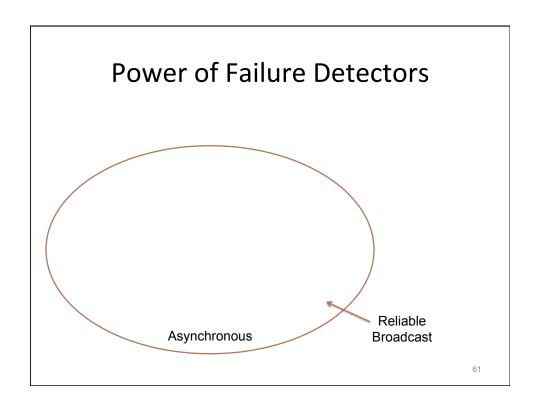


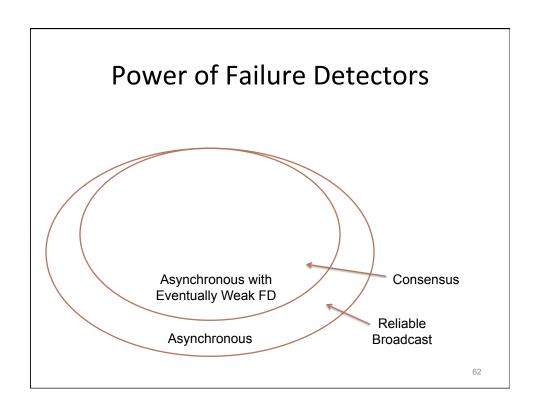
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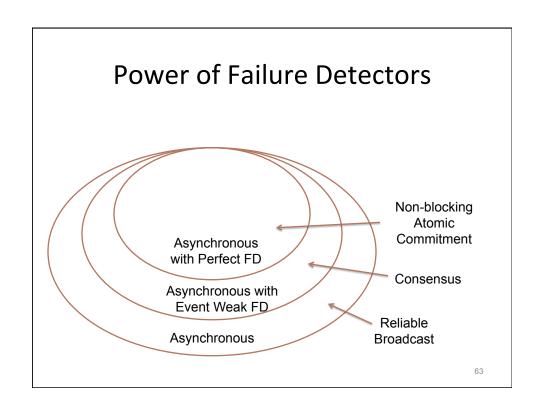
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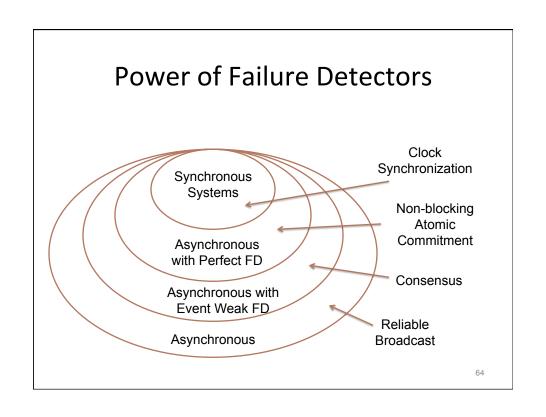
- Termination:
 - Eventual weak accuracy: Some coordinator will eventually be seen correct by all correct processes
 - With majority vote, broadcast final value









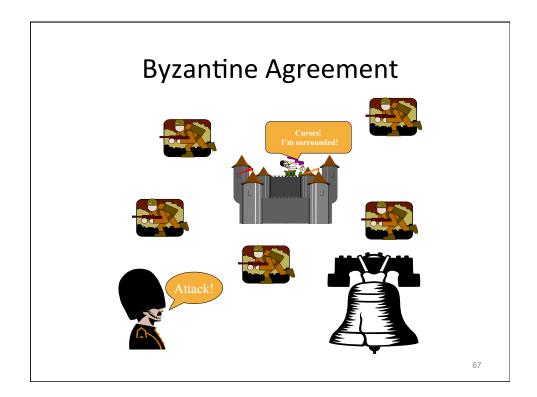


How to Proceed?

