

## CS 143 HW7

1.

$R(A, B, C)$

- 8000 tuples
- disk block 4,000 bytes
- tuple is 40 bytes
- each disk block is full

a)  $\frac{4000}{40} = 100$  tuples per block  
 $\frac{8000}{100} = 80$  blocks

b) Find the smallest value for  $M$  that we can use.

To finish in two passes:

# of sorting runs  $\leq$  available memory blocks - 1

$$\lceil 80 / M \rceil \leq M - 1$$

$$M = 10 \text{ blocks}$$

2.

$R(A, B)$  1000 blocks

$S(A, C)$  100 blocks

3300 I/Os

Total cost for Hash Join:  $3(b_R + b_S)$

(bucketizing + join steps)

- Entire bucket of smaller table fits in main memory
- one block reserved for larger table
- one block reserved for writing output

• Size of  $S$  bucket:  $\lceil \frac{100}{M-1} \rceil$

• Size of  $S$  bucket  $\leq M - 2$

$$\hookrightarrow \lceil \frac{100}{M-1} \rceil \leq M - 2$$

$$M = 12 \text{ blocks}$$



3.  $R(A, B, C)$

$S(B, C, D, E)$

- 500 tuples of  $R$  per block on disk
- $|R| = 750,000$
- 100 tuples of  $S$  per block on disk
- $|S| = 250,000$
- For every  $R$  tuple, roughly 5 tuples in  $S$  with  $R.B = S.B$

① To read  $R$  (first two lines) :  $\frac{750,000}{500} = 1,500$

Blocks of  $S$  to read :  $750,000 \times 5 = 3,750,000$

Total 3,751,000

- 5000 tuples in  $S$  with  $R.C = S.C$ , stored sequentially

② To read  $R$  (first two lines) :  $\frac{750,000}{500} = 1,500$

Blocks of  $S$  to read :  $750,000 \times \left( \frac{5000}{100} \right) = 37,500,000$   
↓  
sequential access

The first plan has 10 times less I/Os than the second plan. The second plan should be chosen if random I/O is over 10 times slower than sequential access. Otherwise, the second plan will complete faster despite needing more I/O.