

# Derivatives CFA一级知识框架图



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## **Reading 56**

**DERIVATIVE MARKETS AND INSTRUMENTS** 

### **Basic Concept**

Exchange-traded

Over-the-counter

traded

#### 定义 概念,针对未来交易,回避风险 衍生品分类方法★





#### 衍生品优缺点★ 概念

Purposes

futures

option

forward

swap

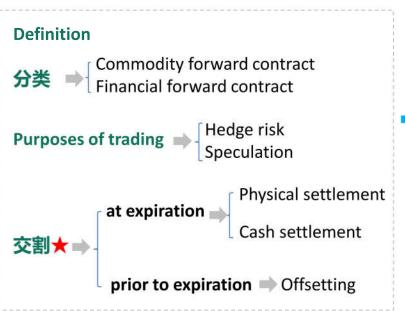
option

- Risk management
- Information discovery
- Operational advantages
- Market efficiency
- Controversies
  - Speculation and gambling
  - Destabilization and systemic risk

Exchange-traded	Over-the-counter
Standardized → Liquid	Customized→ Specific needs
Regulated	Unregulated
Backed by a clearinghouse (No default)	Trade with counterparty (default risk)
Trade in a physical exchange	not trade in organized markets → with dealer

#### 四种常见衍生品

#### Forward 概念





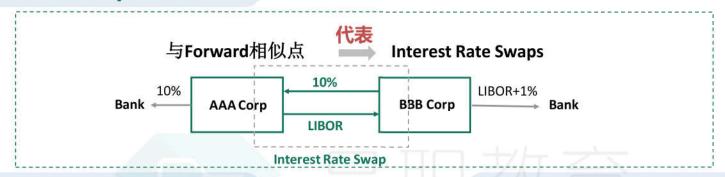
#### **Futures**

Forwards	Futures	与Forward区别★★	
Private contracts	Exchange-traded		
Unique customized contracts	Standardized contracts		
Little or no regulation	Regulated		
Default risk is present	Guaranteed by clearinghouse		
Settlement at maturity	Daily settlement (mark to market)		
No margin deposit required	Margin required and adjusted		
	<b>▼ Futures</b> 不会违约原		

Futures contract风险控制方法★★

风控方法	考点	
Margin	<ol> <li>Initial margin</li> <li>Maintenance margin</li> <li>Variation margin 回到IM</li> </ol>	计算,与Equity区别
Daily Price Limit	Limit move Locked limit	概念
Marking to market	盯市方法→FP converges to SP at termination→P	ayoff = $S_T(T) - F_0(T) = F_T(T) - F_0(T)$

#### Swap



#### **Option**



#### **Credit Derivatives**

- Total Return Swap
- Credit Spread Option
- Credit-linked Note
- Credit Default Swaps

## **Reading 57**

**BASICS OF DERIVATIVE PRICING AND VALUATION** 

### **Pricing and Valuation**



no-arbitrage principle ->

Cash-and-Carry Arbitrage ★

Asset + Derivative = Risk-free asset

**Limits to Arbitrage** 

Reverse Cash-and-Carry Arbitrage 🛨

Replication

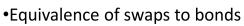


Contract	T=0→Price	T=t→ Value
T-bill forwards	$FP = S_0 \times (1 + R_f)^T$	$V_{long} = S_t - \frac{FP}{\left(1 + R_f\right)^{T - t}}$
dividend-paying stock (Coupon Bond)	$FP = (S_0 - PVD_0) \times (1 + R_f)^T$	$V_{long} = S_t - PVD_t - \frac{FP}{(1 + R_f)^{T-t}}$



#### Futures与Forward估值区别★■

swap contract → 求swap rate



- Equivalence of swaps to FRA
- Equivalence of swaps to Options

ρ(FP,rf)	Investors will
Positive	Futures price > forward contract.
Zero	Futures price = forward contract.
Negative	Futures price < forward contract.

#### Option Pricing \*

#### 方法1: binomial model

$$\pi_{u} = \frac{1 + R_{f} - d}{u - d}$$
value of an option:  $c = \left[ \pi_{u} C_{1}^{+} + \pi_{d} C_{1}^{-} \right] \times \frac{1}{(1 + R_{f})^{T}}$ 

$$c + X / (1 + R_{f})^{T} = S + p$$

$$\vec{x}_{c} + K / (1 + R_{f})^{T} = S + p$$

$$F_{0} / (1 + r)^{T} + p_{0} = c_{0} + X / (1 + r)^{T}$$

value of an option: 
$$c = \left[\pi_u C_1^+ + \pi_d C_1^-\right] \times \frac{1}{(1+R_c)^T}$$

#### 方法2: Put call parity

$$c + X / (1 + R_f)^T = S + p$$
  
或 $c + K / (1 + R_f)^T = S + p$   
E<sub>r</sub> //(1 + r)<sup>T</sup> + p<sub>r</sub> = C<sub>r</sub> + X / (1 + r)<sup>T</sup>