- Approximate \(\Qrangle W \) with sufficiently long timeouts
 - Problem: latency
- Use probabilistic protocols
 - Solve consensus with high probability
- Change problem e.g. to group membership
 - Process group approach, false positives ok
- Accept consensus protocol that terminates with high probability
 - Paxos algorithm

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BYZANTINE AGREEMENT



Byzantine Agreement

- Suppose 3 generals (A,B,C), one of whom may be traitor
- General A knows he's loyal
- Take majority vote?
- But traitor may be saying different things to A and other loyal general
- Lower bound: Need at least 4 generals if 1 traitor
- Generally: Need 3f+1 processors if f are faulty

Byzantine Agreement

- Assume wlog general sending orders to lieutenants
- Give commanders ability to sign their messages
- Assume no more than f failures, and f+2 commanders

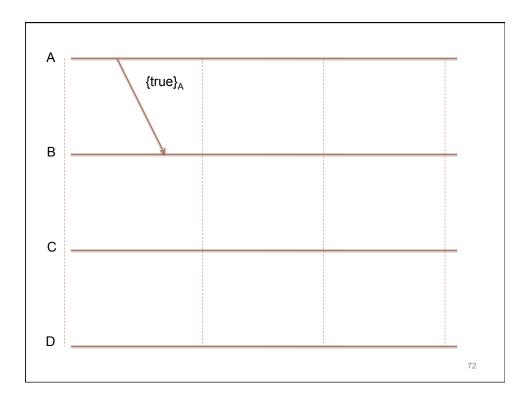
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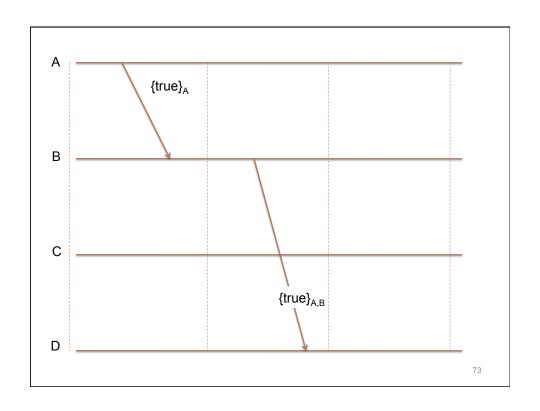
Protocol

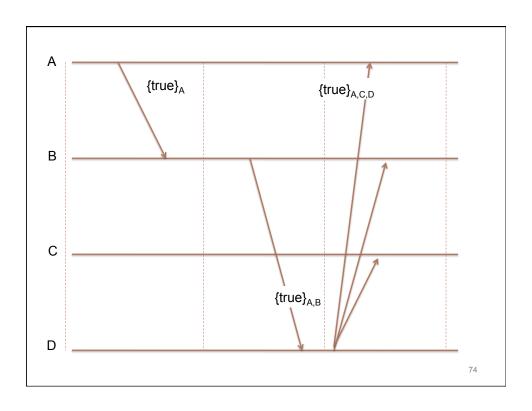
- Round 1:
 - General broadcasts his order (true or false) to all lieutenants
- Round *i*, for loyal commander:
 - Consider any messages with i-1 signatures received in previous round
 - Record any *orders* signed by the general
 - Commander adds his signature to each message, and broadcasts result to all other processes
 - Repeat this round f times for total f+1 rounds

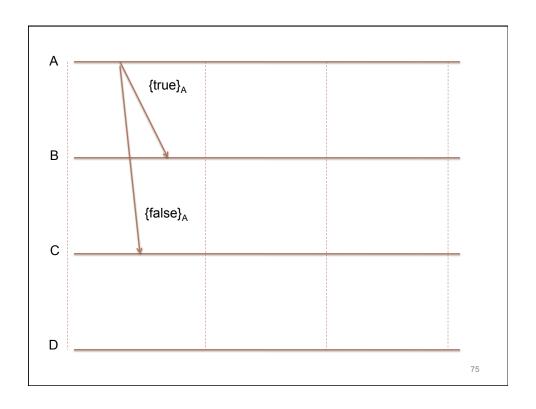
Protocol

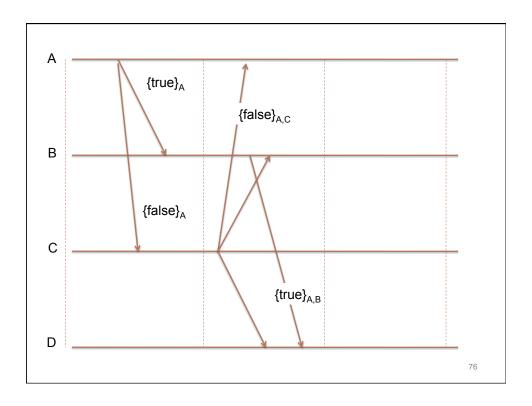
- After f+1 rounds, each loyal commander considers the orders he has recorded:
 - If empty, or conflicting orders, then choose default decision
 - If exactly one order, then execute that order

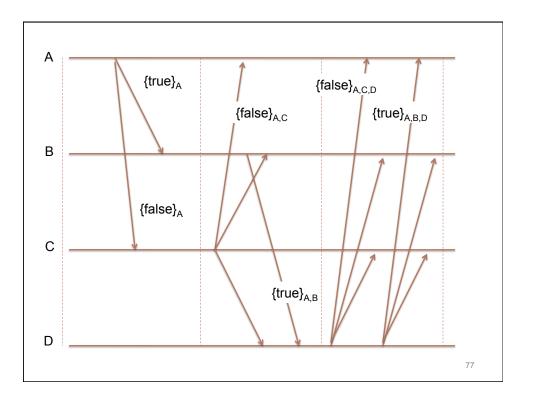












Why does this work?

- Suppose general is loyal
 - Broadcasts order in first round
 - But lieutenants do not know if he is loyal
 - Therefore run for f more rounds
- Disloyal general would:
 - Relay conflicting orders via disloyal lieutenants
 - Orders delivered to loyal lieutenants in last round
 - But protocol requires f+1 rounds, f+1 signatures
 - So orders relayed through at least one loyal lieutenant

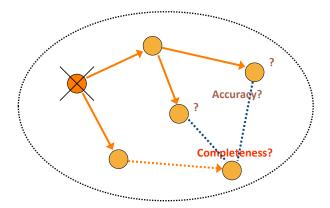
Observations

- Complexity of protocol:
 - O(N²) messages on each round!
 - All Byzantine protocols are expensive
- Rabin: randomized protocols
 - Each process has a form of coin available to it
 - Can flip coin in each round
 - With randomness, very rapid agreement "with high probability" in very little time

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GROUP MEMBERSHIP (1/3)

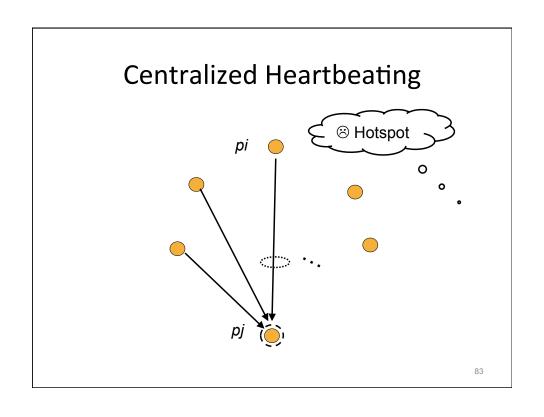
Failure Detection

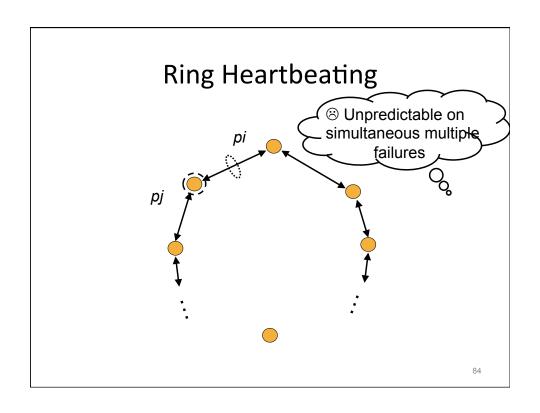


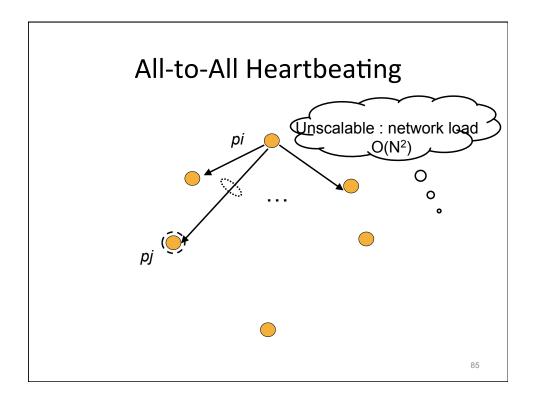
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How to Proceed?