#### 方法3: 最小值

$$c_0 \ge Max[0, S_0 - X/(1 + r)^T]$$
  
 $p_0 \ge Max[0, X/(1 + r)^T - S_0]$ 

#### Factors affect the value of an option \* \*

Sensitivity Factor	Calls	Puts	
Underlying price	Positively related	Negatively related	
Volatility	Positively related	Positively related	
Risk-free rate	Positively related	Negatively related	
Time to expiration	Positively related	Positively related* →	European put
Strike price	Negatively related	Positively related	特殊
Payments on the underlying	Negatively related	Positively related	
Carrying cost	Positively related	Negatively related	





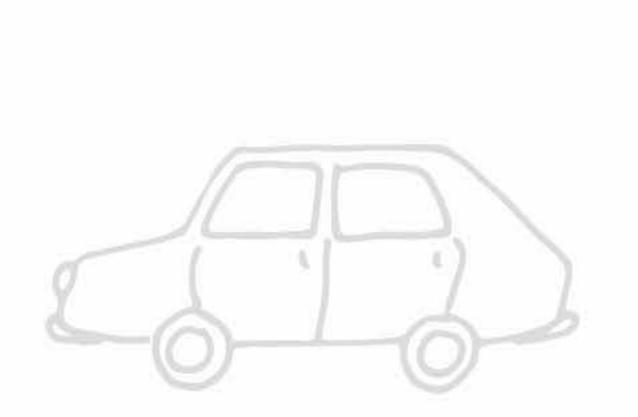








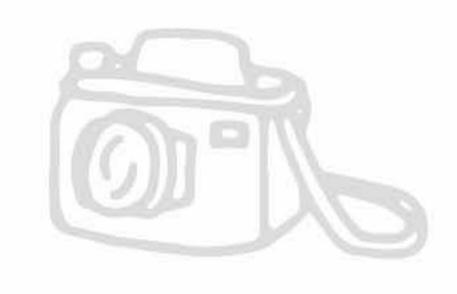


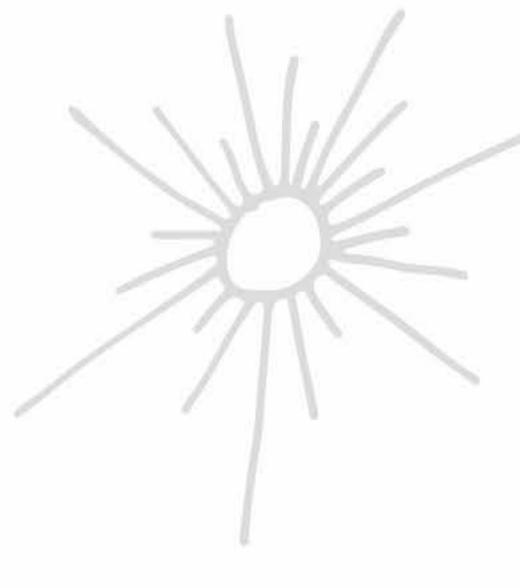




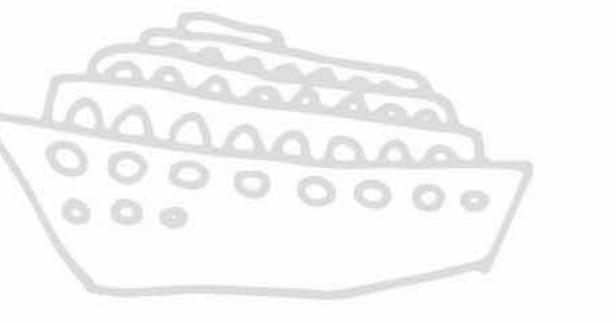
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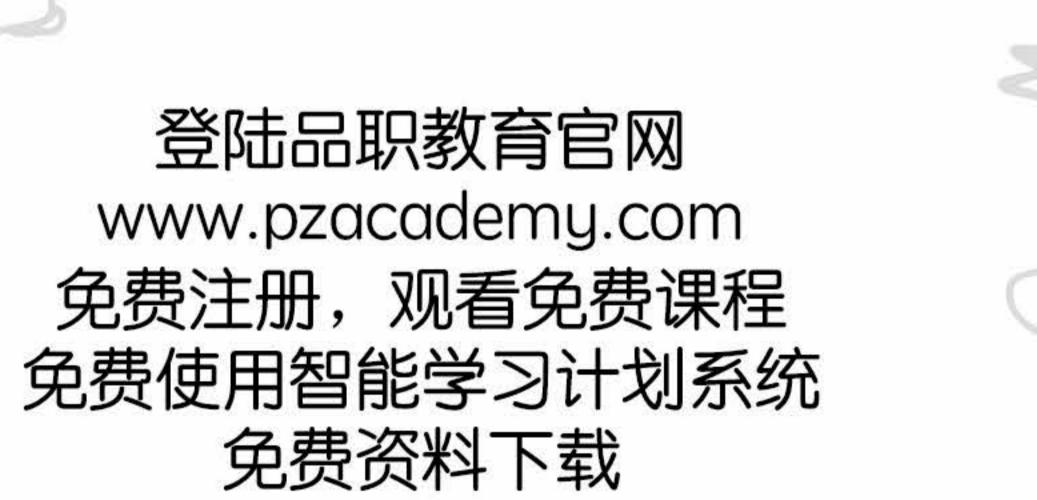








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