- Approximate \(\rightarrow \)W with sufficiently long timeouts
 - Problem: latency
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 - Solve consensus with high probability
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- Accept consensus protocol that terminates with high probability
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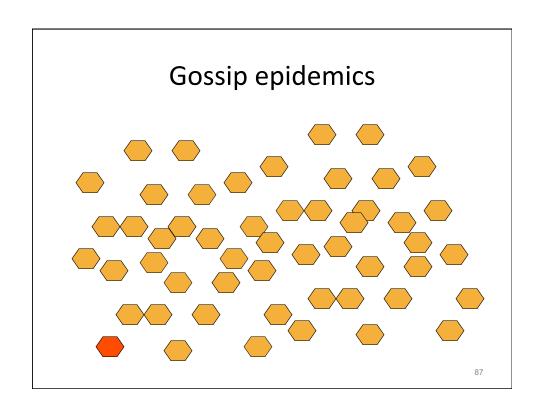


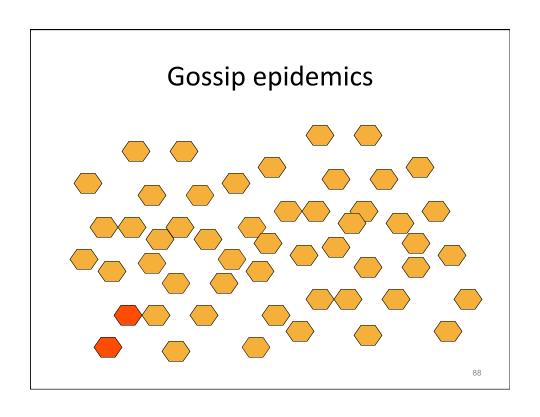


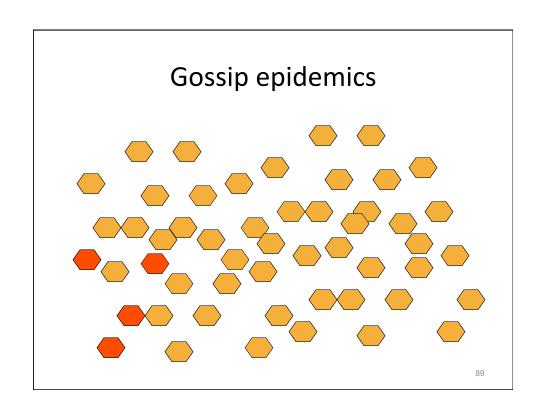


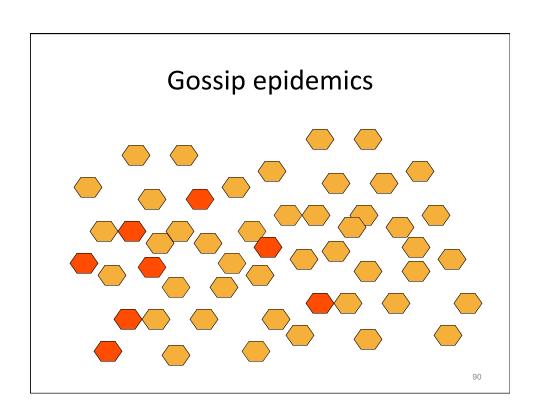
Gossip "epidemics"

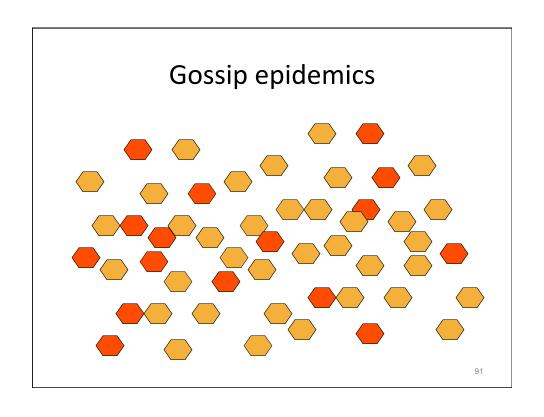
- [t=0] Suppose that I know something
- [t=1] I pick you... Now two of us know it.
- [t=2] We each pick ... now 4 know it...
- Information spread: exponential rate.
 - Due to re-infection (gossip to an infected node) spreads as 1.8^k after k rounds
 - But in O(log(N)) time, N nodes are infected

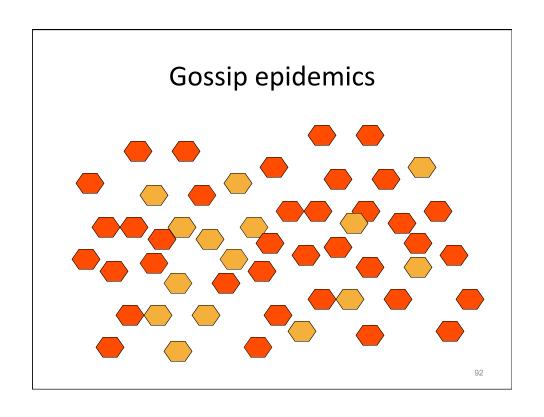


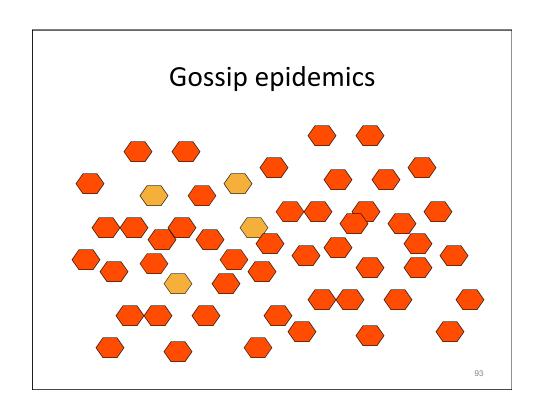


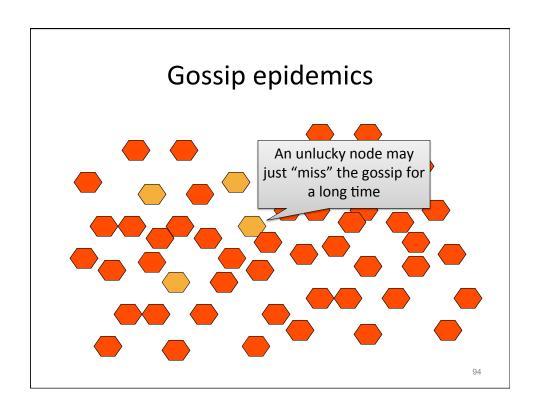






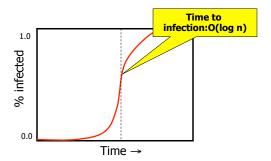






Gossip: scales nicely

- Participants' loads independent of size
- Network load linear in system size
- Data spreads in log(system size) time



Facts about gossip epidemics

- Extremely robust
 - Data travels on exponentially many paths!
 - Hard to even slow it down...
 - Suppose 50% of packets are lost...
 - ... 1 additional round!
 - Push-pull works best.
 - Many optimizations are needed in practice...

GROUP MEMBERSHIP (2/3)

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Completeness & Accuracy

- Trivial algorithms
- Completeness:
 - declare all as failed (always)
- Accuracy:
 - declare all as alive (always)

Completeness & Accuracy

- In practice, most applications require
 - Completeness to always be guaranteed
 - Eventual consistency absolutely required
 - Accuracy guaranteed <u>most of the time</u> (probabilistically)
 - · Performance degradation can be tolerated

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Gossip-Based Failure Detection

- Scalable failure detection
 - Detection time : O(N log(N))
 - Network load per node: O(1)
- Detects all faulty nodes within a time bound
 - Time-bounded completeness
- Has a rate of false positives (probabilistic)

Failure Detection Protocol

- System Assumptions
 - No bound on message delivery
 - · Most messages delivered in reasonable time
 - Failure model: Crash stop
 - Low clock drift
- Bird's Eye Protocol:
 - each member M_i sends out a heartbeat
 - heartbeat is disseminated using gossip
 - failure detection when time out waiting for M_i's next heartbeat

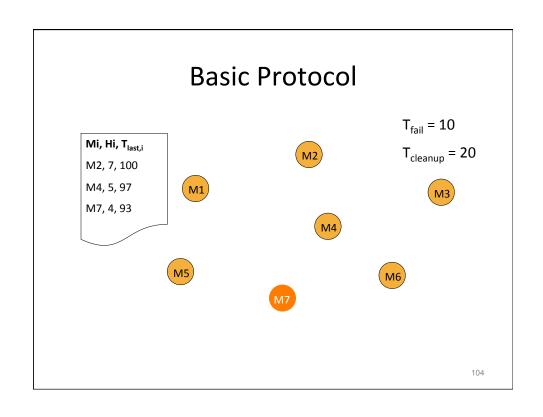
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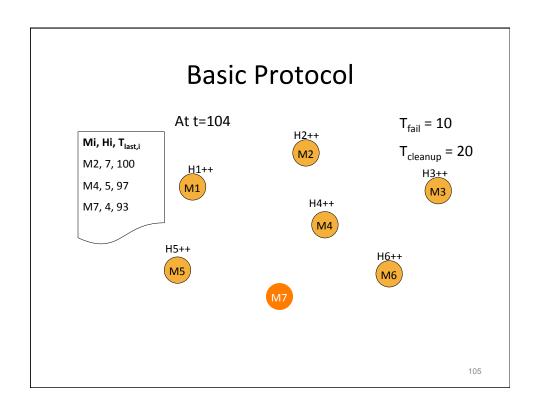
Basic Protocol

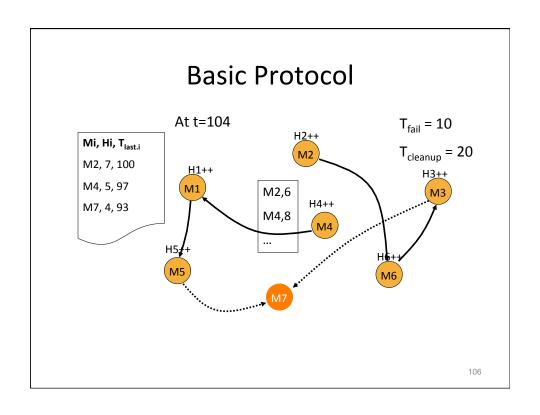
- Each member maintains a list (O(N)) of
 - $< M_i$, H_i , $T_{last,i} >$
 - M_i: member address
 - H_i: heartbeat count
 - $-T_{last,i}$: last time of heartbeat increase
- Every T_{gossip}, each member
 - Increments its heartbeat
 - Selects a random target member (from its list) and sends to it a <u>constant</u> number of <M_i, H_i> entries

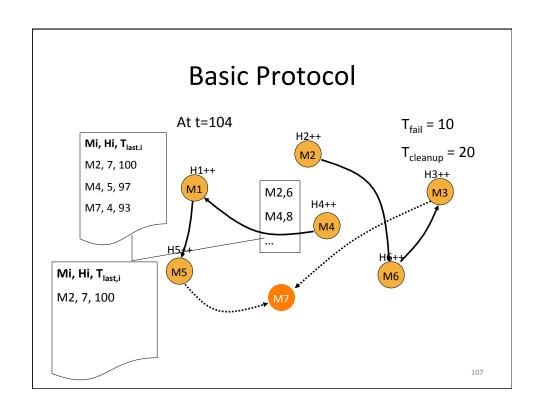
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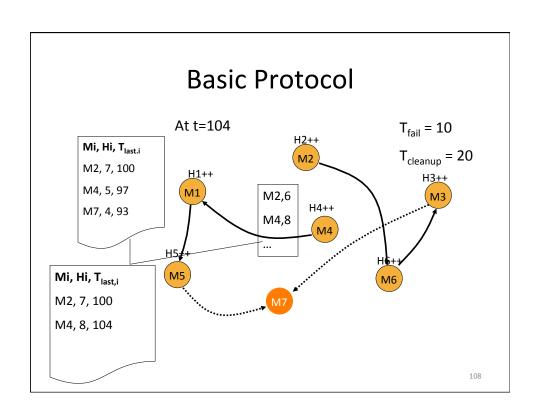
- A member, upon receiving gossip message,
 - Merges the list (maximum heartbeat)
- If $T_{last,i} + T_{fail} < T_{now}$,
 - Member M_i is considered failed
 - But remember M_i for $T_{cleanup}$ (~ $2*T_{fail}$), to prevent resurrection

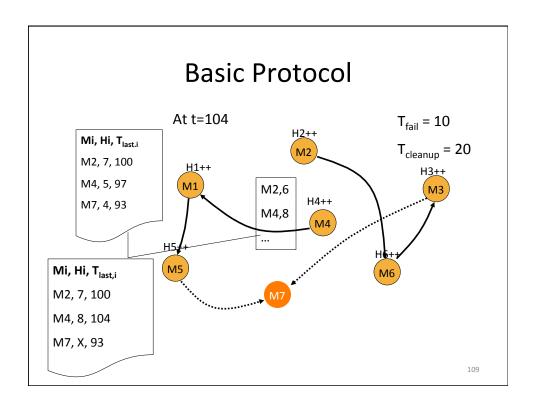












Analysis

- Detection Time = time to spread a gossip in a group of N nodes
 - O(log(N)) for a single gossip
 - But N such gossips being multicast
 - one heartbeat from each node
 - Since the actual message can carry only a constant number of heartbeats, the total dissemination is O(N log(N)).

Summary

Completeness	Eventual detection Expected detection time with known mistake
Accuracy	Probabilistic
Speed	Detection time : O(N log(N))
Scalability	Detection time : O(N log(N)) Network load : O(N) Per node overhead : O(1)
Resilience	Basic : resilient to message loss, # of failures Hierarchical : resilient to network partitions, large # of failures

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GROUP MEMBERSHIP (3/3)

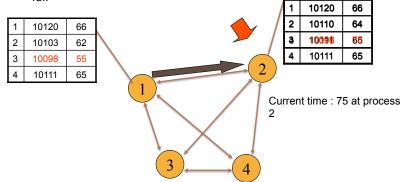
Gossip Protocol

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Gossip Protocol

 What if an entry for failed process is deleted right after T_{fail} (= 24) seconds?

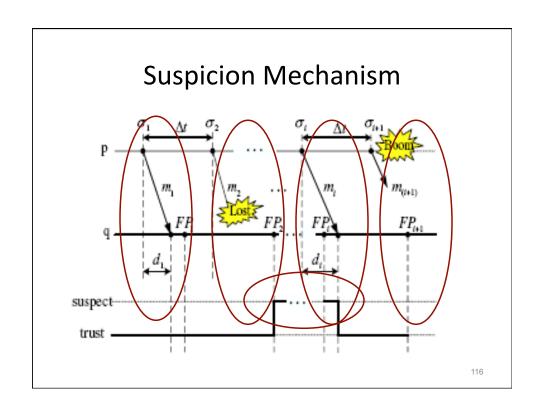


• Fix: remember for another T_{fail}

Suspicion Mechanism

- Goal: Reduce the frequency of false positives that might occur due to:
 - Network packet losses
 - Slow and unresponsive processes
- Key:
 - When a process is first detected as having failed, do not declare it as having failed
 - Instead, suspect the process first
 - Allow time to fix mistake

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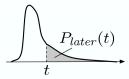
Accrual Failure Detector

- Accrual Failure Detector
 - $-\varphi(t)$: suspicion level at time t (for a node)
- Application sets a max suspicion level
 - Node declared failed otherwise
- Example: Cassandra/Dynamo
 - Set φ (t) = 5 \Rightarrow 10-15 sec detection time
- Calculate φ(t)
 - Consider historical inter-arrival time of heartbeats

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Accrual Failure Detector

• $\varphi(t)$: suspicion level at time t



- $P_{later}(t)$: probability of heartbeat after t seconds
- $P_{later}(t_{now} t_{last})$: probability after "now"
- $\varphi(t) = -\log_{10}(P_{later}(t_{now} t_{last}))$
 - Threshold = $1 \Rightarrow 10\%$ chance of mistake
 - Threshold = $2 \Rightarrow 1\%$ chance of mistake
 - Threshold = $3 \Rightarrow 0.1\%$ chance of mistake

Accrual Failure Detector

- $\varphi(t)$: suspicion level at time t
- $P_{later}(t)$: probability of heartbeat after t secs

Based on sampling of previous heartbeat timestamps

Assume normally distributed

$$\begin{array}{c|c}
P_{later}(t) \\
t
\end{array}$$

$$\varphi(t_{now}) = -log_{10}(P_{later}(t_{now} - T_{last}))$$

$$P_{later}(t) = \frac{1}{\sigma\sqrt{2\pi}} \int_{t}^{+\infty} e^{-\frac{(x-\mu)^2}{2\sigma^2}} dx = 1 - F(t)$$

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